

Do something today
that your future self
will thank you for.



Good

Evening

Today's content

01. Introduction to Queues

02. Implementation of Queues

→ Using Arrays

→ Using LinkedList

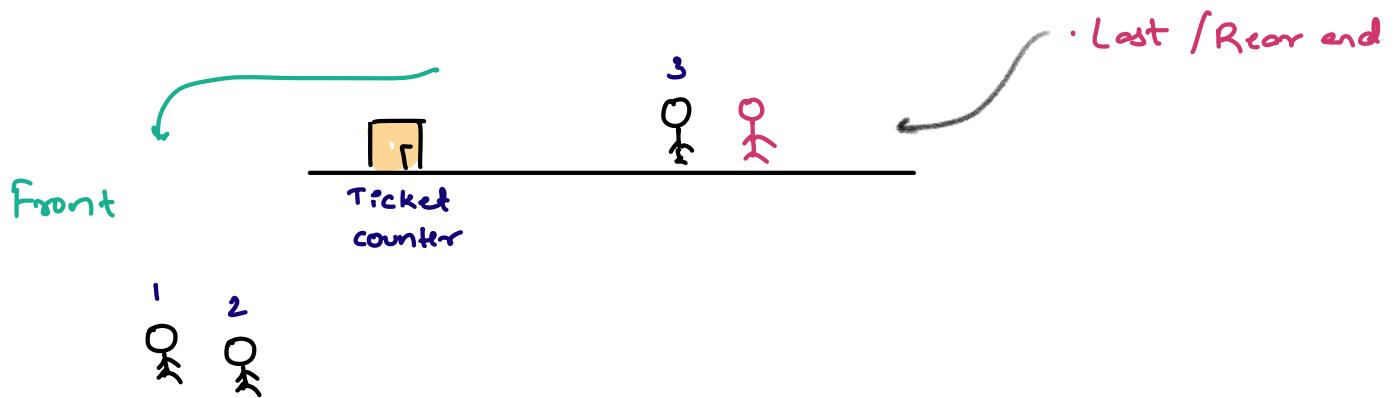
→ Using stacks

03. Generate k^+ no. using 1 & 2

04. Max of every window (Deque)

Queue → Linear data structure

↳ First In First Out

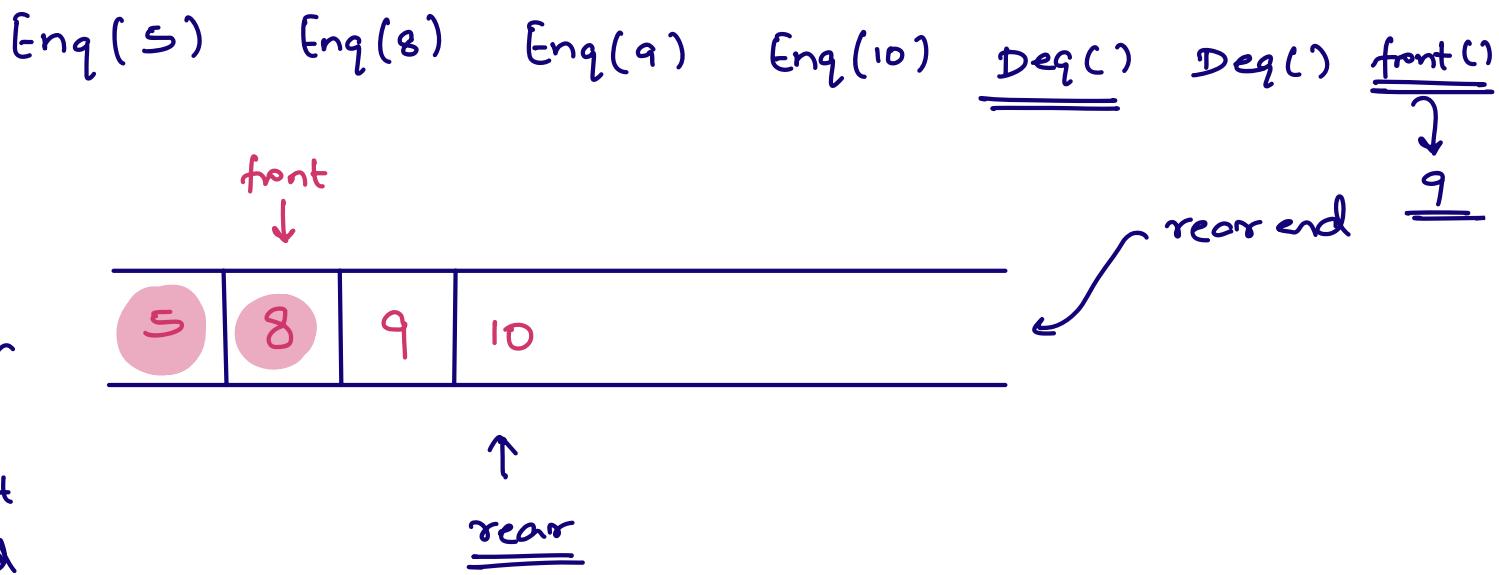


Eg:- Water stream in pipe

- Printer
- Message queue
- Data transfer
- Call center queue

Operations by Queue

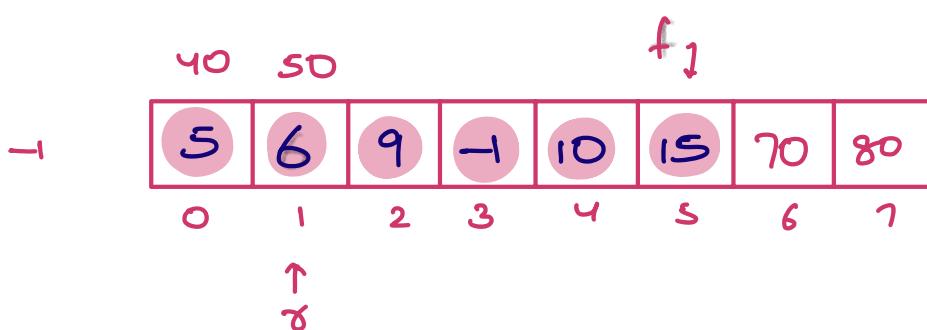
01. Enqueue(x) → insert the data at rear end
02. Deque() → remove data from front
03. front() / peek() → data present at the front
04. size() → count of data present in queue



