# Active Learning for Pixel-wise Prediction

October 11th, 2019

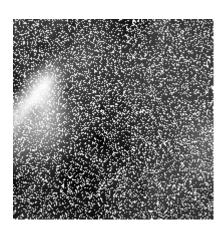
#### **Outline**

- Previous Work
- Generalization of Sparse Depth Completion
- Active Learning Methods
- Preliminary Results
- Future Work

#### **Depth Completion Task**

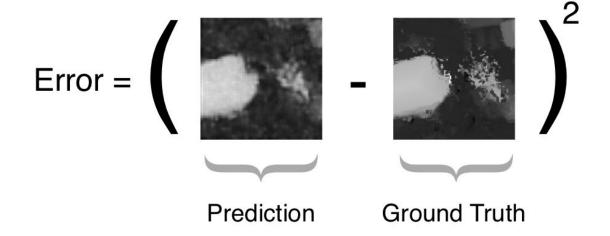
• Input: RGB aerial image and corresponding depth map with some percentage replaced with zeros.



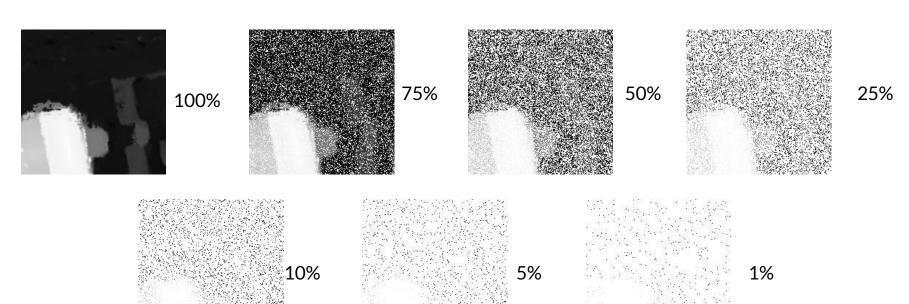


#### **Depth Completion Task**

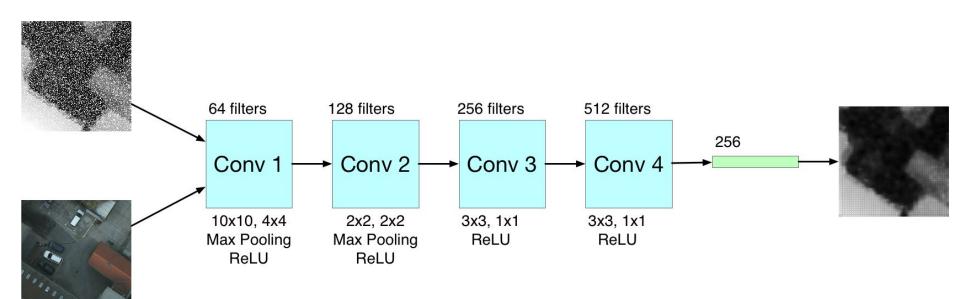
• Output: Predicted depth map



#### **Sparsity Levels**



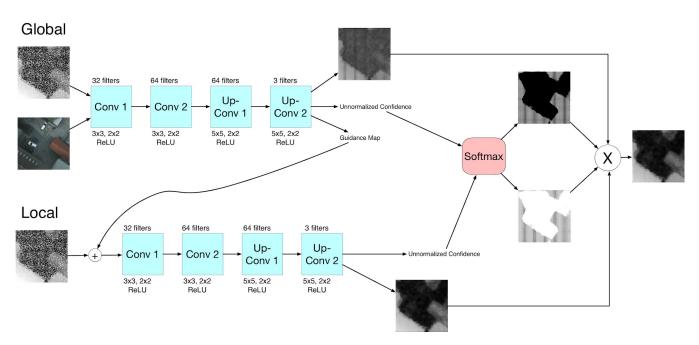
#### **Baseline Model**



#### **Baseline Results - 1% Sparse**

Sparse Image **Ground Truth** Prediction

#### State of the Art Model



#### **State of the Art - 1% Sparse**

Global Local Confidence Confidence **Image** Prediction **Ground Truth** 

#### Limitations

While we've improved over the baseline for sparsities as low as 1%, we have been unable to produce quality results with lower sparsity. In order to move forward, we may need to choose the pixels we have associated heights for more carefully than random.

