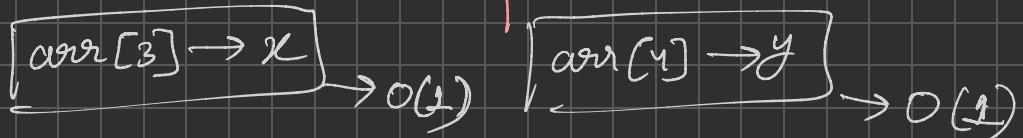
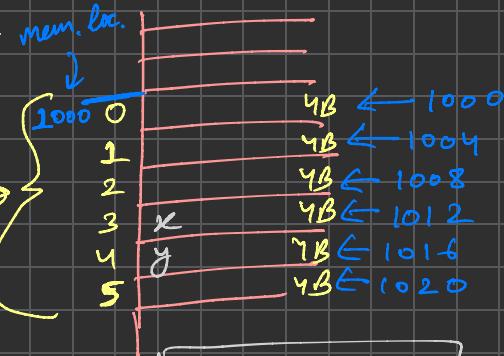


LINKED LISTS

Arrays

int arr[6]



$arr[4] = \text{Addr of } 0^{\text{th}} \text{ element} + 4 * \text{size of arr. elements}$

$$= 1000 + 4 * 4 = 1016$$

Accessing any element $\rightarrow O(1)$ time

Array = Contiguous memory



(11)

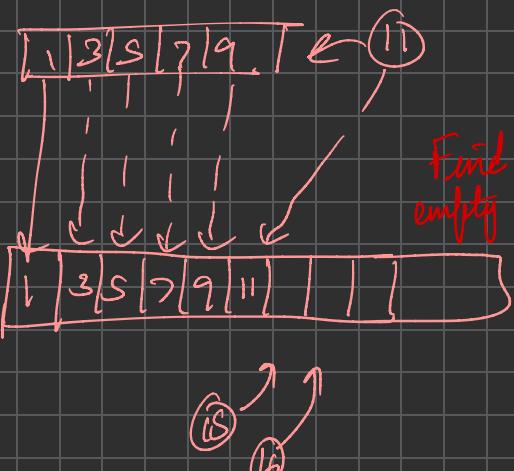
(5)

(11)

