Capturing loop parallelisability property:

from source code parallelisability metrics to machine-learning based assistance tool

PPar Lunch Talk

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Background

- High-level Software Parallelisation Problem Statement
- Software Quality Metrics as a work motivation
- Program Dependence Graph (PDG) and Loop Iterator Recognition

High-level Problem Statement

• Abundance of parallel hardware across the whole spectrum of computing systems (from small embedded devices to warehouse-scale server farms)







• **Difficulty of manual parallel programming** (requires application domain knowledge, parallell programming skills (synchronisation, deadlocks, race conditions, etc.), knowledge of exact frameworks (OpenMP, MPI, etc.)

• Automatic parallelisation tools are conservative and limited in their abilities to exploit all available application parallelism



Software Source Code Metrics in Software Engineering

Software Quality

Cyclomatic Complexity (CC)

Code coverage

Software Coupling & Cohesion



Bugs per line of code

Halstead's Software Science

For a given problem, Let:

- η_1 = the number of distinct operators
- η_2 = the number of distinct operands
- N_1 = the total number of operators
- N_2 = the total number of operands

From these numbers, several measures can be calculated:

- ullet Program vocabulary: $\eta=\eta_1+\eta_2$
- ullet Program length: $N=N_1+N_2$
- ullet Calculated program length: $\hat{N}=\eta_1\log_2\eta_1+\eta_2\log_2\eta_2$
- ullet Volume: $V=N imes \log_2\eta$
- ullet Difficulty : $D=rac{\eta_1}{2} imesrac{N_2}{\eta_2}$
- ullet Effort: E=D imes V

Parallel Programming

The only metrics in the subfield are different variations of speedup

$$speedup = \frac{\text{serial execution time}}{\text{parallel execution time}}$$

- Relative speedup (serial algorithm vs parallel algorithm)
- Real speedup (best known serial algorithm vs parallel algorithm)
- Absolute speedup (best known serial algorithm on the best serial hardware vs parallel algorithm)
- Analytical speedup
- Asymptotic speedup (O_{serial}(n)/O_{parallel}(n))

Program Dependence Graph and Iterator Recognition Works

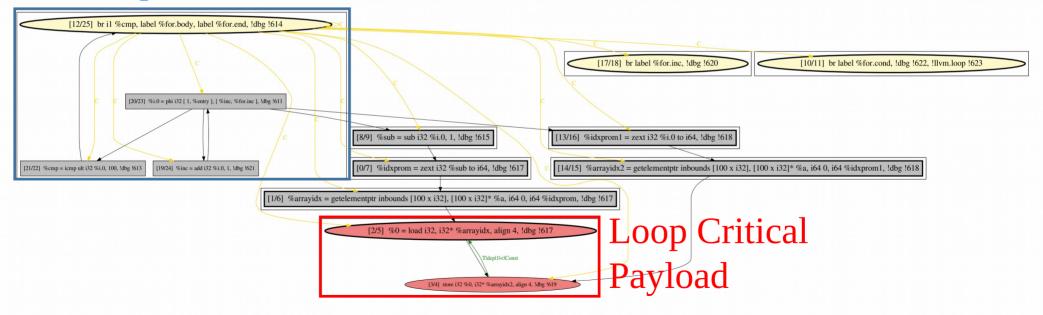
- Program Dependence Graph (PDG) is an IR graph, representing both data and control dependencies between instructions
- **Generalized Loop Iterator** is a Strongly Connected Component on a PDG with no incoming dependence edges in the Component Graph

- The Program Dependence Graph and Its Use in Optimization. Jeanne Ferrante (IBM T. J. Watson Research Center), Karl J. Ottenstein (Michigan Technological University), Joe D. Warren (Rice University). ACM Transactions on Programming Languages and Systems, 1987.
- Generalized Profile-Guided Iterator Recognition. Stanislav Manilov, Christos Vasiladiotis, and Björn Franke (The University of Edinburgh). Proceedings of 27th International Conference on Compiler Construction (CC'18).

