A computational study of mechanical bidomain model in durotaxis

Parameters

```
\begin{split} N &= 101 \text{ (No of nodes)} \\ L &= 0.005 \text{ m (Length of domain)} \\ nu &= 1000 \text{ Pa (Intracellular modulus)} \\ mu\_zero &= 1000 \text{ Pa (Extracellular modulus)} \\ K &= 500000000000 \text{ Pa}/m^2 \text{ (Stiffness)} \\ T &= 200 \text{ Pa (Tension)} \end{split}
```

Code and Results

```
N = 101;
L = 0.005; \%0.005m
g = 0; %100000; %100000 Pa/m
mu_zero = 1000; %1000 Pa
nu = 1000; %1000 Pa
K = 500000000000; \%50GPa/m2
T = 200; %200Pa
w = zeros(N,1); %Extracellular displacement
u = zeros(N,1); %Intracellular displacement
x = zeros(N,1); %x position, useful when plotting
delta = (2*L)/(N-1); %Spacing along x direction
iterations = 100;
for i = 1:N
x(i) = L*(2*(i-1)/(N-1)-1);
mu(i) = mu\_zero + g*x(i);
for k = 1:iterations
for i = 2:(N-1)
a(i) = 4*mu(i)*(w(i+1)+w(i-1))+(mu(i+1)-mu(i-1))*(w(i+1)-w(i-1));
b(i) = 4*nu*(u(i+1)+u(i-1));
A(i) = 8*mu(i) + K*delta*delta;
C = 8*nu + K*delta*delta;
B = K*delta*delta;
u(i) = (a(i)*B + A(i)*b(i))/(A(i)*C - B*B);
w(i) = (a(i)/A(i)) + (B/A(i))*((a(i)*B + A(i)*b(i))/(A(i)*C - B*B));
%Apply Boundary Conditions
u(1) = u(2) + (T*delta/(4*nu));
w(1) = w(2);
u(N) = u(N-1) - (T*delta/(4*nu));
w(N) = w(N-1);
end
for i = 1:N
h(i) = u(i) - w(i);
plot(x,h) %if you want plot with x in mm, use plot(x*1000,h)
xlabel('x');
ylabel('u-w');
title('Difference between extracellular and intracellular displacement');
```

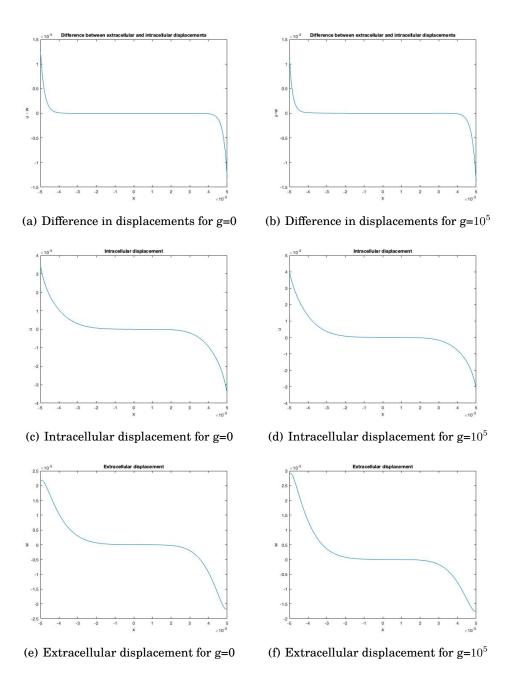


Figure 1: Comparison of results for g=0 and $g=10^5$ Pa/m (Iteration: 100)

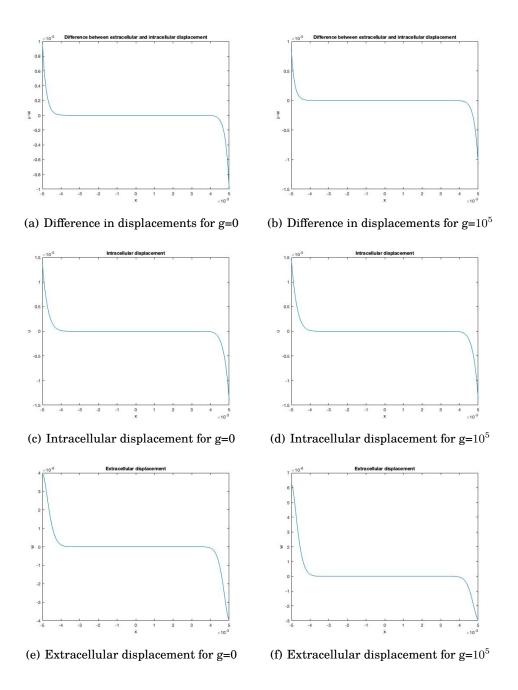


Figure 2: Comparison of results for g=0 and $g=10^5$ Pa/m (Iteration: 1000, N=1001)