

# **Managing Aggregate Demand with Consumption Taxes**

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Early 1980s Recessions: Reagan military buildup

Dot-com Recession: Defense spending, Economic Growth & Tax Relief Reconciliation Act (2001)

Great Recession: Economic Stimulus Act (2008), American Recovery and Reinvestment Act (2009)

Covid Recession: Coronavirus Aid, Relief, and Economic Security (2020)

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- Transfers better for welfare, but multiplier  $\approx \text{MPC}$  on impact

Kaplan & Violante (2014), McKay & Wolf (2025), Ferriere & Navarro (2025), Ramey (2025), ...

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  - **Welfare:** Crowds in **private** rather than public consumption

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  - **Effectiveness:** Stimulates GDP **as much as  $G$** 
    - Novel theoretical **equivalence** result
  - **Welfare:** Crowds in **private** rather than public consumption
    - With additional distributional gains if recessions affect households unequally (**Welfare<sup>2</sup>**)

## What we do

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- Standard HANK model with an Okun's law
  - Quantitative evaluation of  $\tau^c$  to stabilize the economy
  - Multipliers (starting from steady state)

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- Standard HANK model with an Okun's law
  - Quantitative evaluation of  $\tau^c$  to stabilize the economy
  - Multipliers (starting from steady state)
  - Demand-driven recessions
    - + Optimal systematic variation of consumption taxes with the business cycle

# Literature

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## ■ Effects of monetary policy and government spending in HANK models

Kaplan, Moll, and Violante (2018), Hagedorn, Manovskii, and Mitman (2019), Bilbiie (2020), Auclert, Rognlie, and Straub (2023), Ferriere and Navarro (2024), Alves and Violante (2023)

## ■ Optimal fiscal and monetary policy in HANK

Bhandari, Evans, Golosov, and Sargent (2021), Le Grand and Ragot (2024), McKay and Wolf (2023)  
Broer, Druedahl, Harmenberg, and Oberg (2025), Le Grand, Ragot and Bourany (2025)

## ■ Stabilization and consumption taxes in HANK

Parodi (2024), Bachmann, Born, Goldfayn-Frank, Kocharkov, Luetticke, & Weber (2025), Bartal & Becard (2025)

## ■ Equivalence results in HANK

Correia, Nicolini & Teles (2008), Correia, Farhi, Nicolini & Teles (2013), Seidl & Seyrich (2023), Wolf (2024), Wolf (2025)

## ■ Evidence on consumption tax cuts

Blundell (2009), Benzarti, Carloni, Harju, & Kosonen (2020), Bachmann et al. (2025)

# A Theoretical Equivalence

# The Simplest Model

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- RBC model with no capital, no heterogeneity
- Representative household
  - Values consumption  $C_t$  and leisure  $1 - N_t$
  - Can save in a risk-free bond  $A_t$
- Representative competitive firm
  - Hires labor in a competitive labor market to produce output  $Y_t$
- Government has to finance public good  $G_t$ 
  - Uses labor and consumption taxes  $\tau_t^n$  and  $\tau_t^c$
  - Issues public debt  $B_t = A_t$  in equilibrium
- Prices:  $(r_t, w_t)$  the interest rate and the net-of-taxes wage

## Two Expansions

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- From steady state with  $\tau_{ss}^c = 0$  (wlog), consider two temporary **fiscal expansions**.

1. Government spending (expansion) stimulus  $\left\{ \hat{G}_t \right\}_{t=0}^T$

- Fiscal cost  $\hat{F}_t \equiv \hat{G}_t - G$
- Financed with any policy  $\hat{\Pi}_t \equiv (\hat{\tau}_t^n, \hat{B}_t)$  converging back to steady state
- Output & after-tax prices  $\hat{X}_t \equiv (\hat{Y}_t, \hat{r}_t, \hat{w}_t)$  and consumption  $\hat{C}_t$