Dependence based Anatomy of a Loop

```
unsigned int a[100];
for (unsigned int i = 1; i < 100; i++) {
    a[i] = a[i-1];
}</pre>
```

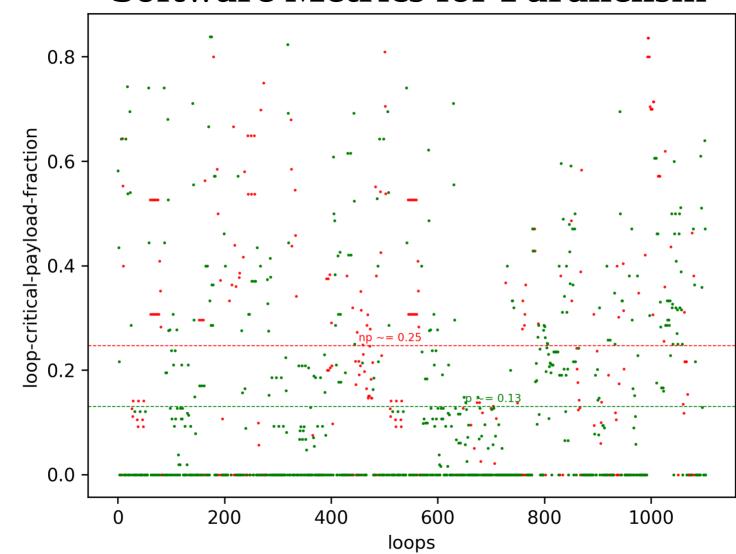
Loop Iterator

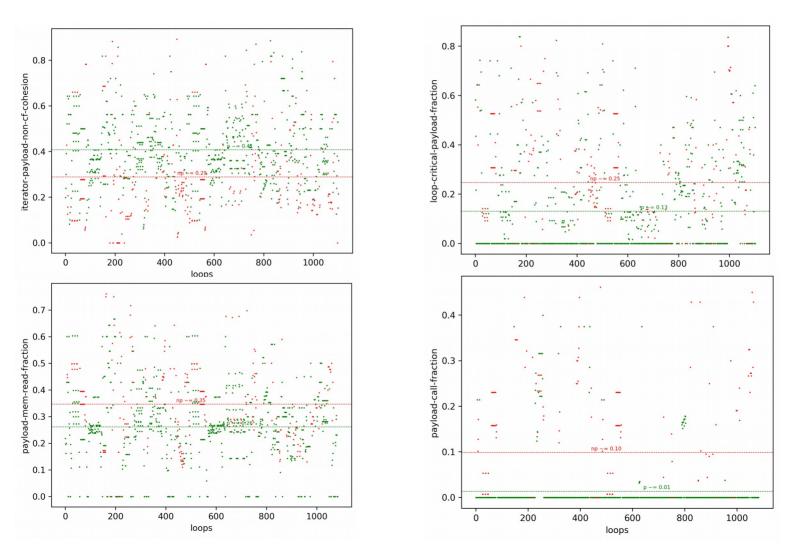


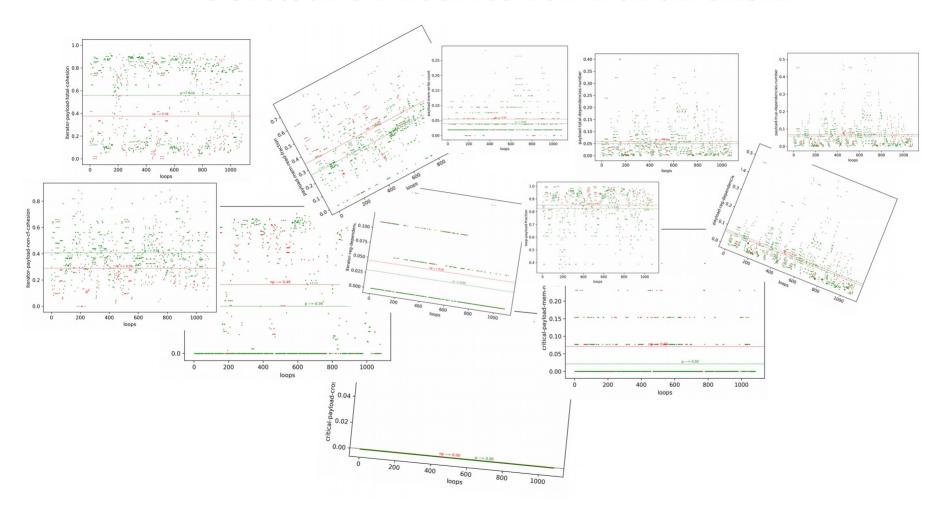
Software Parallelisability Metrics

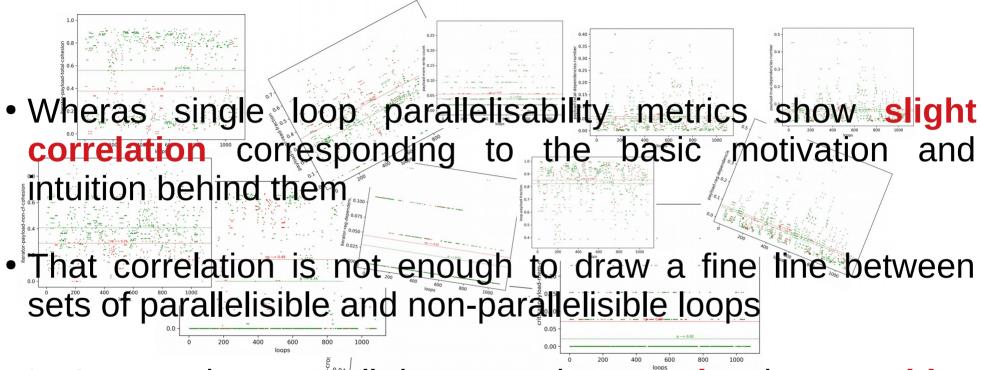
- Proposed Software Parallelisability Metrics
- Metrics Correlation with Loop Parallelisability

Metric Group	Metric	Metric Definition	Intuition		
	Absolute Size	Number of LLVM IR instructions in a whole loop	The bigger the loop, the harder it is to parallelize it		
Loop Proportions	Payload Fraction	Payload Instructions Number Total Loop Instructions Number	The smaller the payload fraction (hence, the more complex iterator is), the harder it is to parallelize a loop		
Loop Floportions	Proper SCCs Number	Number of SCCs with more than one LLVM IR instruction in a payload of a loop	The more proper SCCs we have, the harder this loop is for parallelization		
	Critical Payload Fraction	Critical Payload Instructions Number Payload Instructions Number	The bigger the critical part of a loop, the harder it is to parallelize a loop		
Loop	Payload Dependencies Number	Number of PDG edges in a payload (True , Anti , Output and Total)	The more dependencies we have, especially in the critical part of a loop payload, the		
Dependencies Number	Critical Payload Dependencies Number	Number of PDG edges in a critical payload (True , Anti , Output and Total)	harder it is to parallelize a loop		