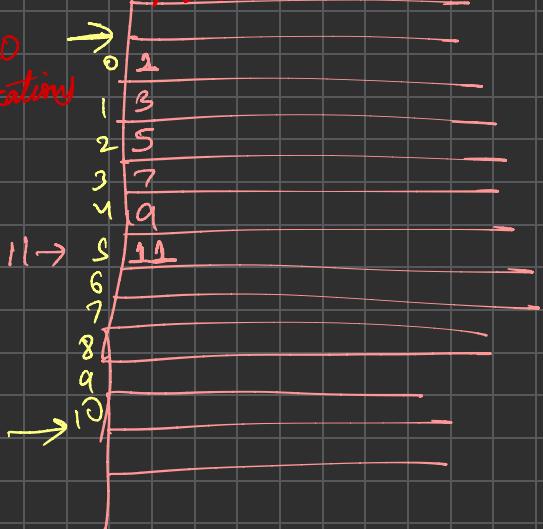


ARRAYLISTS

5 locations



Find 10 empty locations

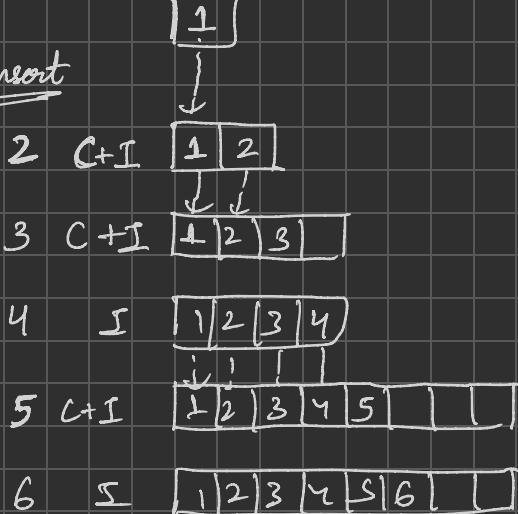


Accessing elements $\rightarrow O(1)$

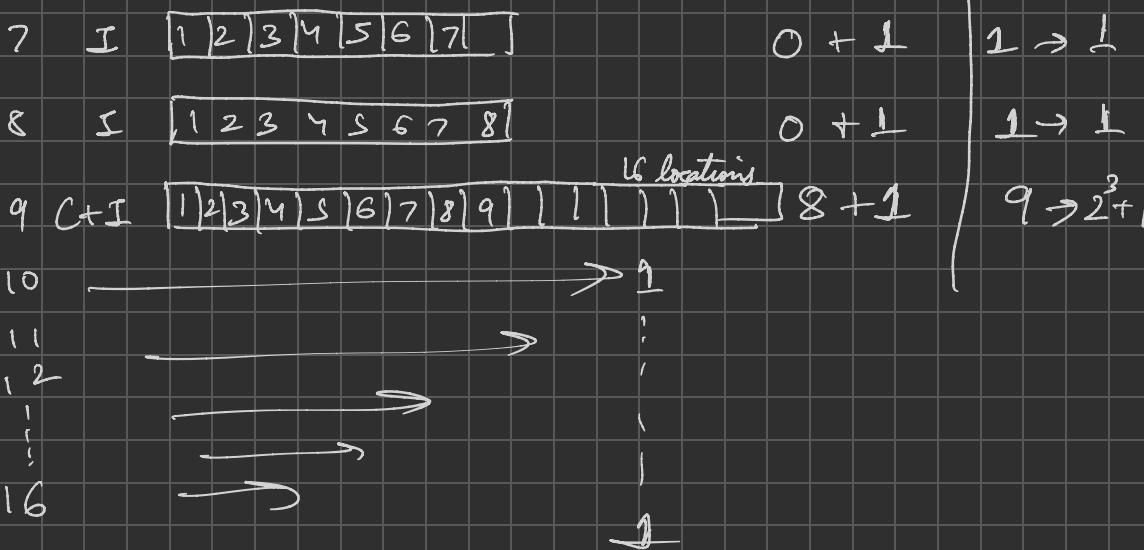
Insertion complexity?

AMORTIZED T.C

Insert



	<u>Copy</u>	<u>Insert</u>	<u>Total</u>
1	1	1	$2 \rightarrow 2^0 + 1$
2	2	1	$3 \rightarrow 2^1 + 1$
3	0	1	$1 \rightarrow 1$
4	4	1	$5 \rightarrow 2^2 + 1$
5	0	1	$1 \rightarrow 1$



Inserting 8 elements $= 2^0 + 2^1 + 2^2 + 2^3 + 8$

Inserting N elements $= \underbrace{2^0 + 2^1 + 2^2 + \dots + 2^{\log_2 N}}_{G.P.} + N$

Sum of G.P. $= \frac{a(r^n - 1)}{r - 1}$

Inserting N elements $= \frac{2^0(2^{\log_2 N + 1} - 1)}{2 - 1} + N$

$$= 2^{\log_2 N} * 2 - 1 + N$$

$$= 2^N + N - 1 \approx \underline{\underline{O(N)}}$$

Inserting N elements $= O(N)$

Insert 1 element $= O(1)$ \rightarrow Amortized T.C.

