

Bachelor Project Journal

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Abstract

This report presents an overview of my bachelor thesis. We discuss several approaches to problems, experiments, ideas and evaluate results. This document will be extended over time as the project evolves.

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1 Related work

The basis of this project are the papers from [WLHR11, WLHR12]. Additional papers used for the work are: Light Field Rendering by Marc Levoy and Pat Hanrahan, Fourier Slice Photography by Ren Ng, Light Field Photography with a Hand-held Plenoptic Camera by Ren Ng et al.

2 Types of light fields

In this project, I encountered two types of 4D light fields that are captured using camera grids. The most common way of acquiring a light field is to capture a scene with a 2D-grid of cameras where the optical axes of the cameras are orthogonal to the camera grid. Since the look-at-point of each camera is different, this setup will result in a shift in the images formed on the sensors. An alternative way to capture the scene is to fix the look-at-point for every camera, preferably at the origin of the scene. This is the type of light fields primarily used in the paper from [WLHR11].

In addition, the images can be obtained using either perspective or orthographic projections. We can also use sheared projections as mentioned in [LH96, p. 4].

TODO: Make sketches for illustration

3 A first implementation

In a first step, I (re-)implemented the tomographic light field synthesis for layered 3D-displays in MATLAB, based on the theory in [WLHR11] and their publicly available MATLAB code. The core problem to solve is:

$$\begin{aligned} \underset{x}{\operatorname{argmin}} \quad & \|Px + \bar{l}\| \\ \text{subject to} \quad & 0 \leq x \leq 1 \end{aligned} \tag{1}$$

Having constructed the matrix P which defines a system of linear equations, I used the iterative linear least squares solver *lsqlin* in MATLAB to find a solution of equation 1. This method turns out to be too slow when the matrix is very large. I found another iterative method called The Simultaneous Algebraic Reconstruction Technique (SART) that turns out to be efficient for my problem. It is often used in tomography applications. For the definition and convergence analysis of SART, I refer to [Yan10].

4 Moving to light fields of type 1

The next challenge is to support light fields of type 1, as described in section 2. The motivation comes from the fact that most (online) light field archives provide datasets of this type. And there is also the plenoptic camera we can produce light fields with.

The requirements for this setup are the following:

- A camera plane of known size/camera positions
- The distance from the camera plane to the scene origin
- The distance from the camera plane/center of projection to the sensor plane
- The field of view of the cameras
- The size and placement of each layer relative to the scene origin

I make the assumption that the cameras are pinhole cameras.

4.1 Approach 1: From camera pixels to layer pixels

My idea for this approach is to go through each pixel for each camera and trace back the ray going through this pixel and the center of projection. Knowing the ray direction, we can compute the intersection with each layer. This gives us pixel correspondences between camera pixel- and layer pixel coordinates. For the valid intersections, we would then add the value 1 in the matrix at the respective index.

This method does not seem to work. The main problem is that a lot of layer pixels may not be hit by rays for a camera. It heavily depends on the resolution of the cameras and the layers for this method to work.

TODO: Add sketch of the problem

4.2 Approach 2: Converting the light field

The next idea is to reparametrize the light field $l(c_y, c_x, y, x)$ to a angular (epipolar???) representation $l(\theta_y, \theta_x, v, u)$. Here, the number of angles corresponds to the resolution of the camera sensor. The motivation behind this approach is that we can fix (θ_y, θ_x) in the latter representation and get an orthogonal view. We would then plug this light field into the old algorithm to solve for the layers.

For the reparametrization, we construct matrices

$$\begin{aligned} C_y(\theta_y, :, v, :) \\ C_x(:, \theta_x, :, u) \\ I_y(\theta_y, :, v, :) \\ I_x(:, \theta_x, :, u) \end{aligned}$$

of the same dimension as the light field resolution. The ":" represents replication of the matrix in the respective dimension. We use these matrices to obtain a interpolated light field $l(\theta_y, \theta_x, v, u)$.

4.3 Approach 3: From layer pixels to camera pixels

References

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