# Pedestrian trajectory prediction Rodolphe Farrando & Romain Gratier

EPFL – ENAC Faculty

Data And Artificial Intelligence For Transportation

{rodolphe.farrando, romain.gratierdesaint-louis}@epfl.ch

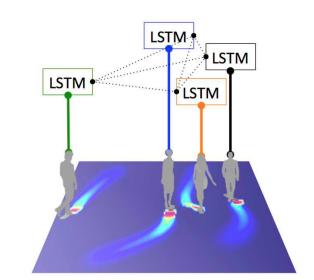


#### Introduction

- Trajectory prediction is crucial for improving autonomous vehicles behaviour
- Could avoid critical situations involving autonomous vehicles and pedestrians
- Still a lot to discover in the field of trajectory prediction
- Challenge two different models (CNN vs. LSTM) with the same inputs

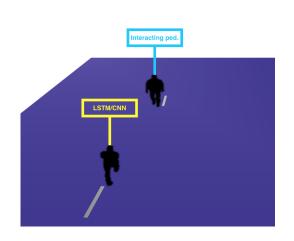
#### **Previous Work [1]**

- The prediction are done per frame: the goal is to determine multiple trajectories at the same time
- Introduction of a social pooling characteristic: if two pedestrians are side-by-side, they are grouped together



#### **Ideas for our Models**

- Instead of focusing on frames, prediction focus on one pedestrian
- Special effort is put on pre-processing to make learning easier



#### **Pre-processing**

**Goal:** Normalize data such that every trajectory has the same first direction: the model should learn more easily.

The preprocessing is divided in 5 steps:

- 1. Isolate each trajectory along with its interaction
- 2. Normalize the trajectories: the first point is at (0,0); the second is at  $(0,y_1)$
- 3. Calculate axis velocities  $V_x$  and  $V_y$
- 4. For each frame, if there is an interacting pedestrian: add his/her coordinates and velocities, otherwise add zeros
- 5. Data augmentation: flip and add noise to trajectories

## Trajectory of interest ---- Interacting ped. 2 • Beginning of the traj • End of the traj.

#### Final shape of the data:

- Pedestrians ID
- Frame number
- Twenty sets of x and y coordinates and velocities per pedestrian

#### **Objectives:**

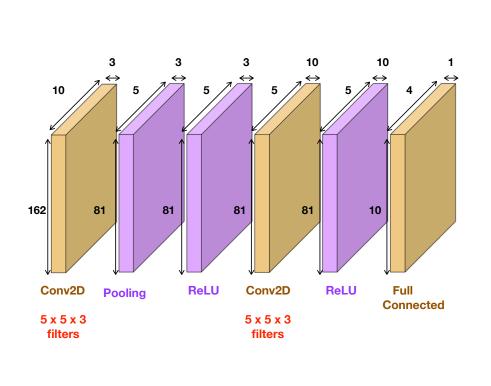
- Train on the ten first coordinates and speed and their interaction
- Predict the next ten

### **Models**

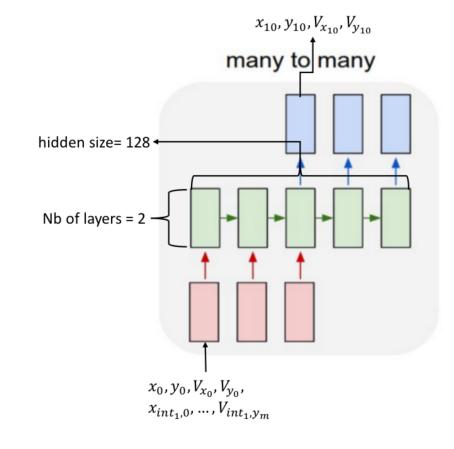
Inputs: sequence of coordinates and velocities of the trajectory of interest and of the interacting trajectories

Outputs: sequence of predicted coordinates and velocities for the trajectory of interest.