100 elem



200 elem



100 elements $\rightarrow O(1)$

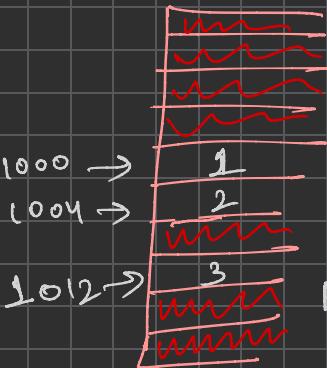
C++ \rightarrow Vector

Java \rightarrow ArrayList

Python \rightarrow Lists

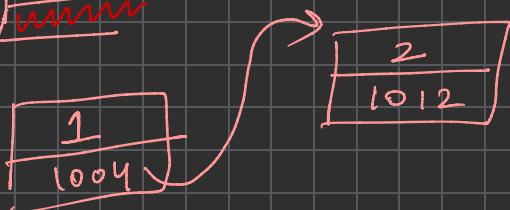
C# \rightarrow ArrayList / List

JS \rightarrow array



Total available spaces $\rightarrow 3$

As list, I can't insert elements



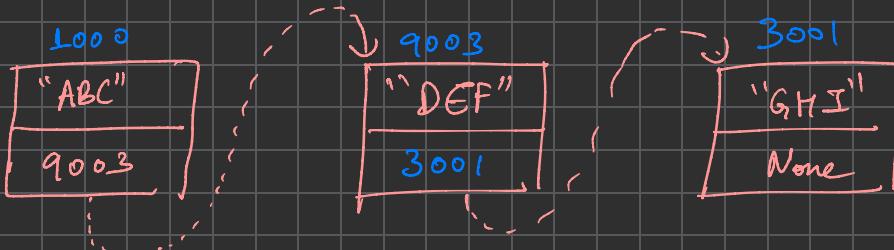
LINKED LISTS

Node



data : int, str, arr, data structure

addr : Memory address / reference to the next node



class Node :

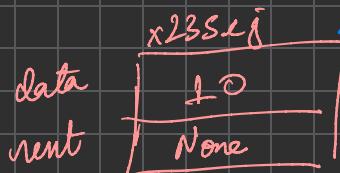
```

def __init__(self, data):
    self.data = data
    self.next = None

```

head = Node(10)

print(head.data) // 10
print(head.next) // None



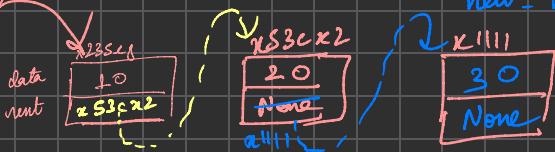
new_node = Node(20)

head.next = new_node

new_node = Node(30)

print(head) // x235c1
print(new_node) // x21111

(head)



We want (x53cx2). next = x1111
new_node

\downarrow
(head.next).next = new-node

head.next.next = new-node

or

temp = head.next

print(temp) // x 53c x 2

temp.next = new-node

Q Given a linkedlist, find its length.

Head of the L.L.

Head



$O(P = 5)$ def get_len(head):

length = 0

temp = head

T.C. $\rightarrow O(N)$

S.C. $\rightarrow O(1)$

while temp != None:

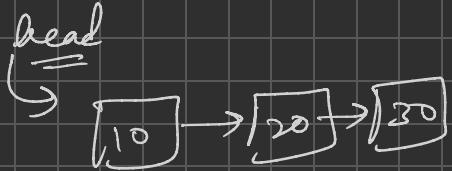
:
length += 1

:
temp = temp.next

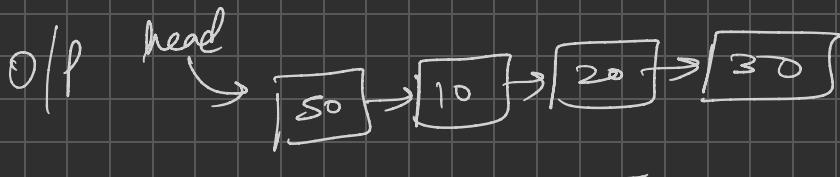
return length

Length
0
1
2
3
4
5

Q2 Given a L.L., add data in front of L.L.



