

# Keeping It PG-13:

Assessing the benefits of modifying an R-rated film to earn a PG-13 rating from the MPAA.

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W203 WBL 006

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HOW'D YOU GUYS  
LIKE MY MOV...

THAT WAS EXCESSIVE WADE...  
EVEN FOR ME!!!

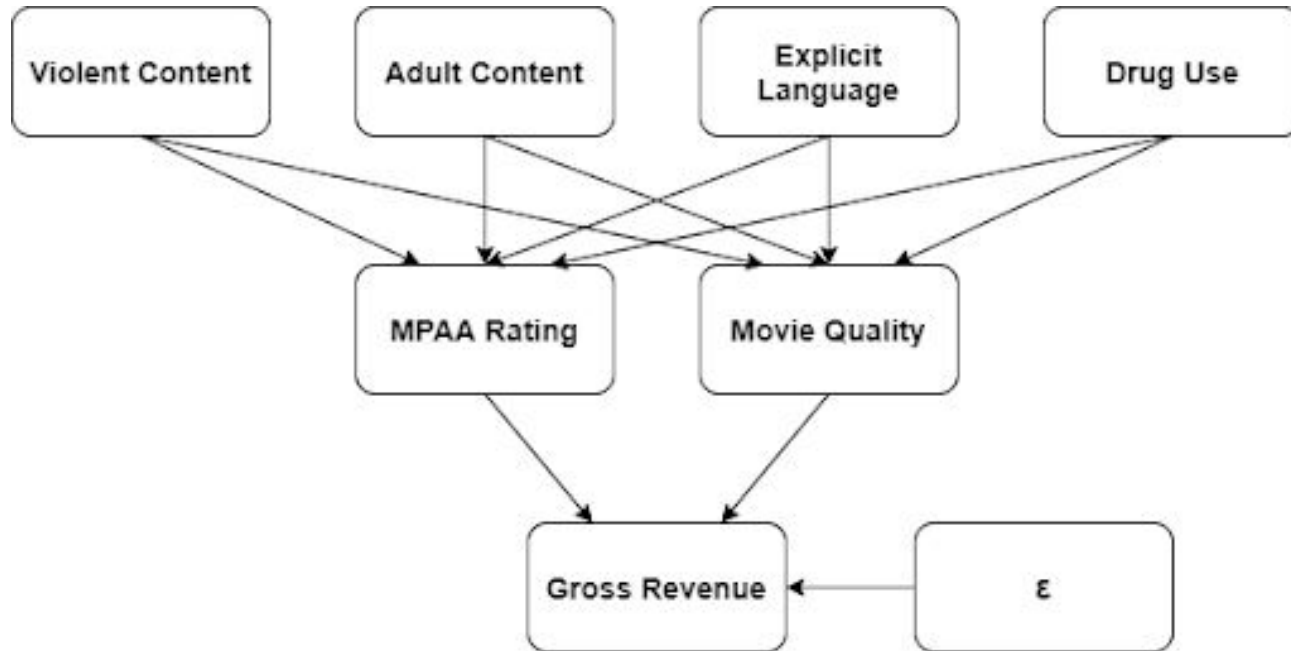
S-SSO MUCH  
LANGUAGE...



# Research Question

*Holding other factors constant, how much more money should a movie studio expect to make on a film that gets a PG-13 rating instead of an R rating from the MPAA?*

