# Multinomial Naive Bayes - BoW 11

May 3, 2024

#### 1 Initialization

Connect to Google Drive:

```
[]:  # from google.colab import drive
  # drive.mount('/content/drive')
  # %cd '/content/drive/MyDrive/GitHub/emotion-dectection-from-text'
```

Preparing necessary packages (may need to add more):

Select dataset:

```
[]: X_train = X_train_bow_L1
X_test = X_test_bow_L1
```

# 2 Basic training

We define and train a model with default hyperparameter, which is alpha = 1:

```
[]: nb_model = MultinomialNB()
nb_model.fit(X_train, y_train)
```

[]: MultinomialNB()

Evaluate model using preset function:

```
[]: evaluate_model(nb_model, X_train, X_test, y_train, y_test, u_sinclude_training=True)
```

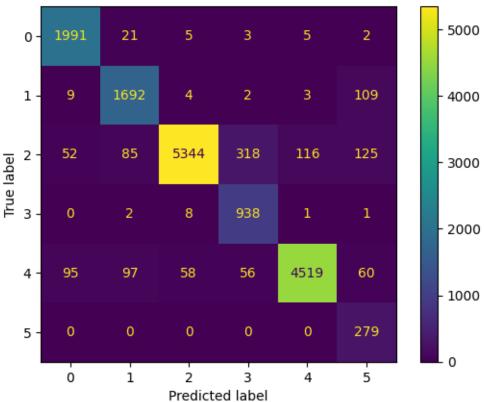
Score of on train are:

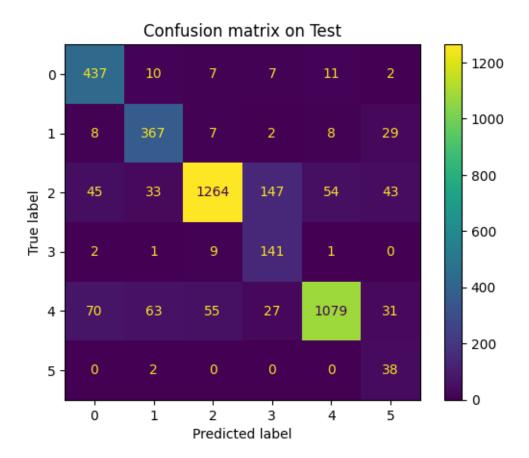
- Accuracy score: 0.9227 - Micro F1 score: 0.9227 - Macro F1 score: 0.8710

Score of on test are:

- Accuracy score: 0.8315 - Micro F1 score: 0.8315 - Macro F1 score: 0.7336

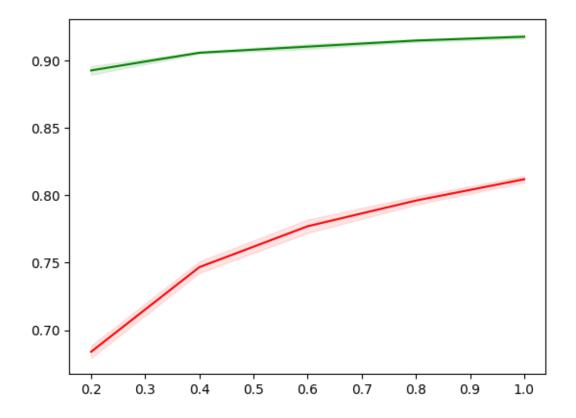
## Confusion matrix on Train





Draw the learning curve using preset function:

[]: draw\_learning\_curve(nb\_model, X\_train, y\_train)



# 3 Model selection

### 3.1 $\alpha$ parameter

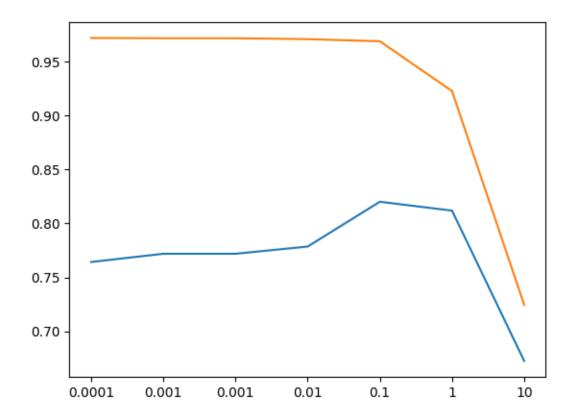
First we try a hyperparameter range:

```
[]: # Setting the hyperparameter range
K = [0.0001, 0.001, 0.001, 0.01, 1, 10]

[]: # Define a list in order to store accuracy points
```

```
trs_list.append(train_score)
      cvs_list.append(cv_score)
[]: # Print the result
    print(K)
    print(trs_list)
    print(cvs_list)
    # Draw the plot
    fig = sns.lineplot(x=list(range(len(K))), y=cvs_list)
    fig = sns.lineplot(x=list(range(len(K))), y=trs_list)
    fig.set_xticks(range(len(K)))
    fig.set_xticklabels(K)
    [0.0001, 0.001, 0.001, 0.01, 0.1, 1, 10]
    [0.971875, 0.971625, 0.971625, 0.97075, 0.9688125, 0.9226875, 0.7245]
    0.811875, 0.6725625]
[]: [Text(0, 0, '0.0001'),
     Text(1, 0, '0.001'),
     Text(2, 0, '0.001'),
     Text(3, 0, '0.01'),
     Text(4, 0, '0.1'),
     Text(5, 0, '1'),
```

Text(6, 0, '10')]



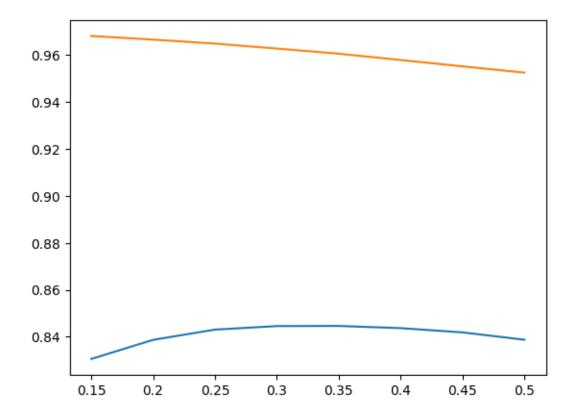
Iteration 1: From the result of above section, we can see the good value of  $\alpha$  is near the value 0.1. Scope to  $\alpha = 0.1$ .

