

5 November 2018

**Do Now: Formulating geometric situations**

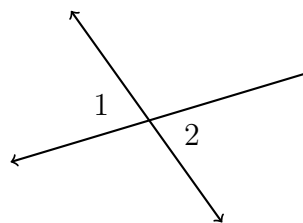
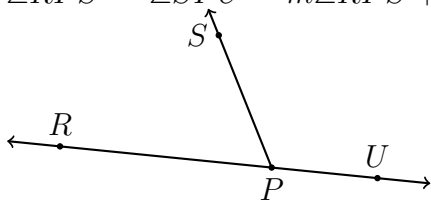
Use the postulates and theorems you have learned. You may abbreviate them as follows: “def. of bisector,” “ $\perp$  rays meet at  $90^\circ$ ,” “complementary  $\angle$ s add to 90,” “linear pairs add to 180,” “vertical  $\angle$ s are  $\cong$ ,”

**Circle the appropriate equation and state the justification**

1. Given complementary angles,
- $\angle A$
- ,
- $\angle B$
- .

$$\angle A \cong \angle B \quad m\angle A + m\angle B = 90^\circ \quad \underline{\hspace{2cm}}$$

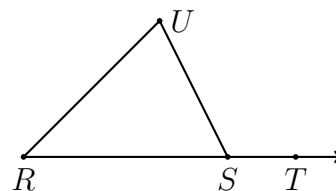
- 2.
- $\angle RPS \cong \angle SPU$
- $m\angle RPS + m\angle SPU = 180^\circ$
- $\underline{\hspace{2cm}}$



3. Given
- $m\angle 1 = 4x + 6$
- ,
- $m\angle 2 = 6x - 32$
- . Find
- $m\angle 1$
- .

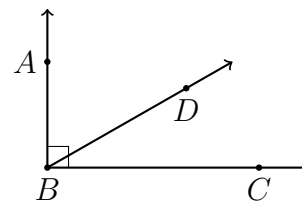
$$\angle 1 \cong \angle 2 \quad m\angle 1 + m\angle 2 = 180 \quad \underline{\hspace{2cm}}$$

4. Given
- $m\angle R = 50$
- ,
- $m\angle U = 65$
- , and
- $m\angle UST = 115$
- . Find
- $m\angle RSU$
- .



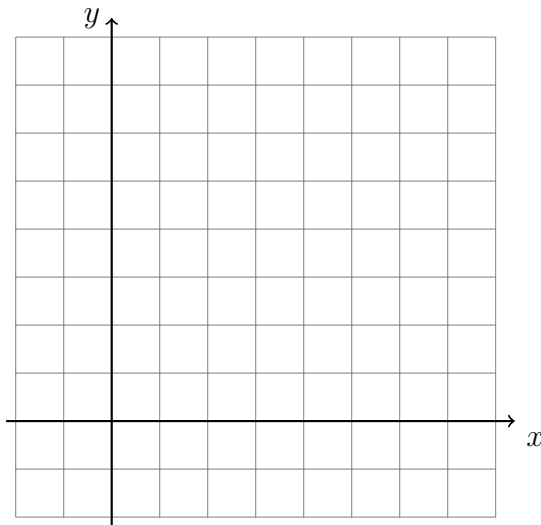
$$\angle UST \cong \angle RSU \quad m\angle UST + m\angle RSU = 180 \quad \underline{\hspace{2cm}}$$

5. Given
- $\overrightarrow{BA} \perp \overrightarrow{BC}$
- ,
- $m\angle ABD = 2x - 5$
- , and
- $m\angle DBC = x - 10$
- .



$$\angle ABD \cong \angle DBC \quad m\angle ABD + m\angle DBC = 90 \quad \underline{\hspace{2cm}}$$

6. Prove the quadrilateral  $BECA$  with  $B(1, 3)$ ,  $E(3, 2)$ ,  $C(5, 6)$ , and  $A(3, 7)$  is a rectangle, using the theorem "If a quadrilateral's diagonals are congruent, then it is a rectangle."
- (a) Plot and label the points on the graph. Draw  $BECA$ .
  - (b) Draw the diagonals,  $\overline{BC}$  and  $\overline{EA}$ .
  - (c) Find the length of  $EA$ , showing the subtraction of the  $y$  values.
  - (d) Find  $BC$  using the distance formula.



7. Given the circle  $C$  with circumference  $6\pi$ .
- (a) Write down the formula for the circumference of a circle.
  - (b) Solve for the radius yielding a circumference of  $6\pi$ .
  - (c) Find the area of the circle.