## **CNN**

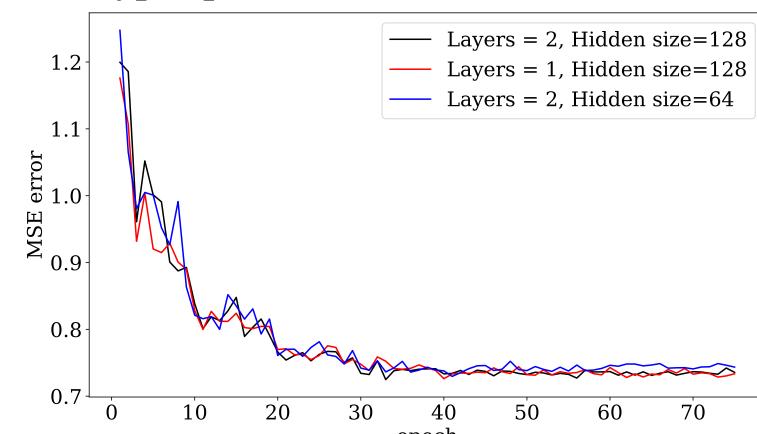


#### **LSTM**



#### **Hyper-parameters test**

Tests to choose the bests hyper-parameters of the LSTM:



#### Results

#### **Precision indicators**

To calculate the correctness of the prediction two indicators are used:

- 1. The final displacement error:  $e_{fin} = \sqrt{(X_{gt,n} X_{pred,n})^2}$
- 2. The mean displacement error:  $e_{mean} = \sqrt{\frac{\sum_{i=0}^{n}(X_{gt,i} X_{pred,i})^2}{(n)}}$

#### **Post-processing**

Depending on the inputs two ways are possible to find the predicted coordinates:

- 1. If the coordinates are predicted: directly use them
- 2. If the velocities are predicted:  $X_t = X_{t-1} + V_t \cdot 0.4$ , with 0.4 the time between two frames in seconds

#### Model tests case

Four different cases, that corresponds to four losses, are tested for each model:

- 1. Predict coordinates with loss defines as  $L_1 = (X X_{pred})^2$  with X = [x, y]
- 2. Predict speeds with loss defines as  $L_2 = (V V_{pred})^2$  with  $V = [V_x, V_y]$
- 3. Predict both coordinates and speeds with loss defines as  $L = L_1 + L_2$
- 4. Predict both coordinates and speeds with loss defines as  $L = L_1 + L_2 + L_3$ , with  $L_3 = (X - X_{t-1} + V_t * 0.4)^2$

#### **Trajectory type**

- 1. Static
- 2. Linear trajectories
- 3. Non-linear trajectories

#### Linear prediction results

- Type 1: Mean = 0.141, Final = 0.322
- Type 2: Mean = 0.541, Final = 0.93
- Type 3: Mean = 0.651, Final = 1.457
- Total: Mean = 0.512, Final = 0.982

