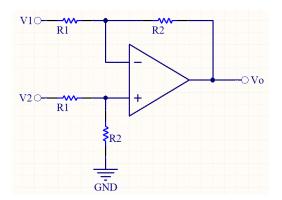
# Hardverski interfejs

#### Vežbe 10

Napomena: Sve što je označeno plavom bojom na crtežima u sklopu zadataka je deo postavke zadataka, a sve što je označeno crvenom bojom dodato je u postupku rešavanja zadataka.

### Operacioni pojačavači – nastavak

Primer 1: Za kolo sa slike naći zavisnost izlaznog napona u funkciji  $V_1$  i  $V_2$ .



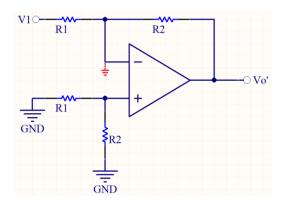
Da bi se pronašlo naponsko pojačanje neophodno je svesti ga na osnovna kola (invertujući i neinvertujući) metodom superpozicije.

1) 
$$V_1 \neq 0$$
;  $V_2 = 0 \Rightarrow V'_o$ 

2) 
$$V_2 \neq 0$$
;  $V_1 = 0 \Rightarrow V_0''$ 

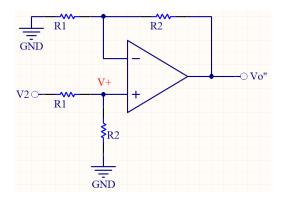
$$V_o = V_o' + V_o''$$

1) 
$$V_1 \neq 0$$
;  $V_2 = 0$ 



$$V_o' = -\frac{R_2}{R_1} \cdot V_1$$

2) 
$$V_2 \neq 0$$
;  $V_1 = 0$ 



$$V_o'' = \left(1 + \frac{R_2}{R_1}\right) \cdot V^+$$

$$V^+ = \frac{R_2}{R_1 + R_2} \cdot V_2$$

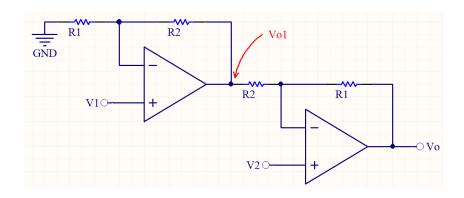
$$V_o'' = \frac{R_1 + R_2}{R_1} \cdot \frac{R_2}{R_1 + R_2} \cdot V_2 = \frac{R_2}{R_1} \cdot V_2$$

$$V_o = V_o' + V_o'' = \frac{R_2}{R_1} \cdot (V_2 - V_1)$$

$$A_v = \frac{V_o}{V_2 - V_1} = \frac{R_2}{R_1}$$

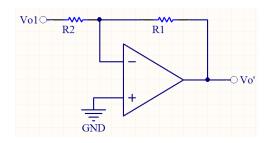
Reč je o diferencijalnom pojačavaču jer pojačava razliku ulaznih napona.

Primer 2: Naći zavisnost izlaznog napona u funkciji ulaznih.



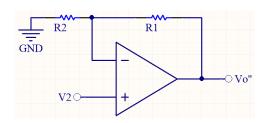
$$V_{o1} = \left(1 + \frac{R_2}{R_1}\right) \cdot V_1$$

## 1) $V_{o1} \neq 0$ ; $V_2 = 0$



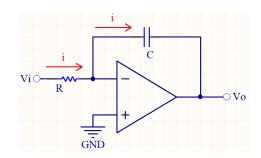
$$V_o' = -\frac{R_1}{R_2} \cdot V_{o1}$$

## 2) $V_2 \neq 0$ ; $V_{o1} = 0$



$$\begin{split} V_o^{\prime\prime} &= \left(1 + \frac{R_1}{R_2}\right) \cdot V_2 \\ V_o &= V_o^{\prime} + V_o^{\prime\prime} = -\frac{R_1}{R_2} \cdot \left(1 + \frac{R_2}{R_1}\right) \cdot V_1 + \left(1 + \frac{R_1}{R_2}\right) \cdot V_2 \end{split}$$

Primer 3: Naći prenosnu funkciju kola sa operacionim pojačavačem (integratora) i izlazni napon u funkciji ulaznog.



$$A(\omega) = \frac{V_o(\omega)}{V_i(\omega)} = -\frac{z_C}{z_R} = \frac{-\frac{1}{j\omega C}}{R} = \frac{-1}{j\omega CR}$$

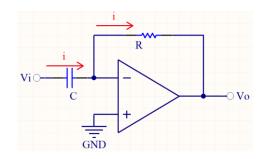
$$i = \frac{V_i}{R}$$

$$i = C \cdot \frac{d(-V_o)}{dt} = -\frac{dV_o}{dt} \cdot C$$

$$\frac{V_i}{R} = -\frac{dV_o}{dt} \cdot C$$

$$V_o = \frac{-1}{RC} \int V_i dt$$

Primer 4: Naći prenosnu funkciju kola sa slike (diferencijatora) i izlazni napon u funkciji ulaznog.



$$A(\omega) = \frac{V_o(\omega)}{V_i(\omega)} = -\frac{z_R}{z_C} = \frac{-R}{\frac{1}{j\omega C}} = -j\omega RC$$

$$i = \frac{-V_o}{R}$$

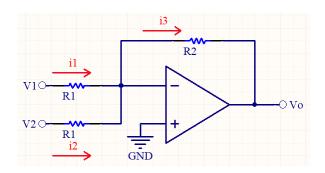
$$i = C \cdot \frac{dV_i}{dt}$$

$$\frac{-V_o}{R} = C \cdot \frac{dV_i}{dt}$$

$$V_o = -RC \cdot \frac{dV_i}{dt}$$

### Primer 5. Sabirač

Naći zavisnost izlaznog napona u funkciji  $V_1$  i  $V_2$ .



$$i_{3} = i_{1} + i_{2}$$

$$i_{1} = \frac{V_{1}}{R_{1}}$$

$$i_{2} = \frac{V_{2}}{R_{1}}$$

$$i_{3} = -\frac{V_{o}}{R_{2}}$$

$$-\frac{V_{o}}{R_{2}} = \frac{V_{1}}{R_{1}} + \frac{V_{2}}{R_{1}} = \frac{V_{1} + V_{2}}{R_{1}}$$

$$V_{o} = -\frac{R_{2}}{R_{1}} \cdot (V_{1} + V_{2})$$