Add 50

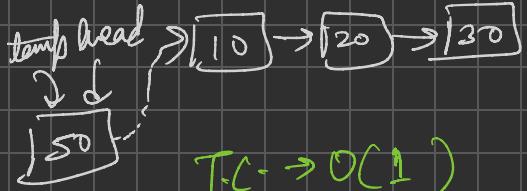


temp = Node(50)

temp.next = head

head = temp

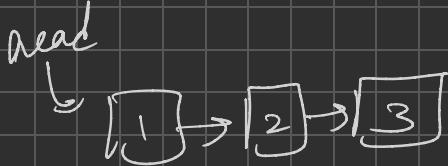
return head



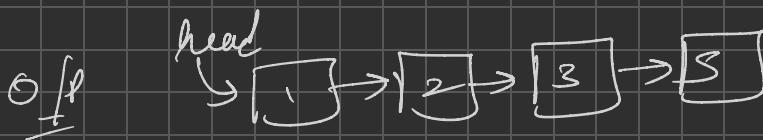
T.C. $\rightarrow O(1)$

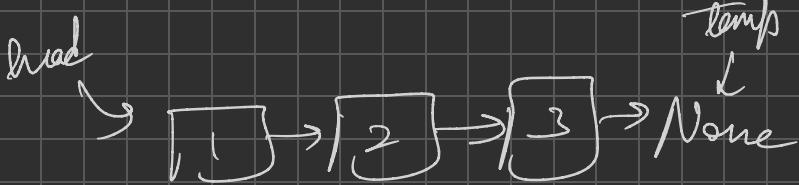
S.C. $\rightarrow O(1)$

Q3 Given a L.L., add data at the end of the L.L.



Add 5





def ins_() :

new_node = Node(5)

T.C. $\rightarrow O(N)$

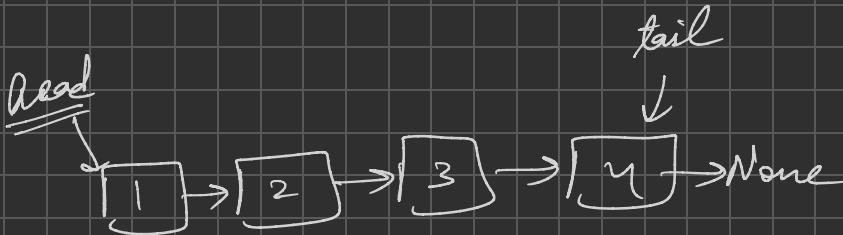
temp = head

S.C. $\rightarrow O(1)$

while temp.next != None :

; temp = temp.next

; temp.next = new_node



head

tail.next = new_node

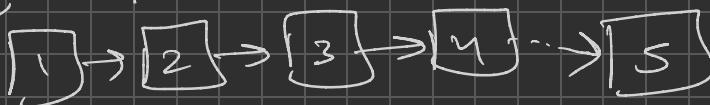
tail

tail = new_node

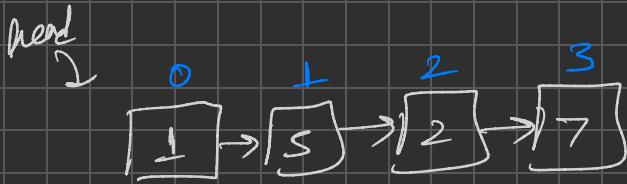
- -

new_node

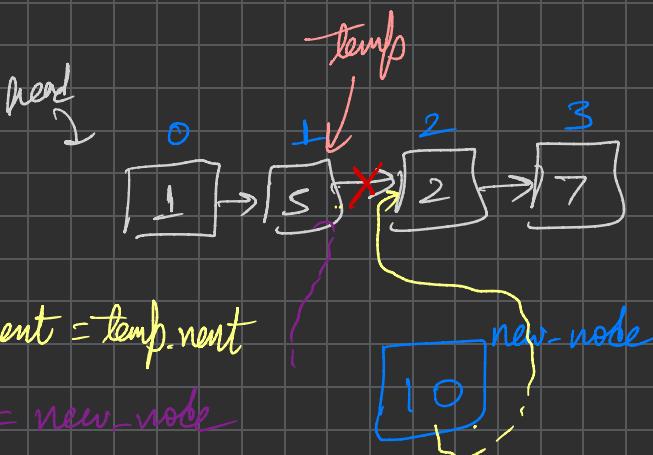
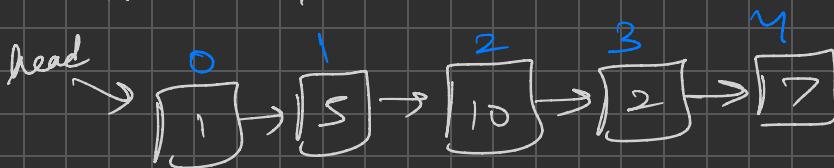
T.C. $\rightarrow O(1)$