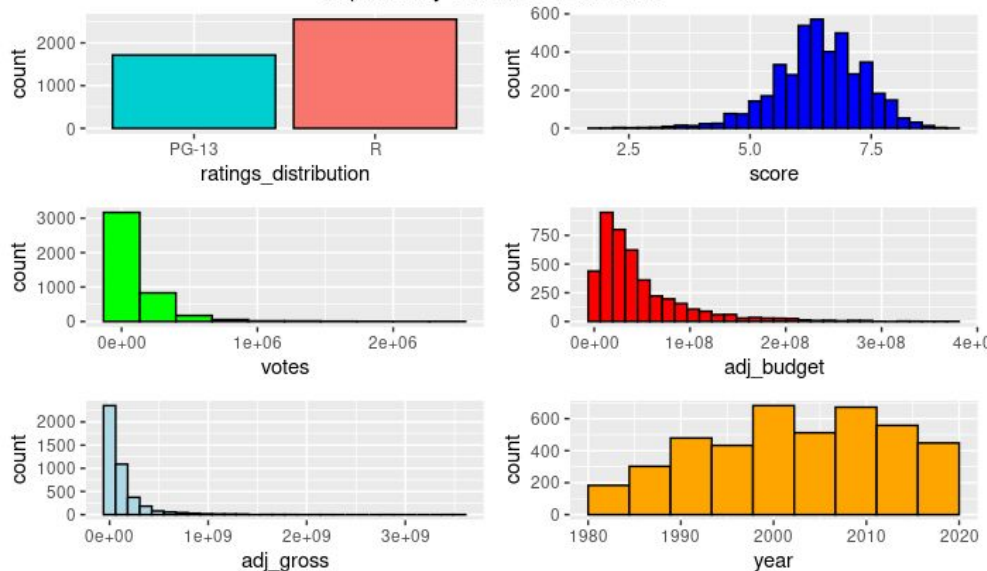
# Causal Theory



# Data

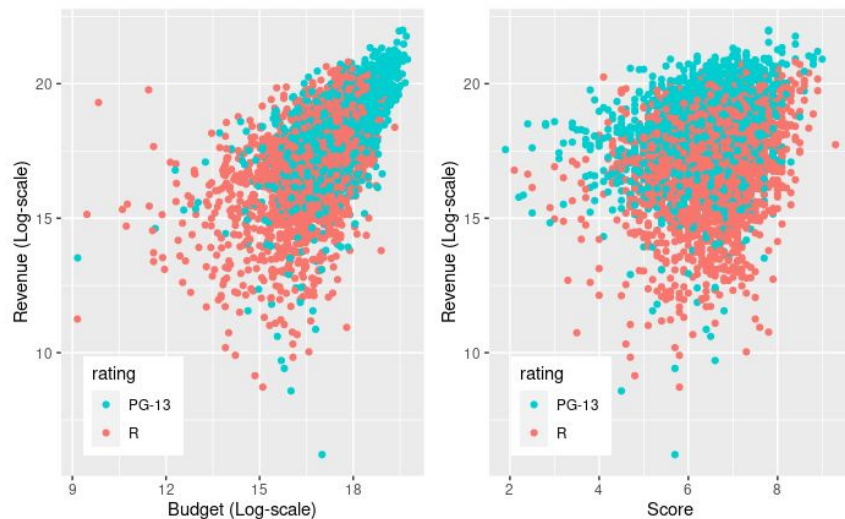
7512 unique movies scraped from IMDb.com

Explanatory Variable Distributions



## Data Point Considerations:

1. Non-zero budget and revenue
2. PG-13 and R rated movies
3. Duplicate titles prioritized by the most budget



# Research Design

1. **Gather** and **clean** the data from previous films
2. **Operationalize perceived quality** using the **IMDb Score** and **MPAA rating** as is
3. Create an **indicator variable** for PG-13 (R is the base case)
4. Adjust the **revenue** and **budget** numbers from movies released in previous years to estimate their worth in **2020**
5. Generate models based on our **causal theory**, **prior knowledge** of the movie industry, and **EDA**
6. Choose the “**best-fitting**” **model** and use it to **predict** the possible outcomes

# Models

(1)

$$\ln(Gross) = \beta_0 + \beta_1 * PG13$$

(2)

$$\ln(Gross) = \beta_0 + \beta_1 * PG13 + \beta_2 * Score$$

(3)

$$\ln(Gross) = \beta_0 + \beta_1 * PG13 + \beta_2 * Score + \beta_3 * PG13 * Score$$

