

Einführung in die Neuroinformatik

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1 Aufgabe

1.1 DGL

$$\tau \dot{u}_j(t) = -u_j(t) + \sum_{i=1}^n c_{ij} \cdot y_i(t - d_{ij}) + x_j(t)$$

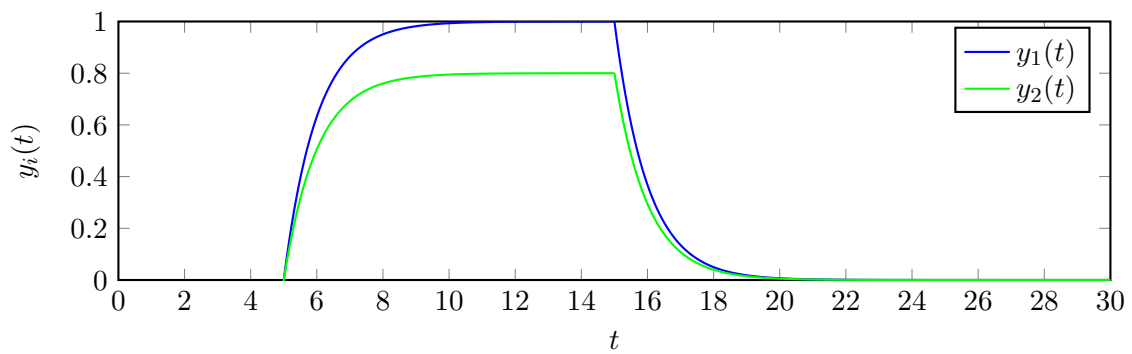
Erstes Neuron:

$$\tau \dot{u}_1(t) = -u_1(t) + x_1(t)$$

Zweites Neuron:

$$\tau \dot{u}_2(t) = -u_2(t) + 0.8u_1(t)$$

1.2 Verlauf



1.3 Maximum

1.4 Matlab

(a) Matlab Code:

```
1  %Constants
2  tau = 1;
3  deltaT = 0.1;
4  tEnd = 30;
5  weight = 0.8; %c_{12}
6
7  timestamps = 0:deltaT:tEnd;
8  input = zeros(length(timestamps), 1);
9  input(find(timestamps >= 5 & timestamps <= 15)) = 1;
10
11 % Allocate memory
12 derivative = zeros(1,length(timestamps));
13 derivative2 = zeros(1,length(timestamps));
14 potential = zeros(1,length(timestamps)+1);
15 potential2 = zeros(1,length(timestamps)+1);
16
17 % First neuron
18 for c = 1:length(timestamps)
19     derivative(c) = -potential(c) + input(c);
20     potential(c+1) = potential(c) + deltaT * derivative(c);
21 end
22
23 % Second neuron
24 for c = 1:length(timestamps)
25     derivative2(c) = -potential2(c) + 0.8 * potential(c);
26     potential2(c+1) = potential2(c) + deltaT * derivative2(
27         c);
28 end
29
30 % Plots
31 subplot(2,2,1)
32 plot(timestamps, potential(1:end-1));
33 title("Dendritischen Potenzial an Neuron 1");
34 ylabel("t")
35 xlabel("u_1(t)")
36
37 subplot(2,2,3)
38 plot(timestamps, derivative);
```

```

38 title("Ableitung des dendritischen Potenzial an Neuron 1");
39 ylabel("t")
40 xlabel("\dot(u)_1(t)")
41
42 subplot(2,2,2)
43 plot(timestamps, potential2(1:end-1));
44 title("Dendritischen Potenzial an Neuron 2");
45 ylabel("t")
46 xlabel("u_2(t)")
47
48 subplot(2,2,4)
49 plot(timestamps, derivative2);
50 title("Ableitung des dendritischen Potenzial an Neuron 2");
51 ylabel("t")
52 xlabel("\dot(u)_2(t)")
53
54 % Save the file to include it in the pdf
55 print('Plot','-depsc')

```

(b) Plots:

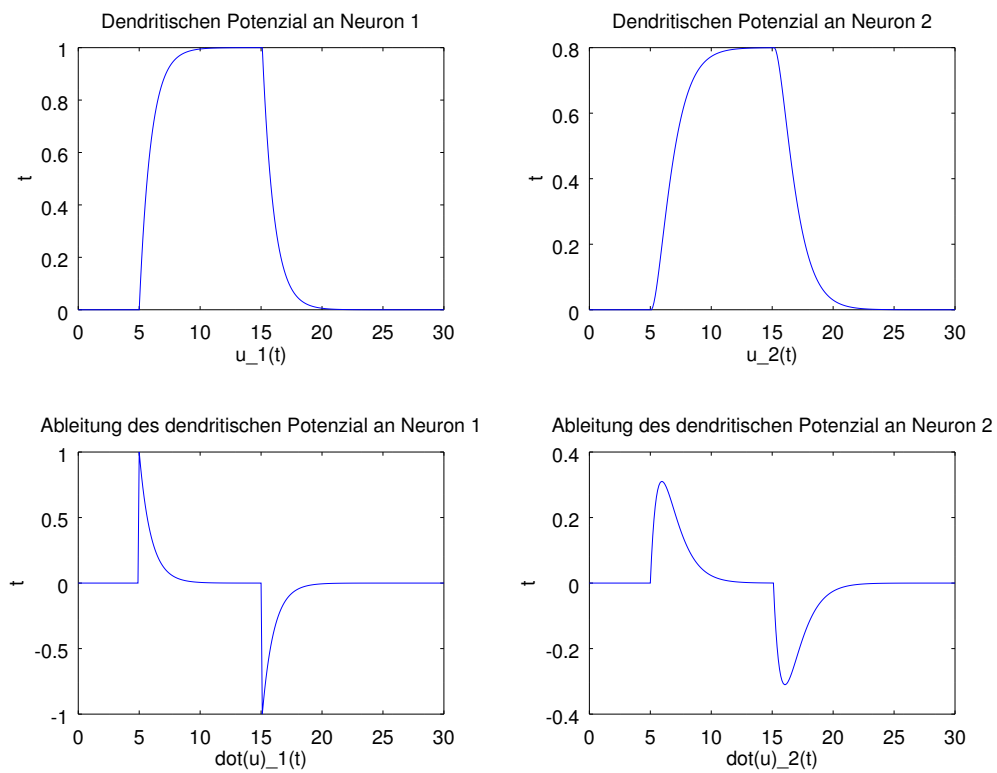


Abbildung 1: Dendritischen Potentiale und deren jeweilige Ableitungen

- (c) Ab $t = 15$ fallen die Funktionswerte wieder ab, so dass sie für $t \rightarrow \infty$ wieder bei 0 sind...

1.5 Zeitkonstante