

Assignment

A bike-sharing system is a service in which bikes are made available for shared use to individuals on a short term basis for a price or free. Many bike share systems allow people to borrow a bike from a "dock" which is usually computer-controlled wherein the user enters the payment information, and the system unlocks it. This bike can then be returned to another dock belonging to the same system.

A US bike-sharing provider BoomBikes has recently suffered considerable dips in their revenues due to the ongoing Corona pandemic. The company is finding it very difficult to sustain in the current market scenario. So, it has decided to come up with a mindful business plan to be able to accelerate its revenue as soon as the ongoing lockdown comes to an end, and the economy restores to a healthy state.

In such an attempt, BoomBikes aspires to understand the demand for shared bikes among the people after this ongoing quarantine situation ends across the nation due to Covid-19. They have planned this to prepare themselves to cater to the people's needs once the situation gets better all around and stand out from other service providers and make huge profits.

They have contracted a consulting company to understand the factors on which the demand for these shared bikes depends. Specifically, they want to understand the factors affecting the demand for these shared bikes in the American market.

Business Goal:

You are required to model the demand for shared bikes with the available independent variables. It will be used by the management to understand how exactly the demands vary with different features. They can accordingly manipulate the business strategy to meet the demand levels and meet the customer's expectations. Further, the model will be a good way for management to understand the demand dynamics of a new market.

Objective

This assignment is a programming assignment wherein I've have to build a multiple linear regression model for the prediction of demand for shared bikes.

Problem Statements

- 1 - Which variables are significant in predicting the demand for shared bikes.
- 2 - How well those variables describe the bike demands

Importing necessary libraries for analyzing the Dataset

```
In [1]: # importing warnings
```

```
import warnings  
warnings.filterwarnings('ignore')
```

```
In [2]: # importing numpy and pandas
```

```
import numpy as np  
import pandas as pd
```

```
In [3]: # importing libraries for data visualization
```

```
import matplotlib.pyplot as plt  
import seaborn as sns
```

```
In [4]: # importing machine learning libraries
```

```
import statsmodels.api as sm  
from statsmodels.stats.outliers_influence import variance_inflation_factor  
  
from sklearn.linear_model import LinearRegression  
from sklearn.model_selection import train_test_split  
from sklearn.feature_selection import RFE  
from sklearn import preprocessing  
from sklearn.preprocessing import LabelEncoder  
from sklearn.preprocessing import MinMaxScaler  
from sklearn.metrics import r2_score  
from sklearn.metrics import mean_squared_error  
from sklearn.metrics import mean_absolute_error
```

Data Understanding and Exploration

```
In [5]: # importing dataset
```

```
data = pd.read_csv('Bike Sharing Dataset.csv')
```

```
In [6]: data.head() #To display all first 5 rows
```

Out[6]:

	instant	dteday	season	yr	mnth	holiday	weekday	workingday	weathersit	temp	atemp	hum	windspeed	casual	registered	cnt
0	1	01-01-2018	1	0	1	0	1	1	2	14.110847	18.18125	80.5833	10.749882	331	654	985
1	2	02-01-2018	1	0	1	0	2	1	2	14.902598	17.68695	69.6087	16.652113	131	670	801
2	3	03-01-2018	1	0	1	0	3	1	1	8.050924	9.47025	43.7273	16.636703	120	1229	1349
3	4	04-01-2018	1	0	1	0	4	1	1	8.200000	10.60610	59.0435	10.739832	108	1454	1562
4	5	05-01-2018	1	0	1	0	5	1	1	9.305237	11.46350	43.6957	12.522300	82	1518	1600

```
In [7]: data.tail() #To display all last 5 rows
```

Out[7]:

	instant	dteday	season	yr	mnth	holiday	weekday	workingday	weathersit	temp	atemp	hum	windspeed	casual	registered	cnt
725	726	27-12-2019	1	1	12	0	5	1	2	10.420847	11.33210	65.2917	23.458911	247	1867	211
726	727	28-12-2019	1	1	12	0	6	0	2	10.386653	12.75230	59.0000	10.416557	644	2451	309
727	728	29-12-2019	1	1	12	0	0	0	2	10.386653	12.12000	75.2917	8.333661	159	1182	134
728	729	30-12-2019	1	1	12	0	1	1	1	10.489153	11.58500	48.3333	23.500518	364	1432	179
729	730	31-12-2019	1	1	12	0	2	1	2	8.849153	11.17435	57.7500	10.374682	439	2290	272

```
In [8]: # Checking the shape
```

```
data.shape
```

Out[8]: (730, 16)

There are total of 730 rows and 16 columns in the raw dataset

In [9]: # Checking the name of columns

```
data.columns
```

Out[9]: Index(['instant', 'dteday', 'season', 'yr', 'mnth', 'holiday', 'weekday',
 'workingday', 'weathersit', 'temp', 'atemp', 'hum', 'windspeed',
 'casual', 'registered', 'cnt'],
 dtype='object')

In [10]: # Checking the numerical columns and data distribution statistics

```
data.describe()
```

Out[10]:

	instant	season	yr	mnth	holiday	weekday	workingday	weathersit	temp	atemp	hum	windspe
count	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000	730.000000
mean	365.500000	2.498630	0.500000	6.526027	0.028767	2.995890	0.690411	1.394521	20.319259	23.726322	62.765175	12.7631
std	210.877136	1.110184	0.500343	3.450215	0.167266	2.000339	0.462641	0.544807	7.506729	8.150308	14.237589	5.1951
min	1.000000	1.000000	0.000000	1.000000	0.000000	0.000000	0.000000	1.000000	2.424346	3.953480	0.000000	1.5000
25%	183.250000	2.000000	0.000000	4.000000	0.000000	1.000000	0.000000	1.000000	13.811885	16.889713	52.000000	9.0410
50%	365.500000	3.000000	0.500000	7.000000	0.000000	3.000000	1.000000	1.000000	20.465826	24.368225	62.625000	12.1250
75%	547.750000	3.000000	1.000000	10.000000	0.000000	5.000000	1.000000	2.000000	26.880615	30.445775	72.989575	15.6250
max	730.000000	4.000000	1.000000	12.000000	1.000000	6.000000	1.000000	3.000000	35.328347	42.044800	97.250000	34.0000

```
In [11]: # Checking for Null values and Datatypes
```

```
data.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 730 entries, 0 to 729
Data columns (total 16 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          -----          ----- 
 0   instant     730 non-null    int64  
 1   dteday      730 non-null    object 
 2   season      730 non-null    int64  
 3   yr          730 non-null    int64  
 4   mnth        730 non-null    int64  
 5   holiday     730 non-null    int64  
 6   weekday     730 non-null    int64  
 7   workingday  730 non-null    int64  
 8   weathersit  730 non-null    int64  
 9   temp         730 non-null    float64 
 10  atemp        730 non-null    float64 
 11  hum          730 non-null    float64 
 12  windspeed   730 non-null    float64 
 13  casual       730 non-null    int64  
 14  registered   730 non-null    int64  
 15  cnt          730 non-null    int64  
dtypes: float64(4), int64(11), object(1)
memory usage: 91.4+ KB
```

```
In [12]: # Counting the sum of Null values in the dataset
```

```
data.isnull().sum()
```

```
Out[12]: instant      0  
dteday        0  
season        0  
yr            0  
mnth          0  
holiday       0  
weekday       0  
workingday    0  
weathersit    0  
temp          0  
atemp         0  
hum           0  
windspeed     0  
casual        0  
registered    0  
cnt           0  
dtype: int64
```

We can see that there are no null values in the dataset

```
In [13]: # Checking for duplicates
```

```
data.drop_duplicates(subset = None, inplace=True)
```

Subset is used to perform operations on any specific or filtered variables.

Since, we are checking for duplicates in the entire dataset, so I've used subset = None(which means no subset)

Inplace is used to perform operations on same dataset. So, I've used inplace=True

```
In [14]: data.shape
```

```
Out[14]: (730, 16)
```

We can see that after droping the duplicate values from entire dataset, the rows and columns does not changed. So, we can say that there are no duplicates in the dataset.

```
In [15]: # Checking the size of Data
```

```
data.size
```

```
Out[15]: 11680
```

```
In [16]: # Checking the axes of Data
```

```
data.axes
```

```
Out[16]: [Int64Index([ 0,  1,  2,  3,  4,  5,  6,  7,  8,  9,
...                   720, 721, 722, 723, 724, 725, 726, 727, 728, 729],
dtype='int64', length=730),
Index(['instant', 'dteday', 'season', 'yr', 'mnth', 'holiday', 'weekday',
       'workingday', 'weathersit', 'temp', 'atemp', 'hum', 'windspeed',
       'casual', 'registered', 'cnt'],
      dtype='object')]
```

```
In [17]: # Checking the dimensions of Data
```

```
data.ndim
```

```
Out[17]: 2
```

```
In [18]: # Checking the values of Data
```

```
data.values
```

```
Out[18]: array([[1, '01-01-2018', 1, ..., 331, 654, 985],
 [2, '02-01-2018', 1, ..., 131, 670, 801],
 [3, '03-01-2018', 1, ..., 120, 1229, 1349],
 ...,
 [728, '29-12-2019', 1, ..., 159, 1182, 1341],
 [729, '30-12-2019', 1, ..., 364, 1432, 1796],
 [730, '31-12-2019', 1, ..., 439, 2290, 2729]], dtype=object)
```

Checking for Continuous and Categorical Data

```
In [19]: # Checking for Continuous Data
```

```
data.select_dtypes(include=[np.number])
```

Out[19]:

	instant	season	yr	mnth	holiday	weekday	workingday	weathersit	temp	atemp	hum	windspeed	casual	registered	cnt
0	1	1	0	1	0	1	1	1	2 14.110847	18.18125	80.5833	10.749882	331	654	985
1	2	1	0	1	0	2	1	2	14.902598	17.68695	69.6087	16.652113	131	670	801
2	3	1	0	1	0	3	1	1	8.050924	9.47025	43.7273	16.636703	120	1229	1349
3	4	1	0	1	0	4	1	1	8.200000	10.60610	59.0435	10.739832	108	1454	1562
4	5	1	0	1	0	5	1	1	9.305237	11.46350	43.6957	12.522300	82	1518	1600
...
725	726	1	1	12	0	5	1	2	10.420847	11.33210	65.2917	23.458911	247	1867	2114
726	727	1	1	12	0	6	0	2	10.386653	12.75230	59.0000	10.416557	644	2451	3095
727	728	1	1	12	0	0	0	2	10.386653	12.12000	75.2917	8.333661	159	1182	1341
728	729	1	1	12	0	1	1	1	10.489153	11.58500	48.3333	23.500518	364	1432	1796
729	730	1	1	12	0	2	1	2	8.849153	11.17435	57.7500	10.374682	439	2290	2729

```
In [20]: # Checking for Categorical Data  
data.select_dtypes(exclude=[np.number])
```

Out[20]:

	dteday
0	01-01-2018
1	02-01-2018
2	03-01-2018
3	04-01-2018
4	05-01-2018
...	...
725	27-12-2019
726	28-12-2019
727	29-12-2019
728	30-12-2019
729	31-12-2019

730 rows × 1 columns

Data Preparation

Casual and Registered variables will describe that the target variable which is cnt in a very trivial way . So target = casual + registered, which leads to data leakage.. clearly saying that sum of the both casual + registered is the target column/variable . Also to avoid multicollinearity we delete the columns 'casual' and 'registered'

```
In [21]: #droping the columns  
data.drop(['casual'], axis = 1, inplace = True)  
data.drop(['registered'], axis = 1, inplace = True)
```

Instant is just a row instance identifier or series. dteday is removed as we have some of date features like mnth and year and weekday already in other columns . And also for this analysis we will not consider day to day trend in demand for bikes. So, we can delete Instant and dteday columns from the dataframe

```
In [22]: #dropping the columns  
data.drop(['instant','dteday'],axis = 1,inplace = True)
```

```
In [23]: data.shape
```

```
Out[23]: (730, 12)
```

```
In [24]: data.info()
```

```
<class 'pandas.core.frame.DataFrame'>  
Int64Index: 730 entries, 0 to 729  
Data columns (total 12 columns):  
 #   Column      Non-Null Count  Dtype     
 ---  --          --          --         
 0   season      730 non-null    int64    
 1   yr          730 non-null    int64    
 2   mnth        730 non-null    int64    
 3   holiday     730 non-null    int64    
 4   weekday     730 non-null    int64    
 5   workingday  730 non-null    int64    
 6   weathersit  730 non-null    int64    
 7   temp         730 non-null    float64  
 8   atemp        730 non-null    float64  
 9   hum          730 non-null    float64  
 10  windspeed    730 non-null    float64  
 11  cnt          730 non-null    int64    
dtypes: float64(4), int64(8)  
memory usage: 74.1 KB
```

Converting some numeric data to Categorical data

```
In [25]: #season  
data.season = data.season.map({1: 'Spring',2:'Summer',3:'Fall',4:'Winter'})  
data['season'].astype('category').value_counts()
```

```
Out[25]: Fall      188  
Summer    184  
Spring    180  
Winter    178  
Name: season, dtype: int64
```

```
In [26]: #mnth
data.mnth.replace({1: 'jan',2: 'feb',3: 'mar',4: 'apr',5: 'may',6: 'jun',
                  7: 'jul',8: 'aug',9: 'sept',10: 'oct',11: 'nov',12: 'dec'},inplace=True)
```

```
In [27]: #Checking whether the conversion is done properly or not
data['mnth'].astype('category').value_counts()
```

```
Out[27]: oct      62
          may      62
          mar      62
          jul      62
          jan      62
          dec      62
          aug      62
          sept     60
          nov      60
          jun      60
          apr      60
          feb      56
Name: mnth, dtype: int64
```

```
In [28]: #weathersit
data.weathersit.replace({1:'good',2:'moderate',3:'bad',4:'severe'},inplace = True)
```

```
In [29]: #Checking whether the conversion is done properly or not
data['weathersit'].astype('category').value_counts()
```

```
Out[29]: good      463
          moderate  246
          bad       21
Name: weathersit, dtype: int64
```

```
In [30]: #weekday
data.weekday.replace({0: 'sun',1: 'mon',2: 'tue',3: 'wed',4: 'thu',5: 'fri',6: 'sat'},inplace=True)
```

```
In [31]: #Checking whether the conversion is done properly or not  
data['weekday'].astype('category').value_counts()
```

```
Out[31]: tue    105  
mon    105  
wed    104  
thu    104  
sun    104  
sat    104  
fri    104  
Name: weekday, dtype: int64
```

```
In [32]: # Check the dataframe again  
data.head()
```

```
Out[32]:
```

	season	yr	mnth	holiday	weekday	workingday	weathersit	temp	atemp	hum	windspeed	cnt
0	Spring	0	jan	0	mon	1	moderate	14.110847	18.18125	80.5833	10.749882	985
1	Spring	0	jan	0	tue	1	moderate	14.902598	17.68695	69.6087	16.652113	801
2	Spring	0	jan	0	wed	1	good	8.050924	9.47025	43.7273	16.636703	1349
3	Spring	0	jan	0	thu	1	good	8.200000	10.60610	59.0435	10.739832	1562
4	Spring	0	jan	0	fri	1	good	9.305237	11.46350	43.6957	12.522300	1600

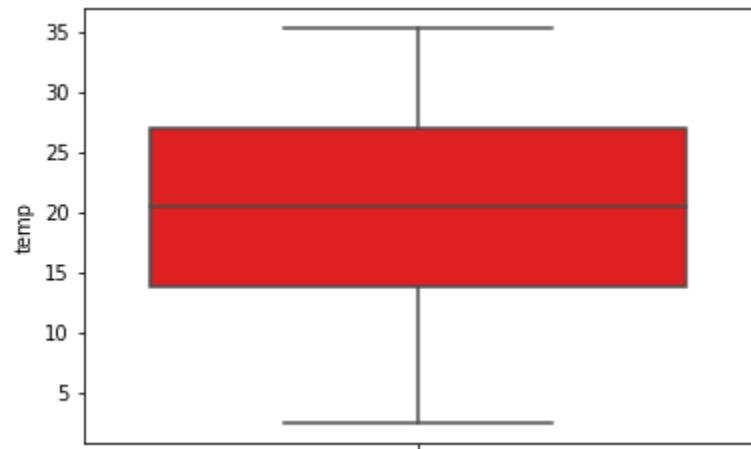
Data Visualization

Finding out the outliers in the continuous and Categorical data

```
In [33]: # Below columns are all numerical columns in dataset.  
cols = ['season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday', 'weathersit', 'temp', 'atemp', 'hum', 'windspeed', 'cnt']  
# We are just checking outliers on some specific columns that may have some values that unexpected such as:  
#     temp : temperature in Celsius  
#     - atemp: feeling temperature in Celsius  
#     - hum: humidity  
#     - windspeed: wind speed
```

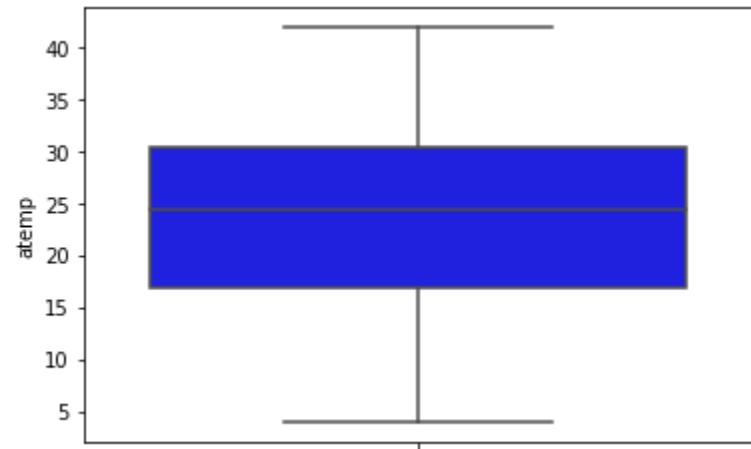
```
In [34]: sns.boxplot(y='temp', data=data, color='red')
```

```
Out[34]: <AxesSubplot:ylabel='temp'>
```