Q4 Given a LL, add a node at k^{th} position.



Add 10, at $k=2$



new-node.next = temp.next

temp.next = new-node

$$i = 0$$

temp = head

while ($i < k-1$) :

$$i += 1$$

temp = temp.next

new-node = Node(10)

new-node.next = temp.next

T.C → O(N)

S.C → O(1)

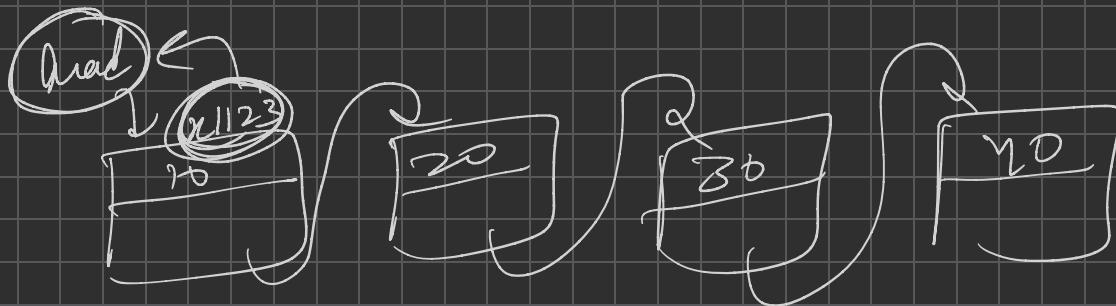
~~temp. next = new-node~~

M-W^r

Q1 Delete a node from beg -

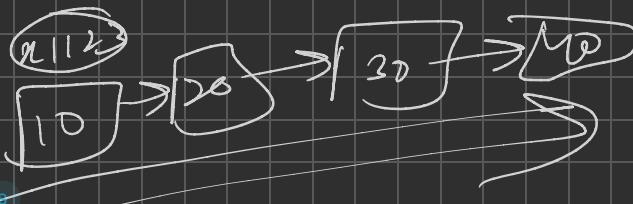
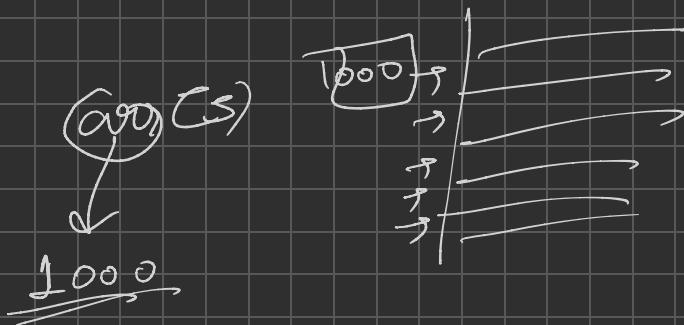
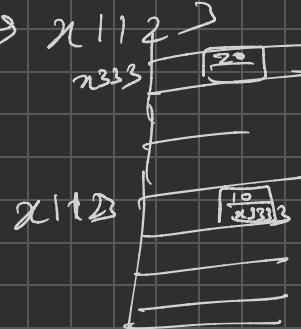
Q2 Delete a node from end.

Q3 Delete the kth node -



~~head = x1123~~

~~parent(head) \rightarrow x1123~~



class Node



class linked list:

def __init__(self):

self.head = None

def len(self):

def add_at_head(self, data):

def delete(self, index):

LL = LL()

1 2 3 4 5 6 7 8

