# Functions Logic and Program Output

# **Utility Functions:-**

• <u>treeNode\* pred(treeNode\* ptr)</u> - Utility function for predecessor,

Given a pointer, it returns pointer to node that is predecessor of current pointer. If leftThread is true, it returns the left ptr node, else returns the rightmost child in left subtree.

It will be used in various functions.

 <u>treeNode\* succ(treeNode\* ptr)</u> - For a given pointer, returns its successor pointer. If rightThread is true, just returns the right pointer node else returns the leftmost child in right subtree
 Used in various functions.

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## DeleteNode function uses the below 3 utility functions:-

- <u>treeNode\* delete0</u>(treeNode\* \_root ,treeNode\* parent , treeNode\* ptr) This is called when node to delete has no child.
- <u>treeNode\* delete1</u>(treeNode\* \_root , treeNode\* parent , treeNode\* ptr) This is called when node to delete has 1 child either left or right.
- <a href="mailto:treeNode" delete2">treeNode</a>\* delete2(treeNode</a>\* \_root ,treeNode</a>\* parent , treeNode</a>\* ptr)- This is called when node to delete has 2 children.

# Split function uses the below 2 utility functions: -

vector<treeNode\*> split\_utility(treeNode\* \_root , int k, int\* visitd) This function finds and returns 2 root nodes which has element value just <=k ans >k respectively in O(h) time.

Working is explained in comments briefly.

 void print\_inorder(treeNode\* \_root) - This simply prints tree in Inorder way. To check output after splitting the tree.

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#### Main functions: -

- treeNode\* insert(treeNode\* \_root, int \_val)- This adds a node to the BST, also changes left and right threads bools for parent of node inserted. Returns root pointer.
- treeNode\* search(treeNode\* \_root , int \_val)- Searches key
   value \_val in the BST and returns the node ptr else nullptr.
- treeNode\* deleteNode(treeNode\* \_root , int \_val)- This call all 3 delete functions accordingly. First finds the node to delete and its parent. Then based on children the node has , calls the utility function. It also manages left/right threads bool for parent of node deleted. Returns root ptr.

- Ilist\* reverselnorder(treeNode\* \_root) This uses pred() function to get predecessor ptr of each node. We go to the rightmost child then use pred() till we reach the smallest element. Returns a linked list containing the reverse inorder elements.
- int successor(treeNode\* ptr)- This uses succ() utility function and returns element value of predecessor.
- Ilist\* allElementsBetween(treeNode\* \_root , int k1, int k2) First, I found the nodes start and end.

start->val is just greater than or equal to k1 . end->val is just less than or equal to k2.

Then created a linked list to store the elements from start to end. Iterated through both tree and LinkedList simultaneously storing the values in LinkedList.

Returns the linked list.

- o int **kthLargest**(treeNode\* \_root, int k)- Uses Morris traversal algorithm. We keep track of nodes in right subtree and use this to find kth largest. Refer comments, it explains in detail.
- o vector<treeNode\*> split(treeNode\* \_root , int k)-

First it calls split\_utility to get the 2 root nodes, then we remove any connected threads in O(h) time.

Then calls print\_inorder to print 2 trees in O(n) time.

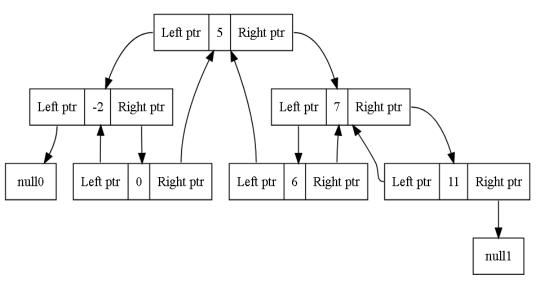
 void printTree(treeNode\* \_root, const string& name,const string& label) - Prints tree inorder, just for showing output.