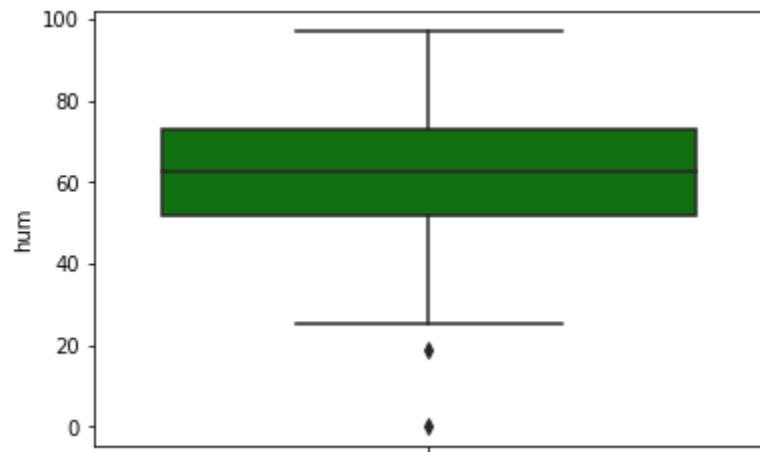
```
In [35]: sns.boxplot(y='atemp', data=data, color='blue')
```

```
Out[35]: <AxesSubplot:ylabel='atemp'>
```



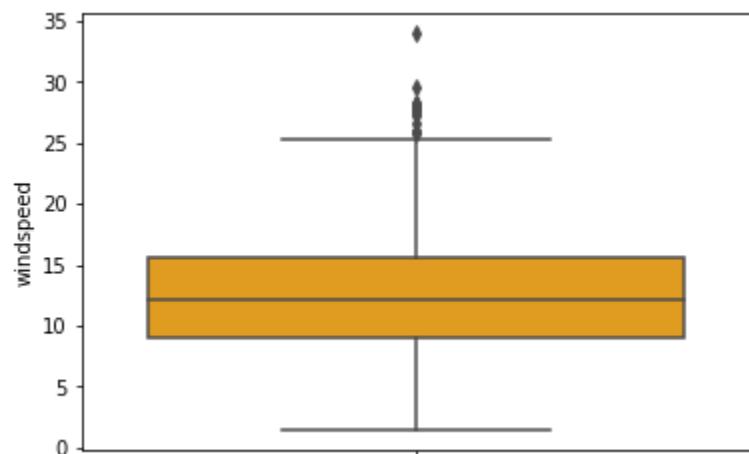
```
In [36]: sns.boxplot(y='hum', data=data, color='green')
```

```
Out[36]: <AxesSubplot:ylabel='hum'>
```



```
In [37]: sns.boxplot(y='windspeed', data=data, color='orange')
```

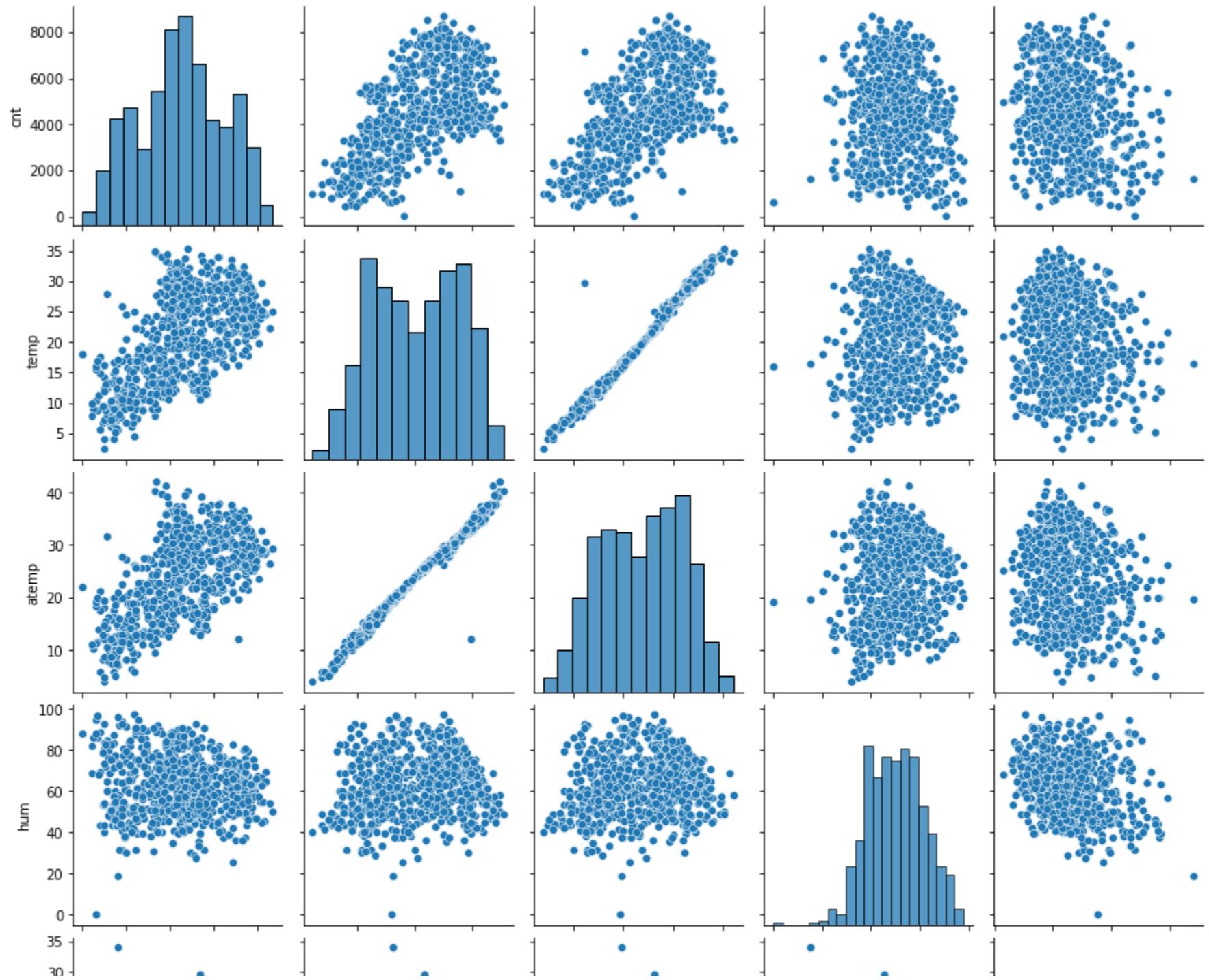
```
Out[37]: <AxesSubplot:ylabel='windspeed'>
```

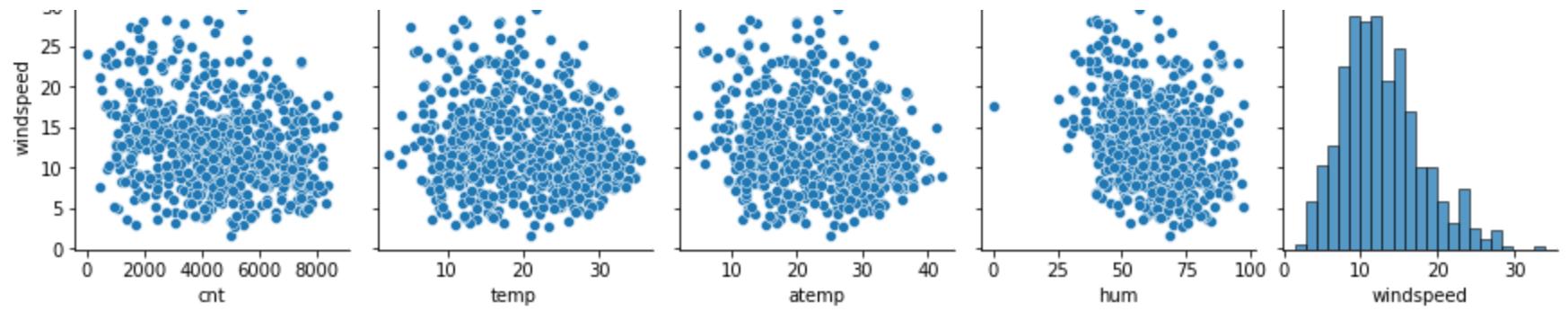


By looking at above plots we can say that there are no outliers.

Visualising Numeric Variables

```
In [38]: sns.pairplot(data=data,vars=['cnt', 'temp', 'atemp', 'hum','windspeed'])
plt.show()
```

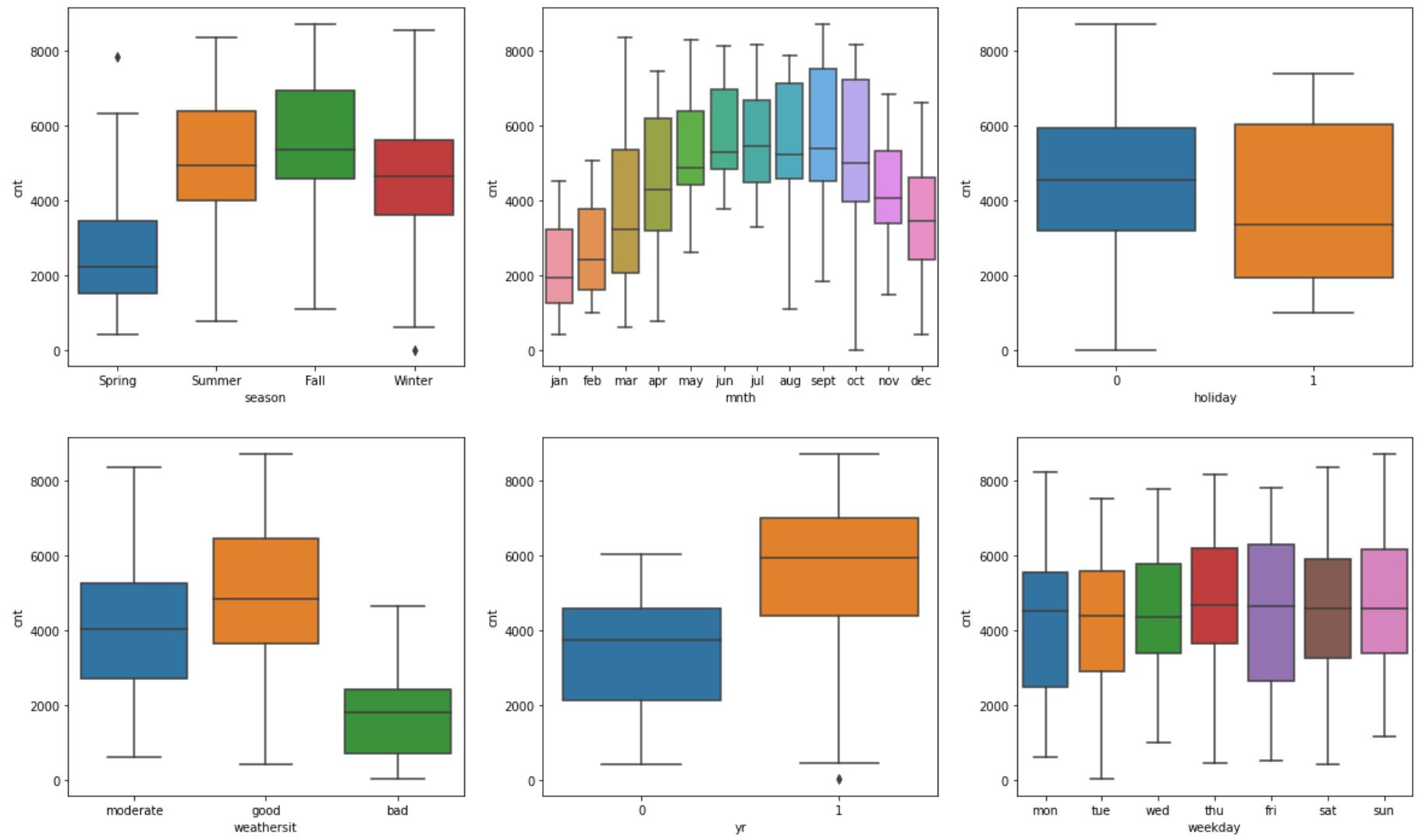




Made a pairplot to visualize all the numeric variables and found that temp and atemp has the highest corelation with the target variable cnt . temp and atemp are highly co-related with each other

Visualising Categorical Variables

```
In [39]: plt.figure(figsize=(20, 12))
plt.subplot(2,3,1)
sns.boxplot(x = 'season', y = 'cnt', data = data)
plt.subplot(2,3,2)
sns.boxplot(x = 'mnth', y = 'cnt', data = data)
plt.subplot(2,3,3)
sns.boxplot(x = 'holiday', y = 'cnt', data = data)
plt.subplot(2,3,4)
sns.boxplot(x = 'weathersit', y = 'cnt', data = data)
plt.subplot(2,3,5)
sns.boxplot(x = 'yr', y = 'cnt', data = data)
plt.subplot(2,3,6)
sns.boxplot(x = 'weekday', y = 'cnt', data = data)
plt.show()
```



from the above boxplot diagram, we have observed that bike sharing count is very less in spring season compared to all other seasons which are higher than 4000 cnt. The Bike sharing count is highest on the month of July and is being increased in summer months and customers are less likely to use bikes on holidays to be more precise, count of shared bikes are highest on thursday and slightly low on Friday. Weathersit shows that customers shared bikes on good weather. The count of shared bikes are higher in 2019 in comparison of 2018.

Creating Dummy variables for all categorical variables

```
In [40]: dummy = data[['season', 'mnth', 'weekday', 'weathersit']]
dummy = pd.get_dummies(dummy, drop_first=True)
```

Adding Dummy variables to the raw dataset

```
In [41]: data = pd.concat([dummy,data],axis = 1)
```

```
In [42]: # Checking if the dummy variables are added properly or not  
data.head()
```

Out[42]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	... mnth	holiday	we
0	1	0	0	0	0	0	1	0	0	0	0	jan	0
1	1	0	0	0	0	0	1	0	0	0	0	jan	0
2	1	0	0	0	0	0	1	0	0	0	0	jan	0
3	1	0	0	0	0	0	1	0	0	0	0	jan	0
4	1	0	0	0	0	0	0	1	0	0	0	jan	0

5 rows × 34 columns

```
In [43]: # Checking the shape of dataset  
data.shape
```

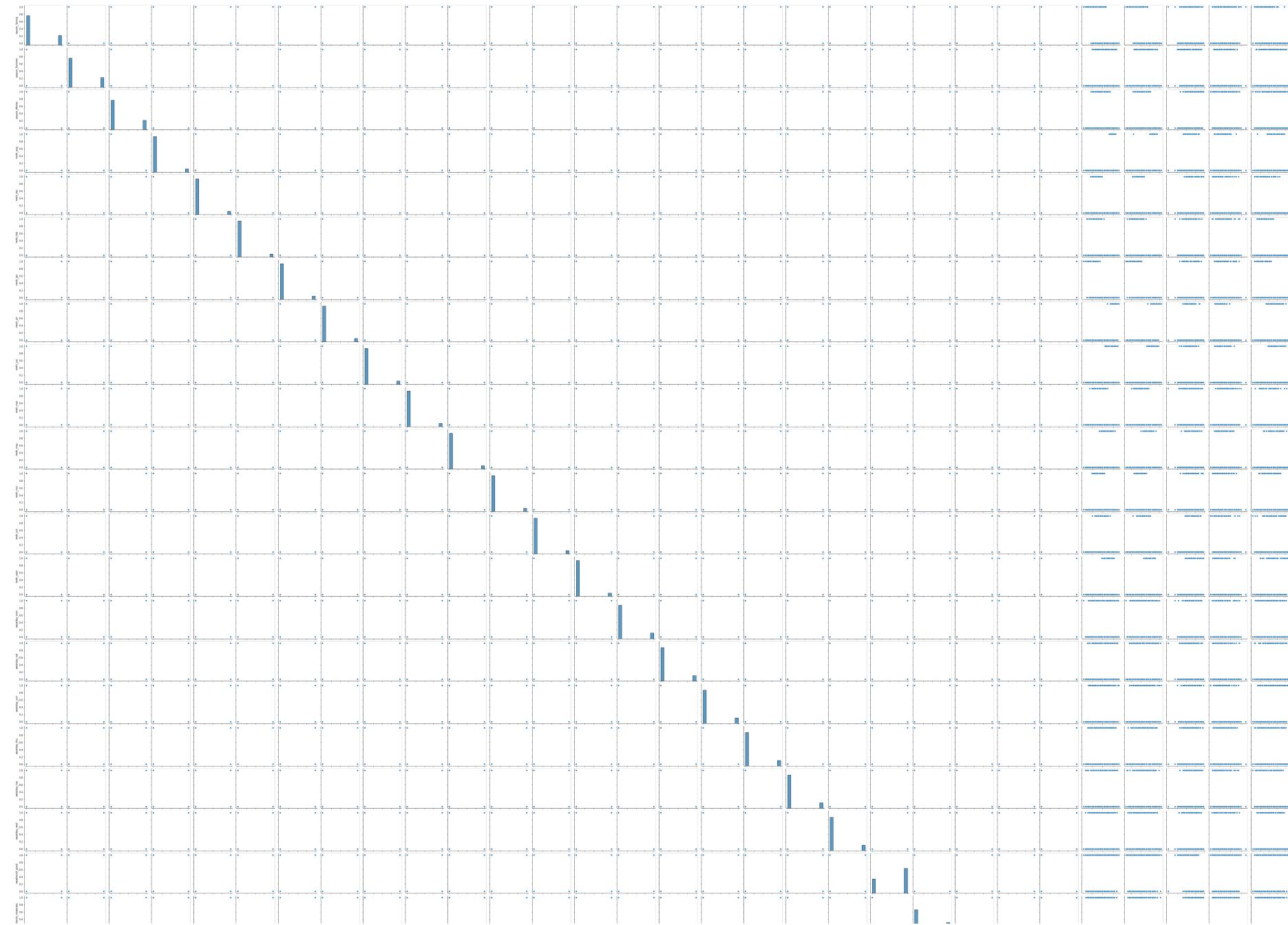
Out[43]: (730, 34)

