## Thesis overview

## Ashesh Vasalya

## November 19, 2018

## Abstract

- Abstract
- Contents
- Acknowledgments
- List of Figures
- List of Tables
- Introduction
- chapter 1 State-of-the-Art
  - Contents
  - Cognitive Robotics
  - Humanoid Robots and Neuroscience
  - Motor Contagions
  - Human Robot interaction: Physical & Non-Physical
- ullet chapter 2 Distinct Motor Contagions
- $\bullet\,$  chapter 3 Motor Contagions Influence Performance
- $\bullet\,$ chapter 4 HRI: human-human & human-robot dual arm object handover
- Conclusion/Future possibilities
- Apendix
- Bibliography

```
Algorithm 1 linear prediction controller
         Input: \mathcal{T}_{R}^{efL}, mocapFrameData
         Output: wp_{obj}^{efL} —way points to predicted handover location
         Initial require: t_{observe} = 10ms, t_{predict} = 1sec, i = 1
   1: if mocapStart and mocapFrameData(i)! = NaN then
                if (i\%t_{observe}) == 0 then
                         \mathcal{T}_{R}^{efL} \leftarrow endEffectorTask \\  \mathcal{T}_{M}^{efL_{marker}} \leftarrow mocapFrameData.robotMarker((i-t_{observe})+1) 
  3:
   4:
                         for j \leftarrow 1 to t_{observe} do
  5:
                                \mathcal{T}_{M}^{eff} \overset{\leftarrow}{\leftarrow} 1 \text{ to } t_{observe} \text{ to } 
 \mathcal{T}_{M}^{obj_{marker}} \overset{\leftarrow}{\leftarrow} mocap Frame Data.object Marker (i-t_{observe}) + j) 
 \mathcal{T}_{M}^{eff} \overset{=}{\leftarrow} \mathcal{T}_{R}^{eff} \overset{=}{\leftarrow} \mathcal{T}_{M}^{obj_{marker}} \times \mathcal{T}_{M}^{eff_{marker}-1} \times \mathcal{T}_{R}^{eff} 
 \text{if } j == 1 \text{ then } 
 P_{0}^{obj_{marker}} \overset{=}{\leftarrow} \mathcal{T}_{obj_{marker}}^{eff} \text{.} translation()(1) 
   7:
   8:
  9:
                                end if
 10:
                                if j == t_{observe} then
P_{obj_{marker}}^{obj_{marker}} \leftarrow \mathcal{T}_{obj_{marker}}^{efL}.translation()(t_{observe})
 11:
 12:
 13:
 14:
                         end for
                         \begin{array}{l} \mathcal{C} \leftarrow \mathcal{F}_c(P_0^{obj_{marker}}, P_{t_{obj_{marker}}}^{obj_{marker}}, t_{observe}) \\ \mathcal{V}_{obj_{marker}}^{efL} \leftarrow \mathcal{F}_{diff}(T_{obj_{marker}}^{efL}.translation()) \\ \mathcal{\bar{V}}_{obj_{marker}}^{efL} \leftarrow \mathcal{F}_{avg}(\mathcal{V}_{obj_{marker}}^{efL}) \end{array} 
 15:
 16:
 17:
         predict position of object handover at t_{predict}
                        function PredictPos(\bar{\mathcal{V}}_{obj_{marker}}^{efL}, \mathcal{C}, t_{predict})
 18:
                                 P_{t_{predict}}^{obj} \leftarrow \bar{\mathcal{V}}_{obj_{marker}}^{efL} \times t_{predict} + \mathcal{C}
19:
                   \mathbf{return} \, P_{t_{predict}}^{obj}
                         end function
20:
         generate way points between robot left end effector and object handover location
                        function GENERATEWP(P_{t_{observe}}^{obj_{marker}}, P_{t_{predict}}^{obj}, t_{predict})
21:
                                for k \leftarrow 0 to t_{predict} do wp_{obj}^{efL}(k) \leftarrow (P_{t_{predict}}^{obj} - P_{t_{observe}}^{obj_{marker}}) \times k + P_{t_{observe}}^{obj_{marker}}
22:
23:
24:
                   return wp_{obj}^{efL}
                         end function
25:
26:
                 end if
```

i = i + 1

27:

28: end if

Our prediction controller behavior can be tuned by two initially required constant time periods,  $t_{observe}$  —which defines the time period required to observe the motion of object and  $t_{predict}$  —required to predict the object handover location in advance.

Inputs of the controller are robot left end effector pose  $\mathcal{T}_R^{efL}$  and mocap markers position data in the mocap frame of reference mocapFrameData.  $\mathcal{T}_M^{efL_{marker}}$  is the left end effector marker pose in the mocap frame. Similarly, object marker pose given by  $\mathcal{T}_M^{obj_{marker}}$ . For simplicity, at the moment, we have assumed zero rotation of the markers and end effector, therefore rotation part of  $\mathcal{T}_R^{efL}$ ,  $\mathcal{T}_M^{efl_{marker}}$  and  $\mathcal{T}_M^{obj_{marker}}$  are Identity matrix  $\mathcal{I}$ .

The transformation matrix  $\mathcal{T}^{efL}_{obj_{marker}}$ , provides the relative pose of object marker w.r.t. robot left end effector in the robot coordinate system.  $P^{obj_{marker}}_0$  are the updated observed positions of object whenever the condition  $(i\%t_{observe}==0)$  satisfy. Based on the  $P^{obj_{marker}}_0$   $P^{obj_{marker}}_{t_{observe}}$ , average velocity  $\bar{\mathcal{V}}^{efL}_{obj_{marker}}$  of the observed object motion calculated. Where,  $\mathcal{F}_c$ ,  $\mathcal{F}_{diff}$ ,  $\mathcal{F}_{avg}$  are the helper functions.

Function PREDICTPOS, returns the predicted position of the handover  $P_{t_{predict}}^{obj}$  at time  $t_{predict}$ .

Function GENERATEWP, returns the way-points  $wp_{obj}^{efL}$  between robot left end effector and object handover location, which is the final output of the controller.

Later,  $wp_{obj}^{efL}$  is being fed in the mc\_rtc positionTask.