Final Year B. Tech. (CSE) - I: 2022-23

4CS451: Cryptography and Network Security Lab

Assignment No. 8

PRN: 2019BTECS00077 Batch: B7

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Title: Euclidian and Extended Euclidian Algorithm.

Objective: To find gcd using eculidian and multiplicative invese using extended eculidian algorithm.

1. Eculidian Algorithm implementation and output:

Code:

```
#include<iostream>
using namespace std;

long long int gcd(long long int a,long long int b,long long int t1,long long int t2){

   if(!b)
       return a;
   cout<<"\n"<<ab<<" "<<ab<<" "<<t1<<" "<<t2<<" "<<t1+(a/b)*t2)<<"\n";
       return gcd(b,a%b,t2,(t1-(a/b)*t2));
}

int main(){

// freopen("input.txt","r",stdin);
// enter two numbers
   long long int a,b;
   cin>>a>>b;

cout<<"\n\n-----\n";
   cout<<"Eculidian Algorithm";</pre>
```

```
cout<<"\n-----\n";
cout<<"q "<<"r1 "<<"r2 "<<"r "<<"t1 "<<"t2 "<<"t\n";
long long int ans=gcd(a,b,0,1);
cout<<"\nGCD of "<<a<<" and "<<b<<" is: "<<ans;
return 0;
}</pre>
```

Output:

```
123 4

Eculidian Algorithm

q r1 r2 r t1 t2 t

30 123 4 3 0 1 -30

1 4 3 1 1 -30 31

3 3 1 0 -30 31 -123

GCD of 123 and 4 is: 1
```

2. Extended Eculidian implementation and output:

Code:

```
#include<iostream>
using namespace std;
long long int gcd(long long int a, long long int b, long long int
&t1,long long int &t2){
             if(!b)
              return a;
             cout<<"\n"<<a/b><<" "<<a*<b style="text-align: center;" "<<a/b><<" "<<a*/b><<" "<<t1<<" "<<t1<<" "<<t1<< " "<<b style="text-align: center;" "<<a style="text-align: center;" "<<>>> "<<a style="text-align: center;" "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>> "<<>>
 "<<t2<<" "<<(t1-(a/b)*t2)<<"\n";
             t1=(t1-(a/b)*t2);
              return gcd(b,a%b,t2,t1);
int main(){
                  freopen("output.txt","w",stdout);
          long long int a,b;
          cin>>a>>b;
         cout<<"\n\n----\n";
          cout<<"Extended Eculidian Algorithm";</pre>
          cout<<"\n----\n";
          cout<<"\nTo find Multiplicative inverse first we need to check no's</pre>
are co-prime or not....\n\n";
          cout<<"q "<<"r1 "<<"r2 "<<"r1 "<<"t1 "<<"t2
                                                                                                                                                                                                                        "<<"t\n
          long long int t1=0,t2=1;
          long long int ans=gcd(a,b,t1,t2);
                    cout<<"No's are Not Co-prime...end...";</pre>
                    return 0;
          cout<<"No's are co-prime hence multiplicative inverse of "<<a<<" and</pre>
 "<<b<<" is: "<<t2;
          return 0;
```

Output:

```
20 7

Extended Eculidian Algorithm

To find Multiplicative inverse first we need to check no's are co-prime or not....

q r1 r2 r t1 t2 t

2 20 7 6 0 1 -2

1 7 6 1 1 -2 3

6 6 1 0 -2 3 -20

No's are co-prime hence multiplicative inverse of 20 and 7 is: 3
```

```
13 7

Extended Eculidian Algorithm

To find Multiplicative inverse first we need to check no's are co-prime or not....

q r1 r2 r t1 t2 t

1 13 7 6 0 1 -1

1 7 6 1 0 -1 2 -13

No's are co-prime hence multiplicative inverse of 13 and 7 is: 2
```

```
$?) { .\euclidian }
1000 128

-----

Eculidian Algorithm
------
q r1 r2 r t1 t2 t

7 1000 128 104 0 1 -7

1 128 104 24 1 -7 8

4 104 24 8 -7 8 -39

3 24 8 0 8 -39 125

GCD of 1000 and 128 is: 8
```

```
$?) { .\euclidian }
1000 128

Eculidian Algorithm

q r1 r2 r t1 t2 t

7 1000 128 104 0 1 -7

1 128 104 24 1 -7 8

4 104 24 8 -7 8 -39

3 24 8 0 8 -39 125

GCD of 1000 and 128 is: 8
```

```
123 4

Eculidian Algorithm

q r1 r2 r t1 t2 t

30 123 4 3 0 1 -30

1 4 3 1 1 -30 31

3 3 1 0 -30 31 -123

GCD of 123 and 4 is: 1
```