(4)

$$\ln(Gross) = \beta_0 + \beta_1 * PG13 + \beta_2 * Score + \beta_3 * \ln(Budget)$$

(5)

$$\ln(Gross) = \beta_0 + \beta_1 * PG13 + \beta_2 * Score + \beta_3 * PG13 * Score + \beta_4 * \ln(Budget) + \beta_5 * PG13 * \ln(Budget)$$

# Analysis

Table 1:

	<i>Dependent variable:</i>				
	log(adj_gross)				
	(1)	(2)	(3)	(4)	(5)
PG13	1.051*** (0.054)	1.140*** (0.052)	1.199*** (0.361)	0.494*** (0.045)	-2.435*** (0.719)
IMDb Score		0.436*** (0.028)	0.440*** (0.037)	0.401*** (0.023)	0.419*** (0.030)
PG13 x Score			-0.009 (0.056)		-0.046 (0.045)
PG13 x Log(Budget)					0.186*** (0.039)
Log(Budget)				0.836*** (0.018)	0.778*** (0.022)
(Intercept)	17.106*** (0.034)	14.271*** (0.183)	14.245*** (0.241)	0.435 (0.333)	1.309** (0.411)
Observations	4,269	4,269	4,269	4,269	4,269
R <sup>2</sup>	0.083	0.133	0.133	0.425	0.428
Adjusted R <sup>2</sup>	0.083	0.133	0.133	0.424	0.427

Note:

\*p<0.05; \*\*p<0.01; \*\*\*p<0.001

**91.24% less revenue PG13 to R with 0 score/budget**

**41.9% increase in revenue for 1 point**

**37.3% increase in revenue for PG13 and 1 point**

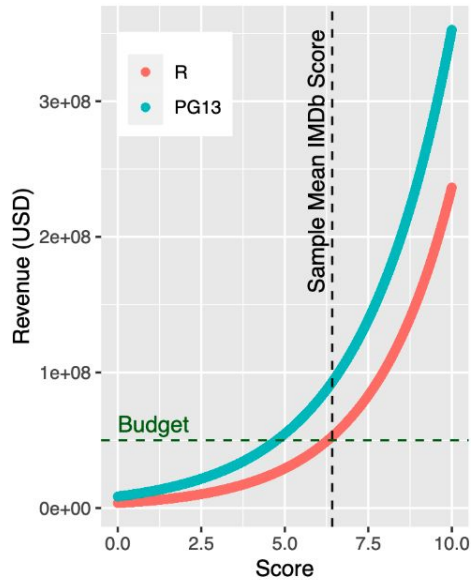
**10% increase in budget results in 9.6% increase in revenue for PG13**

**10% increase in budget results in 7.7% increase in revenue**

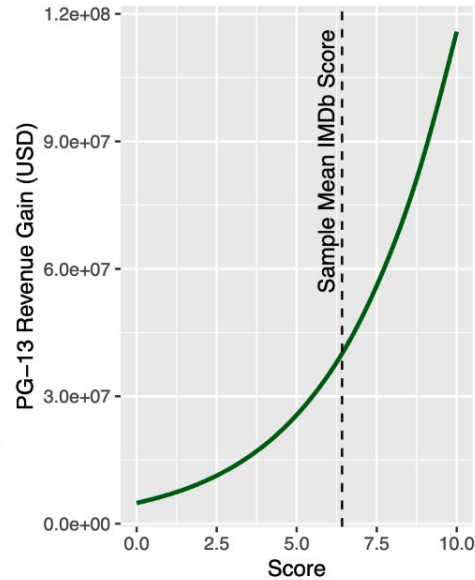


# Conclusion

Estimated Revenue vs Score



Estimated Revenue Gain for changing R film to PG-13



- **PG-13** movie expected to **generate more revenue** than **R**
- Gross revenue (**R**):  
\$52,781,381
- Gross Revenue (**PG-13**):  
\$92,884,941
- **Increase** in revenue:  
**\$40,103,560**

**Thank you!**

# Collinearity Check