Loop Cohesion	Iterator/Payload Cohesion	Edges Number Between Iterator / Payload Total Loop Edges Number	No apparent intuition		
Loop Collesion	Critical/Regular Payload Cohesion	Edges Number Between Critical / Non - critical Payload Total Payload Edges Number	The tighter a regular payload is coupled with payload's critical part (more edges in between, bigger cohesion value), the harder it is to parallelize a loop		
Loop Instruction	Call instructions count	Number of call instructions in iterator, payload and critical payload of a loop	Uninlined calls prevent loop parallelisation		
Nature	Branch instructions count	Number of branch instructions in iterator, payload and critical payload of a loop	Branch instructions implement breaks, returns and a complicated CF in a loop body, what effectively hinders loop parallelisation		









• Let's try to harness all these metrics together in a machine learning model

Benchmarks

- Brief Seoul National University (SNU) NAS Parallel Benchmarks (NPB) overview
- SNU NPB Parallelisability analysis

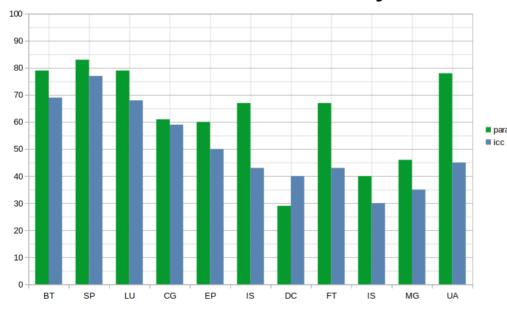
Seoul National University NAS Parallel Benchmarks

	Seoul National University (SNU) NASA Parallel Benchmarks (NPB)					
NASA	Benchmarks Total Number	Loops Total Number	OpenMP Pragmas Number			
	11	1575	211			

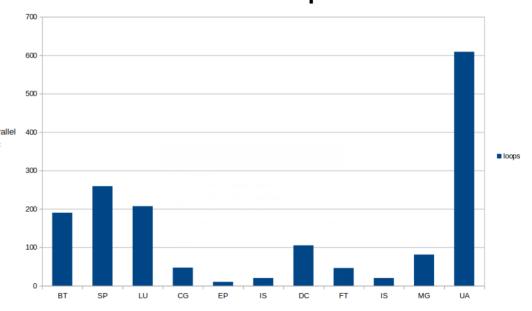
- NAS Parallel Benchmarks (NPB) are a set of benchmarks targeting performance evaluation of highly parallel supercomputers
- SNU NPB version of benchmarks developed at Seoul National University
- SNU NPB has sequential as well as manually parallelised OpenMP version

