Computer Vision I

Tim Luchterhand, Paul Nykiel (Group 17)

5. Juni 2018

1 Image Gradients

1.1

The sign of the sobel operator corresponds to the sign of the calculated gradient (linearity). By changing the sign the absolute value remains the same, the direction if the gradients gets rotated by 180°.

1.2

Position v_i	(I_x,I_y)	$\ \nabla I(v_i)\ $	σ_i
v_1	(255, -255)	361	-45°
v_2	(765, -255)	806	-108°
v_3	(255, 255)	361	45°
v_4	(255, 765)	806	72°
v_5	(1275, 0)	1275	0°
v_6	(-765, 765)	1082	135°

1.3

```
circles = im2double(rgb2gray(imread('circles.png')));

I_x = [1 0 -1; 2 0 -2; 1 0 -1];
I_y = [1 2 1; 0 0 0; -1 -2 -1];

gradX = imfilter(circles, I_x, 'conv');
gradY = imfilter(circles, I_y, 'conv');

absGrad = sqrt(gradX.^2 + gradY.^2);
```

```
angleGrad = atan2(gradY, gradX);
11
  subplot(1,3,1);
^{12}
  imshow(circles);
13
  title('Original Image');
15
  subplot(1,3,2);
  xRange = 270:280;
  yRange = 270:280;
  imshow(absGrad(xRange, yRange));
  title ('Magnitude and Direction');
20
  hold on;
^{21}
  quiver (gradX (xRange, yRange), gradY (xRange, yRange),1);
  subplot (1,3,3);
24
  imshow(gradientColored(absGrad, angleGrad, 0.2));
25
   title('Colored Gradient Image');
26
  print("sh03ex01.eps", "-depsc");
```

1.4

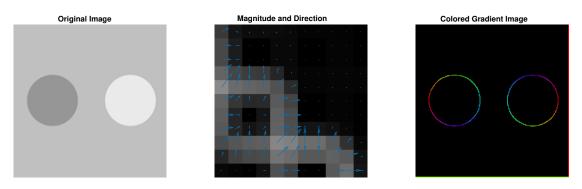


Abbildung 1: Output of the matlab script

2 Deconvolution

2.1

```
load('filtered.mat');
load('Hfreq.mat');
load('Hfreq2.mat');
bookstore = imread('bookstore.tif');
```

```
filtered freq = fft2 (filtered);
   bookstore freq = fft2 (bookstore);
  Hspat = ifft 2 (Hfreq);
  Hspat2 = ifft2 (Hfreq2);
10
11
  subplot(5,2,1);
12
  imshow (filtered);
   title ('Blurred Image');
14
15
  subplot(5,2,2);
16
  imshow(bookstore);
17
   title ('Original Image');
18
  subplot (5,2,3);
20
  imshow(fftshift(filtered_freq));
21
   title ('Fourier Transform of the Blurred Image');
22
23
  subplot(5,2,4);
  imshow(fftshift(bookstore freq));
   title ('Fourier Transform of the Original Image');
^{26}
27
  subplot(5,2,5);
28
  imshow(abs(fftshift(Hfreq)));
   title ('Filter in the frequency domain');
31
  subplot (5, 2, 6);
32
  imshow(abs(fftshift(Hfreq2)));
   title ('Filter 2 in the frequency domain');
34
35
  spatialXRange = 1:30;
  spatialYRange = 1:50;
37
  subplot(5,2,7);
  imshow (Hspat (spatial XRange, spatial YRange));
40
   title ('Filter 1 in the spatial domain');
41
42
  subplot(5,2,8);
  imshow(Hspat2(spatialXRange, spatialYRange));
44
   title ('Filter 2 in the spatial domain');
45
46
  subplot(5,2,9);
  imshow(ifft2 (filtered_freq./Hfreq));
   title ('Deconvolved blurred image');
```

```
Fourier Transform of the Blurred Image

Filter In the frequency domain

Filter 1 in the spatial domain

Deconvolved blurred image

Deconvolved blurred image
```

51 print('sh03ex02.eps', '-depsc');

Abbildung 2: Output of the matlab script

2.3

If the original filter contains zeros in the frequency domain, the corresponding frequencies get surpressed and cannot be reconstructed.