Explaining Transformers Decisionsby Propagating Token Decomposition

Ali Modarressi*, Mohsen Fayyaz*, Ehsan Aghazadeh, Yadollah Yaghoobzadeh, Mohammad Taher Pilehvar





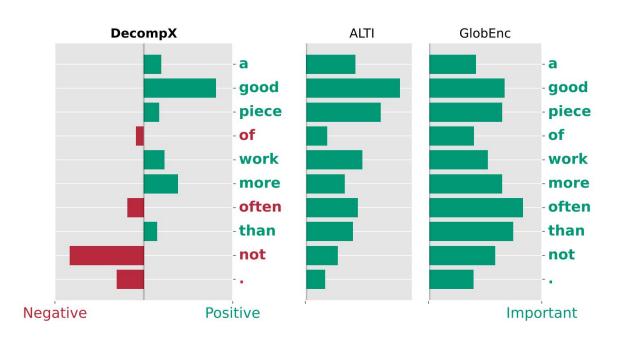






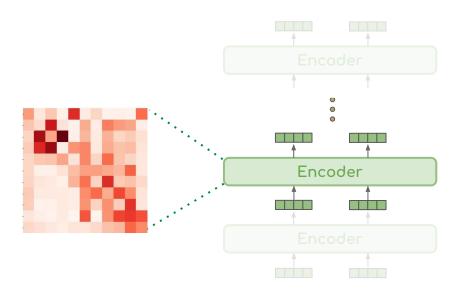
Introduction

What is Explanation?



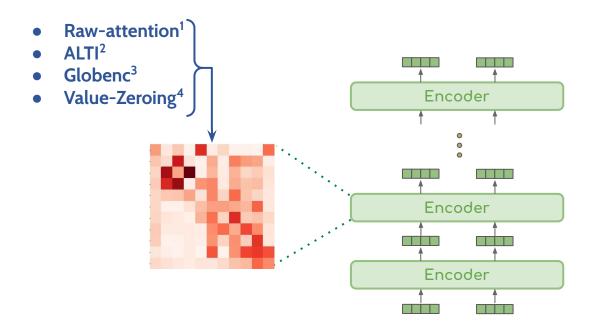
Existing Methods

Local Attention Map \rightarrow Scalar Aggregation (e.g. Rollout, Flow)



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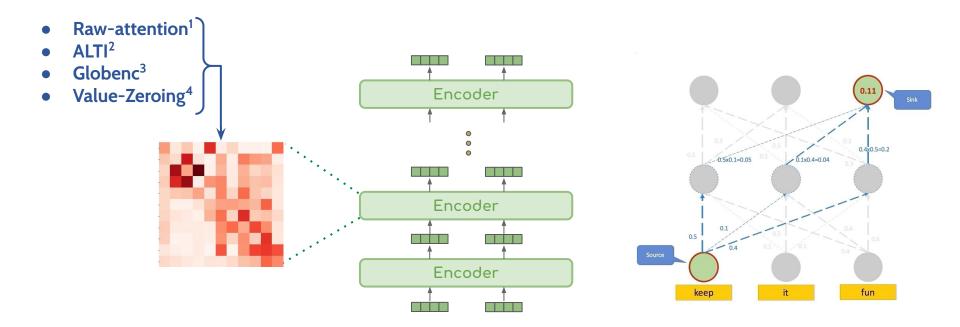
^[1] Samira Abnar and Willem Zuidema. 2020. Quantifying attention flow in transformers. In Proceedings of the 58th Annual Meeting of the Association for Computational Linguistics, pages 4190–4197, Online. Association for Computational Linguistics.

^[2] Javier Ferrando, Gerard I. Gállego, and Marta R. Costajussà. 2022. Measuring the mixing of contextual information in the transformer.

^[3] Ali Modarressi, Mohsen Fayyaz, Yadollah Yaghoobzadeh, and Mohammad Taher Pilehvar. 2022. GlobEnc: Quantifying global token attribution by incorporating the whole encoder layer in transformers.