Seoul National University NAS Parallel Benchmarks

SNU NPB Parallelisability %



SNU NPB Total Loops Number



Intel C/C++ Compiler Parallelisation limitations (171)

Potentially solvable limitations

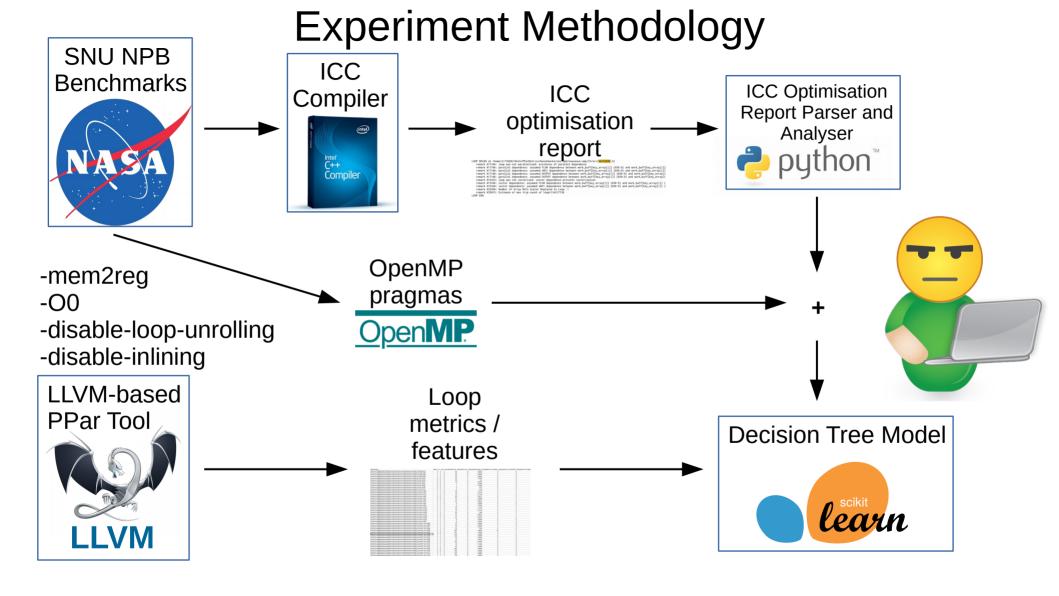
SNU NASA Parallel Benchmarks Intel C/C++ Compiler Limitations (89)							
Unrecognised Reduction	Array Privatization Need	Alias Analysis	Statically unknown number of iterations	Static dependencies	Other		
18	3	49	7	11	3		

Difficult to overcome: requires human source code comprehension and benchmark runtime information

SNU NASA Parallel Benchmarks Intel C/C++ Compiler Limitations (82) Static dependencies: **Array Privatization** Too complex (cross-iteration Alias analysis Uninlined Other runtime information need dependencies, entangled CF, conservativeness function calls Need indirect array referencing, etc.) 35 4 22 11 1 4

Machine Learning based Loop Parallelisability Prediction

- Supervised Machine Learning Loop Classification Problem
- Loop Classification Labels
- Model Learning Performance
- Model Use Scenarios





Seoul National University (SNU) NASA Parallel Benchmarks (NPB)

Benchmarks Total Number	Loops Total Number	OpenMP Pragmas Number
11	1575	211

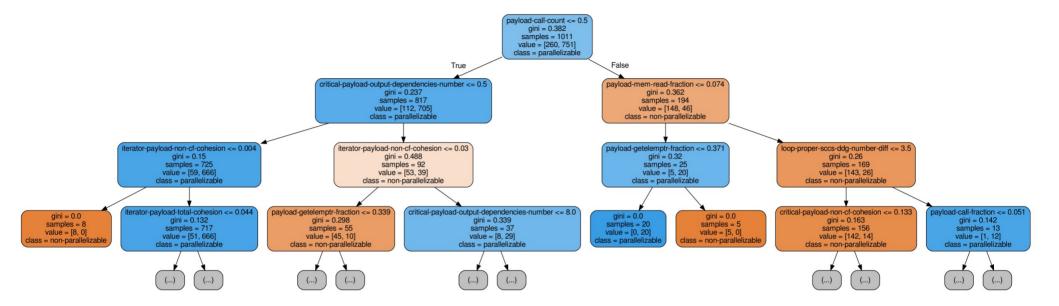
SNU NPB ICC optimisations									
Loop Distributi	p Fusions		Loop Colla	pses	Loc	op Tilings			
34			214	214 58				27	
Parallelised	Mems	et Generated	Vectorised		rallelisation pendencies		Not a rallelisation candidate	Vectorisation Dependencies	
653		35	737		535		103	266	