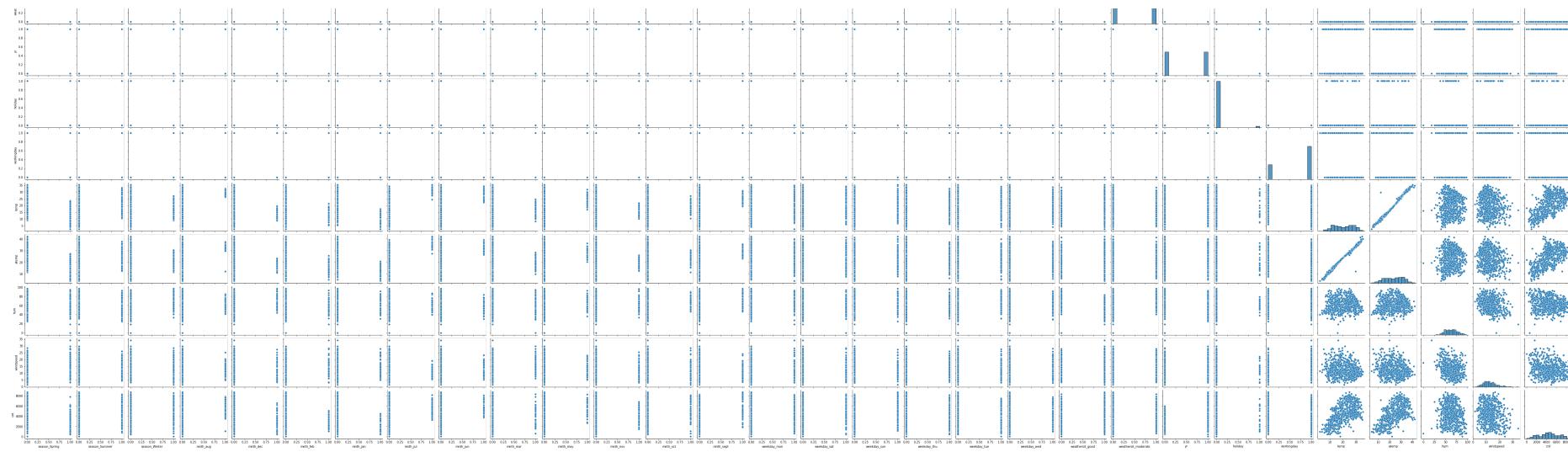
Using univariate,Bivariate Analysis for the numerical and categorical variables

Visualising the Dataframe to Find the Correlation between the Numerical Variable

```
In [44]: plt.figure(figsize=(20,15))
sns.pairplot(data)
plt.show()
```

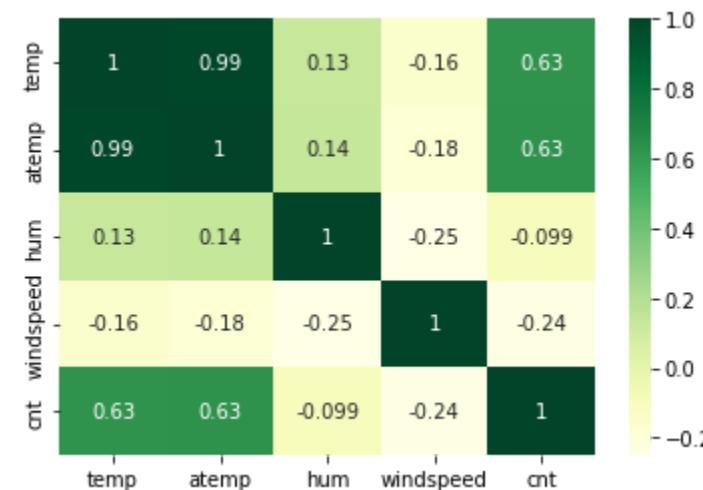
<Figure size 1440x1080 with 0 Axes>





In [45]: # Checking continuous variables Correlation relationship with each other

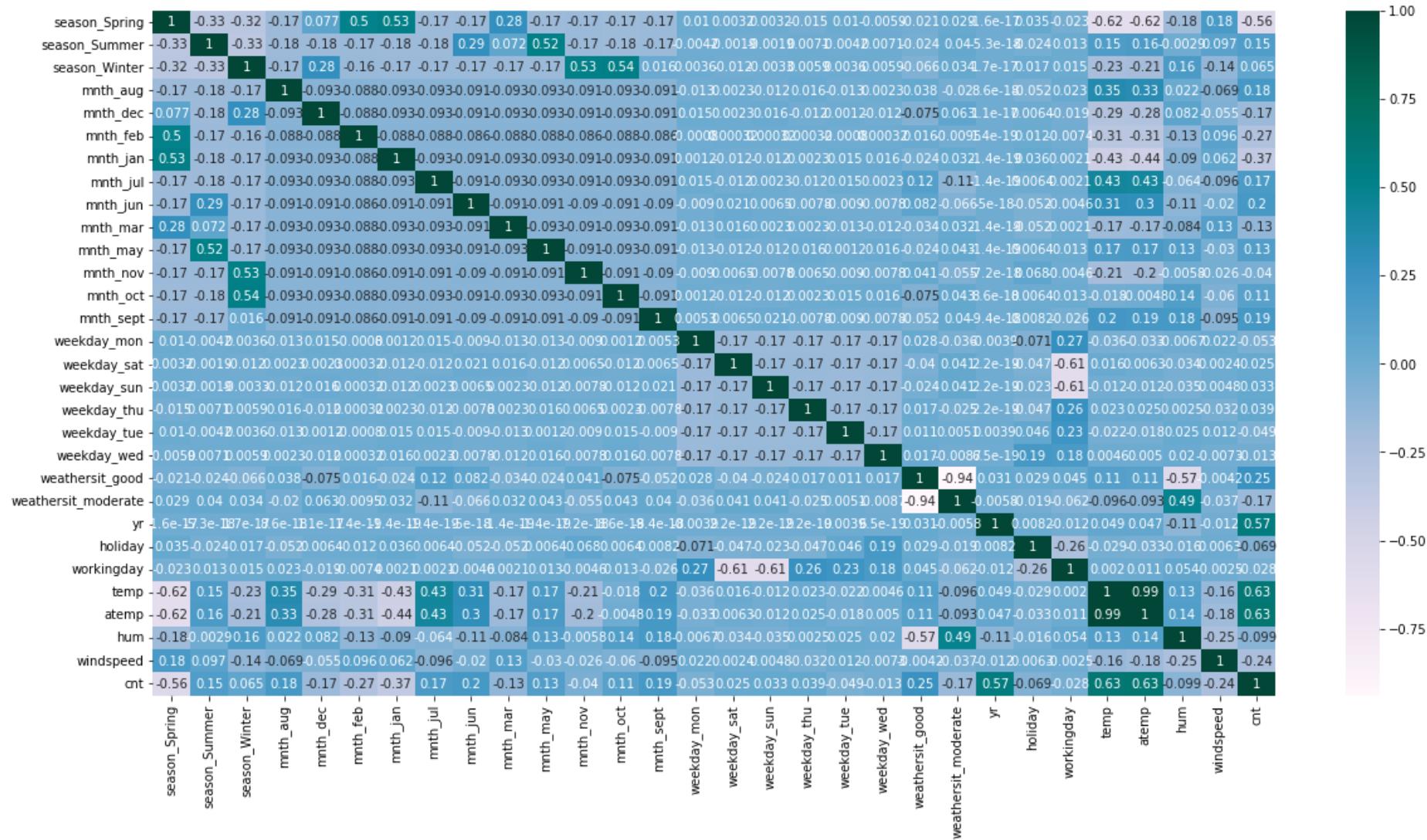
```
sns.heatmap(data[['temp','atemp','hum','windspeed','cnt']].corr(), cmap='YlGn', annot = True)
plt.show()
```



Here we see that temp and atemp has correlation 0.99, that means almost 1 (highly correlated) and atemp seems to be derived from temp so atemp field can be dropped here

In [46]:

```
plt.figure(figsize = (20, 10))
cor=data.corr()
sns.heatmap(cor, cmap="PuBuGn", annot = True)
plt.show()
```

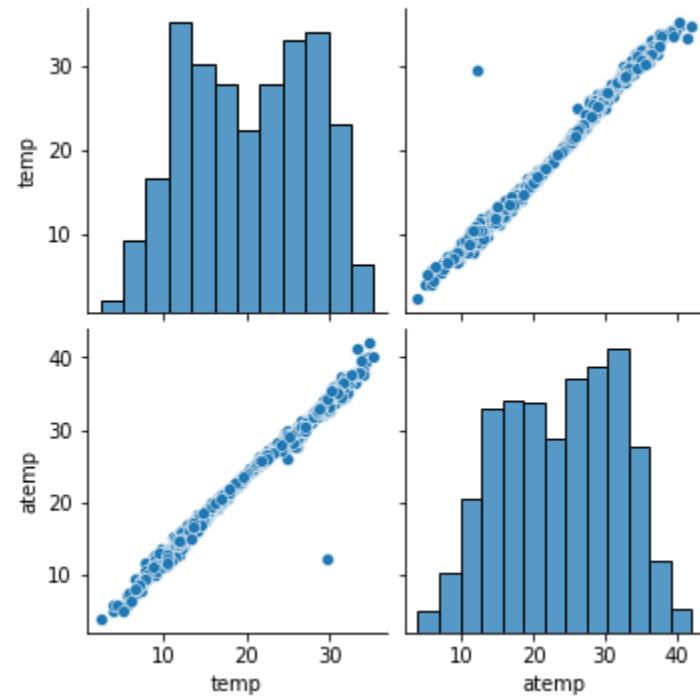


From the correlation map, season_winter and mnth_oct seems to be highly correlated with 0.54 and only should variable can be considered for the

model. . However let us eliminate it based on the Variance Inflation Factor later during the model building. . We also see Target variable has a linear relationship with some of the indepentent variables. so that we can drop the atemp variable .temp variable also highly corelated with target variable with 0.63

Bivariate Analysis

```
In [47]: sns.pairplot(data[['temp','atemp']])
plt.show()
```



Predictor columns temp and atemp are very much correlated to each other, . so we can drop any one of them, here we are dropping atemp variable

```
In [ ]: #Droping the atemp variable:
data.drop(['atemp'],axis=1,inplace=True)
```

```
In [50]: # check the dataframe again  
data.head()
```

Out[50]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	... yr	mnth	holiday
0	1	0	0	0	0	0	1	0	0	0	0 ... 0	jan	0
1	1	0	0	0	0	0	1	0	0	0	0 ... 0	jan	0
2	1	0	0	0	0	0	1	0	0	0	0 ... 0	jan	0
3	1	0	0	0	0	0	1	0	0	0	0 ... 0	jan	0
4	1	0	0	0	0	0	1	0	0	0	0 ... 0	jan	0

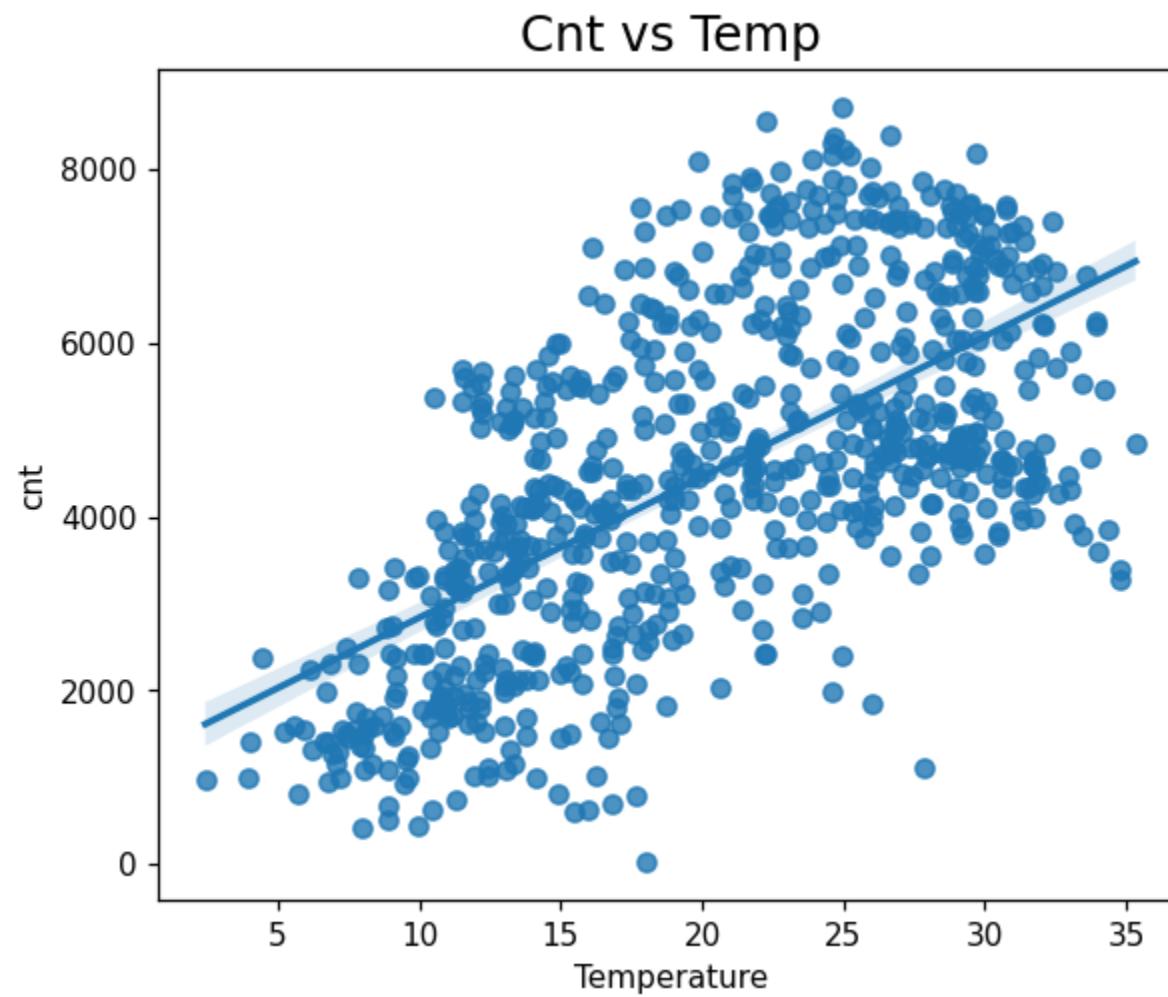
5 rows × 33 columns

```
In [51]: #Checking the dataframe again  
data.shape
```

Out[51]: (730, 33)

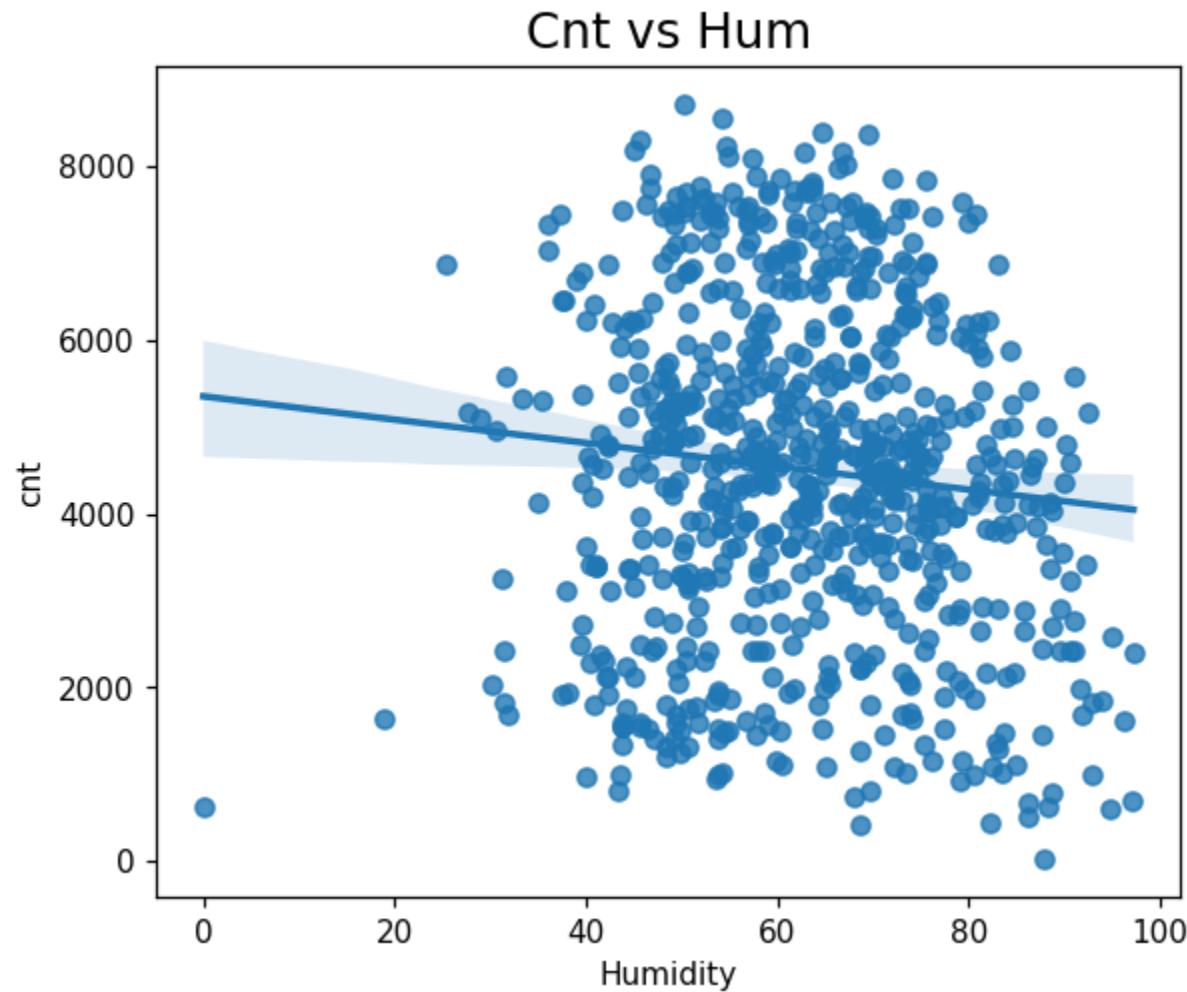
Univariate Analysis

```
In [52]: # univariate Analysis for Cnt vs Temp  
plt.figure(figsize=(6,5),dpi=110)  
plt.title("Cnt vs Temp",fontsize=16)  
sns.regplot(data=data,y="cnt",x="temp")  
plt.xlabel("Temperature")  
plt.show()
```



