PSTAT 174 Lab 1

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```
1 Given X \sim U(-1,1) fx(X) = { 1/2 , -1<x<1 0 , o.w. E[x] = Integral from -1 to 1 xf(x)dx E[x] = 0 sample <- runif(1000, min= -1, max =1 ) mean(sample)
```

```
## [1] 0.01419148
```

X and Y are dependent by non linear quadratic dependence but X and Y are uncorrelated by def if Cov(X,Y) = 0 then the variables X and Y are uncorrelated. In this case, Cov(X,Y) = E(XY) - E(X)E(Y) = E(X63) - 0 *EY = Integral from -1 to 1 (x^3)(1/2)dx = 0 Covariance is a guide to mutual dependence

 $\mathbf{2}$

```
a <- runif(10, min = -1, max = 1)
b <- runif(100, min = -1, max = 1)
c <- runif(1000, min = -1, max = 1)
mean(a)</pre>
```

```
## [1] -0.003431676
```

```
mean(b)
```

[1] -0.09577636

```
mean(c)
```

```
## [1] -0.04482145
```

True mean = 0 As sample sizes increase the sample means get closer to true mean of 0.

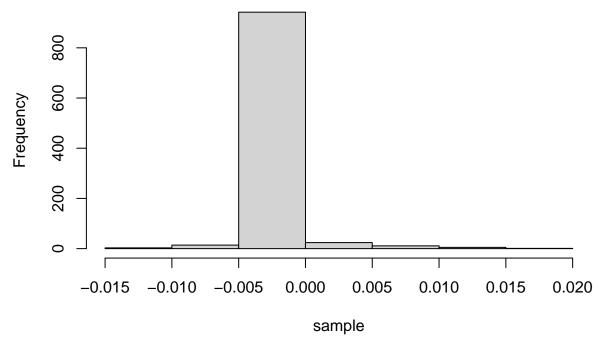
3

```
sample=rep(0,1000)
x1=0
for(i in 1:100)
{
    x1=runif(10000,-1,1)
    sample[i]=mean(x1)
    x1=0
}
means_of_means=mean(sample)
means_of_means
```

```
## [1] -1.314483e-05
```

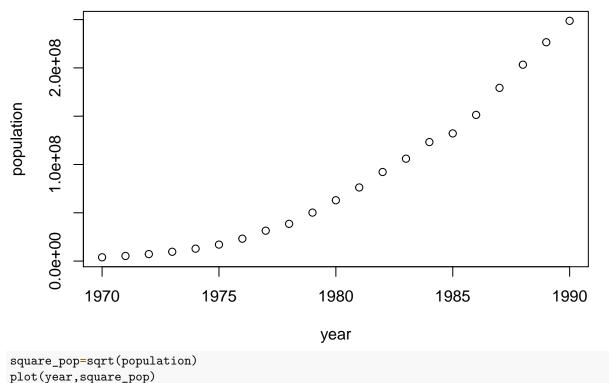
```
hist(sample)
```

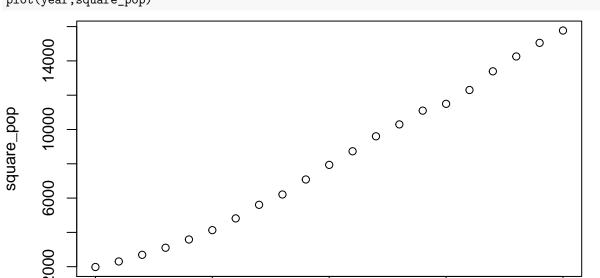
Histogram of sample



This has an asymptotic distribution of the sample means where i is from 0 to 1000 and Zi = 0, as i approaches infinity it converges corresponding to the value zero

```
4
```





The first graph of population vs. year has more of a curve while the second graph of the squared population vs. year looks more linear.

1980

year

1985

1990

1975

1970