

## Notes

Alek Westover

someYear

Functional analysis is a really cool branch of mathematics. Imagine analysis, and then add linear algebra. And then make it all **INFINITITE DIMENSIONAL**. It's super geometrical and stuff.

# Contents

1	the first part	1
1.1	a cool proof . . . . .	1

# 1 the first part

## 1.1 a cool proof

**Remark 1.1.** *asdlfasdf*

**Theorem 1.2.** *(The projection theorem). Let  $H$  be a Hilbert space, let  $M \subset H$  be a closed subspace of  $H$ . Let  $x \in H$ . Then,*

$$\exists! m_0 \in M \text{ such that } \|x - m_0\| = \inf_{m \in M} \|x - m\|$$

and  $m_0$  is characterized by

$$x-m_0 \in M^\perp \text{ i.e. } x-m_0 \perp m \quad \forall m \in M$$

[illegible]

**Example 1.3.** (*The projection theorem*). Let  $H$  be a `asdfklsadflksad`

$\|x - m\|$

*bro bro*

*guass*

**Lemma 1.4.** *(The projection theorem). Let  $H$  be a asdfklsdfklsd*

$$\|x - m\|$$

*bro bro*

*guass*

**Corollary 1.5.** *(The projection theorem). Let  $H$  be a asdfklsdfklsd*

$$\|x - m\|$$

*bro bro*

*guass*

**Definition 1.6.** *asdfasdf*