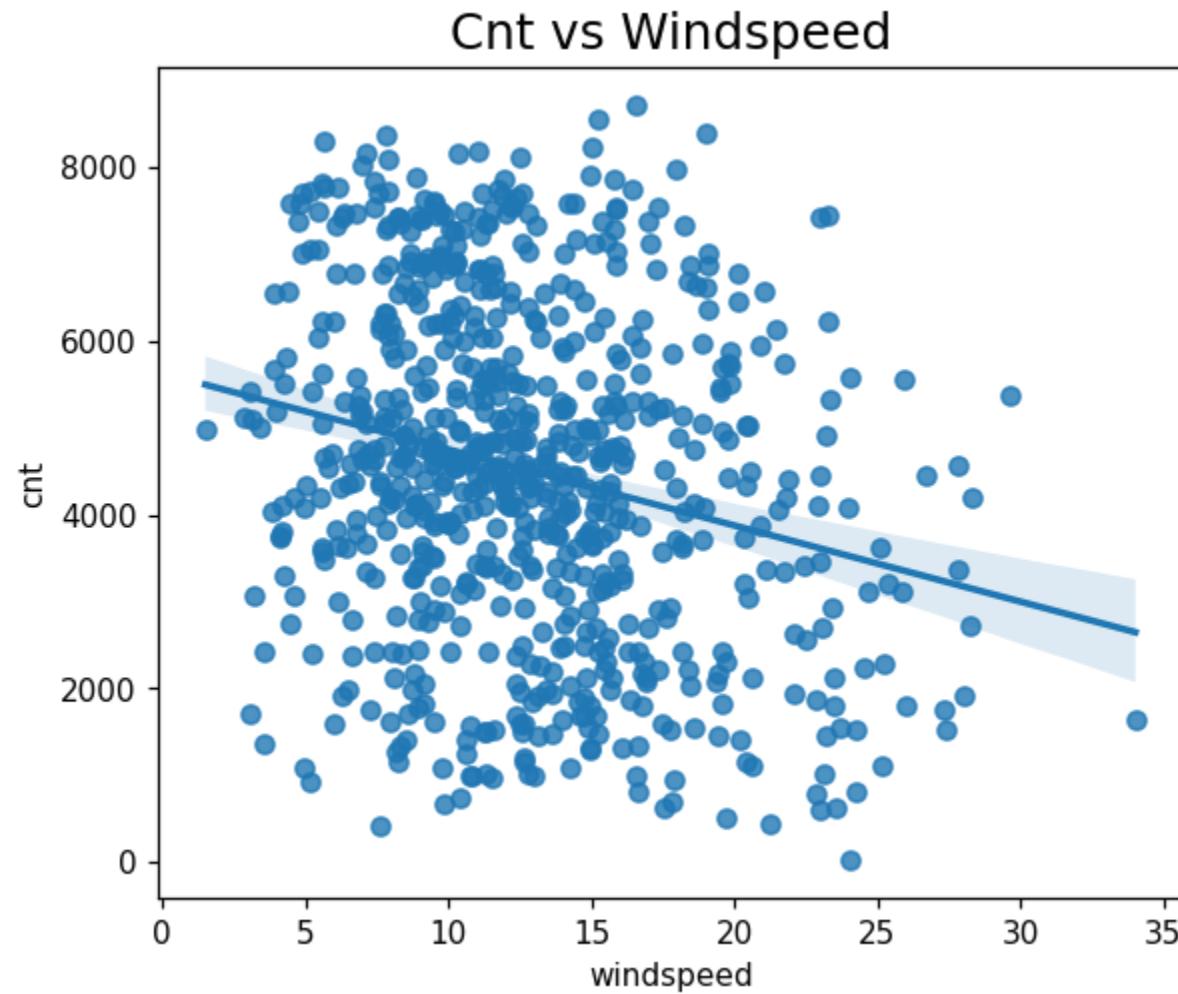
Demand for bikes is positively correlated to temp. . We can see that cnt is linearly increasing with temp indicating linear relation.

```
In [53]: # univariate Analysis for Cnt vs Hum  
plt.figure(figsize=(6,5),dpi=110)  
plt.title("Cnt vs Hum",fontsize=16)  
sns.regplot(data=data,y="cnt",x="hum")  
plt.xlabel("Humidity")  
plt.show()
```



Humidity values are more scattered around. . Although we can see cnt decreasing with increase in humidity.

```
In [54]: # univariate Analysis for Cnt vs Windspeed  
plt.figure(figsize=(6,5),dpi=110)  
plt.title("Cnt vs Windspeed",fontsize=16)  
sns.regplot(data=data,y="cnt",x="windspeed")  
plt.show()
```



Windspeed values are more scattered around. . Although we can see cnt decreasing with increase in windspeed.

Model building:

Divide the data in to train and test . perform scaling . divide the data into X and Y . perform linear regression . use the mixed approach(RFE and manual)

In [56]: `data.shape`

Out[56]: `(730, 33)`

In [58]: *#using train_test_split we are dividing the dataset into train and test*

```
np.random.seed(0)
data_train, data_test = train_test_split(data, train_size=0.7, test_size=0.3, random_state=100)
```

In [70]: *#checking shape of train and test dataframes*

```
print("Train dataframe : ",data_train.shape)
print("Test dataframe : ",data_test.shape)
```

Train dataframe : `(510, 33)`
Test dataframe : `(219, 33)`

In [71]: `data_train.head()`

Out[71]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	yr	mnth	holiday
653	0	0	1	0	0	0	0	0	0	0	0	...	1	oct
576	0	0	0	0	0	0	0	1	0	0	0	...	1	jul
426	1	0	0	0	0	0	0	0	0	0	1	...	1	mar
728	1	0	0	0	1	0	0	0	0	0	0	...	1	dec
482	0	1	0	0	0	0	0	0	0	0	0	...	1	apr

5 rows × 33 columns

```
In [72]: # Train data set statistical values  
data_train.describe()
```

Out[72]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	wee
count	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	...	5
mean	0.243137	0.245098	0.24902	0.096078	0.084314	0.066667	0.088235	0.076471	0.074510	0.098039	...	
std	0.429398	0.430568	0.43287	0.294988	0.278131	0.249689	0.283915	0.266010	0.262857	0.297660	...	
min	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
25%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
50%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
75%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
max	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	...

8 rows × 29 columns

```
In [73]: # Test data set shape  
data_test.shape
```

Out[73]: (219, 33)

```
In [74]: ## Test data set statistical values  
data_test.describe()
```

Out[74]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	wee
count	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	2
mean	0.255708	0.264840	0.232877	0.059361	0.086758	0.100457	0.077626	0.105023	0.095890	0.054795	...	
std	0.437258	0.442259	0.423633	0.236840	0.282125	0.301297	0.268194	0.307285	0.295115	0.228100	...	
min	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
25%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
50%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
75%	1.000000	1.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
max	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	...

8 rows × 29 columns

```
In [75]: ## Train data set first 5 rows  
data_test.head()
```

Out[75]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	yr	mnth	holiday
184	0	0	0	0	0	0	0	0	1	0	0	0	0	jul
535	0	1	0	0	0	0	0	0	0	1	0	1	0	jun
299	0	0	1	0	0	0	0	0	0	0	0	0	0	oct
221	0	0	0	1	0	0	0	0	0	0	0	0	0	aug
152	0	1	0	0	0	0	0	0	0	1	0	0	0	jun

5 rows × 33 columns

Performing scaling

```
In [76]: #Use Normalized scaler to scale  
scaler = MinMaxScaler()
```

Performing scaling on train set

```
In [77]: #We can apply scaler to all columns except dummy variables and target variable  
scale_columns=['temp','hum','windspeed']  
data_train[scale_columns] = scaler.fit_transform(data_train[scale_columns])
```

```
In [78]: # again checking for values are changed or not  
data_train.head()
```

Out[78]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	yr	mnth	holiday
653	0	0	1	0	0	0	0	0	0	0	0	...	1	oct
576	0	0	0	0	0	0	0	1	0	0	0	...	1	jul
426	1	0	0	0	0	0	0	0	0	0	1	...	1	mar
728	1	0	0	0	1	0	0	0	0	0	0	...	1	dec
482	0	1	0	0	0	0	0	0	0	0	0	...	1	apr

5 rows × 33 columns

```
In [79]: ## checking data set statistical values after scaling  
data_train.describe()
```

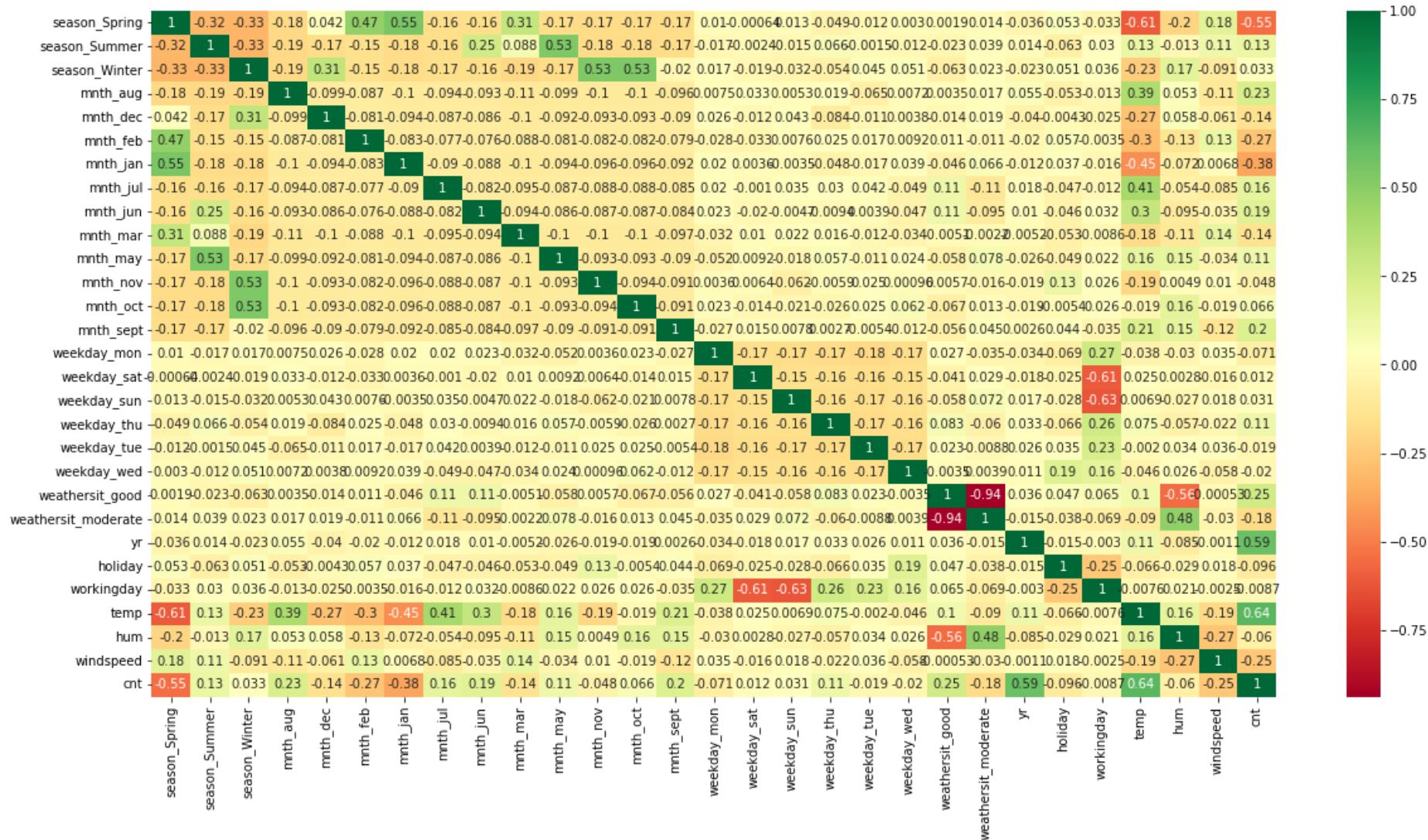
Out[79]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	wee
count	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	510.000000	...	5
mean	0.243137	0.245098	0.24902	0.096078	0.084314	0.066667	0.088235	0.076471	0.074510	0.098039	...	
std	0.429398	0.430568	0.43287	0.294988	0.278131	0.249689	0.283915	0.266010	0.262857	0.297660	...	
min	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
25%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
50%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
75%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...
max	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	...

8 rows × 29 columns

In [80]: # Let's check the correlation coefficients to see which variables are highly correlated for the train set

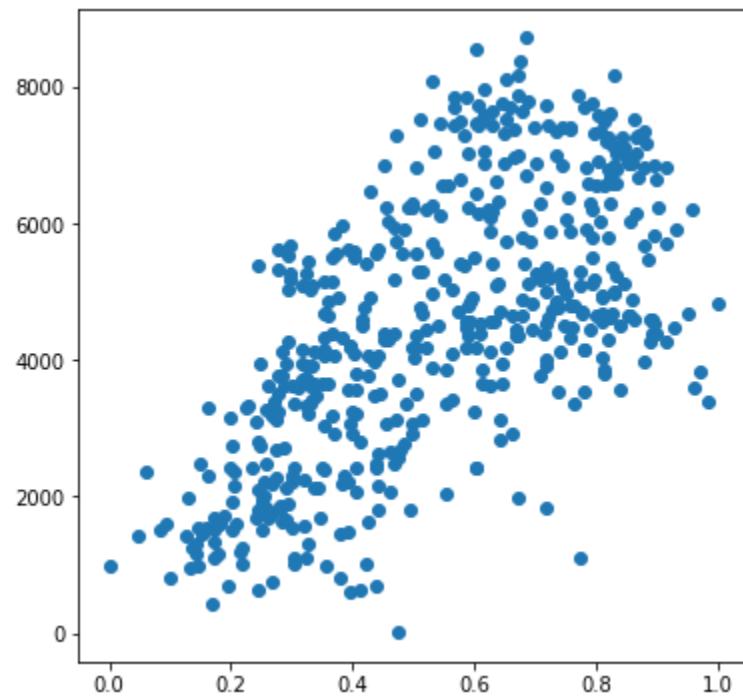
```
plt.figure(figsize = (20, 10))
sns.heatmap(data_train.corr(), annot = True, cmap="RdYlGn")
plt.show()
```



There is multi-collinearity between the variables. . We need to consider the factors when developing the model. . workingday variable has high negative correlation with Sat & Sun (where workingday =0) . Spring is negatively correlated with temp . weathersit_moderate and humidity (hum)has correlation . various months and corresponding weather has correlation

```
In [81]: ##Let's see a scatterplot for temp vs cnt.
```

```
plt.figure(figsize=[6,6])
plt.scatter(data_train.temp, data_train.cnt)
plt.show()
```



We pick temp as the first variable and we'll try to fit a regression line to that.

Dividing the data into X train and Ytrain

```
In [82]: #y is contain only target variable
y_train = data_train.pop("cnt")
#X is all remainign variable also our independent variables
X_train = data_train
```

```
In [83]: #Inspect independent variables
```

```
X_train.head()
```

Out[83]:

mn_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	season	yr	mnth	holiday	weekday	workingday	weathersit
1	0	0	0	0	0	0	0	...	Winter	1	oct	0	wed	1	good
0	0	0	0	0	1	0	0	...	Fall	1	jul	0	wed	1	good
0	0	0	0	0	0	0	1	...	Spring	1	mar	0	sun	0	moderate
0	0	1	0	0	0	0	0	...	Spring	1	dec	0	mon	1	good
0	0	0	0	0	0	0	0	...	Summer	1	apr	0	sun	0	moderate

```
In [106]: X_train.drop(['season'], axis=1, inplace=True)
```

```
In [107]: X_train.columns
```

```
Out[107]: Index(['season_Spring', 'season_Summer', 'season_Winter', 'mnth_aug',
       'mnth_dec', 'mnth_feb', 'mnth_jan', 'mnth_jul', 'mnth_jun', 'mnth_mar',
       'mnth_may', 'mnth_nov', 'mnth_oct', 'mnth_sept', 'weekday_mon',
       'weekday_sat', 'weekday_sun', 'weekday_thu', 'weekday_tue',
       'weekday_wed', 'weathersit_good', 'weathersit_moderate', 'yr', 'mnth',
       'holiday', 'weekday', 'workingday', 'weathersit', 'temp', 'hum',
       'windspeed'],
      dtype='object')
```

```
In [101]: X_train.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 510 entries, 653 to 79
Data columns (total 32 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   season_Spring    510 non-null    uint8  
 1   season_Summer    510 non-null    uint8  
 2   season_Winter    510 non-null    uint8  
 3   mnth_aug          510 non-null    uint8  
 4   mnth_dec          510 non-null    uint8  
 5   mnth_feb          510 non-null    uint8  
 6   mnth_jan          510 non-null    uint8  
 7   mnth_jul          510 non-null    uint8  
 8   mnth_jun          510 non-null    uint8  
 9   mnth_mar          510 non-null    uint8  
 10  mnth_may          510 non-null    uint8  
 11  mnth_nov          510 non-null    uint8  
 12  mnth_oct          510 non-null    uint8  
 13  mnth_sept         510 non-null    uint8  
 14  weekday_mon       510 non-null    uint8  
 15  weekday_sat       510 non-null    uint8  
 16  weekday_sun       510 non-null    uint8  
 17  weekday_thu       510 non-null    uint8  
 18  weekday_tue       510 non-null    uint8  
 19  weekday_wed       510 non-null    uint8  
 20  weathersit_good   510 non-null    uint8  
 21  weathersit_moderate 510 non-null    uint8  
 22  season            510 non-null    object  
 23  yr                510 non-null    int64  
 24  mnth              510 non-null    object  
 25  holiday           510 non-null    int64  
 26  weekday           510 non-null    object  
 27  workingday        510 non-null    int64  
 28  weathersit         510 non-null    object  
 29  temp               510 non-null    float64 
 30  hum                510 non-null    float64 
 31  windspeed          510 non-null    float64 
dtypes: float64(3), int64(3), object(4), uint8(22)
memory usage: 54.8+ KB
```

```
In [113]: X_train.drop(['mnth'], axis=1, inplace=True)
```

```
In [115]: X_train.drop(['weekday'], axis=1, inplace=True)
```

```
In [117]: X_train.drop(['weathersit'], axis=1, inplace=True)
```

As we have already expanded season, weathersit, mnth to separate columns, so, we do not need specific columns. Hence, we can drop those columns from the dataset to perform linear regression

Performing Linear Regression

Fit a regression line through the training dataset using statsmodels. In statsmodels, you need to explicitly fit a constant using sm.add_constant(X) because if we don't perform this step, statsmodels fits a regression line passing through the origin, by default.