Machine Learning Parallelisability Labels (Parallelisible/Non-Parallelisible)						
SNU NPB DEVELOPER KNOWLEDGE	ICC MISSED OPPORTUNITIES	ICC				
1145 / <mark>430</mark>	1051 / <mark>524</mark>	962 / <mark>613</mark>				

Decision Tree Model Learning Performance

Machine Learning Accuracy (outliers beyond 3 standard deviations have been filtered out) **Loop Classification** SNU NPB developer knowledge ICC missed opportunities ICC Labels 1420 loops **1420 loops** 1420 loops Loops 995 / 425 901 / 519 812 / 608 **Baseline** (random) 70% 63.5% 57% predictor accuracy **DT** accuracy 89-91.6% 90-93% 89-92.5% Error types (safe/false negatives 43-52% 42-50% 42-49% (unsafe/false 48-57% 50-58% 51-58% positives)

Decision Tree Model Learning Performance



C/C++ loop **ICC** Compiler **Decision Tree Model** learn [YES] 93.4% / <mark>6.6%</mark> [YES] 100% / 0% 14.5% / 85.5% Parallelisation Advice [YES] 93.8% / 6.2% [NO] 3.6% / 96.4%

ML based Parallelisation Assistance Tool

Tool performance with ICC missed opportunities loop classification labels

Training / Testing Set Sizes	ICC / ML	Cases Number	Real Parallel	Non- Parallel		ormance % → 98.9%
880 / 220	0/0	49.9	1.8	48.1	ICC	148.1
161.6 / <mark>59</mark>	0/1	22.3	11.4	10.9	ICC+ML	159.8
	1/0	6	6.28	0	ICCTIVIL	
	1/1	142.1	142.1	0	Real	161.6

^{*} Results are relatively stable across training/testing sets size variation

Combined output utilises almost all SNU NPB available parallelism, but introduces unsafe false positives

Programmer eliminates unsafe false positives

In a perfect use scenario SNU NPB available parallelism utilisation increases on average from 91.5% to 99%

C/C++ loop ICC Compiler **Decision Tree Model** learn [YES] 100% / 0% [YES] 93.7% / 6.3% 21.4% / 79.6% Parallelisation Advice

[YES] 94% / 6%

[YES] 100% / 0%

ML based Parallelisation Assistance Tool

Tool performance with SNU NPB developer loop classification labels

Training / Testing Set Sizes	ICC / ML	Cases Number	Real Parallel	Non- Parallel	Performa 85.7% →	
867 / 217	0/0	36	3.4	32.6	ICC	148.5
173.3 / 43.6	0/1	32.4	21.4	11		
.0.0	1/0	5.5	5.5	0	ICC+ML	169.9
	1/1	143	143	0	Real	173.3

Combined output utilises almost all SNU NPB available NOT 9.5% 191.5% parallelism, but introduces unsafe false positives

> Programmer eliminates unsafe false positives

> > In a perfect use scenario SNU NPB available parallelism utilisation increases on average from 86% to 98%

ML based Parallelisation Assistance Tool



Safe Parallelism Utilisation Increase

C/C++ loop

Thank you for your attention!

Backup

- Source code examples
- Additional Tables

BT, SP, LU benchmarks: array privatization need

```
void error_norm(double rms[5])
                                                                     void exact_solution(double xi, double eta, double zeta, double dtemp[5])
 int i, j, k, m, d;
 double xi, eta, zeta, u_exact[5], add;
                                                                       int m;
 double rms_local[5];
                                                                      for (m = 0; m < 5; m++) {
                                                                        dtemp[m] = ce[m][0] +
 for (m = 0; m < 5; m++) {
   rms[m] = 0.0:
                                                                          xi*(ce[m][1] + xi*(ce[m][4] + xi*(ce[m][7] + xi*ce[m][10]))) +
                                                                          eta*(ce[m][2] + eta*(ce[m][5] + eta*(ce[m][8] + eta*ce[m][11])))+
                                                                          zeta*(ce[m][3] + zeta*(ce[m][6] + zeta*(ce[m][9] +
                                                                          zeta*ce[m][12])));
 #pragma omp parallel default(shared) \
         private(i,j,k,m,zeta,eta,xi,add,u_exact,rms_local) shared(rms)
 for (m = 0; m < 5; m++) {
                                                      Loop nest (k,j,i) accumulates the total error (difference between
   rms local[m] = 0.0:
                                                      solution u and the exact solution u exact) via a reduction
 #pragma omp for nowait
 for (k = 0; k <= grid_points[2]-1; k++) {
                                                      Every iteration (k,j,i) uses temporary rms |local|| memory to
   zeta = (double)(k) * dnzm1;
   for (j = 0; j <= grid_points[1]-1; j++) {
                                                      compute and store one little portion of the reduction
     eta = (double)(j) * dnym1;
     for (i = 0; i <= grid_points[0]-1; i++) {
       xi = (double)(i) * dnxm1;
                                                      This rms local introduces cross-iteration dependency, since it
       exact_solution(xi, eta, zeta, u_exact);
                                                      is being reused on different loop nest iterations
       for (m = 0; m < 5; m++) {
         add = u[k][j][i][m]-u_exact[m];
                                                      Programmer replicates this temporary rms |local| memory with
         rms local[m] = rms local[m] + add*add:
```