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# Equivalence Result

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- **Assumption:** Assume log-separable preferences  $U(c, n) = \log c - v(n)$ .
- **Proposition:** Let the two policies be identical  $\bar{\Pi}_t = \bar{\Pi}_t \forall t$ . Then,
  - The equilibrium  $\bar{\tau}_t^c$  is such that  $\hat{F}_t = \bar{F}_t \forall t$ ;
  - Output and after-tax prices are identical:  $\bar{X}_t = \bar{X}_t \forall t$ ;
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- The consumption tax cut that replicates the spending stimulus is given by:

$$\bar{\tau}_t^c = -\frac{\hat{G}_t - G}{\bar{C}_t} = \left(1 + \frac{\hat{G}_t - G}{\hat{C}_t}\right)^{-1} - 1$$

## Intuition The log case

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- A recursive formulation of the **household problem** reads:

$$V_t(A_t) = \max_{C_t, N_t, A_{t+1}} \{ \log(C_t) - v(N_t) + \beta V_{t+1}(A_{t+1}) \} \text{ s.t.}$$
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- Consistent with **government's budget constraint** as identical cost
- Consistent with **market clearing** if and only if  $\bar{C}_t = \hat{C}_t + (\hat{G}_t - G)$

# Extending the Equivalence

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- Works with aggregate shocks and non-zero consumption tax

- Let  $X_t$  denote a variable in  $t$  in absence of fiscal stimulus;
  - Fiscal costs defined as:

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- **Equivalence** of any  $\{\tilde{G}_t, \tilde{\tau}_t^c\}$  that deliver the same fiscal cost:

$$\tilde{F}_t \equiv (\tilde{G}_t - G_t) - (\tilde{\tau}_t^c - \tau_t^c) \tilde{C}_t - \tau_t^c (\tilde{C}_t - C_t)$$

- Finance spending shock with consumption taxes  $\Rightarrow$  multiplier = 0

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  - Capital in the production function
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  - Nominal rigidities: sticky prices, sticky wages

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    - + Static response: wealth effects, MPE, labor supply elasticity (lotteries, ...)
    - + Dynamic response: response of savings to changes in interest rates (UK mortgages, ...)

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- Heterogeneous goods?

# Literature

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  - Replicate monetary policy by a combination of  $\{\tau_t^c, \tau_t^n, \tau_t^k\}$  in a RANK
  - Seidl & Seyrich (2023): Extension in HANK
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  - Wolf (2025): Equivalence of monetary policy with transfers
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  - Conditions under which changes in private spending  $\Leftrightarrow$  changes in public spending
    - + Same path for aggregate demand
    - + Same path of future taxes
  - Application:  $G \Leftrightarrow T$ 
    - + Same labor supply response: no wealth effects in labor supply, or fully demand-determined employment

# Environment

# A HANK model with some twists

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- Households

- Bond economy with borrowing constraint
- Stochastic discount factors
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- Two labor market arrangements
  - Sticky prices and indivisible labor supply
  - Sticky wages and homogenous divisible labor supply

# Households

## Working households

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- Individual **state**: asset  $a$ , discount factor  $\beta$ , productivity  $x$ , and employment  $\eta \in \{\ell, u\}$
- Value function when employment “island”  $\eta = \ell$

$$V_t(a, x, \ell, \beta) = \max_{c, h, a'} \left\{ \log c - B \frac{h^{1+\varphi}}{1+\varphi} + \beta \mathbb{E}_t [V_{t+1}(a', x', \eta', \beta') | x, \beta, \ell] \right\} \quad \text{s.t.}$$
$$c + a' = a + y^\ell + y^k - \mathcal{T}_t(y^\ell, y^k) + T_t + d_t^h(x),$$
$$y^\ell = w_t x h, \quad y^k = r_t a, \quad h \in \{0, \bar{h}\}, \quad a' \geq 0.$$

- Preference shock on discrete labor choice, distributed **Gumbel** with variance  $\rho_h$   
+  $\rho_h \geq 0$  calibrated to discipline labor elasticities
- AR(1) process for **discount factor**, **productivity** and **employment** status
- Flat capital tax  $\tau^k$ , progressive loglinear labor tax  $(\lambda_t, \tau^\ell)$   
Heathcote, Storesletten, and Violante (2017)