RFE is a Automated approach

```
In [118]: # Build a Lienar Regression model using SKLearn for RFE  
lr = LinearRegression()  
lr.fit(X_train,y_train)
```

```
Out[118]: LinearRegression()
```

```
In [123]: rfe = RFE(lr)  
rfe.fit(X_train,y_train)
```

```
Out[123]: RFE(estimator=LinearRegression())
```

```
In [124]: # Checking which parameters have been selected in that list of 15
list(zip(X_train.columns,rfe.support_,rfe.ranking_))
```

```
Out[124]: [('season_Spring', True, 1),
 ('season_Summer', True, 1),
 ('season_Winter', True, 1),
 ('mnth_aug', False, 10),
 ('mnth_dec', False, 2),
 ('mnth_feb', False, 3),
 ('mnth_jan', True, 1),
 ('mnth_jul', True, 1),
 ('mnth_jun', False, 14),
 ('mnth_mar', False, 15),
 ('mnth_may', False, 7),
 ('mnth_nov', True, 1),
 ('mnth_oct', False, 12),
 ('mnth_sept', True, 1),
 ('weekday_mon', False, 9),
 ('weekday_sat', False, 5),
 ('weekday_sun', False, 6),
 ('weekday_thu', False, 13),
 ('weekday_tue', False, 8),
 ('weekday_wed', False, 11),
 ('weathersit_good', True, 1),
 ('weathersit_moderate', True, 1),
 ('yr', True, 1),
 ('holiday', True, 1),
 ('workingday', False, 4),
 ('temp', True, 1),
 ('hum', True, 1),
 ('windspeed', True, 1)]
```

```
In [125]: #Print Columns selected by RFE. We will start with these columns for manual elimination
col = X_train.columns[rfe.support_]
col
```

```
Out[125]: Index(['season_Spring', 'season_Summer', 'season_Winter', 'mnth_jan',
 'mnth_jul', 'mnth_nov', 'mnth_sept', 'weathersit_good',
 'weathersit_moderate', 'yr', 'holiday', 'temp', 'hum', 'windspeed'],
 dtype='object')
```

```
In [126]: # rfe not selected variables  
X_train.columns[~rfe.support_]
```

```
Out[126]: Index(['mnth_aug', 'mnth_dec', 'mnth_feb', 'mnth_jun', 'mnth_mar', 'mnth_may',  
       'mnth_oct', 'weekday_mon', 'weekday_sat', 'weekday_sun', 'weekday_thu',  
       'weekday_tue', 'weekday_wed', 'workingday'],  
      dtype='object')
```

```
In [127]: # Creating X_test dataframe with RFE selected variables  
X_train_rfe = X_train[col]
```

Manual Model Development using statsmodel

Function to build a model using statsmodel api

```
In [128]: #Function to build a model using statsmodel api - Takes the columns to be selected for model as a parameter  
def build_model(cols):  
    X_train_sm = sm.add_constant(X_train[cols])  
    lm = sm.OLS(y_train, X_train_sm).fit()  
    print(lm.summary())  
    return lm
```

Function to calculate VIFs and print them

```
In [129]: #Function to calculate VIFs and print them -Takes the columns for which VIF to be calcualted as a parameter  
def get_vif(cols):  
    df1 = X_train[cols]  
    vif = pd.DataFrame()  
    vif['Features'] = df1.columns  
    vif['VIF'] = [variance_inflation_factor(df1.values, i) for i in range(df1.shape[1])]  
    vif['VIF'] = round(vif['VIF'],2)  
    print(vif.sort_values(by='VIF',ascending=False))
```

Model 1

```
In [130]: # Add a constant  
X_train_lm = sm.add_constant(X_train)  
  
# Create a first fitted model  
lr = sm.OLS(y_train, X_train_lm).fit()
```

```
In [131]: # Check the parameters obtained  
lr.params
```

```
Out[131]: const          1265.234105  
season_Spring      -379.881612  
season_Summer       367.175174  
season_Winter        963.916145  
mnth_aug            186.939629  
mnth_dec           -396.956902  
mnth_feb            -324.027005  
mnth_jan           -552.913637  
mnth_jul            -303.434913  
mnth_jun             8.470414  
mnth_mar            5.284566  
mnth_may            209.165719  
mnth_nov           -361.193045  
mnth_oct             50.326183  
mnth_sept           747.990361  
weekday_mon         -214.109834  
weekday_sat          -489.525791  
weekday_sun          -434.264536  
weekday_thu          33.579662  
weekday_tue          -228.592742  
weekday_wed          -97.705077  
weathersit_good      2186.132333  
weathersit_moderate 1670.217437  
yr                  2006.607467  
holiday              -1177.104431  
workingday           -526.076655  
temp                 3871.920691  
hum                  -1367.379594  
windspeed            -1591.036910  
dtype: float64
```

```
In [132]: # Print a summary of the Linear regression model obtained  
print(lr.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.842						
Method:	Least Squares	F-statistic:	98.04						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.33e-179						
Time:	15:00:02	Log-Likelihood:	-4102.0						
No. Observations:	510	AIC:	8262.						
Df Residuals:	481	BIC:	8385.						
Df Model:	28								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	1265.2341	783.541	1.615	0.107	-274.351	2804.819			
season_Spring	-379.8816	262.991	-1.444	0.149	-896.634	136.871			
season_Summer	367.1752	229.817	1.598	0.111	-84.395	818.745			
season_Winter	963.9161	244.804	3.938	0.000	482.899	1444.933			
mnth_aug	186.9396	295.632	0.632	0.527	-393.951	767.830			
mnth_dec	-396.9569	294.437	-1.348	0.178	-975.499	181.585			
mnth_feb	-324.0270	289.131	-1.121	0.263	-892.142	244.088			
mnth_jan	-552.9136	294.157	-1.880	0.061	-1130.906	25.079			
mnth_jul	-303.4349	308.030	-0.985	0.325	-908.685	301.815			
mnth_jun	8.4704	220.118	0.038	0.969	-424.042	440.983			
mnth_mar	5.2846	215.164	0.025	0.980	-417.493	428.062			
mnth_may	209.1657	184.402	1.134	0.257	-153.167	571.499			
mnth_nov	-361.1930	318.828	-1.133	0.258	-987.661	265.275			
mnth_oct	50.3262	314.042	0.160	0.873	-566.737	667.389			
mnth_sept	747.9904	280.460	2.667	0.008	196.913	1299.068			
weekday_mon	-214.1098	126.673	-1.690	0.092	-463.011	34.792			
weekday_sat	-489.5258	622.151	-0.787	0.432	-1711.995	732.944			
weekday_sun	-434.2645	621.379	-0.699	0.485	-1655.217	786.688			
weekday_thu	33.5797	129.996	0.258	0.796	-221.851	289.010			
weekday_tue	-228.5927	127.532	-1.792	0.074	-479.181	21.996			
weekday_wed	-97.7051	132.754	-0.736	0.462	-358.555	163.145			
weathersit_good	2186.1323	231.202	9.455	0.000	1731.841	2640.424			
weathersit_moderate	1670.2174	218.772	7.634	0.000	1240.350	2100.085			
yr	2006.6075	70.688	28.387	0.000	1867.711	2145.504			
holiday	-1177.1044	568.017	-2.072	0.039	-2293.207	-61.002			
workingday	-526.0767	617.341	-0.852	0.395	-1739.095	686.942			
temp	3871.9207	407.000	9.513	0.000	3072.203	4671.639			
hum	-1367.3796	337.720	-4.049	0.000	-2030.968	-703.791			

```
windspeed      -1591.0369    226.131     -7.036      0.000   -2035.364   -1146.710
=====
Omnibus:            78.889 Durbin-Watson:           1.998
Prob(Omnibus):      0.000 Jarque-Bera (JB):        209.035
Skew:              -0.768 Prob(JB):                  4.06e-46
Kurtosis:            5.735 Cond. No.                 74.9
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [133]: # We have high P value for mnth_March feature, so we can drop the column and fit the model again.
X_train=X_train.drop('mnth_mar', 1)
```

Model 2

```
In [ ]:
```

```
In [134]: X_train_lm = sm.add_constant(X_train)

# Creating a first fitted model
lr_1 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [135]: # Print the summary of the model  
print(lr_1.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.843						
Method:	Least Squares	F-statistic:	101.9						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.24e-180						
Time:	15:02:38	Log-Likelihood:	-4102.0						
No. Observations:	510	AIC:	8260.						
Df Residuals:	482	BIC:	8379.						
Df Model:	27								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	1268.5969	770.685	1.646	0.100	-245.721	2782.915			
season_Spring	-377.8068	248.795	-1.519	0.130	-866.664	111.051			
season_Summer	366.0922	225.314	1.625	0.105	-76.626	808.811			
season_Winter	965.0316	240.304	4.016	0.000	492.858	1437.205			
mnth_aug	184.5402	278.734	0.662	0.508	-363.143	732.224			
mnth_dec	-401.5310	227.820	-1.762	0.079	-849.173	46.111			
mnth_feb	-329.2613	195.187	-1.687	0.092	-712.784	54.262			
mnth_jan	-558.3017	195.761	-2.852	0.005	-942.952	-173.652			
mnth_jul	-305.7050	293.530	-1.041	0.298	-882.462	271.052			
mnth_jun	6.7664	208.682	0.032	0.974	-403.272	416.804			
mnth_may	207.5716	172.423	1.204	0.229	-131.223	546.366			
mnth_nov	-365.3521	269.859	-1.354	0.176	-895.598	164.894			
mnth_oct	46.3318	268.371	0.173	0.863	-480.989	573.653			
mnth_sept	745.1279	254.833	2.924	0.004	244.408	1245.848			
weekday_mon	-214.2622	126.390	-1.695	0.091	-462.606	34.081			
weekday_sat	-489.4700	621.502	-0.788	0.431	-1710.657	731.717			
weekday_sun	-434.1562	620.719	-0.699	0.485	-1653.805	785.493			
weekday_thu	33.6045	129.857	0.259	0.796	-221.552	288.761			
weekday_tue	-228.6873	127.342	-1.796	0.073	-478.901	21.526			
weekday_wed	-97.7580	132.599	-0.737	0.461	-358.302	162.786			
weathersit_good	2186.0901	230.956	9.465	0.000	1732.285	2639.895			
weathersit_moderate	1670.1435	218.525	7.643	0.000	1240.765	2099.522			
yr	2006.5985	70.614	28.416	0.000	1867.849	2145.348			
holiday	-1177.0900	567.428	-2.074	0.039	-2292.028	-62.152			
workingday	-525.9774	616.687	-0.853	0.394	-1737.705	685.750			
temp	3870.2610	400.935	9.653	0.000	3082.464	4658.058			
hum	-1366.7201	336.301	-4.064	0.000	-2027.518	-705.922			
windspeed	-1591.3007	225.642	-7.052	0.000	-2034.664	-1147.938			

```
=====
Omnibus:                 78.874   Durbin-Watson:            1.997
Prob(Omnibus):           0.000    Jarque-Bera (JB):       209.108
Skew:                    -0.768   Prob(JB):                  3.92e-46
Kurtosis:                5.735    Cond. No.                 74.6
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [136]: # We have high P value for mnth_March feature, so we can drop the column and fit the model again
X_train=X_train.drop('mnth_jun', 1)
```

Model 3

```
In [137]: # Add a constant
X_train_lm = sm.add_constant(X_train)

# Create a first fitted model
lr_2 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [138]: # Print the summary of the model  
print(lr_2.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.843						
Method:	Least Squares	F-statistic:	106.0						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.08e-181						
Time:	15:03:19	Log-Likelihood:	-4102.0						
No. Observations:	510	AIC:	8258.						
Df Residuals:	483	BIC:	8372.						
Df Model:	26								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	1269.2404	769.633	1.649	0.100	-243.001	2781.482			
season_Spring	-380.3562	235.801	-1.613	0.107	-843.678	82.966			
season_Summer	364.2125	217.503	1.675	0.095	-63.156	791.581			
season_Winter	963.5965	235.948	4.084	0.000	499.984	1427.209			
mnth_aug	178.9242	218.162	0.820	0.413	-249.740	607.588			
mnth_dec	-402.1413	226.806	-1.773	0.077	-847.789	43.507			
mnth_feb	-328.7339	194.307	-1.692	0.091	-710.525	53.057			
mnth_jan	-557.3123	193.168	-2.885	0.004	-936.866	-177.759			
mnth_jul	-311.7603	226.228	-1.378	0.169	-756.272	132.752			
mnth_may	204.9552	152.218	1.346	0.179	-94.137	504.047			
mnth_nov	-366.6801	266.457	-1.376	0.169	-890.239	156.879			
mnth_oct	44.1610	259.617	0.170	0.865	-465.957	554.279			
mnth_sept	740.6363	213.671	3.466	0.001	320.796	1160.477			
weekday_mon	-214.0863	126.143	-1.697	0.090	-461.943	33.770			
weekday_sat	-489.0099	620.697	-0.788	0.431	-1708.609	730.589			
weekday_sun	-433.6540	619.884	-0.700	0.485	-1651.656	784.348			
weekday_thu	33.3876	129.551	0.258	0.797	-221.165	287.940			
weekday_tue	-228.6985	127.209	-1.798	0.073	-478.651	21.254			
weekday_wed	-97.8181	132.449	-0.739	0.461	-358.065	162.429			
weathersit_good	2186.0070	230.703	9.475	0.000	1732.702	2639.312			
weathersit_moderate	1670.1710	218.297	7.651	0.000	1241.242	2099.100			
yr	2006.3688	70.185	28.587	0.000	1868.462	2144.275			
holiday	-1176.9770	566.830	-2.076	0.038	-2290.735	-63.219			
workingday	-525.4078	615.799	-0.853	0.394	-1735.384	684.569			
temp	3877.2022	338.651	11.449	0.000	3211.791	4542.613			
hum	-1367.8741	334.067	-4.095	0.000	-2024.278	-711.471			
windspeed	-1592.0138	224.335	-7.097	0.000	-2032.807	-1151.220			

```
Omnibus:          78.804   Durbin-Watson:        1.997
Prob(Omnibus):    0.000    Jarque-Bera (JB):    208.608
Skew:             -0.768   Prob(JB):            5.03e-46
Kurtosis:         5.731    Cond. No.:           74.6
=====
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [139]: # We have high P value for mnth_October feature, so we can drop the column and fit the model again
X_train=X_train.drop('mnth_oct', 1)
```

Model 4

```
In [140]: # Add a constant
X_train_lm = sm.add_constant(X_train)

# Create a first fitted model
lr_3 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [141]: # Print the summary of the model  
print(lr_3.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.843						
Method:	Least Squares	F-statistic:	110.5						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	3.90e-182						
Time:	15:04:08	Log-Likelihood:	-4102.0						
No. Observations:	510	AIC:	8256.						
Df Residuals:	484	BIC:	8366.						
Df Model:	25								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	1283.4914	764.291	1.679	0.094	-218.247	2785.230			
season_Spring	-385.9873	233.231	-1.655	0.099	-844.258	72.283			
season_Summer	351.5112	204.079	1.722	0.086	-49.479	752.501			
season_Winter	985.1946	198.671	4.959	0.000	594.830	1375.559			
mnth_aug	167.3497	207.071	0.808	0.419	-239.519	574.219			
mnth_dec	-429.5721	159.325	-2.696	0.007	-742.625	-116.519			
mnth_feb	-337.1201	187.760	-1.795	0.073	-706.045	31.805			
mnth_jan	-566.0317	186.056	-3.042	0.002	-931.608	-200.455			
mnth_jul	-322.8524	216.408	-1.492	0.136	-748.068	102.363			
mnth_may	204.9992	152.065	1.348	0.178	-93.791	503.789			
mnth_nov	-402.1002	166.085	-2.421	0.016	-728.437	-75.764			
mnth_sept	723.2986	187.606	3.855	0.000	354.677	1091.921			
weekday_mon	-213.0844	125.879	-1.693	0.091	-460.421	34.252			
weekday_sat	-491.7492	619.865	-0.793	0.428	-1709.708	726.209			
weekday_sun	-436.8795	618.972	-0.706	0.481	-1653.083	779.324			
weekday_thu	33.8718	129.389	0.262	0.794	-220.363	288.106			
weekday_tue	-228.7047	127.082	-1.800	0.073	-478.405	20.995			
weekday_wed	-97.2537	132.274	-0.735	0.463	-357.157	162.649			
weathersit_good	2185.2494	230.428	9.483	0.000	1732.486	2638.013			
weathersit_moderate	1668.7591	217.920	7.658	0.000	1240.573	2096.946			
yr	2006.1059	70.098	28.619	0.000	1868.372	2143.840			
holiday	-1176.6479	566.258	-2.078	0.038	-2289.276	-64.020			
workingday	-528.9778	614.824	-0.860	0.390	-1737.031	679.076			
temp	3872.2829	337.075	11.488	0.000	3209.971	4534.594			
hum	-1360.6950	331.057	-4.110	0.000	-2011.182	-710.208			
windspeed	-1589.4964	223.622	-7.108	0.000	-2028.886	-1150.107			
Omnibus:	78.293	Durbin-Watson:	1.997						

```
Prob(Omnibus):          0.000   Jarque-Bera (JB):        206.411
Skew:                  -0.764   Prob(JB):            1.51e-45
Kurtosis:                5.716   Cond. No.:             74.4
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [142]: # We have high P value for weekday_Wednesday feature, so we can drop the column and fit the model again.
X_train=X_train.drop('weekday_thu', 1)
```