* Implementation of Queues using Array

$f = -1 \Rightarrow$ idx of last ele which was just removed

$r = -1 \Rightarrow$ idx of last ele which was just inserted



Enq(5) Enq(6) Enq(9) Enq(-1) Deq() Deq() Deq()

Enq(10) Enq(15) front() Deq() Deq() Deq()

$$\underline{\underline{n = 8}}$$

```
void enqueue(x)
```

```
if (size == n) { Queue is  
full  
r = (r+1)%n }
```

```
A[r] = x
```

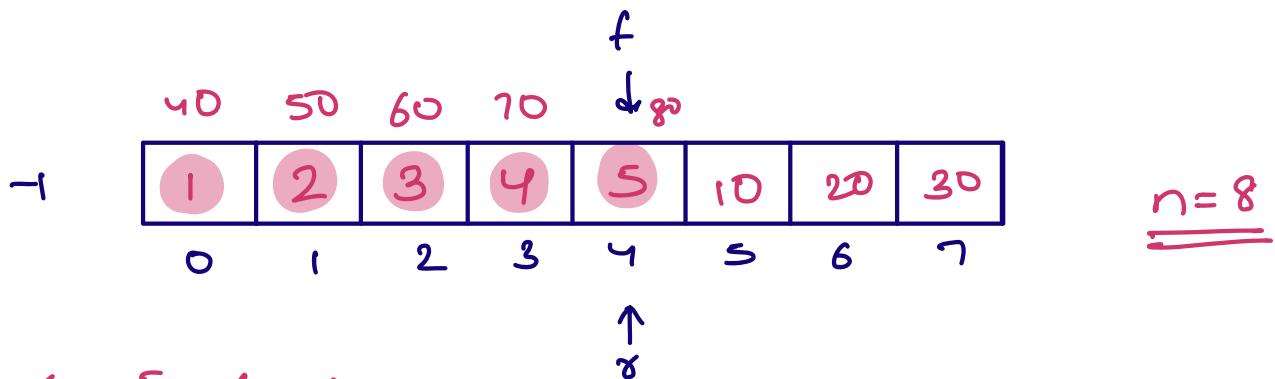
```
size++;
```

```
void deque()
```

```
if (size == 0) { Queue is  
empty }  
f = (f + 1) % n  
size--;
```

```
front()
```

```
if (size == 0) { Queue is  
empty }  
return A[(f+1)%n];
```



Enq(1) ✓ Enq(10) ✓

Enq(2) ✓ Enq(20) ✓

Enq(3) ✓ Enq(30) ✓

Enq(4) ✓ Enq(40) ✓

if ($f == r$) → queue is empty?