Iteration 2: The good value of  $\alpha$  is now near the value 0.25

```
[]: # Setting the hyperparameter range
K = [0.15, 0.2, 0.25, 0.3, 0.35, 0.4, 0.45, 0.5]

[]: # Define a list in order to store accuracy points
```

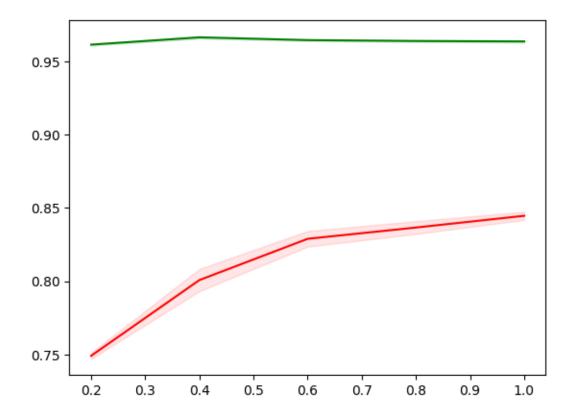
```
trs_list.append(train_score)
       cvs_list.append(cv_score)
[]: # Print the result
     print(K)
     print(trs_list)
     print(cvs_list)
     # Draw the plot
     fig = sns.lineplot(x=list(range(len(K))), y=cvs_list)
     fig = sns.lineplot(x=list(range(len(K))), y=trs_list)
     fig.set_xticks(range(len(K)))
    fig.set_xticklabels(K)
    [0.15, 0.2, 0.25, 0.3, 0.35, 0.4, 0.45, 0.5]
    [0.9681875, 0.966625, 0.9649375, 0.9628125, 0.960625, 0.9579375, 0.95525,
    0.9525625]
    [0.830562499999999, 0.8386875, 0.843062499999999, 0.8445625,
    0.8446250000000001, 0.8436875, 0.841874999999999, 0.83874999999999]
[]: [Text(0, 0, '0.15'),
     Text(1, 0, '0.2'),
     Text(2, 0, '0.25'),
     Text(3, 0, '0.3'),
     Text(4, 0, '0.35'),
     Text(5, 0, '0.4'),
     Text(6, 0, '0.45'),
     Text(7, 0, '0.5')]
```



As the result, we can claim that  $\alpha=0.3$  give a model with good accuracy and avoid overfitting. We will test the model again in test set.

```
[]: best_nb_model = MultinomialNB(alpha=0.3)
```

[]: draw\_learning\_curve(best\_nb\_model, X\_train, y\_train)



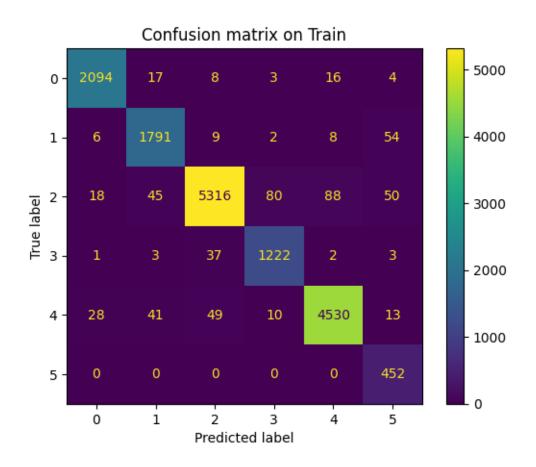
```
[]: best_nb_model.fit(X_train, y_train)
evaluate_model(best_nb_model, X_train, X_test, y_train, y_test,
→include_training=True)
```

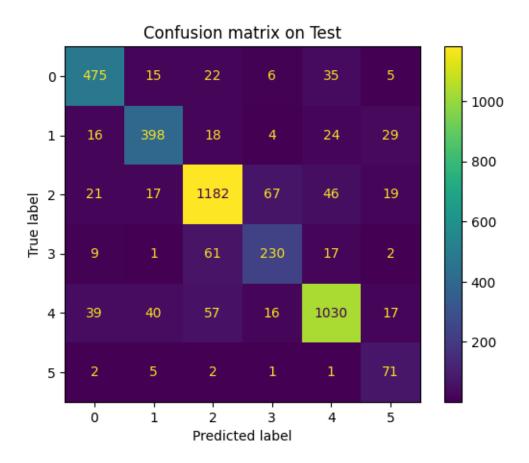
Score of on train are:

- Accuracy score: 0.9628 - Micro F1 score: 0.9628 - Macro F1 score: 0.9483

Score of on test are:

- Accuracy score: 0.8465 - Micro F1 score: 0.8465 - Macro F1 score: 0.7953





# 4 Export model

```
[]: directory = "data/models/nb/"
   dump(best_nb_model, directory + "best_nb_bow_l1_model.joblib")
```

[]: ['data/models/nb/best\_nb\_bow\_l1\_model.joblib']