## Depth Completion Generalization

## Depth Completion is a specific form of a more general problem.

Given an image and a prediction task, select individual pixels for annotation so that given this information along with the image, your learning task is easiest.

#### **Depth Completion**



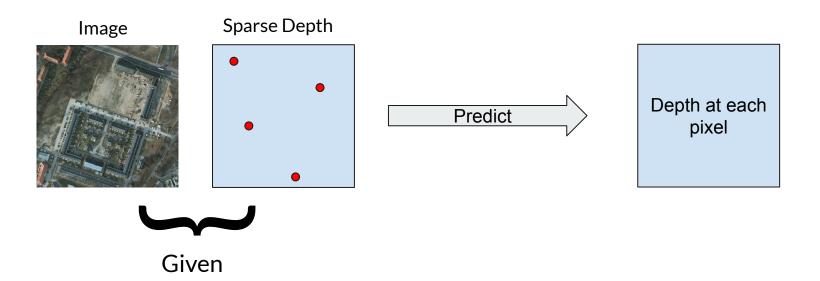
Predict



Input Image

Suggested Annotation Locations

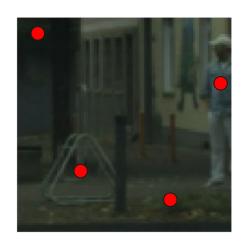
#### **Depth Completion**



#### **Semantic Segmentation**



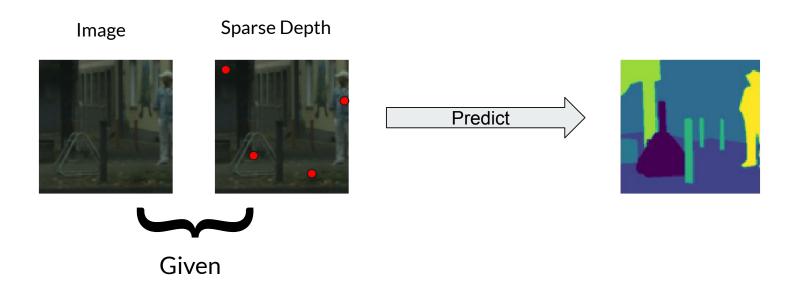
Predict



Input Image

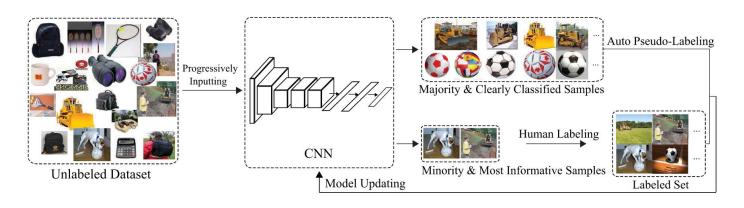
Suggested Annotation Locations

#### **Semantic Segmentation**



#### **Active Learning and its Shortcomings**

Active Learning techniques for image mostly focus on selecting a subset of *images* for annotation, not individual pixels for annotation.



#### **Active Learning and its Shortcomings**

Active Learning methods are predominantly based on selecting examples of maximum uncertainty.

#### **Typical Acquisition Functions**

$$x_H^* = \operatorname{argmax}_x - \int_y P_{\theta}(y|x) \log P_{\theta}(y|x)$$
$$x_{LC}^* = \operatorname{argmax}_x 1 - P_{\theta}(y|x)$$

#### **Active Learning and its Shortcomings**

This doesn't capture what we really want with pixel-wise prediction. We want a small set of pixels that minimize the uncertainty in the *other* pixels.