for (m = 0; m < 5; m++) {

#pragma omp atomic rms[m] += rms_local[m];

} //end parallel

Intel Compiler does not automatically do such a parallelising transformation

OpenMP semantics and parallelises the loop nest

UA benchmark: static dependence (runtime information need)

```
// mt_to_id[miel] takes as argument the morton index and returns the actual
                          element index
// id to mt(iel) takes as argument the actual element index and returns the
                         morton index
#pragma omp parallel for default(shared) private(miel,iel)
for (miel = 0; miel < nelt; miel++) {</pre>
   iel = mt_to_id[miel];
  id_to_mt[iel] = miel; Output
 LOOP BEGIN at /home/s1736883/Work/PParMetrics/benchmarks/snu-npb/nauseous-omp/UA/src/adapt.c(149.3)
    remark #17104: loop was not parallelized: existence of parallel dependence
    remark #17106: parallel dependence: assumed OUTPUT dependence between id_to_mt[mt_to_id[miel]] (151:5) and id_to_mt[mt_to_id[miel]] (151:5)
    remark #17106: parallel dependence: assumed OUTPUT dependence between id_to_mt[mt_to_id[miel]] (151:5) and id_to_mt[mt_to_id[miel]] (151:5)
    remark #15388: vectorization support: reference mt_to_id[miel] has aligned access [ /home/s1736883/Work/PParMetrics/benchmarks/snu-npb/nduseous-omp/
    remark #15329: vectorization support: irregularly indexed store was emulated for the variable <id_to_mt[mt_to_id[miel]]>, part of index is read from m
    remark #15305: vectorization support: vector length 8
    remark #15300: LOOP WAS VECTORIZED
    remark #15448: unmasked aligned unit stride loads: 1
    remark #15463: unmasked indexed (or scatter) stores: 1
    remark #15475: --- begin vector cost summary ---
    remark #15476: scalar cost: 4
    remark #15477: vector cost: 20.750
    remark #15478: estimated potential speedup: 0.190
    remark #15488: --- end vector cost summary ---
    remark #25015: Estimate of max trip count of loop=1100
```

LOOP END

- Loop has an output dependency and Intel compiler correctly detects it
- Intel compiler does not parallelise the loop, but can vectorise it
- Programmer knows, that dependence does not materialise and preceeds the loop with an OpenMP pragma

IS benchmark: static dependence (runtime information need)

```
Determine the number of keys in each bucket */
     #pragma omp for schedule(static)
     for( i=0; i<NUM_KEYS; i++ )</pre>
          work_buff[key_array[i] >> shift]++;  True Anti Output
LOOP BEGIN at /home/s1736883/Work/PParMetrics/benchmarks/snu-npb/nauseous-omp/IS/src/is.c(649.5)
  remark #17104: loop was not parallelized: existence of parallel dependence
  remark #17106: parallel dependence: assumed FLOW dependence between work_buff[key_array[i]] (650:9) and work_buff[key_array[i]]
  remark #17106: parallel dependence: assumed ANTI dependence between work_buff[key_array[i]] (650:9) and work_buff[key_array[i]]
  remark #17106: parallel dependence: assumed OUTPUT dependence between work_buff[key_array[i]] (650:9) and work_buff[key_array[i
  remark #17106: parallel dependence: assumed OUTPUT dependence between work_buff[key_array[i]] (650:9) and work_buff[key_array[i
  remark #15344: loop was not vectorized: vector dependence prevents vectorization
  remark #15346: vector dependence: assumed FLOW dependence between work_buff[key_array[i]] (650:9) and work_buff[key_array[i]] (
  remark #15346: vector dependence: assumed ANTI dependence between work_buff[key_array[i]] (650:9) and work_buff[key_array[i]] (
  remark #25456: Number of Array Refs Scalar Replaced In Loop: 1
  remark #25015: Estimate of max trip count of loop=134217728
LOOP END
```