# Households

## Unemployed households

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- Value function when in unemployment “island”  $\eta = u$

$$V_t(a, x, u, \beta) = \max_{c, a'} \{ \log c + \beta \mathbb{E}_t [V_{t+1}(a', x', \eta', \beta') | x, \beta, u] \} \quad \text{s.t.}$$

$$c + a' = a + y^k + \mathcal{B}_t(w_t x) - \mathcal{T}_t(0, y^k) + T_t + d_t^h(x),$$

$$y^k = r_t a, \quad a' \geq 0.$$

- Unemployment benefits function of hourly wage

Kekre (2022)

$$\mathcal{B}_t(w_t x) = \zeta \min (\mathcal{R} w_t x \bar{h}, \overline{ui}) + \chi w_t x \bar{h}$$

+  $\zeta$  to match fraction of recipients,  $\mathcal{R}$  the replacement rate,  $\overline{ui}$  the UI cap

+  $\chi$  to capture household labor income received while in unemployment

- AR(1) process for discount factors, productivity and employment status

# Firms and Government

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- Standard two-layer structure with a final-good producer and intermediate good producers
  - Case 1: Sticky prices a la Rotemberg, individual labor supply decisions at the hh level
  - Case 2: Sticky wages a la Rotemberg, unions & homogenous labor supply
- Monetary authority follows a Taylor rule:  $1 + i_t = (1 + \bar{i}) \left( \frac{\Pi_t}{\bar{\Pi}} \right)^{\phi_{\Pi}}$
- Fiscal authority faces a standard borrowing constraint

$$G_t + (1 + r_t)D_t + T_t + \int \mathcal{B}_t(w_t x) d\mu_t = D_{t+1} + \int \mathcal{T}_t(y_t^\ell, y_t^k) d\mu_t$$

- Fiscal rule with parameter  $\Phi_D$  for public debt,  $\lambda_t$  clears the budget constraint  
Uhlig (2010)
  - $\Phi_D = 0$  for constant debt, all adjustment in tax level
  - $\Phi_D \rightarrow 1$  for constant taxes, all adjustment in debt

# Calibration Overview

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- Quarterly model calibrated to liquid wealth
  - Stochastic  $\beta$  s.t. top-quintile liquid wealth  $\approx 90\%$  (SCF)
- Extensive labor supply model:  $\rho_h$  to match average annual labor elasticity of  $\approx 0.3$   
Ferriere and Navarro (2024)
  - Intensive labor supply model: Frisch at  $\varphi^{-1} = 0.4$
- Technology:  $\varepsilon = 7$ ,  $\Theta = 200 \rightsquigarrow$  Phillips curve slope  $\varepsilon/\Theta = 0.035$   
Galí and Gertler (1999)
- Government
  - Standard calibration for taxes and unemployment benefits
  - Automatic responses of inflation and debt:  $\Phi_{\Pi} = 1.5$ ,  $\Phi_D = 0.75$

# Unemployment Steady State and Business Cycles

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- Job finding rates and separation rates across hourly wage distribution

Mueller (2017)

- Steady State

- Job finding rates constant, separation rates falling in hourly wage/productivity  $x$
  - Average unemployment rate at 4.3%