#### **Models results**

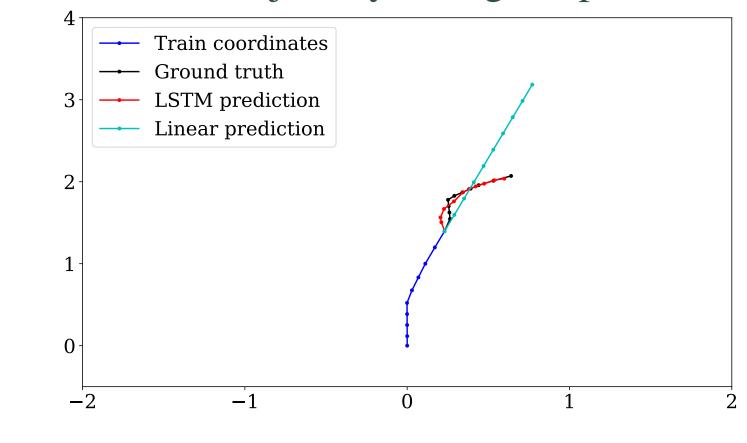
|          |       | CNN    |        |        |       | LSTM   |        |        |       |
|----------|-------|--------|--------|--------|-------|--------|--------|--------|-------|
|          |       | Type 1 | Type 2 | Type 3 | Total | Type 1 | Type 2 | Type 3 | Total |
| Coord.   | Mean  |        | 5.144  | 4.674  | 4.176 | 1.309  | 0.777  | 0.862  | 0.877 |
|          | Final | 10.246 | 7.009  | 10.501 | 5.602 |        | 0.92   | 1.108  | 1.037 |
| Speed    | Mean  | 0.567  | 5.133  | 1.911  | 4.17  | 0.726  | 0.573  | 0.651  | 0.616 |
|          | Final | 0.77   | 6.971  | 3.882  | 5.587 | 1.412  | 1.045  | 1.231  | 1.148 |
| 2 Losses | Mean  | 1.269  | 5.134  | 1.762  | 4.163 | 0.695  | 0.532  | 0.627  | 0.581 |
|          | Final | 2.727  | 6.978  | 3.546  | 5.57  | 1.302  | 0.963  | 1.2    | 1.076 |
| 3 Losses | Mean  | 0.549  | 5.135  | 3.829  | 4.163 | 0.748  | 0.607  | 0.681  | 0.647 |
|          | Final | 0.758  | 6.983  | 4.962  | 5.573 | 1.364  | 1.072  | 1.308  | 1.177 |

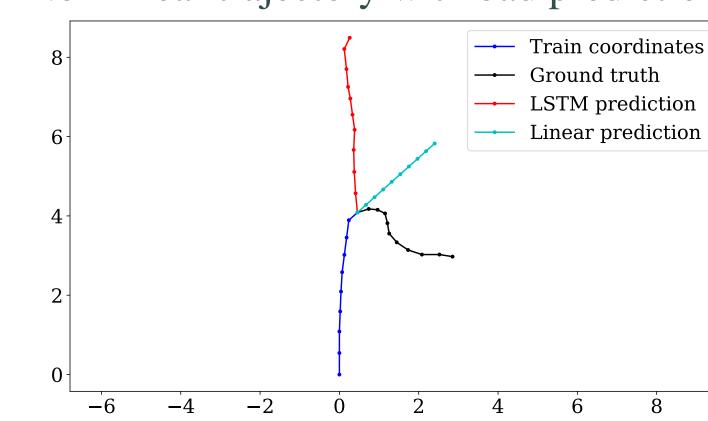
#### **Observations**

- Best results are the same for both models: case with two losses, one for coordinates and the other for velocities
- LSTM has much better results than CNN: memory capacities of the cells is useful in sequence to sequence prediction
- Three losses model might be too complicated for learning
- Good results for type 2 and 3 trajectories but struggle for type 1
- Global results is better with linear prediction, but without type 1 LSTM is better

#### Representation

Non linear trajectory with good prediction: Non linear trajectory with bad prediction:





#### **Issues**

#### **Data Augmentation**

- 1. Flipping trajectories can remove behavioural pattern. If pedestrians tend to deviate on the right (or left) to avoid interaction, this pattern is lost.
- 2. Adding noise doesn't change much the trajectory: two very similar trajectories can be in the train AND in the test set.
- 3. Random data choice can create overfitting.

#### **Future work**

- 1. Test model without normalising step of the preprocessing: see the impact of this step on the learning
- 2. Change the way of selecting data to avoid redondance in train, validation and test sets

#### References

- [1] Ramanathan V. Robicquet A. Fei-Fei L. Alahi A., Goel K. and Savarese S. Social 1stm: Human trajectory prediction in crowded spaces. June 2016.
- [2] Alex Graves. Generating sequences with recurrent neural networks. abs/1308.0850, 2013.
- [3] Sepp Hochreiter and Jürgen Schmidhuber. Long short-term memory. Neural Comput., 9(8):1735–1780, November 1997.