Existing Methods

Local Attention Map → Scalar Aggregation (e.g. Rollout, Flow)



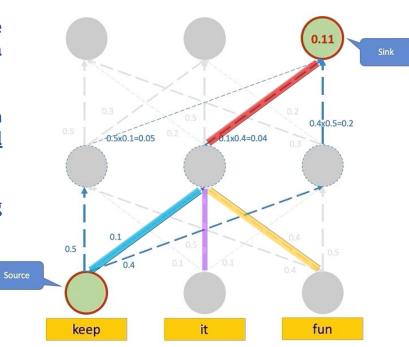
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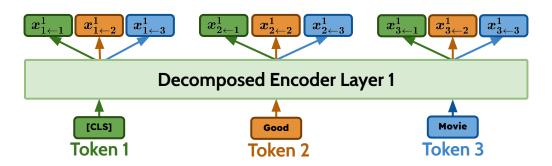
^[4] Hosein Mohebbi, Willem Zuidema, Grzegorz Chrupata, and Afra Alishahi, 2023, Quantifying context mixing in transformers. In Proceedings of the 17th Conference of the European Chapter of the Association for Computational Linguistics

Scalar Aggregation Issues

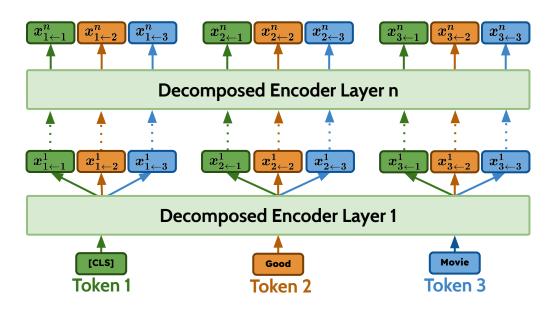
- Scalar aggregation methods (e.g. Rollout) assume that the only required information for computing the global flow is a set of scalar cross-token attributions.
- Nevertheless, this simplifying assumption ignores that each decomposed vector represents the <u>multi-dimensional</u> impact of its inputs.
- Therefore, losing information is inevitable when reducing these complex vectors into one cross-token weight.



Our Solution: DecompX

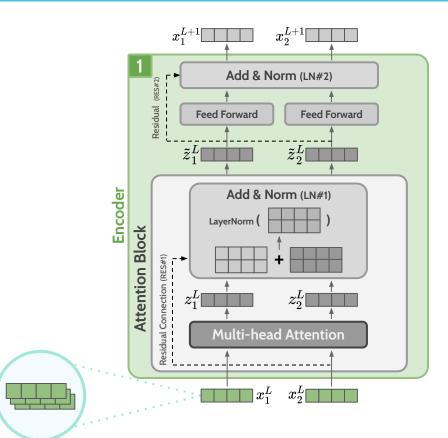


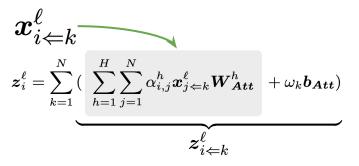
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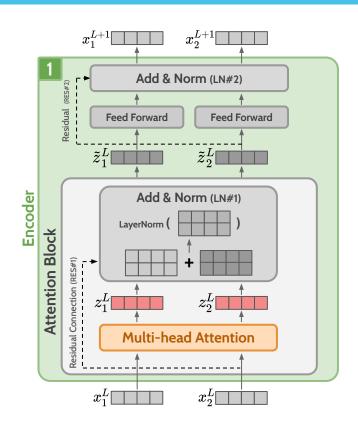


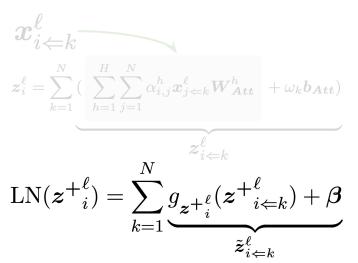
$$oldsymbol{x}_i^\ell = \sum_{k=1}^N oldsymbol{x}_{i \Leftarrow k}^\ell$$