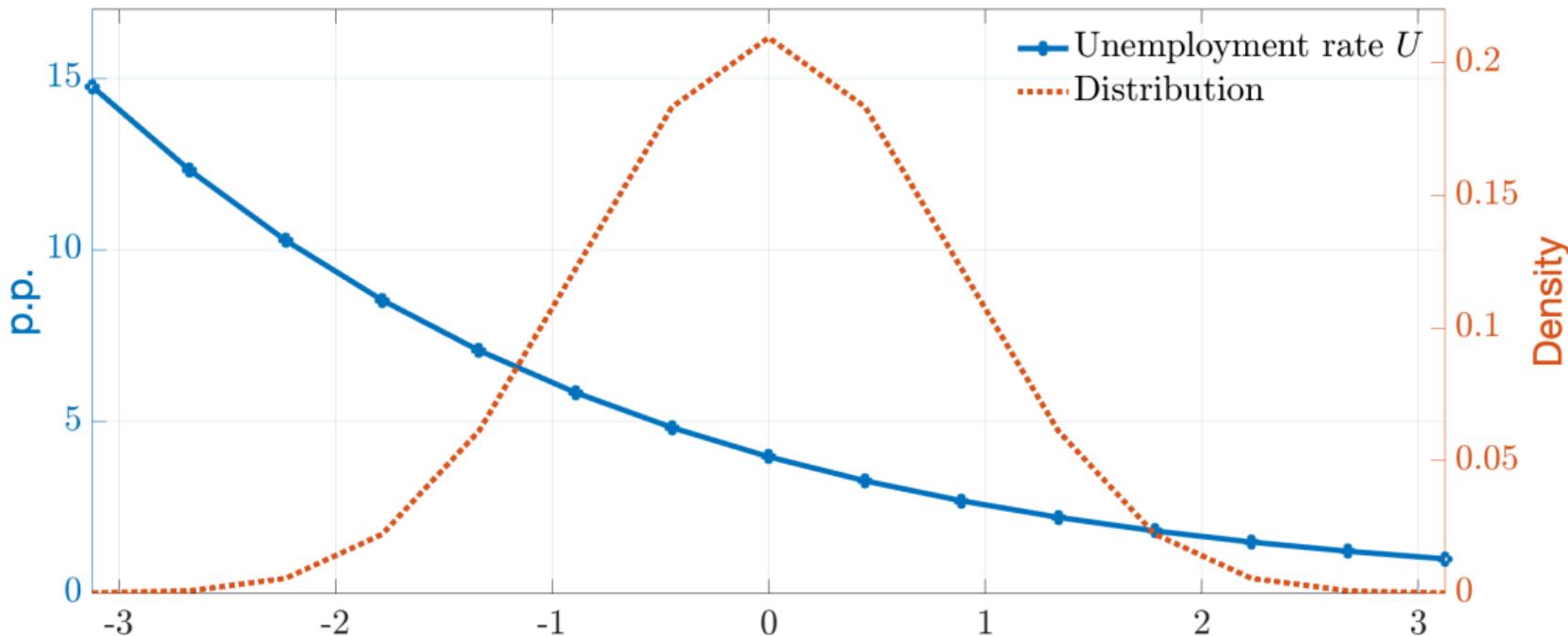
- Okun's law: Okun coefficient  $c_{OK} = 0.5$

Ball, Leigh, and Loungani (2017)

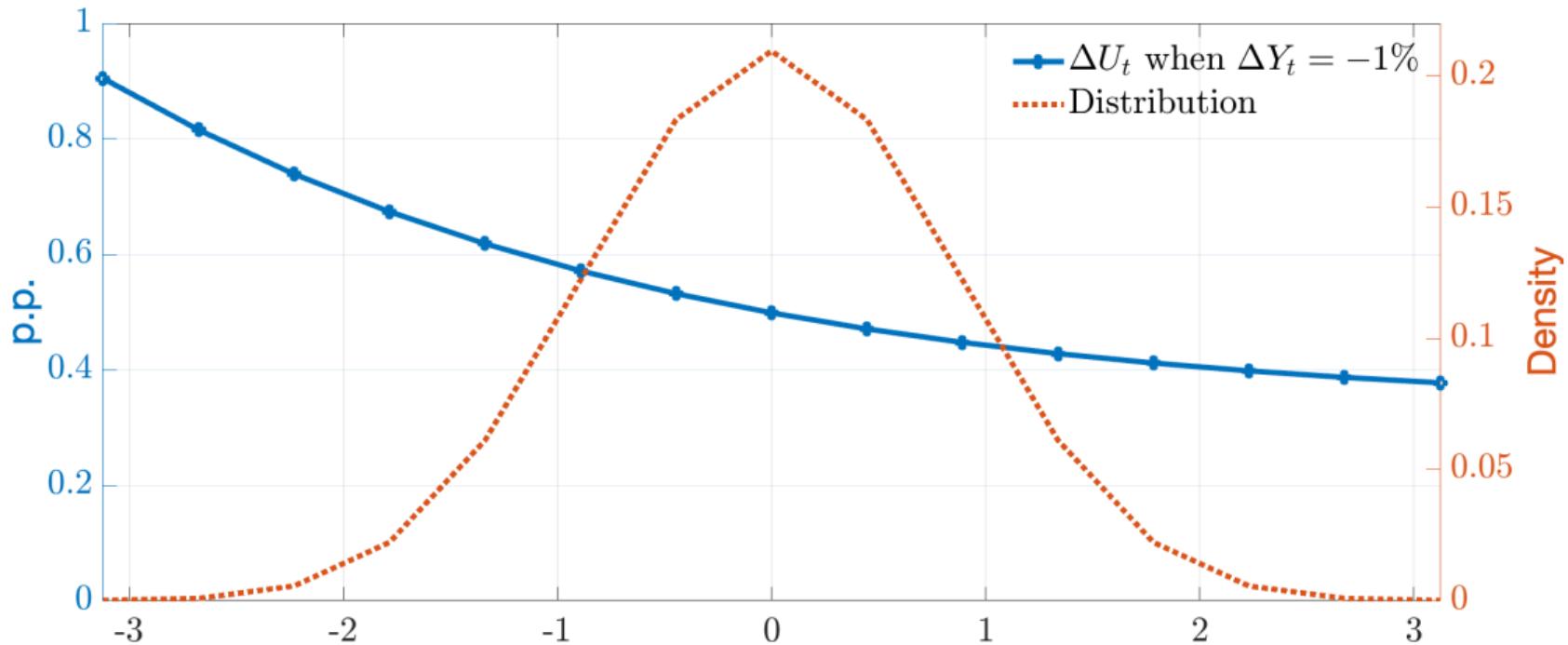
- Job finding rates decrease (a lot) equally across households
  - Job separation rates decrease (a bit), higher elasticity for high- $x$  households
  - + Functional forms: additive fall in separation rates in recession delivers the pattern

