

## Spring 2023: CSCI 4588/5588 Programming Assignment #1

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### 1. Hill Climbing Algorithm

Code:

```
import random

def neighborhood(binary_string)          # neighbor function
    list_a = list(binary_string)
    main_flipped = []
    #print(list_a)
    for i in range(len(list_a)):
        if list_a[i] == '0':
            flip_bin = list_a.copy()      # copy to flip_bin if the bit is 0
            flip_bin[i] = '1'             # copy but make that bit to 1
            main_flipped.append(''.join(flip_bin)) # append the rest of the bits

        else: # same for the 0 bit
            flip_bin = list_a.copy()
            flip_bin[i] = '0'
            main_flipped.append(''.join(flip_bin))
    main_flipped.append(''.join(binary_string)) # added all the neighboring strings into main_flipped list
    return main_flipped

def fitness(binary):
    ones = binary.count('1')
    return abs(13 * ones - 170)

def hill_climbing_algorithm(binary_bit):
    current = binary_bit                  # intially both current and best bits are the binary bits
    best = binary_bit
    while True:
        #print(current)
        neighbors = neighborhood(current) # found neighbors by calling the user defined function
        #print(neighbors)
        #print(neighbors)
        best_neighbor = current
        best_fitness = fitness(best_neighbor) #fitness function
        for x in neighbors:                # for loop used to find best function for each neighbors
            neighbor_fitness = fitness(x)
            if neighbor_fitness > best_fitness:
                best_neighbor = x
```

```
def neighborhood(binary_string):           # generate neighborhood bits by flipping each bit at a time
    list_a = list(binary_string)
    main_flipped = []
    #print(list_a)
```

```

for i in range(len(list_a)-1):
    if list_a[i] == '0':
        flip_bin = list_a.copy()          # copy to flip_bin if the bit is 0
        flip_bin[i] = '1'                # copy but make that bit to 1
        main_flipped.append(''.join(flip_bin)) # append the rest of the bits

    else: # same for the 0 bit
        flip_bin = list_a.copy()
        flip_bin[i] = '0'
        main_flipped.append(''.join(flip_bin))
main_flipped.append(''.join(binary_string))
return main_flipped

def fitness(binary):                      # fitness function
    ones = binary.count('1')
    return abs(14 * ones - 190)

def simulated_annealing_algorithm(binary_bit):    # user defined simulated annealing algorithm
    temp = 20                                    # initial temperature
    cooling_rate = 0.01
    current = binary_bit
    best = binary_bit

    while temp > 1:
        neighbors = neighborhood(current)        # all neighbors are found by calling user defined function
        best_neighbor = best
        best_fitness = fitness(best)
        for x in neighbors:                      # for loop used to find best fitness function in each neighbor
            neighbor_fitness = fitness(x)
            if neighbor_fitness > best_fitness:
                best_neighbor = x
                best_fitness = neighbor_fitness
            elif (random.uniform(0,1) < math.exp((neighbor_fitness - best_fitness) / temp)): # checks again with
#probabilistic approach
                best_neighbor = x
                best_fitness = neighbor_fitness

        temp = temp * (1-cooling_rate)
        if best_fitness > fitness(best):
            current = best_neighbor
            best = best_neighbor
    return best

maximum = 0
maximum_list = []
for i in range(200):
    binary_bit = ''.join(random.choices(["0", "1"], k=50)) # generate random binary number with 50 bits
    result = simulated_annealing_algorithm(binary_bit)
    result_fitness = fitness(result)

```

```
if result_fitness > maximum:
    maximum = result_fitness
    best_result = result
```

**Output:**

[illegible]

Simulated Annealing algorithm is an optimization algorithm which compares the fitness function for each neighborhood. Simulated annealing gets its name from the process of slowly cooling metal, applying this idea to the data domain. The problem of hill climbing is solved by simulated annealing algorithm. In this algorithm, even the fitness function of one of the neighbor is less than the other, it doesn't reject that bit. But instead, it again checks by comparing a random number with exponential of  $(\text{neighbor\_fitness} - \text{best\_fitness}) / \text{temperature}$ , where temperature is slowly cooled in the next iteration. Our code doesn't get stuck in the local maxima, instead finds the global maxima (510). The global maxima occur