Model 5

```
In [143]: # Add a constant
X_train_lm = sm.add_constant(X_train)

# Create a first fitted model
lr_4 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [144]: # Print the summary of the model  
print(lr_4.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.843						
Method:	Least Squares	F-statistic:	115.3						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	3.71e-183						
Time:	15:05:26	Log-Likelihood:	-4102.0						
No. Observations:	510	AIC:	8254.						
Df Residuals:	485	BIC:	8360.						
Df Model:	24								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	1294.7762	762.341	1.698	0.090	-203.123	2792.676			
season_Spring	-386.1316	233.006	-1.657	0.098	-843.958	71.695			
season_Summer	353.4036	203.755	1.734	0.083	-46.948	753.755			
season_Winter	987.2630	198.323	4.978	0.000	597.584	1376.942			
mnth_aug	169.3430	206.732	0.819	0.413	-236.858	575.544			
mnth_dec	-432.3147	158.827	-2.722	0.007	-744.389	-120.241			
mnth_feb	-335.6226	187.492	-1.790	0.074	-704.020	32.775			
mnth_jan	-566.4229	185.871	-3.047	0.002	-931.634	-201.211			
mnth_jul	-318.9945	215.698	-1.479	0.140	-742.813	104.824			
mnth_may	205.9379	151.877	1.356	0.176	-92.480	504.356			
mnth_nov	-403.7243	165.810	-2.435	0.015	-729.518	-77.931			
mnth_sept	724.4056	187.378	3.866	0.000	356.233	1092.578			
weekday_mon	-229.7570	108.474	-2.118	0.035	-442.893	-16.621			
weekday_sat	-507.0516	616.510	-0.822	0.411	-1718.411	704.308			
weekday_sun	-452.3675	615.546	-0.735	0.463	-1661.833	757.098			
weekday_tue	-245.5902	109.390	-2.245	0.025	-460.527	-30.653			
weekday_wed	-113.8943	115.888	-0.983	0.326	-341.598	113.810			
weathersit_good	2190.9226	229.187	9.560	0.000	1740.601	2641.244			
weathersit_moderate	1673.7038	216.891	7.717	0.000	1247.541	2099.867			
yr	2006.6862	69.996	28.669	0.000	1869.154	2144.218			
holiday	-1176.5472	565.714	-2.080	0.038	-2288.100	-64.995			
workingday	-527.6995	614.214	-0.859	0.391	-1734.548	679.149			
temp	3870.3627	336.672	11.496	0.000	3208.847	4531.878			
hum	-1362.8657	330.636	-4.122	0.000	-2012.521	-713.211			
windspeed	-1590.2025	223.391	-7.118	0.000	-2029.136	-1151.269			
Omnibus:	78.598	Durbin-Watson:	1.998						
Prob(Omnibus):	0.000	Jarque-Bera (JB):	207.793						

```
Skew: -0.766 Prob(JB): 7.56e-46
Kurtosis: 5.726 Cond. No. 74.0
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [145]: # We have high P value for weekday_Sunday feature, so we can drop the column and fit the model again
X_train=X_train.drop('weekday_sun', 1)
```

Model 6

```
In [149]: # Add a constant
X_train_lm = sm.add_constant(X_train)

# Create a first fitted model
lr_5 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [153]: # Print the summary of the model  
print(lr_5.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.844						
Method:	Least Squares	F-statistic:	120.4						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.37e-184						
Time:	15:06:08	Log-Likelihood:	-4102.3						
No. Observations:	510	AIC:	8253.						
Df Residuals:	486	BIC:	8354.						
Df Model:	23								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	838.3605	441.895	1.897	0.058	-29.900	1706.621			
season_Spring	-383.3899	232.866	-1.646	0.100	-840.939	74.159			
season_Summer	354.1287	203.656	1.739	0.083	-46.027	754.284			
season_Winter	985.1335	198.208	4.970	0.000	595.683	1374.584			
mnth_aug	166.2607	206.592	0.805	0.421	-239.662	572.184			
mnth_dec	-430.0622	158.722	-2.710	0.007	-741.929	-118.196			
mnth_feb	-332.2463	187.347	-1.773	0.077	-700.357	35.864			
mnth_jan	-564.4085	185.763	-3.038	0.003	-929.406	-199.411			
mnth_jul	-322.3897	215.547	-1.496	0.135	-745.909	101.129			
mnth_may	203.2468	151.761	1.339	0.181	-94.942	501.436			
mnth_nov	-414.6825	165.060	-2.512	0.012	-739.001	-90.364			
mnth_sept	725.5359	187.283	3.874	0.000	357.552	1093.520			
weekday_mon	-224.9140	108.222	-2.078	0.038	-437.555	-12.273			
weekday_sat	-64.5682	132.468	-0.487	0.626	-324.849	195.712			
weekday_tue	-238.3622	108.896	-2.189	0.029	-452.326	-24.398			
weekday_wed	-102.4548	114.783	-0.893	0.373	-327.987	123.078			
weathersit_good	2189.4179	229.069	9.558	0.000	1739.330	2639.506			
weathersit_moderate	1672.3159	216.781	7.714	0.000	1246.373	2098.259			
yr	2009.6982	69.842	28.775	0.000	1872.468	2146.928			
holiday	-802.7302	247.465	-3.244	0.001	-1288.963	-316.498			
workingday	-84.0146	112.939	-0.744	0.457	-305.924	137.895			
temp	3877.7777	336.361	11.529	0.000	3216.876	4538.679			
hum	-1353.0297	330.208	-4.098	0.000	-2001.842	-704.218			
windspeed	-1594.6527	223.203	-7.144	0.000	-2033.215	-1156.091			
Omnibus:	78.549	Durbin-Watson:	1.998						
Prob(Omnibus):	0.000	Jarque-Bera (JB):	204.045						
Skew:	-0.771	Prob(JB):	4.92e-45						

Kurtosis:

5.687 Cond. No.

31.1

=====

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [154]: # Calculate the VIFs again for the model
```

```
vif = pd.DataFrame()
vif['Features'] = X_train.columns
vif['VIF'] = [variance_inflation_factor(X_train.values, i) for i in range(X_train.shape[1])]
vif['VIF'] = round(vif['VIF'], 2)
vif = vif.sort_values(by = "VIF", ascending = False)
vif
```

```
Out[154]:
```

	Features	VIF
21	hum	29.27
20	temp	28.06
15	weathersit_good	17.77
16	weathersit_moderate	10.02
0	season_Spring	9.21
19	workingday	7.56
1	season_Summer	7.15
2	season_Winter	7.01
22	windspeed	4.84
3	mnth_aug	3.32
7	mnth_jul	2.88
6	mnth_jan	2.53
10	mnth_sept	2.27
17	yr	2.12
9	mnth_nov	1.97
5	mnth_feb	1.97
12	weekday_sat	1.90
4	mnth_dec	1.77
8	mnth_may	1.61
11	weekday_mon	1.55
13	weekday_tue	1.54
14	weekday_wed	1.53

	Features	VIF
18	holiday	1.33

Choosing the variable with high p-value and high VIF value . The variable workingday has a significantly high VIF (7.56) and a high p-value (0.457) as well. Hence, this variable isn't much use and it should be dropped.

```
In [155]: # We have high P value for workingday feature, so we can drop the column and fit the model again
X_train=X_train.drop('workingday', 1)
```

Model 7

```
In [156]: # Add a constant
X_train_lm = sm.add_constant(X_train)

# Create a first fitted model
lr_6 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [157]: # Print the summary of the model  
print(lr_6.summary())
```

OLS Regression Results

Dep. Variable:	cnt	R-squared:	0.851			
Model:	OLS	Adj. R-squared:	0.844			
Method:	Least Squares	F-statistic:	126.0			
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	5.06e-185			
Time:	15:07:29	Log-Likelihood:	-4102.6			
No. Observations:	510	AIC:	8251.			
Df Residuals:	487	BIC:	8349.			
Df Model:	22					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	784.6589	435.758	1.801	0.072	-71.540	1640.857
season_Spring	-383.4162	232.759	-1.647	0.100	-840.753	73.921
season_Summer	353.6117	203.562	1.737	0.083	-46.356	753.579
season_Winter	986.9756	198.102	4.982	0.000	597.736	1376.215
mnth_aug	167.5819	206.489	0.812	0.417	-238.138	573.302
mnth_dec	-426.8122	158.589	-2.691	0.007	-738.416	-115.208
mnth_feb	-333.2490	187.256	-1.780	0.076	-701.179	34.681
mnth_jan	-564.6508	185.677	-3.041	0.002	-929.478	-199.824
mnth_jul	-315.9335	215.273	-1.468	0.143	-738.913	107.046
mnth_may	201.7779	151.679	1.330	0.184	-96.247	499.803
mnth_nov	-424.1003	164.498	-2.578	0.010	-747.313	-100.887
mnth_sept	726.8056	187.189	3.883	0.000	359.008	1094.604
weekday_mon	-251.6609	102.028	-2.467	0.014	-452.130	-51.192
weekday_sat	-8.3838	108.777	-0.077	0.939	-222.114	205.346
weekday_tue	-264.5946	102.980	-2.569	0.010	-466.935	-62.254
weekday_wed	-128.0455	109.457	-1.170	0.243	-343.111	87.020
weathersit_good	2190.4504	228.960	9.567	0.000	1740.579	2640.321
weathersit_moderate	1679.5136	216.465	7.759	0.000	1254.193	2104.835
yr	2010.8310	69.794	28.811	0.000	1873.697	2147.965
holiday	-727.4553	225.726	-3.223	0.001	-1170.973	-283.937
temp	3874.5628	336.179	11.525	0.000	3214.022	4535.103
hum	-1363.2361	329.772	-4.134	0.000	-2011.187	-715.285
windspeed	-1592.4539	223.081	-7.138	0.000	-2030.774	-1154.134
Omnibus:	75.972	Durbin-Watson:	1.994			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	199.058			
Skew:	-0.744	Prob(JB):	5.96e-44			
Kurtosis:	5.674	Cond. No.	28.4			

=====

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [ ]: # We have high P value for weekday_Saturday feature, so we can drop the column and fit the model again
X_train=X_train.drop('weekday_sat', 1)
```

Model 8

```
In [164]: # Add a constant
X_train_lm = sm.add_constant(X_train)

# Create a first fitted model
lr_7 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [165]: # Print the summary of the model  
print(lr_7.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.851						
Model:	OLS	Adj. R-squared:	0.844						
Method:	Least Squares	F-statistic:	132.2						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.36e-186						
Time:	15:08:34	Log-Likelihood:	-4102.6						
No. Observations:	510	AIC:	8249.						
Df Residuals:	488	BIC:	8342.						
Df Model:	21								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	782.1187	434.067	1.802	0.072	-70.753	1634.990			
season_Spring	-384.1525	232.326	-1.654	0.099	-840.636	72.331			
season_Summer	353.1493	203.266	1.737	0.083	-46.235	752.533			
season_Winter	986.4677	197.790	4.987	0.000	597.842	1375.093			
mnth_aug	166.9326	206.107	0.810	0.418	-238.034	571.899			
mnth_dec	-426.7732	158.427	-2.694	0.007	-738.056	-115.490			
mnth_feb	-332.7548	186.956	-1.780	0.076	-700.093	34.583			
mnth_jan	-564.6571	185.488	-3.044	0.002	-929.111	-200.204			
mnth_jul	-316.3974	214.970	-1.472	0.142	-738.778	105.983			
mnth_may	201.7163	151.522	1.331	0.184	-96.000	499.432			
mnth_nov	-424.2760	164.314	-2.582	0.010	-747.127	-101.425			
mnth_sept	726.4097	186.928	3.886	0.000	359.127	1093.692			
weekday_mon	-249.7089	98.734	-2.529	0.012	-443.705	-55.713			
weekday_tue	-262.6862	99.857	-2.631	0.009	-458.889	-66.483			
weekday_wed	-126.0827	106.344	-1.186	0.236	-335.032	82.866			
weathersit_good	2191.2706	228.479	9.591	0.000	1742.346	2640.195			
weathersit_moderate	1680.0975	216.112	7.774	0.000	1255.472	2104.723			
yr	2010.9424	69.708	28.848	0.000	1873.978	2147.907			
holiday	-727.7074	225.473	-3.227	0.001	-1170.725	-284.690			
temp	3874.2091	335.805	11.537	0.000	3214.406	4534.012			
hum	-1362.5439	329.313	-4.138	0.000	-2009.591	-715.497			
windspeed	-1592.1317	222.815	-7.146	0.000	-2029.926	-1154.337			
Omnibus:	75.945	Durbin-Watson:	1.993						
Prob(Omnibus):	0.000	Jarque-Bera (JB):	198.838						
Skew:	-0.744	Prob(JB):	6.65e-44						
Kurtosis:	5.672	Cond. No.	28.3						

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

In [166]: *# We have high P value for mnth_August feature, so we can drop the column and fit the model again*
X_train=X_train.drop('mnth_aug', 1)

Model 9

In [167]: *# Add a constant*
X_train_lm = sm.add_constant(X_train)

Create a first fitted model
lr_8 = sm.OLS(y_train, X_train_lm).fit()

```
In [168]: # Print the summary of the model  
print(lr_8.summary())
```

OLS Regression Results									
Dep. Variable:	cnt	R-squared:	0.850						
Model:	OLS	Adj. R-squared:	0.844						
Method:	Least Squares	F-statistic:	138.9						
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	5.05e-187						
Time:	15:09:19	Log-Likelihood:	-4102.9						
No. Observations:	510	AIC:	8248.						
Df Residuals:	489	BIC:	8337.						
Df Model:	20								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
const	865.9740	421.391	2.055	0.040	38.014	1693.934			
season_Spring	-490.5808	191.527	-2.561	0.011	-866.899	-114.263			
season_Summer	240.5659	148.255	1.623	0.105	-50.729	531.861			
season_Winter	887.5486	155.524	5.707	0.000	581.971	1193.126			
mnth_dec	-434.6621	158.072	-2.750	0.006	-745.245	-124.079			
mnth_feb	-332.6082	186.890	-1.780	0.076	-699.815	34.599			
mnth_jan	-564.5136	185.423	-3.044	0.002	-928.837	-200.190			
mnth_jul	-435.0615	157.255	-2.767	0.006	-744.040	-126.083			
mnth_may	197.8044	151.392	1.307	0.192	-99.654	495.263			
mnth_nov	-434.5645	163.765	-2.654	0.008	-756.334	-112.794			
mnth_sept	631.3645	145.452	4.341	0.000	345.577	917.152			
weekday_mon	-247.0870	98.646	-2.505	0.013	-440.909	-53.265			
weekday_tue	-264.0195	99.809	-2.645	0.008	-460.126	-67.913			
weekday_wed	-124.2752	106.283	-1.169	0.243	-333.104	84.553			
weathersit_good	2200.1820	228.134	9.644	0.000	1751.938	2648.426			
weathersit_moderate	1691.9290	215.542	7.850	0.000	1268.426	2115.432			
yr	2012.5326	69.655	28.893	0.000	1875.672	2149.394			
holiday	-732.4101	225.319	-3.251	0.001	-1175.122	-289.698			
temp	3894.7081	334.732	11.635	0.000	3237.017	4552.399			
hum	-1351.0031	328.889	-4.108	0.000	-1997.214	-704.793			
windspeed	-1593.5122	222.730	-7.154	0.000	-2031.137	-1155.887			
Omnibus:	77.067	Durbin-Watson:	1.997						
Prob(Omnibus):	0.000	Jarque-Bera (JB):	201.505						
Skew:	-0.755	Prob(JB):	1.75e-44						
Kurtosis:	5.683	Cond. No.	27.2						

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

In [169]: *# We have high P value for weekday_wednesday feature, so we can drop the column and fit the model again.*
X_train=X_train.drop('weekday_wed', 1)

Model 10

In [170]: *# Add a constant*
X_train_lm = sm.add_constant(X_train)

Create a first fitted model
lr_9 = sm.OLS(y_train, X_train_lm).fit()

```
In [171]: # Print the summary of the model  
print(lr_9.summary())
```

OLS Regression Results

Dep. Variable:	cnt	R-squared:	0.850			
Model:	OLS	Adj. R-squared:	0.844			
Method:	Least Squares	F-statistic:	146.0			
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	8.12e-188			
Time:	15:10:08	Log-Likelihood:	-4103.7			
No. Observations:	510	AIC:	8247.			
Df Residuals:	490	BIC:	8332.			
Df Model:	19					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	838.0492	420.871	1.991	0.047	11.114	1664.984
season_Spring	-481.9480	191.456	-2.517	0.012	-858.125	-105.771
season_Summer	244.9803	148.262	1.652	0.099	-46.328	536.289
season_Winter	882.3133	155.517	5.673	0.000	576.750	1187.877
mnth_dec	-426.2741	157.968	-2.698	0.007	-736.652	-115.896
mnth_feb	-333.5600	186.958	-1.784	0.075	-700.899	33.779
mnth_jan	-567.7376	185.472	-3.061	0.002	-932.155	-203.320
mnth_jul	-433.2519	157.306	-2.754	0.006	-742.330	-124.174
mnth_may	192.4466	151.379	1.271	0.204	-104.985	489.879
mnth_nov	-420.3701	163.376	-2.573	0.010	-741.373	-99.367
mnth_sept	637.9778	145.396	4.388	0.000	352.301	923.655
weekday_mon	-224.1985	96.721	-2.318	0.021	-414.237	-34.160
weekday_tue	-238.8507	97.496	-2.450	0.015	-430.413	-47.288
weathersit_good	2195.2255	228.180	9.621	0.000	1746.894	2643.557
weathersit_moderate	1689.9652	215.616	7.838	0.000	1266.319	2113.612
yr	2010.6007	69.662	28.862	0.000	1873.728	2147.474
holiday	-783.7819	221.077	-3.545	0.000	-1218.157	-349.407
temp	3915.4167	334.389	11.709	0.000	3258.404	4572.429
hum	-1363.3692	328.842	-4.146	0.000	-2009.484	-717.254
windspeed	-1584.0730	222.667	-7.114	0.000	-2021.572	-1146.574
Omnibus:	75.657	Durbin-Watson:	1.998			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	202.065			
Skew:	-0.735	Prob(JB):	1.32e-44			
Kurtosis:	5.711	Cond. No.	27.1			

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

In [172]: *# We have high P value for weekday_wednesday feature, so we can drop the column and fit the model again.*
X_train=X_train.drop('mnth_may', 1)

Model 11

In [173]: *# Add a constant*
X_train_lm = sm.add_constant(X_train)

Create a first fitted model
lr_10 = sm.OLS(y_train, X_train_lm).fit()

