

# Reference for cnt, reg

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## cnt

### average

average

Use: average(est, param[, mode]);

\$Id: average.m,v 1.1 2006/04/04 17:05:39 oKp Exp \$

### ex\_nealhint

Script to illustrate the behavior of the REM algorithm on simulated data

\$Id: ex\_nealhint.m,v 1.1 2006/07/12 16:51:31 cappe Exp \$

## **ex\_sim**

Script to illustrate the behavior of the REM algorithm on simulated data

\$Id: ex\_sim.m,v 1.3 2006/04/06 08:36:52 oKp Exp \$

## **plt\_sim**

Script to plot the results of ex\_sim

\$Id: plt\_sim.m,v 1.1 2006/04/06 08:36:52 oKp Exp \$

## **pm\_nealhint**

pm\_nealhint Estimates the parameters of a Poisson mixture using the incremental EM algorithm

Use: [wght,rate,logl] = pm\_nealhint(count,wght\_0,rate\_0,Nit,alpha).

## **pm\_rem**

pm\_rem Estimates the parameters of a Poisson mixture using the REM algorithm.

Use: [wght,rate,logl] = pm\_rem(count,wght\_0,rate\_0,gamma,update)

where wght and rate are the estimated model parameters, logl contains the log-likelihood values for the successive iterations.

\$Id: pm\_rem.m,v 1.3 2006/04/06 08:40:10 oKp Exp \$

## **pm\_rem\_step**

pm\_rem\_step

Elementary step of the REM algorithm.

Use: [wght, rate, wght\_stats, rate\_stats, logl] = pm\_rem\_step ...

(count, wght, rate, wght\_stats, rate\_stats, gamma, dnorm, update);

note: does not perform any checks.

\$Id: pm\_rem\_step.m,v 1.2 2006/04/04 17:05:39 oKp Exp \$

## **pm\_titt**

pm\_titt Estimates the parameters of a Poisson mixture using the recursive EM algorithm a la Titterton.

Use: [wght,rate,logl] = pm\_titt(count,wght\_0,rate\_0,gamma,update)

where wght and rate are the estimated model parameters, logl contains the log-likelihood values for the successive iterations.

\$Id: pm\_titt.m,v 1.2 2006/04/06 08:40:10 oKp Exp \$

## pm\_titt\_step

pm\_titt\_step

Elementary step of the recursive EM algorithm a la Titterington.

Use: [wght, rate, logl] = pm\_rem\_step ...

(count, wght, rate, gamma, dnorm, update);

note: does not perform any checks.

\$Id: pm\_titt\_step.m,v 1.1 2006/04/06 08:36:51 oKp Exp \$

## reg

### ex\_toy

Script to run EM on the toy example taken from flexmix (1 and 6 used to produce figures the paper)

\$Id: ex\_toy.m,v 1.6 2007/10/01 15:40:27 cappe Exp \$

### reg\_batch

reg\_batch The usual (batch) EM algorithm.

Use: [w, beta, sigma2, logl] = reg\_batch(Y, Z, w\_0, beta\_0, sigma2\_0, nit) where

Y: responses (1 x n)

Z: covariates (d x n)

and

w: (1 x m x nit+1)

beta: (d x m x nit+1)

sigma2 (1 x m x nit+1)

Note that the last iteration is here just to compute the likelihood.

\$Id: reg\_batch.m,v 1.1 2007/09/04 16:37:10 cappe Exp \$

### reg\_e

reg\_e Computes the EM statistics for one data point.

Use: [bS1, bS2, bS3, bS4, logl] = reg\_e(Y, Z, w, beta, sigma2) where

Y: response (scalar)

Z: covariates (d x 1)

w: weights (1 x m)

beta: regression coeffs. (d x m)

sigma2: variances (1 x m)

and

bS1 (1 x m)

bS2 (d x m)

bS3 (d x d x m)

bS4 (1 x m)

\$Id: reg\_e.m,v 1.1 2007/09/04 16:37:10 cappe Exp \$

## reg\_info

reg\_info        Computes the observed information matrix for one data point (on regression parameter only)

Use: [inf1, inf2] = reg\_info(Y, Z, w, beta, sigma2) where

Y:        response (scalar)  
Z:        covariates (d x 1)  
w:        weights (1 x m)  
beta:     regression coeffs. (d x m)  
sigma2:   variances (1 x m)

\$Id: reg\_info.m,v 1.1 2007/09/21 16:39:01 cappe Exp \$

## reg\_m

reg\_m           The M-step

Use: [w, beta, sigma2] = reg\_m(bS1, bS2, bS3, bS4).

\$Id: reg\_m.m,v 1.1 2007/09/04 16:37:10 cappe Exp \$

## reg\_online

reg\_online      The on-line EM algorithm.

Use: [w, beta, sigma2, logl] = reg\_batch(Y, Z, w\_0, beta\_0, sigma2\_0, gam) where

Y: responses (1 x n)  
Z: covariates (d x n)  
gam: step size (1 x n)

and

w: (1 x m x n + 1)  
beta: (d x m x n + 1)  
sigma2 (1 x m x n + 1)

\$Id: reg\_online.m,v 1.3 2008/03/17 11:13:18 cappe Exp \$