

Feedback — Quicksort

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You submitted this quiz on **Mon 17 Mar 2014 7:24 PM PDT**. You got a score of **1.60** out of **3.00**. You can [attempt again](#), if you'd like.

To specify an array or sequence of values in an answer, you must separate the values by a single space character (with no punctuation and with no leading or trailing whitespace). For example, if the question asks for the first ten powers of two (starting at 1), the only accepted answer is:

1 2 4 8 16 32 64 128 256 512

If you wish to discuss a particular question and answer in the forums, please post the entire question and answer, including the seed (which is used by the course staff to uniquely identify the question) and the explanation (which contains the correct answer).

Question 1

(seed = 76624)

Give the array that results after applying the standard 2-way partitioning algorithm from lecture to the following array:

49 64 82 90 31 53 12 76 51 99 30 72

Recall, in the standard 2-way partitioning algorithm, the leftmost entry is the partitioning item.

You entered:

31 30 12 49 90 53 82 76 51 99 64 72

Your Answer

Score

Explanation

31 30 12 49 90 53 82 76 51 99 64 72



1.00

Total

1.00 / 1.00

Question Explanation

The correct answer is: 31 30 12 49 90 53 82 76 51 99 64 72

Here is the array before and after each exchange:

| i | j | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
|-------|----|----|----|----|----|----|----|----|----|----|----|----|----|
| ----- | | | | | | | | | | | | | |
| 0 | 12 | 49 | 64 | 82 | 90 | 31 | 53 | 12 | 76 | 51 | 99 | 30 | 72 |
| 1 | 10 | 49 | 64 | 82 | 90 | 31 | 53 | 12 | 76 | 51 | 99 | 30 | 72 |
| 1 | 10 | 49 | 30 | 82 | 90 | 31 | 53 | 12 | 76 | 51 | 99 | 64 | 72 |
| 2 | 6 | 49 | 30 | 82 | 90 | 31 | 53 | 12 | 76 | 51 | 99 | 64 | 72 |
| 2 | 6 | 49 | 30 | 12 | 90 | 31 | 53 | 82 | 76 | 51 | 99 | 64 | 72 |
| 3 | 4 | 49 | 30 | 12 | 90 | 31 | 53 | 82 | 76 | 51 | 99 | 64 | 72 |
| 3 | 4 | 49 | 30 | 12 | 31 | 90 | 53 | 82 | 76 | 51 | 99 | 64 | 72 |
| 4 | 3 | 31 | 30 | 12 | 49 | 90 | 53 | 82 | 76 | 51 | 99 | 64 | 72 |
| | 3 | 31 | 30 | 12 | 49 | 90 | 53 | 82 | 76 | 51 | 99 | 64 | 72 |

Question 2

(seed = 343991)

Give the array that results after applying the standard 2-way partitioning algorithm from lecture to the following array:

B B B B A A A B B A B B

Recall, in the standard partitioning algorithm, the leftmost entry is the partitioning item and the scan stops on either side upon a key equal to the key in the partitioning item.

You entered:

B B A B A A B B B B B

Your Answer

Score

Explanation

B B A B A A A B B B B B



0.00

Total

0.00 / 1.00

Question Explanation

The correct answer is: B B B A A A A B B B B B

Here is the array before and after each exchange:

| i | j | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
|-------|----|---|---|---|---|---|---|---|---|---|---|----|----|
| ----- | | | | | | | | | | | | | |
| 0 | 12 | B | B | B | B | A | A | A | B | B | A | B | B |
| 1 | 11 | B | B | B | B | A | A | A | B | B | A | B | B |
| 1 | 11 | B | B | B | B | A | A | A | B | B | A | B | B |
| 2 | 10 | B | B | B | B | A | A | A | B | B | A | B | B |
| 2 | 10 | B | B | B | B | A | A | A | B | B | A | B | B |
| 3 | 9 | B | B | B | B | A | A | A | B | B | A | B | B |
| 3 | 9 | B | B | B | A | A | A | A | B | B | B | B | B |
| 7 | 8 | B | B | B | A | A | A | A | B | B | B | B | B |
| 7 | 8 | B | B | B | A | A | A | A | B | B | B | B | B |
| 8 | 7 | B | B | B | A | A | A | A | B | B | B | B | B |
| | 7 | B | B | B | A | A | A | A | B | B | B | B | B |

Question 3

(seed = 269779)

Which of the following statements about quicksort are true? Check all that apply. Unless otherwise specified, assume that quicksort refers to the recursive, randomized version of quicksort (with no extra optimizations) and uses the 2-way partitioning algorithm described in lecture.

Your Answer**Score Explanation**

0.00

The expected number of compares to find a median of an array of N distinct keys using quickselect is

The expected number of compares is $\sim (2 + 2 \ln 2) N$. In fact, no compare-based algorithm can find a median using fewer than $2N$ compares.

~ 2N.



0.20

The number of partitioning steps is no more than the number of distinct keys.

The number of compares to 3-way quicksort an array of N items with only three distinct keys is linear.



0.20

It will be linear if the array is sorted (after the random shuffle). If the modified algorithm always chooses the smaller subarray first, then the maximize size will be logarithmic.

Suppose that quicksort is modified to use an explicit stack instead of recursion and always recur on the subarray with more items before the subarray with fewer items. Then, the maximize size of the stack is no larger than $\lg N$.



0.00

As an extreme case, suppose that the partitioning item is the median. Then, all compares involve the median key.

Consider any two consecutive items in the array that results after quickselecting the median from an array of N distinct keys. Then, those two items were compared against one other at some point during the algorithm.



0.20

If all the keys are distinct, it is $\sim 2N \ln N$; if the keys are all equal, it is $\sim N \lg N$.

The expected number of compares to quicksort an array of N keys (not necessarily all distinct) depends only on the size of the array (and not on the items in the array).

... the items in the a
rray).

| | |
|-------|--------|
| Total | 0.60 / |
| | 1.00 |

Question Explanation