Enq(5) ✓ Enq(50) ✓

→ queue is full?

Deq() ✓ Enq(60) ✓

Deq() ✓ Enq(70) ✓

Deq() ✓ Enq(80) ✓

Deq() ✓ Enq(90) ✓

Deq() ✓ Enq(100)

* Implement Queue using Linicelist

↳ First In First Out

Enque(10) ✓

Enque(20) ✓

Enque(30) ✓

Deq() ✓

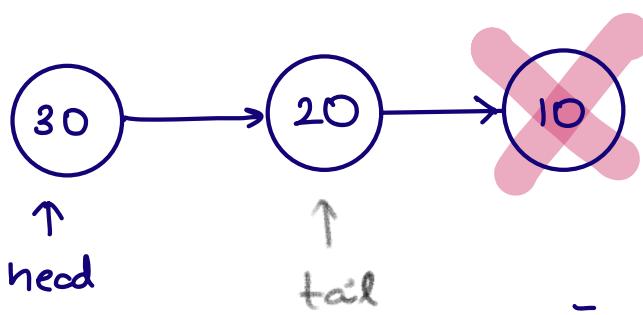
Deq() ✓

front() ✓

Insert at head &

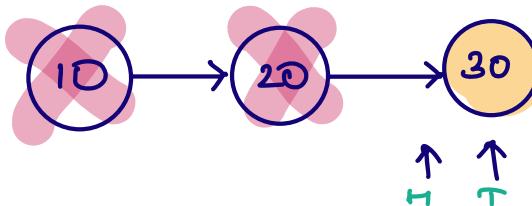
remove at tail → O(n)

todo



Insert at tail &
remove at head → O(1)

} → More optimal



03. Implement queue using stacks

Last In First Out
↑ Out

Queue Operations

- (a) Enqueue()
- (b) Dequeue()
- (c) Peek() / front()

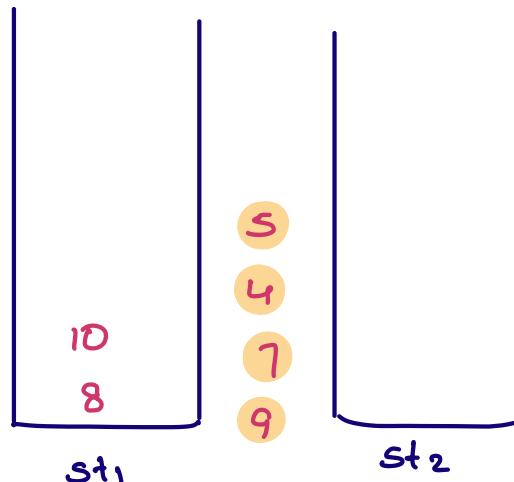
Every queue function
should be implemented
using stack function only

{ push()
pop()
peek() }

- 01 Enq(5) ✓
- 02 Enq(4) ✓
- 03 Enq(7) ✓
04. Enq(9) ✓
05. Deq() = O(n)
- 06 Enq(8) ✓
- 07 Enq(10) ✓
10. Dep() → O(1)
- 11 Dep() → O(1)

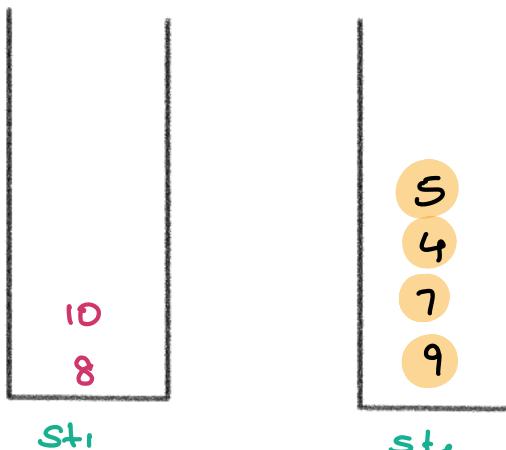


- 12 Dep() → O(1) Enq(x) = st₁.push(x) TC:O(1)



Dep() = if (st₂.size() == 0) TC:O(1)

Transfer all elements
from st₁ to st₂ & then st₁.pop();