- Intel Compiler assumes all static dependencies to materialise and does not proceed with the parallelisation of the loop
- Programmer knows that

Intel C/C++ Compiler optimisation report parsing and analysis problems

- Intel Compiler uses cost model to decide on how to process parallelisible loops and loop nests (parallelise, vectorise, generate memset/memcpy, leave sequential)
- Has been vectorised != absence of parallelisation restricting dependencies
- A set of transformations applied in order to enable loop parallelisation (loop distribution, fusion, tiling, collapsing, interchange, etc.)
- Loop eliminations (unrolling, inlining,

Machine Learning Parallelisability Labels (Parallelisible/Non-Parallelisible)							
OMP+MANUAL+ICC	MANUAL+ICC	ICC					
1145 / <mark>430</mark>	1051 / <mark>524</mark>	962 / <mark>613</mark>					

Seoul National University NAS Parallel Benchmarks

Benchmarks	Brief Description	Benchmark Parallelisability	Loops Number	Loops Na	ature
		(ICC+OMP/ICC)		OMP+ ICC	ICC
ВТ		<mark>79%</mark> / 69%	190	150 / <mark>30</mark>	131 / 59
SP	parallel access patterns.	83% / 77%	259	217 / 42	200 / 59
LU		79% / 68%	207	164 / <mark>43</mark>	141 / 64
CG	Half of the benchmark are parallelisible reductions (even without OpenMP compiler hints), the other half are	61% / 59%	47	29 / <mark>18</mark>	28 / 19
EP	Small, nothing interesting	60% / 50%	10	6 / <mark>4</mark>	5/5
IS	Materialisation of loop cross-iteration dependencies depends on a dynamic program properties. Programmer knows	67% / 43%	20	8 / 12	6 / 14

Loops challenging ICC

- · Loops with cross-iteration dependencies
- · Loops with a statically unknown number of iterations

- · Loops with unidentified control variable
- · Loops with function calls inside the body
- · Loops with multiple exits (break, return statements, etc.)

```
void exact_solution(double xi, double eta, double zeta, double dtemp[5])
   int m;
   for (m = 0; m < 5; m++) {
      dtemp[m] = ce[m][0] +
        xi*(ce[m][1] + xi*(ce[m][4] + xi*(ce[m][7] + xi*ce[m][10]))) +
        eta*(ce[m][2] + eta*(ce[m][5] + eta*(ce[m][8] + eta*ce[m][11])))+
        zeta*(ce[m][3] + zeta*(ce[m][6] + zeta*(ce[m][9] +
        zeta*ce[m][12])));
LOOP BEGIN at /home/s1736883/Work/PParMetrics/benchmarks/snu-npb/nauseous-omp/BT/src/exact_solution.c(44,3)
  remark #17104: loop was not parallelized: existence of parallel dependence
  remark #17106: parallel dependence: assumed FLOW dependence between dtemp[m] (45:5) and ce[m][0] (45:5)
  remark #17106: parallel dependence: assumed ANTI dependence between ce[m][0] (45:5) and dtemp[m] (45:5)
  remark #15344: loop was not vectorized: vector dependence prevents vectorization
  remark #15346: vector dependence: assumed FLOW dependence between dtemp[m] (45:5) and ce[m][0] (45:5)
  remark #15346: vector dependence: assumed ANTI dependence between ce[m][0] (45:5) and dtemp[m] (45:5)
LOOP END
```

Loop classification problem [1]: what is parallel and what is not?

```
void error_norm(double rms[5])
                                                                       void exact_solution(double xi, double eta, double zeta, double dtemp[5])
 int i, j, k, m, d;
 double xi, eta, zeta, u_exact[5], add;
                                                                         int m;
 double rms_local[5];
                                                                         for (m = 0; m < 5; m++) {
                                                                           dtemp[m] = ce[m][0] +
 for (m = 0; m < 5; m++) {
   rms[m] = 0.0:
                                                                             xi*(ce[m][1] + xi*(ce[m][4] + xi*(ce[m][7] + xi*ce[m][10]))) +
                                                                             eta*(ce[m][2] + eta*(ce[m][5] + eta*(ce[m][8] + eta*ce[m][11])))+
                                                                             zeta*(ce[m][3] + zeta*(ce[m][6] + zeta*(ce[m][9] +
                                                                             zeta*ce[m][12])));
 #pragma omp parallel default(shared) \
         private(i,j,k,m,zeta,eta,xi,add,u_exact,rms_local) shared(rms)
  for (m = 0; m < 5; m++) {
                                                     How to label these loops for a ML-based tool?
   rms local[m] = 0.0:
                                                      OpenMP semantics is supposed to replicate rmh local and ensure
  #pragma omp for nowait
                                                      atomic mutually exclusive access to a shared rhs[]
  for (k = 0; k <= grid_points[2]-1; k++) {
   zeta = (double)(k) * dnzm1;
   for (j = 0; j <= grid_points[1]-1; j++) {
                                                      OpenMP puts in an additional semantics, without which there is a memory
     eta = (double)(j) * dnym1;
                                                      dependence
     for (i = 0; i <= grid_points[0]-1; i++) {
       xi = (double)(i) * dnxm1;
       exact_solution(xi, eta, zeta, u_exact);
                                                      No dependence in OpenMP version, but memory cross-iteration
                                                      dependence in the sequential version
       for (m = 0; m < 5; m++) {
         add = u[k][j][i][m]-u_exact[m];
```