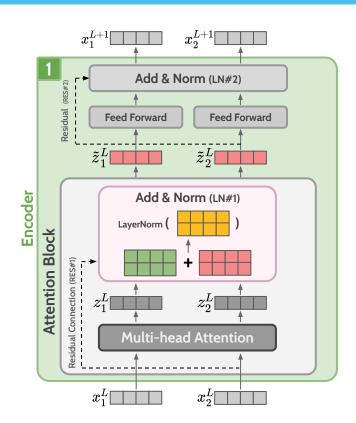




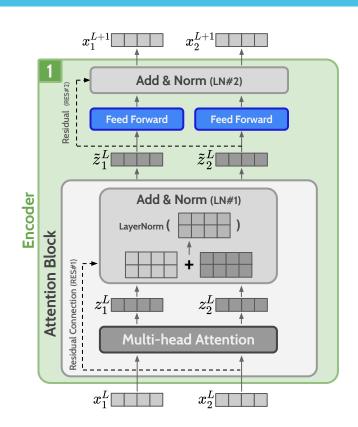






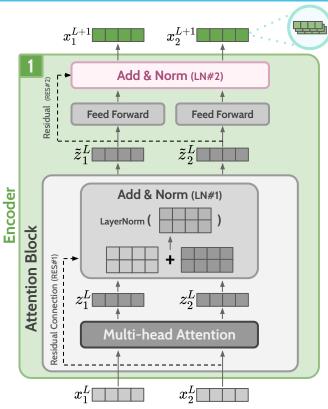


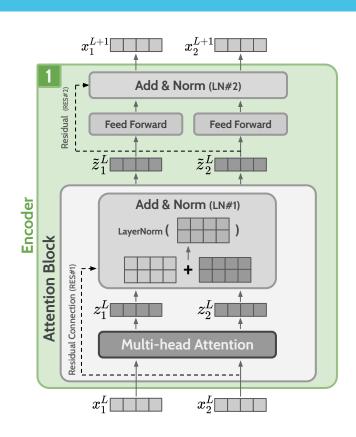
$$egin{aligned} oldsymbol{x}_i^\ell &= \sum_{k=1}^N (\sum_{h=1}^H \sum_{j=1}^N lpha_{i,j}^h oldsymbol{x}_{j \Leftarrow k}^\ell oldsymbol{W}_{Att}^h + \omega_k oldsymbol{b}_{Att}) \ egin{aligned} oldsymbol{z}_{i \Leftarrow k}^\ell &= \sum_{k=1}^N oldsymbol{g}_{oldsymbol{z}_{i \Leftarrow k}^\ell} (oldsymbol{z}_{i \Leftarrow k}^\ell) + oldsymbol{eta} \ oldsymbol{z}_{i \Leftarrow k}^\ell &= oldsymbol{f}_{act}^{(oldsymbol{\zeta}_i^\ell)} (\sum_{k=1}^N oldsymbol{\zeta}_{i \Leftarrow k}^\ell) oldsymbol{W}_{\mathrm{FFN}}^2 + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{ heta}_{i \Leftarrow k}^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \Leftarrow k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{ heta}_{i \Leftarrow k}^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \Leftarrow k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{ heta}_{i \Leftarrow k}^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \Leftarrow k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{\theta}_{i \Leftrightarrow k}^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \Leftarrow k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{\theta}_{i \Leftrightarrow k}^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \Leftrightarrow k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{\theta}_{i \Leftrightarrow k}^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \Leftrightarrow k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ &= \sum_{k=1}^N oldsymbol{\theta}_{i \Leftrightarrow k}^\ell + oldsymbol{\theta}_{\mathrm{FFN}}^\ell + ol$$