- $S_1.pop()$ $S_2.push$
- 01 Enq(5) $\rightarrow \underline{O(1)}$ ✓
 - 02 Enq(4) $\rightarrow O(1)$ ✓
 - 03 Enq(7) $\rightarrow O(1)$ ✓
 04. Enq(9) $\rightarrow O(1)$ ✓
 05. Deg() ✓
 - 06 Enq(8) $\rightarrow O(1)$ ✓
 - 07 Enq(10) $\rightarrow O(1)$ ✓
 10. Deg() ✓ -
 - 11 Deg() ✓ 1st Deg() \rightarrow Transfer all ele from S_1 to S_2
 & $S_2.pop()$
 - 12 Deg() ✓
- 
- S1 S2
- 10
8
- 5
4
7
9
- 8 ops + 1 ops
- 2nd deg = 1 ops
- 3rd deg = 1 ops
- 4th deg = 1 ops
- 4 deg = 12 ops
- 1 deg = $\frac{12}{4} = \underline{3 \text{ ops}}$ $\leq \underline{O(1)}$

10:05 \rightarrow 10:18 pm

Q1. Generate K^+ perfect no in series using only 1 & 2 as digits. The series should be in increasing order

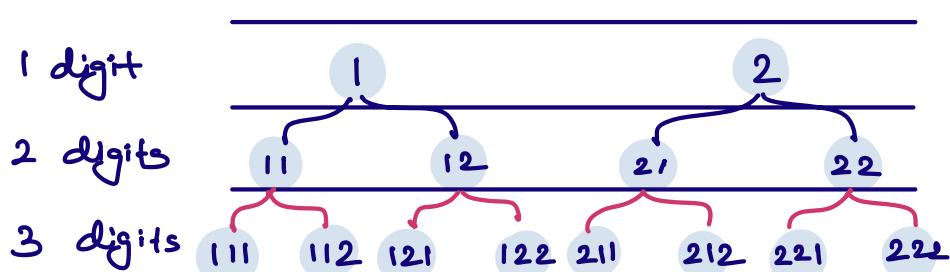
$K=5$ $\rightarrow 1 \ 2 \ 11 \ 12 \ 21$

$K=7 \rightarrow 1 \ 2 \ 11 \ 12 \ 21 \ 22 \ 111$

Bruteforce \rightarrow Start from 1 & keep going while keeping the track of count of no. that are only made up of 1 & 2 as digits.

Count == K \rightarrow return no.

Idea 2 \rightarrow data in levels / data in digits



$K=6$

1 2 11 12 21 22 111 112 121 122 211 212

~~① ② ③ ④ ⑤ ⑥~~ Ans = 22

```
String kNum(int k)
```

```
Queue<String> q = new ArrayDeque<>();
```

```
q.add(1) }  
q.add(2) }
```

```
for (i=1 ; i≤k-1 ; i++) {
```

```
    String ele = q.dequeue();
```

```
    String p = ele + "1";
```

```
    q.enqueue(p);
```

```
    String r = ele + "2";
```

```
    q.enqueue(r);
```

```
3
```

```
return q.front();
```

```
3
```

* Deque : Double Ended queue

↳ Addition & removal can be done from both the ends

Functionality

TC: O(1)

O1. addfirst() ✓ addlast()

}

TC: O(k)

SC: O(k)

02. Removefirst()

Removelast()

DLL

03. getfirst()

getlast()

Stack → FIFO or LIFO

Queue → FIFO

Deque can act as stack & as queue.

* Given $ar[N]$ & window of size K . Find max ele in every window of size K .

$ar[] = \{ 10, 1, 9, 3, 7, 6, 5, 11, 8 \}$ $K=4$

return = $10, 9, 9, 7, 11, 11$

Brute force → Generate all the subarrays of size K , iterate on subarray & get max