```
In [174]: # Print the summary of the model  
print(lr_10.summary())
```

OLS Regression Results

Dep. Variable:	cnt	R-squared:	0.849			
Model:	OLS	Adj. R-squared:	0.844			
Method:	Least Squares	F-statistic:	153.9			
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	1.44e-188			
Time:	15:11:01	Log-Likelihood:	-4104.5			
No. Observations:	510	AIC:	8247.			
Df Residuals:	491	BIC:	8327.			
Df Model:	18					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	737.5032	413.632	1.783	0.075	-75.205	1550.211
season_Spring	-449.9637	189.915	-2.369	0.018	-823.111	-76.817
season_Summer	327.9712	133.200	2.462	0.014	66.258	589.684
season_Winter	899.9979	154.991	5.807	0.000	595.470	1204.526
mnth_dec	-415.1232	157.823	-2.630	0.009	-725.215	-105.031
mnth_feb	-321.9131	186.851	-1.723	0.086	-689.039	45.213
mnth_jan	-553.7623	185.262	-2.989	0.003	-917.766	-189.759
mnth_jul	-436.6643	157.382	-2.775	0.006	-745.889	-127.439
mnth_nov	-406.5559	163.116	-2.492	0.013	-727.048	-86.064
mnth_sept	637.9512	145.487	4.385	0.000	352.097	923.806
weekday_mon	-229.4445	96.693	-2.373	0.018	-419.428	-39.461
weekday_tue	-242.2737	97.520	-2.484	0.013	-433.882	-50.665
weathersit_good	2210.8806	227.990	9.697	0.000	1762.924	2658.838
weathersit_moderate	1704.3101	215.456	7.910	0.000	1280.981	2127.639
yr	2006.0367	69.613	28.817	0.000	1869.260	2142.813
holiday	-791.1663	221.139	-3.578	0.000	-1225.662	-356.671
temp	3990.1438	329.388	12.114	0.000	3342.959	4637.328
hum	-1311.4136	326.498	-4.017	0.000	-1952.918	-669.909
windspeed	-1598.0056	222.536	-7.181	0.000	-2035.247	-1160.765
Omnibus:	74.167	Durbin-Watson:	2.003			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	188.272			
Skew:	-0.738	Prob(JB):	1.31e-41			
Kurtosis:	5.585	Cond. No.	26.5			

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [175]: # We have high P value for mnth_Feb feature, so we can drop the column and fit the model again.
```

```
X_train=X_train.drop('mnth_feb', 1)
```

Model 12

```
In [176]: # Add a constant
```

```
X_train_lm = sm.add_constant(X_train)
```

```
# Create a first fitted model
```

```
lr_11 = sm.OLS(y_train, X_train_lm).fit()
```

```
In [177]: # Print the summary of the model  
print(lr_11.summary())
```

OLS Regression Results

Dep. Variable:	cnt	R-squared:	0.849			
Model:	OLS	Adj. R-squared:	0.843			
Method:	Least Squares	F-statistic:	162.1			
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.84e-189			
Time:	15:11:41	Log-Likelihood:	-4106.0			
No. Observations:	510	AIC:	8248.			
Df Residuals:	492	BIC:	8324.			
Df Model:	17					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	643.3589	410.826	1.566	0.118	-163.831	1450.549
season_Spring	-538.1045	183.260	-2.936	0.003	-898.173	-178.036
season_Summer	357.9569	132.322	2.705	0.007	97.970	617.943
season_Winter	916.3103	155.011	5.911	0.000	611.745	1220.875
mnth_dec	-332.4373	150.649	-2.207	0.028	-628.432	-36.443
mnth_jan	-381.5611	156.297	-2.441	0.015	-688.653	-74.469
mnth_jul	-445.5612	157.611	-2.827	0.005	-755.236	-135.887
mnth_nov	-363.3408	161.498	-2.250	0.025	-680.652	-46.030
mnth_sept	651.6894	145.559	4.477	0.000	365.696	937.683
weekday_mon	-224.1120	96.837	-2.314	0.021	-414.376	-33.848
weekday_tue	-243.8379	97.711	-2.496	0.013	-435.820	-51.856
weathersit_good	2198.6246	228.335	9.629	0.000	1749.993	2647.256
weathersit_moderate	1694.7429	215.815	7.853	0.000	1270.711	2118.775
yr	2002.8899	69.728	28.724	0.000	1865.888	2139.892
holiday	-812.3045	221.239	-3.672	0.000	-1246.995	-377.614
temp	4134.2143	319.233	12.950	0.000	3506.986	4761.442
hum	-1329.7425	326.976	-4.067	0.000	-1972.185	-687.300
windspeed	-1587.3315	222.895	-7.121	0.000	-2025.274	-1149.389
Omnibus:	69.224	Durbin-Watson:	2.004			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	174.219			
Skew:	-0.693	Prob(JB):	1.47e-38			
Kurtosis:	5.506	Cond. No.	26.3			

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [228]: # Calculate the VIFs again for the model
vif = pd.DataFrame()
vif['Features'] = X_train.columns
vif['VIF'] = [variance_inflation_factor(X_train.values, i) for i in range(X_train.shape[1])]
vif['VIF'] = round(vif['VIF'], 2)
vif = vif.sort_values(by = "VIF", ascending = False)
vif
```

Out[228]:

	Features	VIF
15	hum	26.50
14	temp	25.17
10	weathersit_good	15.78
11	weathersit_moderate	9.26
0	season_Spring	5.75
16	windspeed	4.70
2	season_Winter	4.54
1	season_Summer	3.28
12	yr	2.10
6	mnth_nov	1.89
4	mnth_jan	1.81
3	mnth_dec	1.62
5	mnth_jul	1.60
7	mnth_sept	1.43
9	weekday_tue	1.24
8	weekday_mon	1.24
13	holiday	1.06

```
In [260]: # Checking the parameters obtained  
lr_11.params
```

```
Out[260]: const          643.358872  
season_Spring      -538.104533  
season_Summer       357.956866  
season_Winter        916.310285  
mnth_dec            -332.437289  
mnth_jan             -381.561098  
mnth_jul              -445.561247  
mnth_nov             -363.340785  
mnth_sept            651.689354  
weekday_mon           -224.112031  
weekday_tue           -243.837871  
weathersit_good        2198.624593  
weathersit_moderate    1694.742869  
yr                   2002.889895  
holiday                -812.304513  
temp                  4134.214260  
hum                   -1329.742467  
windspeed              -1587.331534  
dtype: float64
```

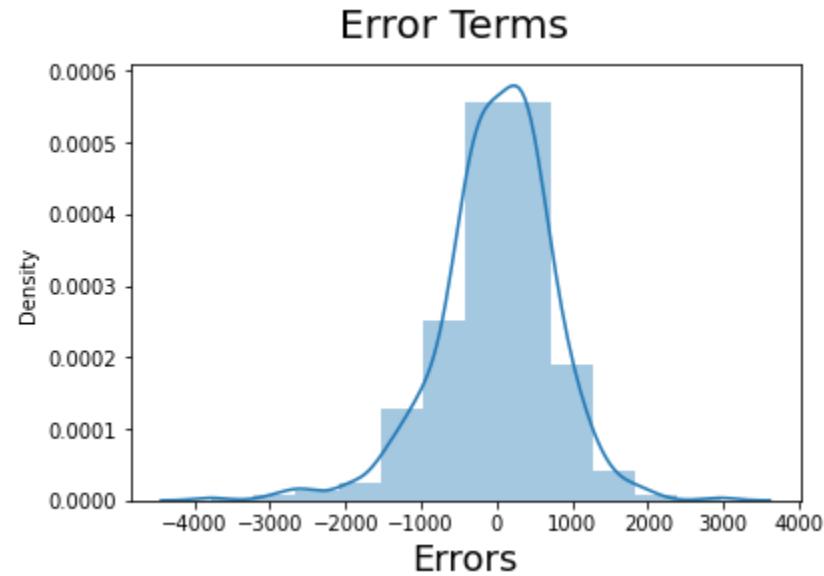
The model 12(lr_11) looks good because there are no features which is >0.05 and all the features VIF is less than 3.

Residual Analysis of the train data

```
In [272]: y_train_pred = lr_11.predict(X_train_lm)
```

```
In [276]: # Plot the histogram of the error terms
fig = plt.figure()
sns.distplot((y_train - y_train_pred), bins = 12)
fig.suptitle('Error Terms', fontsize = 20)
plt.xlabel('Errors', fontsize = 18)
```

```
Out[276]: Text(0.5, 0, 'Errors')
```



By looking at the plot it shows clearly the distplot is like normalality curve

Making Predictions Using the Final Model

```
In [281]: num_columns=['temp','hum','windspeed']
data_test[num_columns] = scaler.transform(data_test[num_columns])
```

```
In [286]: data_test.describe()
```

Out[286]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	wee
count	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	...	21
mean	0.255708	0.264840	0.232877	0.059361	0.086758	0.100457	0.077626	0.105023	0.095890	0.054795	...	
std	0.437258	0.442259	0.423633	0.236840	0.282125	0.301297	0.268194	0.307285	0.295115	0.228100	...	
min	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
25%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
50%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
75%	1.000000	1.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
max	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	...	

8 rows × 28 columns

Dividing the data into X_test and y_test

```
In [ ]: y_test = data_test.pop('cnt')
X_test = data_test
```

```
In [294]: X_test.shape
```

Out[294]: (219, 17)

```
In [296]: y_test.shape
```

```
Out[296]: (219,)
```

```
In [297]: X_test_m = sm.add_constant(X_test)
```

```
In [299]: X_train.columns
```

```
Out[299]: Index(['season_Spring', 'season_Summer', 'season_Winter', 'mnth_dec',
       'mnth_jan', 'mnth_jul', 'mnth_nov', 'mnth_sept', 'weekday_mon',
       'weekday_tue', 'weathersit_good', 'weathersit_moderate', 'yr',
       'holiday', 'temp', 'hum', 'windspeed'],
      dtype='object')
```

```
In [302]: X_test_m.columns
```

```
Out[302]: Index(['const', 'season_Spring', 'season_Summer', 'season_Winter', 'mnth_dec',
       'mnth_jan', 'mnth_jul', 'mnth_nov', 'mnth_sept', 'weekday_mon',
       'weekday_tue', 'weathersit_good', 'weathersit_moderate', 'yr',
       'holiday', 'temp', 'hum', 'windspeed'],
      dtype='object')
```

```
In [191]: # Creating X_test_m dataframe by dropping variables from X_test_m:
```

```
drop_cols = ['mnth_mar', 'mnth_jun', 'mnth_oct', 'weekday_thu', 'weekday_sun', 'workingday', 'weekday_sat',
            'mnth_aug', 'weekday_wed', 'mnth_may', 'mnth_feb']
X_test_m = X_test_m.drop(drop_cols, axis = 1)
```

```
In [ ]:
```

Model evaluation:

checking the various assumptions . check the R square and adjusted R square . Report the final model

Validating the assumption of Linear Regression Model :

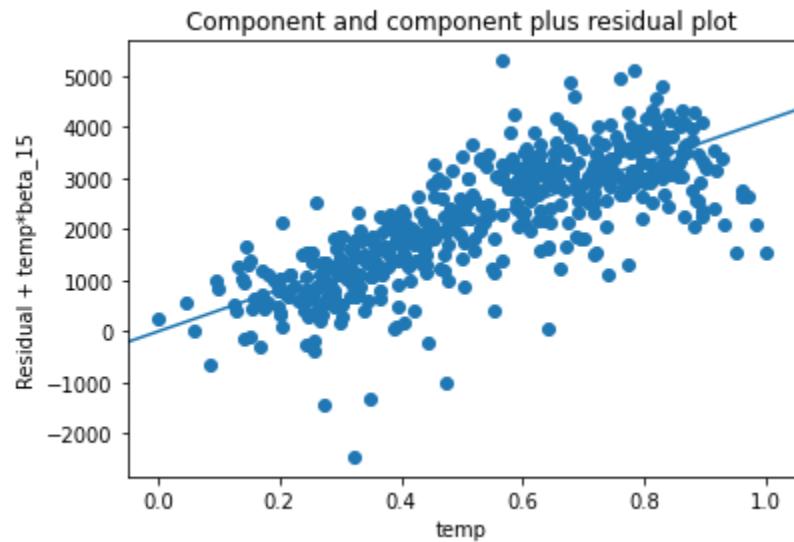
check the various assumptions

Check the various assumptions

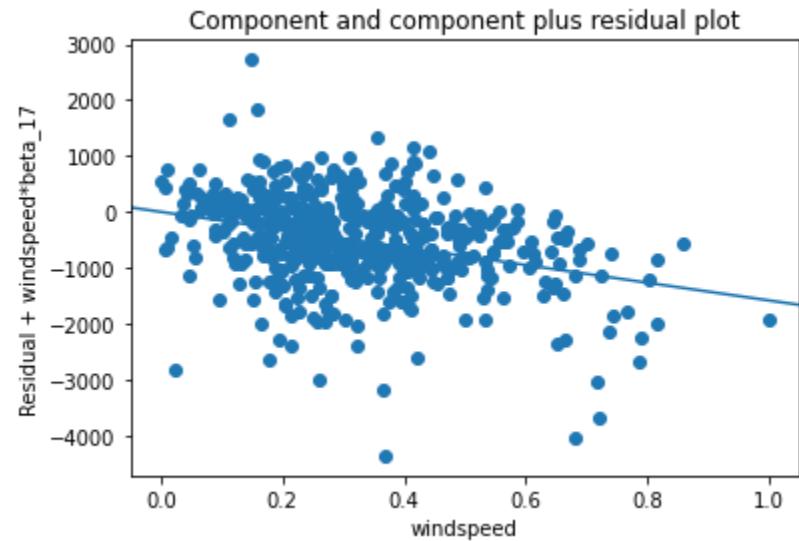
Linear Relationship . Homoscedasticity . Absence of Multicollinearity . Independence of residuals . Normality of Errors

Linear Relationship

```
In [304]: sm.graphics.plot_ccpr(lr_11, 'temp')
plt.show()
```



```
In [303]: sm.graphics.plot_ccpr(lr_11, 'windspeed')
plt.show()
```

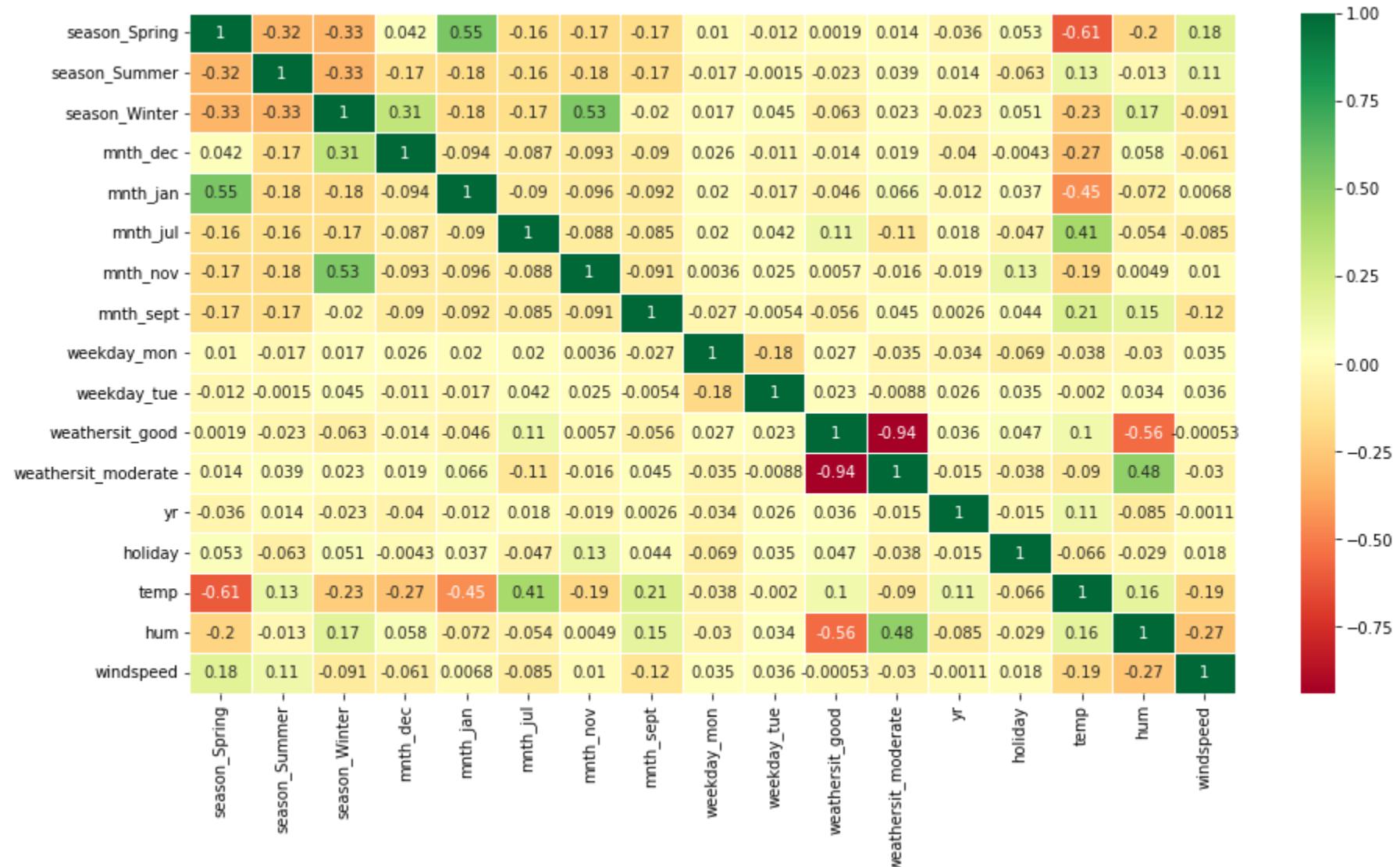


The above plots represents the relationship between the model and the predictor variables. As we can see, linearity is well preserved

Absence of Multicollinearity

In [309]: # Validating Multi Colinearity

