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1
     Example 4.2 1D Decision boundary for the Iris dataset
 3
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 5
 6
     import IPython as IP
 7
     IP.get ipython().run line magic('reset', '-sf')
8
9
     import numpy as np
10
     import matplotlib.pyplot as plt
11
     import sklearn as sk
12
13
14
    cc = plt.rcParams['axes.prop cycle'].by key()['color']
    plt.close('all')
16
17
18
    #%% Load your data
19
20
     # We will use the Iris data set. This dataset was created by biologist Ronald
21
     # Fisher in his 1936 paper "The use of multiple measurements in taxonomic
22
     # problems" as an example of linear discriminant analysis
23
24
    iris = sk.datasets.load iris()
25
26
    # for simplicity, extract some of the data sets
27
    X = iris['data'] # this contains the length of the pedals and sepals
28
    Y = iris['target'] # contains what type of flower it is
29
     Y names = iris['target names'] # contains the name that aligns with the type of the
     flower
30
    feature names = iris['feature names'] # the names of the features
31
32
    # plot the Sepal data
33 plt.figure(figsize=(6.5,3))
34 plt.subplot (121)
35 plt.grid(True)
36
    plt.scatter(X[Y==0,0],X[Y==0,1],marker='o')
37
    plt.scatter(X[Y==1,0],X[Y==1,1],marker='s')
38
    plt.scatter(X[Y==2,0],X[Y==2,1],marker='d')
39
    plt.xlabel(feature names[0])
    plt.ylabel(feature_names[1])
40
41
42
43 plt.subplot(122)
44 plt.grid(True)
45
    plt.scatter(X[Y==0,2],X[Y==0,3],marker='o',label=Y names[0])
   plt.scatter(X[Y==1,2],X[Y==1,3],marker='s',label=Y names[1])
46
47
    plt.scatter(X[Y==2,2],X[Y==2,3],marker='d',label=Y_names[2])
48
    plt.xlabel(feature names[2])
49
   plt.ylabel(feature names[3])
50
   plt.legend(framealpha=1)
51
    plt.tight layout()
52
53
54
    #%% Train a Logistic Regression model
55
56
     # define the features (X) and the output (Y)
57
     X pedal = iris["data"][:, 3:] # consider just the petal width
58
     y pedal = iris["target"] == 2 # 1 if Iris-Virginica, else 0
59
60
     # Build the logistic Regression model and train it.
61
     log reg = sk.linear model.LogisticRegression( C=1)
62
    log reg.fit(X pedal, y pedal)
63
     # Note: The hyper-parameter controlling the regularization strength of a
64
     # Scikit-Learn LogisticRegression model is not alpha (as in other linear models),
65
     # but its inverse: C. The higher the value of C, the less the model is regularized.
66
```

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67
    # Build a range of the feature (X) to predict over. Here we just consider pedal width.
    X \text{ new} = \text{np.linspace}(0, 3, 1000)
68
69
    X \text{ new} = \text{np.expand dims}(X \text{ new, axis}=1)
70
71
    # Use the Logistic Regression Model to predict the pedal type based on pedal width
72
    y proba = log reg.predict proba(X new)
73
74
    # plot the probability plots
75
    plt.figure(figsize=(6.5,3))
76
    plt.grid(True)
77
78
    \# plot the data used for training, set at 0 and 1
    plt.scatter(X[Y==0,3],np.zeros(50),marker='o',label=Y names[0],zorder=10)
79
    plt.scatter(X[Y==1,3],np.zeros(50),marker='s',label=Y names[1],zorder=10)
80
81
    plt.scatter(X[Y==2,3],np.ones(50),marker='d',label=Y names[2],zorder=10)
82
83
    # plot the probability
     plt.plot(X_new,y_proba[:,0], '--',color=cc[3],label='Not Iris - Virgincia')
84
     plt.plot(X_new,y_proba[:,1],color=cc[2], label='Iris - Virgincia')
85
86
87
     # find and plot the 50% decision boundary
88
     x at 50 = X \text{ new[np.argmin(np.abs(y proba[:,0] - 0.5))]}
89
     plt.vlines(x at 50,0,1,color='k',linestyles=':',label='Decision Boundary')
90
91
    plt.xlabel('pedal width (cm)')
92
    plt.ylabel('probability')
93
    plt.legend(framealpha=1)
94
    plt.tight layout()
95
96
     # make predictions on the model trained on the data.
97
     log_reg.predict([[1.7]])
```