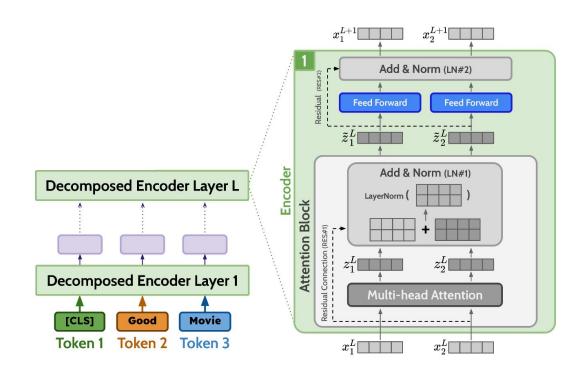


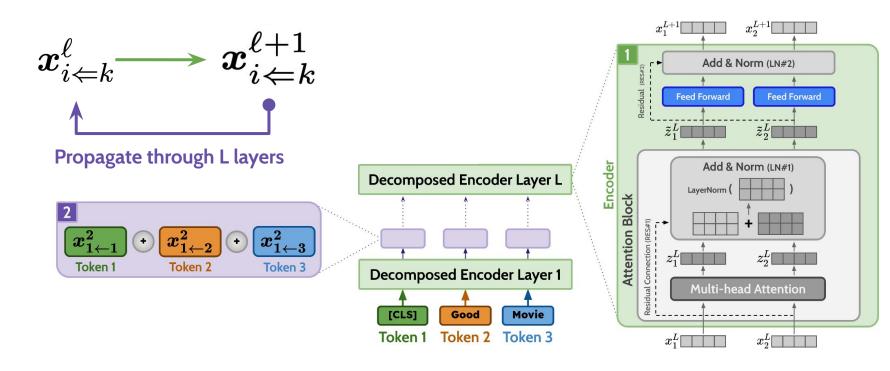
$$egin{aligned} oldsymbol{x}_i^\ell = k & oldsymbol{x}_i^\ell = \sum_{k=1}^N (\sum_{h=1}^H \sum_{j=1}^N lpha_{i,j}^h oldsymbol{x}_j^\ell = k oldsymbol{W}_{Att}^h + \omega_k oldsymbol{b}_{Att}) \ egin{aligned} oldsymbol{z}_i^\ell = k \ oldsymbol{z}_i^\ell = k \ oldsymbol{z}_i^\ell = k \ oldsymbol{z}_{i \in k}^\ell & oldsymbol{z}_{i \in k}^\ell \ oldsymbol{z}_{i \in k}^\ell & oldsymbol{W}_{\mathrm{FFN}}^2 + oldsymbol{b}_{\mathrm{FFN}}^2 \ & = \sum_{k=1}^K oldsymbol{ heta}_i^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \in k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ & oldsymbol{z}_{\mathrm{FFN}}^\ell & = \sum_{k=1}^K oldsymbol{ heta}_i^{(oldsymbol{\zeta}_i^\ell)} \odot oldsymbol{\zeta}_{i \in k}^\ell + oldsymbol{b}_{\mathrm{FFN}}^2 \ & oldsymbol{z}_{\mathrm{FFN}}^\ell & = k \ oldsymbol{b}_{\mathrm{FFN}}^\ell & oldsymbol{\omega}_{\mathrm{FFN}}^\ell & oldsymbol{\omega}_$$

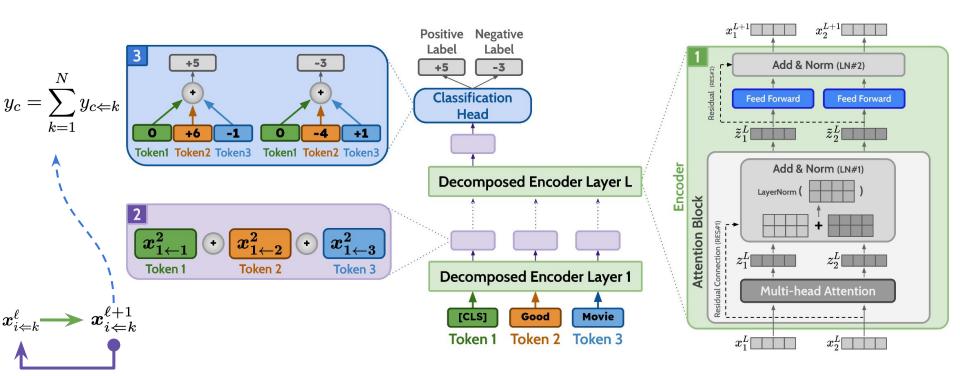
$$egin{aligned} oldsymbol{x}_i^{\ell+1} &= \mathrm{LN}(\sum_{k=1}^N [\underbrace{ ilde{oldsymbol{z}}_{i \Leftarrow k}^\ell + oldsymbol{z}_{\mathrm{FFN},i \Leftarrow k}^\ell}_{\mathbf{z}_{\mathrm{FFN}}^+,i \Leftarrow k}]) \ &= \sum_{k=1}^N g_{oldsymbol{z}_{\mathrm{FFN}}^\ell,i}(oldsymbol{z}_{\mathrm{FFN}}^\ell,i \Leftarrow k}) + oldsymbol{eta} \ & oldsymbol{z}_{i \Leftarrow k} \end{pmatrix}$$