instruction

rms local[m] = rms local[m] + add*add;

for (m = 0; m < 5; m++) {

rms[m] += rms_local[m];

#pragma omp atomic

} //end parallel

- Function calls scare conservative compiler. Should we classify the code
- as it is or only after assumed inlining is done?

Need to provide memory in rhs local for every parallel thread, before we

parallelise it. Compiler does not do it automatically, without programmer's

BT, SP, LU benchmarks:

```
int m. i. i. k. ip1. im1. ip1. im1. km1. kp1:
#pragma omp parallel default(shared) private(i,j,k,m,zeta,eta,xi,\
#pragma omp for schedule(static) nowait
for (k = 1; k <= grid_points[2]-2; k++) {</pre>
 zeta = (double)(k) * dnzm1;
 for (j = 1; j <= grid_points[1]-2; j++) {
   eta = (double)(j) * dnym1;
   for (i = 0; i <= grid_points[0]-1; i++) {</pre>
      xi = (double)(i) * dnxm1:
      exact_solution(xi, eta, zeta, dtemp);
      for (m = 0; m < 5; m++) {
       ue[i][m] = dtemp[m];
      q[i] \= 0.5*(buf[\frac{1}{2}][1] \tag{1} + buf[i][2] \tag{2} + \text{ue}[i][2] +
                  buf[i\][3]*ue[i][3]);
    for (i = 1; i <= grid_points[0]-2; i++) {
      im1 = i+1;
                           True
      ip1 = i+1:
      forcing[k][j][i][0] + forcing[k][j][i][0] -
        tx2*( ue[ip1][1]-ue[im1][1] )+
        dx1tx1*(ue[ip1][0]-2.0*ue[i][0]+ue[im1][0]);
    for (m = 0: m < 5: m++) {
      i = grid_points[0]-3;
      forcing[k][i][i][m] = forcing[k][i][i][m] - dssp *
        (ue[i-2][m] - 4.0*ue[i-1][m] +
         6.0*ue[i][m] - 4.0*ue[i+1][m]);
      i = grid_points[0]-2;
      forcing[k][j][i][m] = forcing[k][j][i][m] - dssp *
        (ue[i-2][m] - 4.0*ue[i-1][m] + 5.0*ue[i][m]);
```

double dtemp[5], xi, eta, zeta, dtpp;

- ue[PROBLEM_SIZE+1][5] is a global 2D array, which contains different values as a function of 2 loop nest iteration (k,j)
- Programmer does not replicate ue's memory per every thread, but seemingly relies on the nonoverlapping timing of loop iterations
- Intel Compiler correctly detects all dependencies and refuses to parallelise this code

OpenMP pragma [3]: UA

```
for (i = 0; i < LX1-1; i++) {
    [tmmor[idmo[iel][iface][0][0][j][i]] = 0.0; Output
}</pre>
```

- Loop has an output dependency and Intel compiler correctly detects it
- Intel compiler does not parallelise the loop, due to an output dependency
- Same-value output dependency

Getting ML classification labels for loops: methods and challenges

Methods and sources of loop classification labels extraction:

- Seoul National University (SNU) NAS Parallel Benchmarks (NPB) with added OpenMP pragmas
- Intel C/C++ Compiler (ICC) optimisation reports
- Manual SNU NPB source code study to check and verify parallelisation labels

Task challenges and complications:

- Seoul National University (SNU) NAS Parallel Benchmarks (NPB) with added OpenMP pragmas
- Intel C/C++ Compiler (ICC) optimisation reports
- Manual SNU NPB source code study to check and verify parallelisation labels