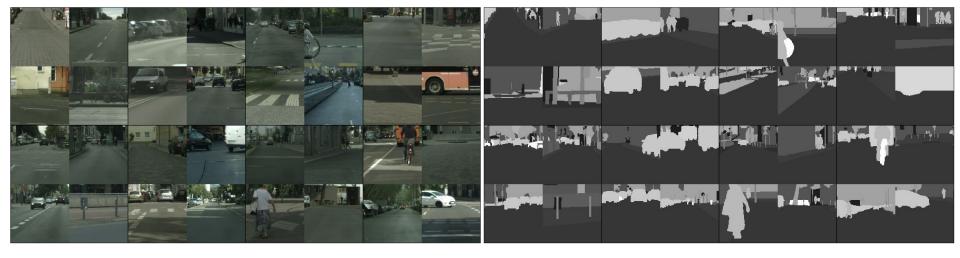
#### **Semantic Segmentation Dataset**

We will focus on the Cityscape image segmentation dataset due to its availability and its size, over 20,000 high quality images and their semantic annotation.

#### **Cityscape Training Samples**

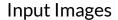
**Images** 

Segmentations



### **Preliminary Results**

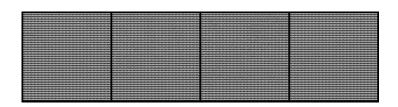
#### **Baseline: 0% Sparse Input**

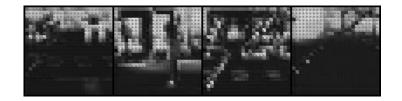




**Ground Truth Segmentation** 



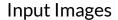








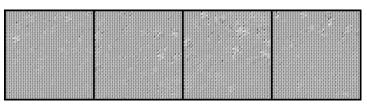
#### Baseline: .01% Sparse Input

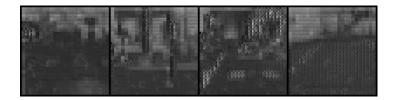


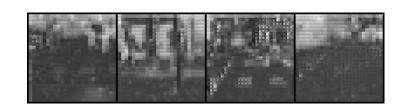


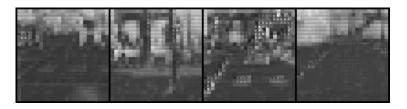
**Ground Truth Segmentation** 



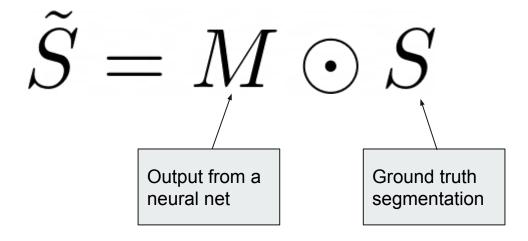






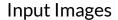


#### **Naive Masking**



$$\hat{S} = h_{\theta}(I, \tilde{S})$$

#### **Baseline: Naive Masking**





**Ground Truth Segmentation** 











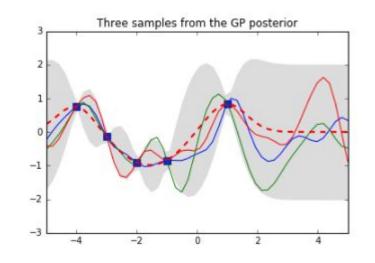
#### What went wrong?

One explanation is that it can be difficult for neural networks to learn multiplication-based outputs. Another may just be the dissimilarity between this active learning approaches and existing successful ones that rely on probability.

### **Probabilistic Models**

#### **Gaussian Processes**

Given:  $x_1, x_2, \dots x_n$ 



Assume:

$$p(f(x_1),\ldots,f(x_n)) = \mathcal{N}(\mu(x),\Sigma(x))$$

#### **Gaussian Processes for Active Learning**

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#### Near-Optimal Sensor Placements in Gaussian Processes: Theory, Efficient Algorithms and Empirical Studies

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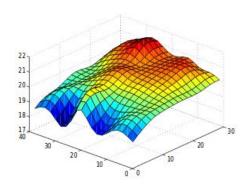
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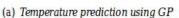
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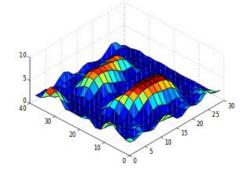
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(b) Variance of temperature prediction

Figure 2: Posterior mean and variance of the temperature GP estimated using all sensors: (a) Predicted temperature; (b) predicted variance.