Summary

Sink States:$0(0 \times 10^0)$

Table 1: Sip4J Analysis Summary

Classes	Methods	States	Unreachable clauses	Unreachable states	Possible concurrent methods	Total. no. of method pairs	No. of concurrent method pairs	Percentage of concurrent methods pairs
StdRandom	25	1	0	0	1	325	1	0
MersenneTwisterFast	6	1	0	0	0	21	0	0
StdOut	5	1	0	0	0	15	0	0
Gaussian	8	1	0	0	7	36	23	64
SeqBlackScholes	5	1	0	0	1	15	1	7
BlackScholes	1	1	0	0	0	1	0	0
Total Classes=6	50	6	0	0	9	413	25	6

Contents

1 StdRandom

Table 2: Method's Satisfiability(Code Reachabiity Analysis

Method	Satisfiability
StdRandom	√
setSeed	√
getSeed	√
uniformO1	√
uniformO2	√
random	√
uniformO3	√
uniform	√
bernoulliO1	√
bernoulliO2	√
gaussianO1	√
gaussianO2	√
geometric	√
poisson	√
pareto	√
cauchy	√
discrete	√
exp	√
shuffleO1	√
shuffleO2	√
shuffleO3	√
shuffleO4	√
shuffleO5	√
shuffleO6	√
main	√

Table 3: State Transition Matrix

	alive
alive	↑

Table 4: Methods Concurrency Matrix

	StdRandom	setSeed	getSeed	uniformO1	uniformO2	random	uniformO3	uniform	bernoulliO1	bernoulliO2	gaussianO1	gaussianO2	geometric	poisson	pareto	cauchy	discrete	exp	shuffleO1	shuffleO2	shuffleO3	shuffleO4	shuffleO5	shuffleO6	main
StdRandom	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦
setSeed	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦
getSeed	∦	∦	‖	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦
uniformO1	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦
uniformO2	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦
random	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦
uniformO3	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦	∦

uniform	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
bernoulliO1	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
bernoulliO2	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
gaussianO1	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
gaussianO2	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
geometric	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
poisson	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
pareto	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
cauchy	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
discrete	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
exp	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
shuffleO1	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
shuffleO2	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
shuffleO3	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
shuffleO4	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
shuffleO5	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
shuffleO6	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠
main	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠	≠

2 MersenneTwisterFast

Table 5: Method's Satisfiability(Code Reachabiity Analysis

Method	Satisfiability
MersenneTwisterFast	√
setSeed	√
nextDouble	√
nextInt	√
nextShort	√
nextBoolean	√

Table 6: State Transition Matrix

	alive
alive	↑

Table 7: Methods Concurrency Matrix

	MersenneTwisterFast	setSeed	nextDouble	nextInt	nextShort	nextBoolean
MersenneTwisterFast	∦	∦	∦	∦	∦	∦
setSeed	∦	∦	∦	∦	∦	∦
nextDouble	∦	∦	∦	∦	∦	∦
nextInt	∦	∦	∦	∦	∦	∦
nextShort	∦	∦	∦	∦	∦	∦
nextBoolean	∦	∦	∦	∦	∦	∦

3 StdOut

Table 8: Method's Satisfiability(Code Reachabiity Analysis

Method	Satisfiability
StdOut	$\surd$
println	$\surd$
printf	$\surd$
print	$\surd$
close	$\surd$

Table 9: State Transition Matrix

	alive
alive	$\uparrow$

Table 10: Methods Concurrency Matrix

	StdOut	println	printf	print	close
StdOut	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$
println	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$
printf	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$
print	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$
close	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$	$\nparallel$

4 Gaussian

Table 11: Method's Satisfiability(Code Reachabiity Analysis

Method	Satisfiability
Gaussian	√
phi	√
phiOverload	√
PhiOverload	√
Phi	√
PhiInverse	√
PhiInverseOverload	√
main	√

Table 12: State Transition Matrix

	alive
alive	↑

Table 13: Methods Concurrency Matrix

	Gaussian	phi	phiOverload	PhiOverload	Phi	PhiInverse	PhiInverseOverload	main
Gaussian	∦	∦	∦	∦	∦	∦	∦	∦
phi	∦	∥	∥	∥	∥	∥	∥	∦
phiOverload	∦	∥	∥	∥	∥	∥	∥	∦
PhiOverload	∦	∥	∥	∥	∥	∥	∥	∦
Phi	∦	∥	∥	∥	∥	∥	∥	∥
PhiInverse	∦	∥	∥	∥	∥	∥	∥	∥
PhiInverseOverload	∦	∥	∥	∥	∥	∥	∥	∦
main	∦	∦	∦	∦	∥	∥	∦	∦

5 SeqBlackScholes

Table 14: Method's Satisfiability(Code Reachabiity Analysis

Method	Satisfiability
SeqBlackScholes	√
callPrice	√
call	√
call2	√
main	√

Table 15: State Transition Matrix

	alive
alive	↑

Table 16: Methods Concurrency Matrix

	SeqBlackScholes	callPrice	call	call2	main
SeqBlackScholes	∦	∦	∦	∦	∦
callPrice	∦	‖	∦	∦	∦
call	∦	∦	∦	∦	∦
call2	∦	∦	∦	∦	∦
main	∦	∦	∦	∦	∦

6 BlackScholes

Table 17: Method's Satisfiability(Code Reachabiity Analysis

Method	Satisfiability
BlackScholes	√

Table 18: State Transition Matrix

	alive
alive	↑

7 Abbreviation

Table 19: Used Abbreviation

Symbol	Meaning
$\surd$	requires clause of the method is satisfiable
$\times$	requires clause of the method is unsatisfiable
$\uparrow$	The row-state can be transitioned to the column-state
$\times$	The row-state cannot be transitioned to the column-state
$\parallel$	The row-method can be possibly executed parallel with the column-method
$\nparallel$	The row-method cannot be executed parallel with the column-method