TC : $(n-K+1) * K$

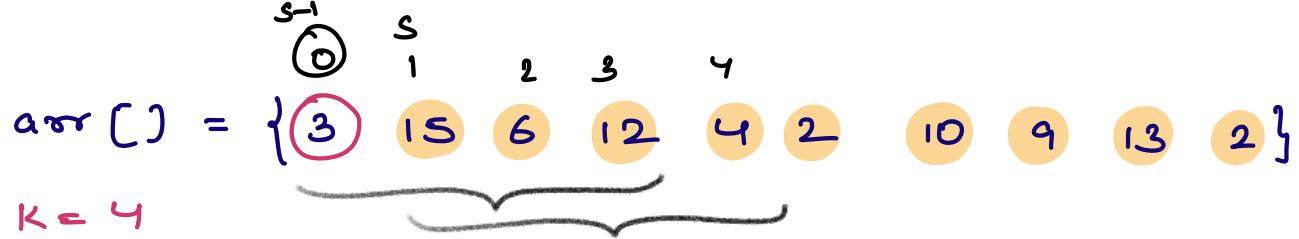
$K=1$ TC : $O(n)$

$K=n$ TC : $O(n)$

$K=\frac{n}{2}$ TC : $O(n^2)$

TC : $O(n^2)$

SC : $O(1)$

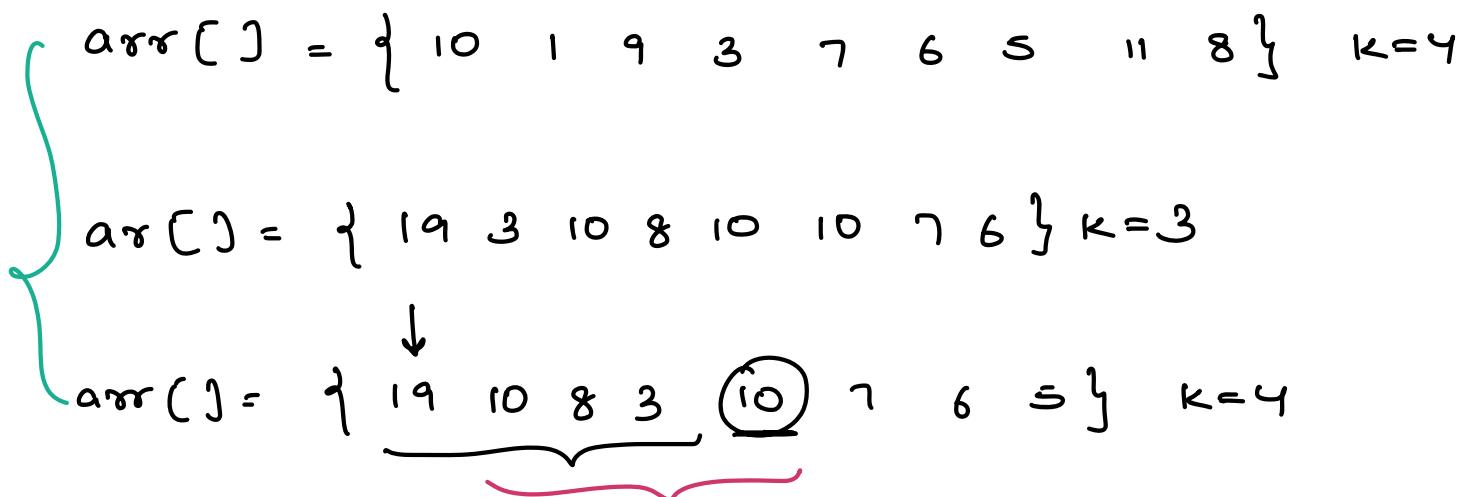


01. Remove from last

02. Front ell

03. Remove from front

Ans = 15 15 12 12 10 13 13



19 10 ~~10~~ ~~10~~

For duplicates
↓

check if we have

19

to remove it or not.

```
void subarraymax( int [ ] ar, int k )
```

```
Deque < I > dq = new ArrayDeque < > ( );
```

```
// Insert first window in dq
```

```
for ( i = 0 ; i < k ; i ++ ) {
```

```
    while ( dq.size () > 0 && ar [ i ] > dq.getlast () )
```

```
        dq.removeLast ();
```

```
    dq.addlast ( ar [ i ] );
```

```
    print ( dq.getFirst () );
```

```
// For all other windows
```

```
s = 1 e = k
```

```
while ( e < n )
```

```
// remove ar [ s - 1 ]
```

```
if ( ar [ s - 1 ] == dq.getFirst () )
```

```
    dq.removeFirst ();
```

```
// add ar [ e ]
```

```
while ( dq.size () > 0 && ar [ e ] > dq.getLast () )
```

```
    dq.removeLast ();
```

```
    dq.addlast ( ar [ e ] );
```

```
    print ( dq.getFirst () );
```

```
s = s + 1 e = e + 1
```

Contest → ReAttempts