```
plt.figure(figsize=(15,8))
sns.heatmap(X_train.corr(), annot = True, cmap="RdYlGn", linewidth =1)
plt.show()
```



By observing the corelation matrix/heat map,we can notice some best points that are: . The season_spring and mnth_jan are positively high corelated with 0.55 . The season_winter and mnth_nov are positively corelated with 0.53

Independence of residuals

Autocorrelation refers to the fact that observations' errors are correlated. To verify that the observations are not auto-correlated, we can use the Durbin-Watson test. The test will output values between 0 and 4. The closer it is to 2, the less auto-correlation there is between the various variables.

0 – 2: positive auto-correlation 2 – 4: negative auto-correlation

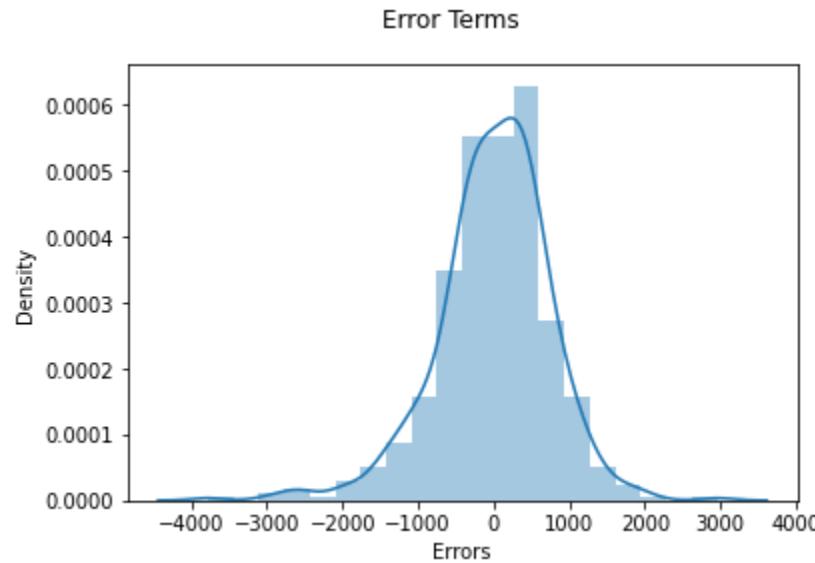
```
In [310]: print('The Durbin-Watson value for Final Model lr_11 is',round(sm.stats.stattools.durbin_watson((y_train - y_train_pred)),
```

```
The Durbin-Watson value for Final Model lr_11 is 2.0045
```

There is almost no autocorrelation

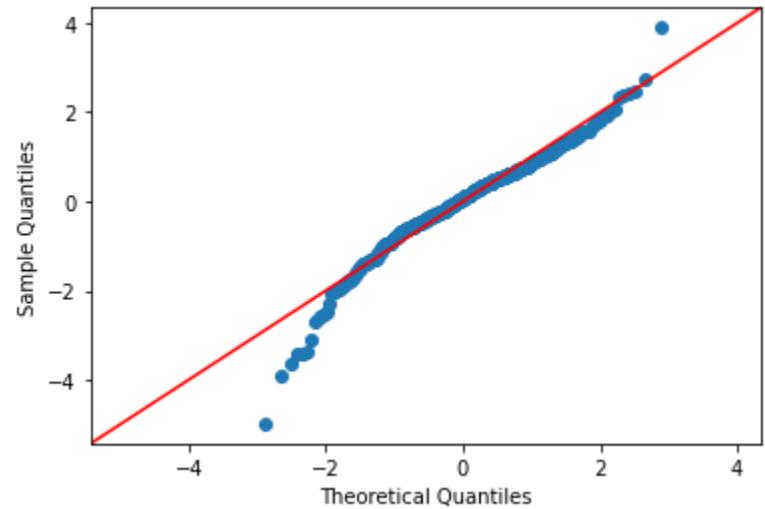
Normality of error

```
In [314]: res = y_train-y_train_pred  
  
# Plot the histogram of the error terms  
fig = plt.figure()  
sns.distplot((res), bins = 20)  
fig.suptitle('Error Terms')  
plt.xlabel('Errors')  
plt.show()
```



The bins are normally distributed

```
In [315]: sm.qqplot((y_train - y_train_pred), fit=True, line='45')
plt.show()
```



Based on the histogram, we can conclude that error terms are following a normal distribution

Making Predictions using final model

```
In [319]: num_vars = ['temp', 'hum', 'windspeed']
data_test[num_vars] = scaler.transform(data_test[num_vars])
data_test.head()
```

Out[319]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	season	yr	mr	
184	0	0	0	0	0	0	0	0	1	0	0	...	Fall	0	
535	0	1	0	0	0	0	0	0	1	0	0	...	Summer	1	
299	0	0	1	0	0	0	0	0	0	0	0	...	Winter	0	
221	0	0	0	1	0	0	0	0	0	0	0	...	Fall	0	
152	0	1	0	0	0	0	0	0	0	1	0	0	...	Summer	0

5 rows × 32 columns



In [322]: `data_test.describe()`

Out[322]:

	season_Spring	season_Summer	season_Winter	mnth_aug	mnth_dec	mnth_feb	mnth_jan	mnth_jul	mnth_jun	mnth_mar	...	wee
count	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	219.000000	...	21
mean	0.255708	0.264840	0.232877	0.059361	0.086758	0.100457	0.077626	0.105023	0.095890	0.054795	...	
std	0.437258	0.442259	0.423633	0.236840	0.282125	0.301297	0.268194	0.307285	0.295115	0.228100	...	
min	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
25%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
50%	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
75%	1.000000	1.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	
max	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	...	

8 rows × 28 columns

```
In [325]: #Selecting the variables that were part of final model.
```

```
col1=X_train.columns
```

```
X_test=X_test[col1]
```

```
# Adding constant variable to test dataframe
```

```
X_test_lm_11 = sm.add_constant(X_test)
```

```
X_test_lm_11.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 219 entries, 184 to 72
Data columns (total 18 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   const            219 non-null    float64
 1   season_Spring   219 non-null    uint8  
 2   season_Summer   219 non-null    uint8  
 3   season_Winter   219 non-null    uint8  
 4   mnth_dec         219 non-null    uint8  
 5   mnth_jan         219 non-null    uint8  
 6   mnth_jul         219 non-null    uint8  
 7   mnth_nov         219 non-null    uint8  
 8   mnth_sept        219 non-null    uint8  
 9   weekday_mon      219 non-null    uint8  
 10  weekday_tue     219 non-null    uint8  
 11  weathersit_good  219 non-null    uint8  
 12  weathersit_moderate  219 non-null    uint8  
 13  yr               219 non-null    int64  
 14  holiday          219 non-null    int64  
 15  temp              219 non-null    float64
 16  hum               219 non-null    float64
 17  windspeed         219 non-null    float64
dtypes: float64(4), int64(2), uint8(12)
memory usage: 14.5 KB
```

```
In [333]: X_test_lm_11.columns
```

```
Out[333]: Index(['const', 'season_Spring', 'season_Summer', 'season_Winter', 'mnth_dec',
       'mnth_jan', 'mnth_jul', 'mnth_nov', 'mnth_sept', 'weekday_mon',
       'weekday_tue', 'weathersit_good', 'weathersit_moderate', 'yr',
       'holiday', 'temp', 'hum', 'windspeed'],
      dtype='object')
```

Homoscedasticity

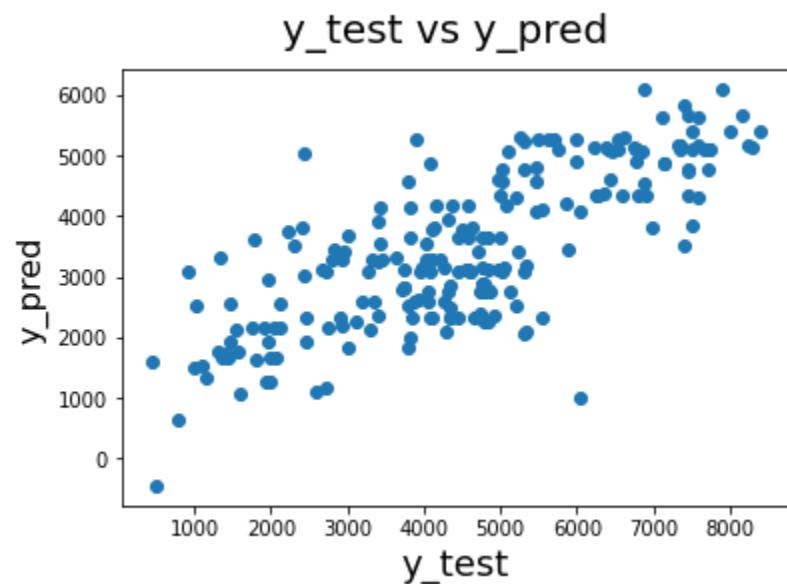
In []:

```
In [336]: y_pred_m = lr_11.predict(X_test_m)
```

```
In [338]: # Plotting y_test and y_pred to understand the spread
```

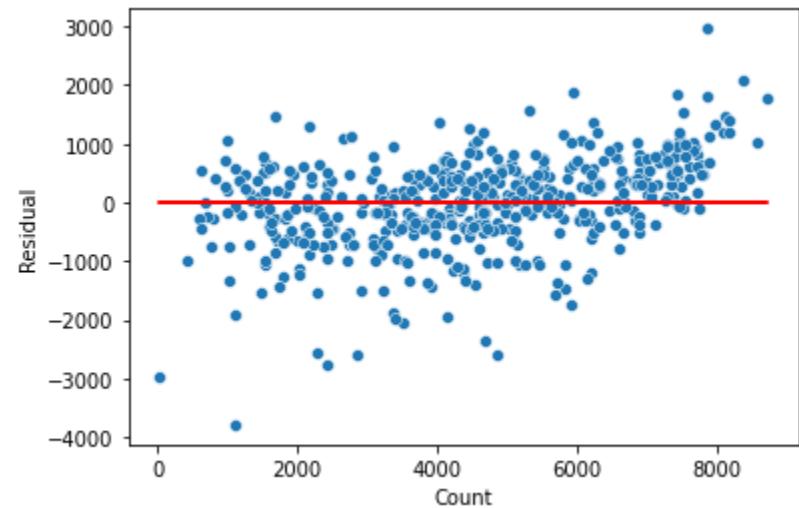
```
fig = plt.figure()
plt.scatter(y_test, y_pred_m)
fig.suptitle('y_test vs y_pred', fontsize = 20)           # Plot heading
plt.xlabel('y_test', fontsize = 18)                         # X-Label
plt.ylabel('y_pred', fontsize = 16)
```

```
Out[338]: Text(0, 0.5, 'y_pred')
```



There is no visible pattern in residual values.. We can observe that variance of the residuals (error terms) is constant across predictions. i.e error term does not vary much as the value of the predictor variable changes.

```
In [339]: y_train_pred = lr_11.predict(X_train_lm)
residual = y_train - y_train_pred
sns.scatterplot(y_train,residual)
plt.plot(y_train,(y_train - y_train), '-r')
plt.xlabel('Count')
plt.ylabel('Residual')
plt.show()
```



There is no visible pattern in residual values, thus homoscedacity is well preserved

```
In [340]: # Making predictions using the final model (lr_11)
```

```
y_pred = lr_11.predict(X_test_m)  
y_pred
```

```
Out[340]: 184    1011.202684
```

```
535    5139.645067
```

```
299    3129.991601
```

```
221    2769.225243
```

```
152    3110.699225
```

```
...
```

```
400    3406.812944
```

```
702    5308.944804
```

```
127    2856.855469
```

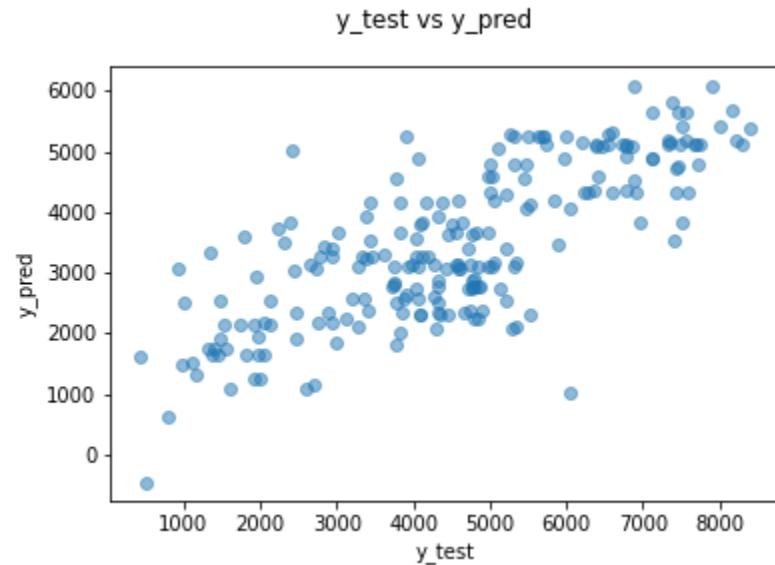
```
640    5176.874548
```

```
72     2167.914159
```

```
Length: 219, dtype: float64
```

```
In [341]: # plotting y_test and y_pred to understand the spread
fig = plt.figure()
plt.scatter(y_test, y_pred, alpha = 0.5)
fig.suptitle('y_test vs y_pred')
plt.xlabel('y_test')
plt.ylabel('y_pred')
```

```
Out[341]: Text(0, 0.5, 'y_pred')
```



R2 Value Calculation for data_test dataframe

```
In [342]: r2 = round(r2_score(y_test, y_pred),4)
r2
```

```
Out[342]: 0.2583
```

R2 Value Calculation for data_train dataframe

```
In [343]: print('Train R-Score: ',r2_score(y_train,y_train_pred))
```

```
Train R-Score: 0.8485060124356757
```

Adjusted R2 Value Calculation for data_test dataframe

```
In [345]: # n is number of rows in test dataset  
n = X_test.shape[0]  
  
# Number of features (predictors, p) is the shape along axis 1  
p = X_test.shape[1]  
  
# We find the Adjusted R-squared using the formula  
adjusted_r2 = round(1-(1-r2)*(n-1)/(n-p-1),4)  
adjusted_r2
```

Out[345]: 0.1956

Adjusted R2 Value Calculation for data_train dataframe

```
In [346]: # n is number of rows in train dataset  
n = X_train.shape[0]  
  
# Number of features (predictors, p) is the shape along axis 1  
p = X_train.shape[1]  
  
# We find the Adjusted R-squared using the formula  
adjusted_r2 = round(1-(1-r2)*(n-1)/(n-p-1),4)  
adjusted_r2
```

Out[346]: 0.2327

Adjusted R-squared more than 0.75 is a very good value for showing the accuracy. In some cases, Adjusted R-squared of 0.4 or more is acceptable as well

In []:

Calculating Mean Absolute Error for the selected Model

```
In [354]: MAE = round(mean_absolute_error(y_test, y_pred),4)
MAE
```

```
Out[354]: 1353.3965
```

Mean Absolute Error is 1353.3965, which indicates that the model is good. Note: . The MAE and RMSE can range from 0 to ∞ . They are negatively-oriented scores: Lower values are better.

Intrepreting the Model

Reporting the final model

Let us rebuild the final model of manual + rfe approach using statsmodel to interpret it

```
In [358]: cols = ['season_Spring', 'season_Summer', 'season_Winter', 'mnth_dec',
   'mnth_jan', 'mnth_jul', 'mnth_nov', 'mnth_sept', 'weekday_mon',
   'weekday_tue', 'weathersit_good', 'weathersit_moderate', 'yr',
   'holiday', 'temp', 'hum', 'windspeed']
lm = build_model(cols)
```

OLS Regression Results

Dep. Variable:	cnt	R-squared:	0.849			
Model:	OLS	Adj. R-squared:	0.843			
Method:	Least Squares	F-statistic:	162.1			
Date:	Tue, 06 Sep 2022	Prob (F-statistic):	4.84e-189			
Time:	22:34:21	Log-Likelihood:	-4106.0			
No. Observations:	510	AIC:	8248.			
Df Residuals:	492	BIC:	8324.			
Df Model:	17					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	643.3589	410.826	1.566	0.118	-163.831	1450.549
season_Spring	-538.1045	183.260	-2.936	0.003	-898.173	-178.036
season_Summer	357.9569	132.322	2.705	0.007	97.970	617.943
season_Winter	916.3103	155.011	5.911	0.000	611.745	1220.875
mnth_dec	-332.4373	150.649	-2.207	0.028	-628.432	-36.443
mnth_jan	-381.5611	156.297	-2.441	0.015	-688.653	-74.469
mnth_jul	-445.5612	157.611	-2.827	0.005	-755.236	-135.887
mnth_nov	-363.3408	161.498	-2.250	0.025	-680.652	-46.030
mnth_sept	651.6894	145.559	4.477	0.000	365.696	937.683
weekday_mon	-224.1120	96.837	-2.314	0.021	-414.376	-33.848
weekday_tue	-243.8379	97.711	-2.496	0.013	-435.820	-51.856
weathersit_good	2198.6246	228.335	9.629	0.000	1749.993	2647.256
weathersit_moderate	1694.7429	215.815	7.853	0.000	1270.711	2118.775
yr	2002.8899	69.728	28.724	0.000	1865.888	2139.892
holiday	-812.3045	221.239	-3.672	0.000	-1246.995	-377.614
temp	4134.2143	319.233	12.950	0.000	3506.986	4761.442
hum	-1329.7425	326.976	-4.067	0.000	-1972.185	-687.300
windspeed	-1587.3315	222.895	-7.121	0.000	-2025.274	-1149.389
Omnibus:	69.224	Durbin-Watson:	2.004			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	174.219			
Skew:	-0.693	Prob(JB):	1.47e-38			
Kurtosis:	5.506	Cond. No.	26.3			

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Model Outcome Summary

All the positive coefficients like temp, season_Summer indicate that an increase in these values will lead to an increase in the value of cnt.

Analysing the above model, the company should focus on the following features:

Company should focus on expanding business during Spring.. Company should focus on expanding business during September.. Based on previous data it is expected to have a boom in number of users once situation comes back to normal, compared to 2019.. There would be less bookings during Light Snow or Rain, they could probably use this time to serve the bikes without having business impact.

Significant variables to predict the demand for shared bikes

holiday . temp . hum . windspeed . Season(Spring,Summer,Winter) . months(January, July, September, November, December) . Year (2019) . Monday and Tuesday . weathersit(good,moderate)