8 Annotated version of the input program generated by Sip4J

```
1  package outputs;
2  import edu.cmu.cs.plural.annot.*;
3
4  @ClassStates({@State(name = "alive")})
5  class StdRandom {
6  @Perm(ensures="unique(this) in alive")
7  StdRandom() {   }
8
9  @Perm(requires="unique(this) in alive",
10 ensures="unique(this) in alive")
11   void setSeed(long s) {
12
13 }
14 @Perm(requires="pure(this) in alive",
15 ensures="pure(this) in alive")
16   long getSeed() {
17  return 0;
18
19 }
20 @Perm(requires="share(this) in alive",
21 ensures="share(this) in alive")
22   double uniform01() {
23  return 0;
24
25 }
26 @Perm(requires="share(this) in alive",
27 ensures="share(this) in alive")
28   int uniform02(int N) {
29  return 0;
30
31 }
32 @Perm(requires="share(this) in alive",
33 ensures="share(this) in alive")
34   double random() {
35  return 0;
36
37 }
38 @Perm(requires="share(this) in alive",
39 ensures="share(this) in alive")
40   int uniform03(int a, int b) {
41  return 0;
42
43 }
44 @Perm(requires="share(this) in alive",
45 ensures="share(this) in alive")
46   double uniform(double a, double b) {
47  return 0;
48
49 }
50 @Perm(requires="share(this) in alive",
51 ensures="share(this) in alive")
52   boolean bernoulli01(double p) {
53  return 0;
54
55 }
56 @Perm(requires="share(this) in alive",
57 ensures="share(this) in alive")
58   boolean bernoulli02() {
59  return 0;
60
61 }
62 @Perm(requires="share(this) in alive",
63 ensures="share(this) in alive")
64   double gaussian01() {
65  return 0;
66
67 }
68 @Perm(requires="share(this) in alive",
69 ensures="share(this) in alive")
70   double gaussian02(double mean, double stddev) {
71  return 0;
72
73 }
74 @Perm(requires="share(this) in alive",
75 ensures="share(this) in alive")
76   int geometric(double p) {
77  return 0;
```

```
}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  int poisson(double lambda) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  double pareto(double alpha) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  double cauchy() {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  int discrete(double[] a) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  double exp(double lambda) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void shuffle01(Object[] a) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void shuffle02(double[] a) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void shuffle03(int[] a) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void shuffle04(Object[] a, int lo, int hi) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void shuffle05(double[] a, int lo, int hi) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void shuffle06(int[] a, int lo, int hi) {

}
@Perm(requires="unique(this) in alive",
ensures="unique(this) in alive")
  void main(String[] args) {

}

}ENDOFCLASS

@ClassStates({@State(name = "alive")})

class MersenneTwisterFast {
@Perm(ensures="unique(this) in alive")
MersenneTwisterFast() {   }

@Perm(requires="unique(this) in alive",
ensures="unique(this) in alive")
  void setSeed(final long seed) {

}
@Perm(requires="share(this) in alive",
```

```
ensures="share(this) in alive")
  double nextDouble() {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  int nextInt(final int n) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  short nextShort() {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  boolean nextBoolean() {
 return 0;

}

}ENDOFCLASS

@ClassStates({@State(name = "alive")})

class StdOut {
@Perm(ensures="unique(this) in alive")
StdOut() {   }

@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void println(Object x) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void printf(String format, Object... args) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void print(Object x) {

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  void close() {

}

}ENDOFCLASS

@ClassStates({@State(name = "alive")})

class Gaussian {
@Perm(ensures="unique(this) in alive")
Gaussian() {   }

@Perm(requires="pure(this) in alive",
ensures="pure(this) in alive")
  double phi(double x) {
 return 0;

}
@Perm(requires="pure(this) in alive",
ensures="pure(this) in alive")
  double phiOverload(double x, double mu, double sigma) {
 return 0;

}
@Perm(requires="pure(this) in alive",
ensures="pure(this) in alive")
  double PhiOverload(double z) {
 return 0;

}

  double Phi(double z, double mu, double sigma) {
```

```
 return 0;

}

  double PhiInverse(double y, double delta, double lo, double hi) {
 return 0;

}
@Perm(requires="pure(this) in alive",
ensures="pure(this) in alive")
  double PhiInverseOverload(double y) {
 return 0;

}
@Perm(requires="unique(this) in alive",
ensures="unique(this) in alive")
  void main(String[] args) {

}

}ENDOFCLASS

@ClassStates({@State(name = "alive")})

class SeqBlackScholes {
@Perm(ensures="unique(this) in alive")
SeqBlackScholes() {   }

@Perm(requires="immutable(this) in alive",
ensures="immutable(this) in alive")
  double callPrice(double S, double X, double r, double sigma, double T) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  double call(double S, double X, double r, double sigma, double T, long N) {
 return 0;

}
@Perm(requires="share(this) in alive",
ensures="share(this) in alive")
  double call2(double S, double X, double r, double sigma, double T, long N) {
 return 0;

}
@Perm(requires="unique(this) in alive",
ensures="unique(this) in alive")
  void main(String[] args) {

}

}ENDOFCLASS

@ClassStates({@State(name = "alive")})

class BlackScholes {
@Perm(ensures="unique(this) in alive")
BlackScholes() {   }


}ENDOFCLASS
```