

Understand Asymptotic Notation

Big O Notation

- Big O notation describes the **upper bound** of an algorithm's running time in the **worst-case** scenario.
- It allows us to evaluate how the algorithm scales as input size increases — focusing on **efficiency**.

Example Complexity Levels:

- $O(1)$: Constant time
- $O(\log n)$: Logarithmic time (e.g., Binary Search)
- $O(n)$: Linear time (e.g., Linear Search)
- $O(n \log n)$: Efficient sorts like Merge Sort
- $O(n^2)$: Nested loops (e.g., Bubble Sort)

Search Time Scenarios

Case	Linear Search	Binary Search
Best	$O(1)$ – first element	$O(1)$ – middle element
Average	$O(n/2) \approx O(n)$	$O(\log n)$
Worst	$O(n)$ – last or not found	$O(\log n)$ – recurse fully

Analysis

Time Complexity

Algorithm	Time Complexity	Suitable for
Linear Search	$O(n)$	Small datasets or unsorted data
Binary Search	$O(\log n)$	Large datasets, sorted data

Which is Better?

- **Binary search is optimal** for **fast performance**, but only if data is **sorted**.
- **Linear search is flexible**, but **slower** on large datasets.

Recommendation for E-commerce Platform

- Use **Binary Search** (or even more advanced techniques like Trie or Search Indexing) if:
 - Products are pre-sorted by name or ID.
 - You need **fast retrieval** in a large catalog.

- Consider **Linear Search** for:
 - Small product datasets.
 - Flexible, on-the-fly filtering (e.g., by category, partial matches).