## **OUTPUT:**

### This is the command output:

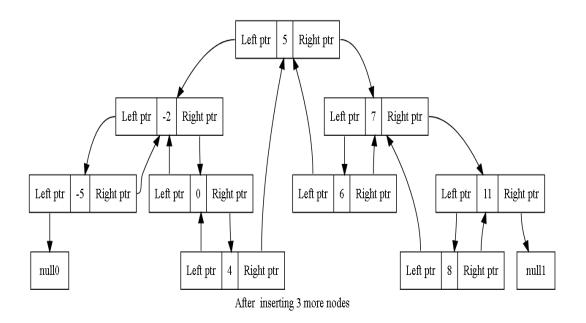
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C:\Users\Atul\Desktop\ds assn>a
START OF OUTPUT
ELEMENT 6 ALREADY EXIST IN BST
After first insertion of all nodes
-2 0 5 6 7 11
After inserting 3 more nodes
SEARCH :
5 is present!
100 not present!
Kth largest :-
See the inorder traversal:-
see the inorder traversal:-
-5 -2 0 4 5 6 7 8 11
kth largest element in BST for k = 2 is : 8
kth largest element in BST for k = 4 is : 6
DELETE :
key Value: 100 not present in BST
After deleting root node:
-5 -2 0 4 6 7 8 11
After deleting node 7:
REVERSE INORDER ELEMENTS :-
11 8 6 4
Successor of root node is: 8
Find all elements between k1, k2 :-
ALL ELEMENT Between 2,7 in BST :-
ALL ELEMENT Between -100,0 in BST :-
-5
AFTER SPLIT :
Inorder Traversal of the BST with elements<= 5:-
Inorder Traversal of the BST with elements > 5 :-
 8 11
END OF OUTPUT
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## TREES FROM GRAPHVIZ:



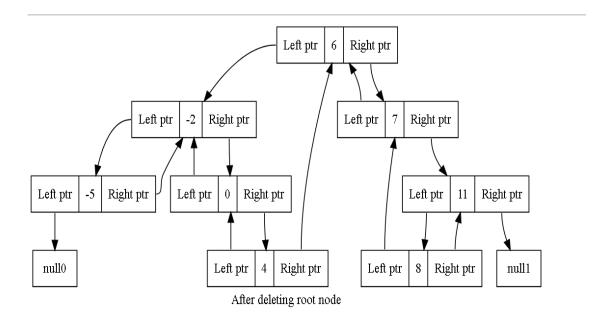
After first insertion of all nodes

First inserted few elements, notice the left ptr of 6 points to pred(6) and right pointer of 0 points to succ(0) = 5

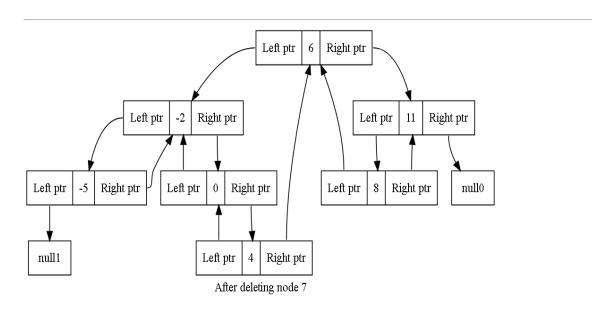


After inserting 3 more nodes: -5,4,8. Now the right ptr of 0 is not pointing to succ(0) but to its right child 4. Similar for left ptr of 11.

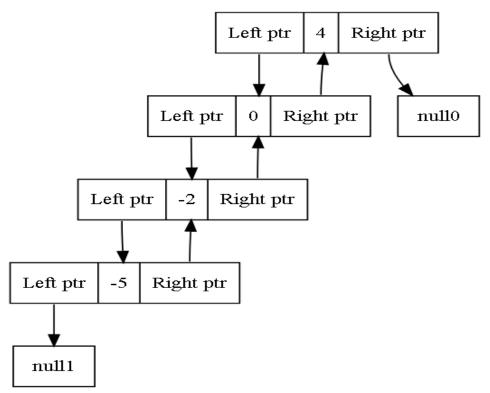
Now we delete root node 5.



After deleting root node 5, notice how pointers connected to 5 are now connected to/from 6. After this node 7 is deleted, given below.

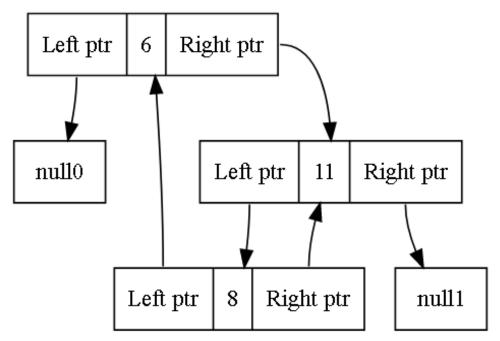


In the above tree, we perform split operation to get below 2 trees. First contains elements less than or equal to 5. Second tree has elements greater than 5.



Smaller elements tree After splitting main tree

Notice 4 is just less than 5 so it becomes the root of smaller element tree. And 6 is just greater than 5 so it becomes root of larger element trees.



Bigger elements tree After splitting main tree

Notice the left ptr of 6 and right ptr of 4 in main tree are connected to other element and in split trees, these connections are removed.