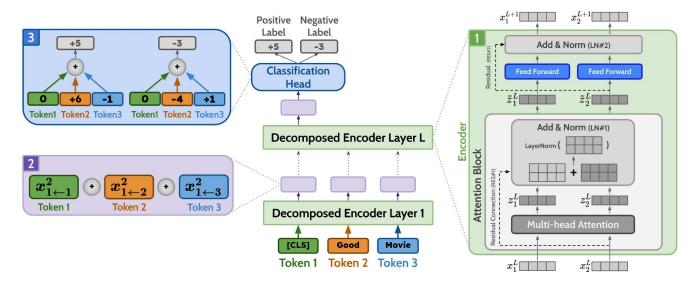




Overview

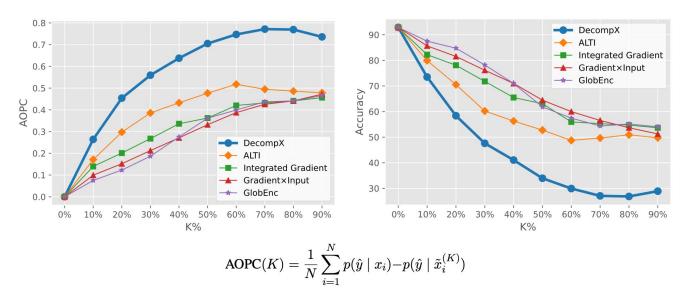
Our contributions:

- We incorporated all the encoder layer components including nonlinear functions
- Propagated the decomposed vectors throughout the whole model
- 3) Incorporated the classification head



Evaluation

Results



- → AOPC and Accuracy of different explanation methods on SST2 upon masking K% of the most important tokens.
- → DecompX outperforms existing explanation methods, both vector- and gradient-based, by a large margin at every corruption ratio.

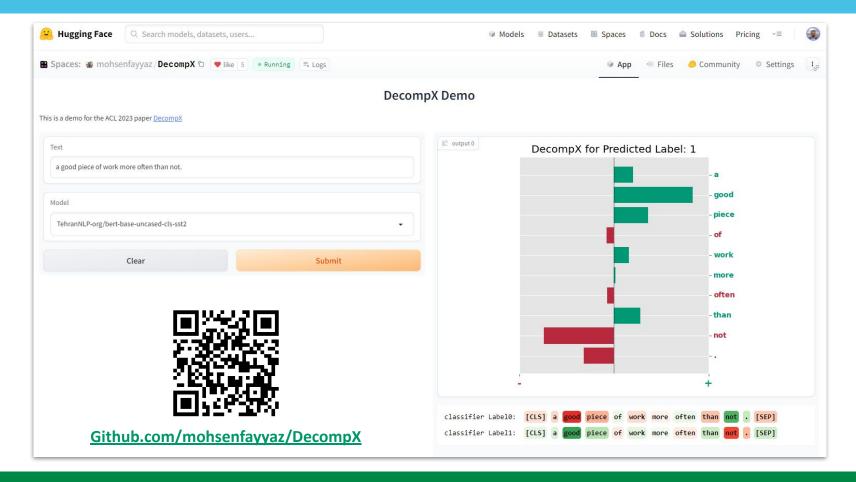
Evaluation

Aggregated Results

	SST2			MNLI			QNLI H		\mathbf{H}^{A}	ATEXPLAIN		
	Acc↓	AOPC ↑	Pred [↑]	Acc↓	AOPC↑	Pred [↑]	Acc↓	AOPC ↑	PRED [↑]	Acc↓	AOPC↑	PRED↑
GlobEnc (Modarressi et al., 2022) + FFN ALTI (Ferrando et al., 2022)	67.14 64.90 57.65	0.307 0.326 0.416	72.36 79.01 88.30	48.07 45.05 45.89	0.498 0.533 0.515	70.43 75.15 74.24		0.342 0.354 0.355	84.00 84.97 85.69	47.65 46.89 43.30	0.401 0.406 0.469	56.50 59.52 64.67
Gradient×Input Integrated Gradients	66.69 64.48	0.310 0.340	67.20 64.56	44.21 40.80	0.544 0.579	76.05 73.94	62.93 61.12	0.366 0.381	86.27 86.27	46.28 45.19	0.433 0.445	60.67 64.46
DecompX	40.80	0.627	92.20	32.64	0.703	80.95	57.50	0.453	89.84	38.71	0.612	66.34

- → Accuracy, AOPC, and Prediction Performance of DecompX compared with the existing methods on different datasets.
- → DecompX consistently outperforms other methods, which confirms that a holistic vector-based approach can present higher-quality explanations.

Online Demo



THANK YOU!

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Github.com/mohsenfayyaz/DecompX

