Recharacterization of Photons in Plasma Medium to Mimic IBG

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Quantum Ideal Gases

- Quantum Ideal Gases
- Fermi Dirac Statistics

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- Bose Einstein Statistics

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- Photon Statistics

Plasma Medium

• Why Plasma?

Plasma Medium

- Why Plasma?
- Plasmon-Polariton

Modelling the medium

Hamiltonian

$$H = rac{1}{2m} \sum_{i=1}^{N_{ch}} (p_i - rac{e}{c} A)^2 + \hbar \omega (rac{1}{2} + a^{\dagger} a),$$

Modelling the medium

Hamiltonian

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Diagonalizing the Hamiltonian and other approximations



Modelling the medium

Hamiltonian

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- Diagonalizing the Hamiltonian and other approximations
- Effective Hamiltonian

$$\mathcal{H}=\hbar\Omega(b^{\dagger}b+rac{1}{2})$$



Grand Potential

Grand Potential

$$\Phi = \frac{1}{\beta} \int_{\epsilon_p}^{\infty} \frac{8\pi V}{c^3 h^3} \ln(1 - e^{\beta(\epsilon - \mu)}) \epsilon \sqrt{\epsilon^2 - \epsilon_p^2} d\epsilon$$

Grand Potential

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Thermodynamical properties

Grand Potential

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Thermodynamical properties

$$\overline{N} = (\partial_{\mu}\Phi)_{V,T}, \ \overline{E} = (\partial_{\beta}\beta\Phi)_{\beta\mu}, \ S = -(\partial_{T}\Phi)_{\mu,V}, \ P = \overline{E}/3V$$

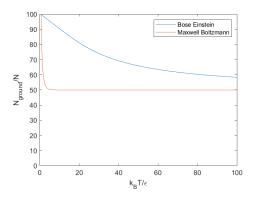
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Bose-Einstein Condensate

Maxwell Boltzmann vs Bose Einstein Statistics

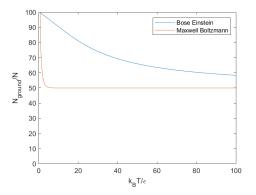
Bose-Einstein Condensate

- Maxwell Boltzmann vs Bose Einstein Statistics
- Formation of BEC



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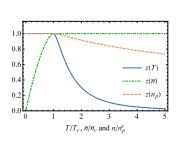
 Bose Einstein condensation is just a phase transition where the ground state becomes highly occupied

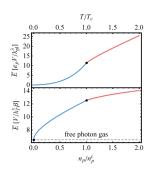
Photon Condensate

• BEC in our medium

Photon Condensate

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Energy density of photons

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- Modified black body radiation

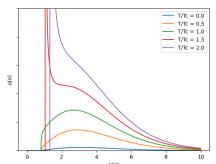
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$$u(\nu) = \frac{8\pi h \nu^2}{c^3} \frac{\sqrt{\nu^2 - \nu_p^2}}{e^{\beta h(\nu - \nu_p)} z^{-1} - 1}$$

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Critical points



Summary

- Effective mass of photons
- Mimicing an ideal Bose gas and formation of BEC
- Modified Planck's distribution
- Further research