# Unemployment Steady State

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# Unemployment Business Cycles



# Investigating the Calibration

Household responses

---

- Marginal propensities to consume (mpc) Parker, Souleles, Johnson, and McClelland (2013), Kaplan and Violante (2014), ...
  - Compute mpc out of a \$500 rebate: **average quarterly mpc** at 0.13
  - **Decline with wealth:** from 0.20 to 0.03 from 1st to 4th wealth quartile
  - Larger for **unemployed** at 0.32, consumption drops by 10% when falling into unemployment  
Saporta-Eksten (2014), Ganong and Noel (2019)

- Extensive margin: **Labor elasticities** decline with income

Triest (1990), Eissa and Liebman (1996), Kleven and Kreiner (2006), Meghir and Phillips (2010), ...

- Compute labor responses to a 1% change in after-tax rate: **average annual elasticity** at 0.30  
Erosa, Fuster, and Kambourov (2016)

Income quartile	1	2	3	4
Labor elasticity	0.44	0.34	0.25	0.22

- Intensive margin: similar

mpc Micro labor elasticity

## Spending, Checks, and Consumption Taxes

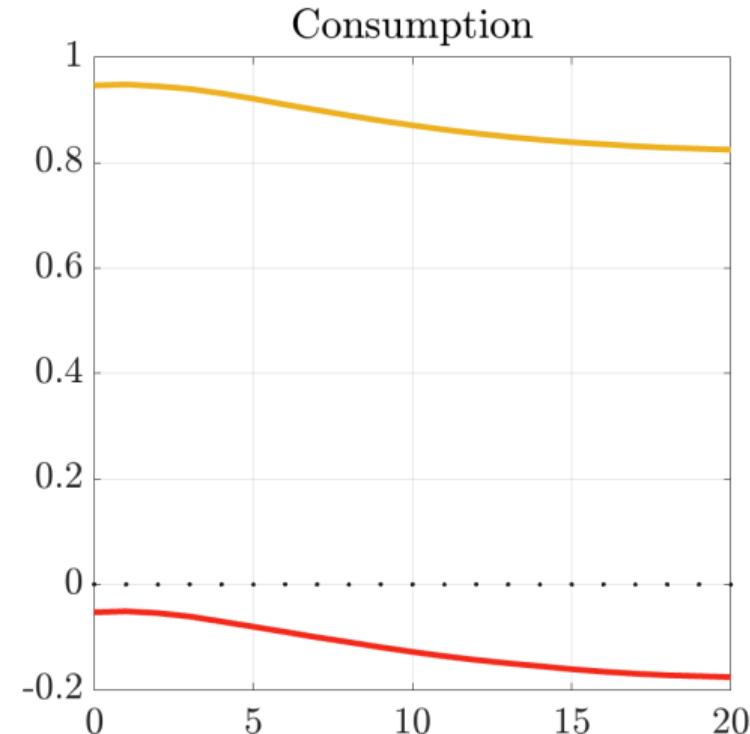
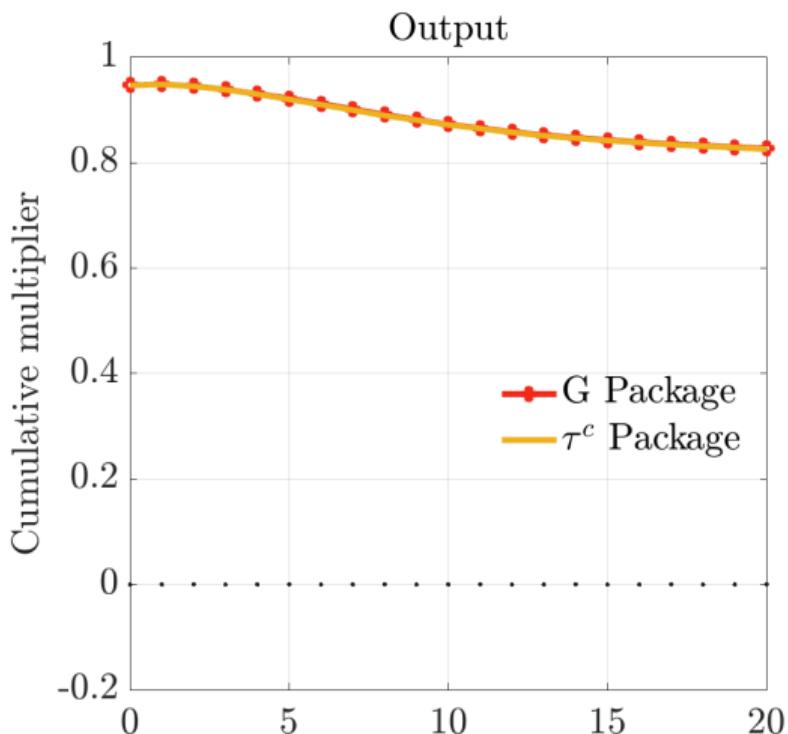
# Three Fiscal Packages

---

- Three packages of equivalent cost
  - Government spending shock with persistence  $\rho_w$
  - Consumption tax cuts with same persistence
  - A *one-time* (for now) lump-sum check to all households
  
- Two setups
  - Sticky prices/extensive labor supply
  - Sticky wages/homogeneous intensive labor supply

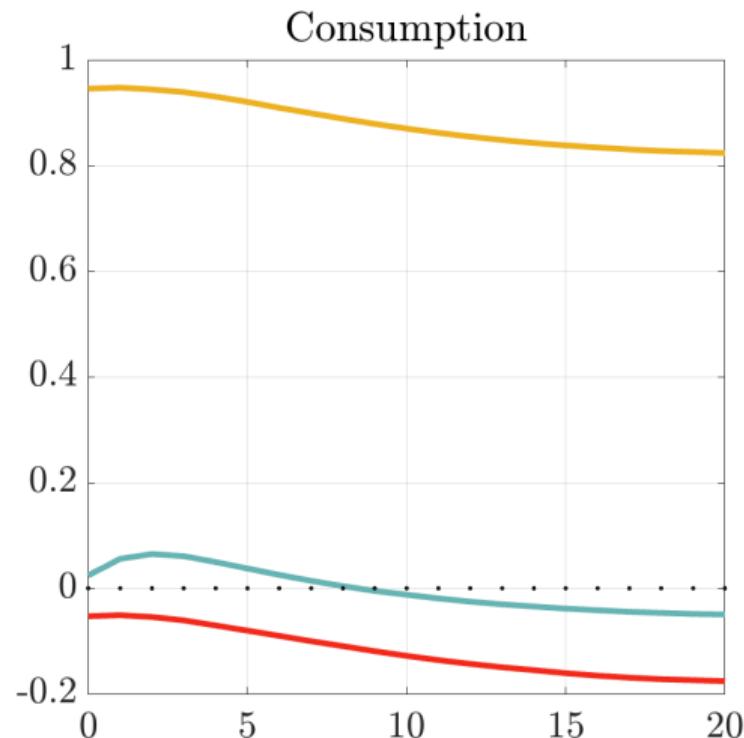
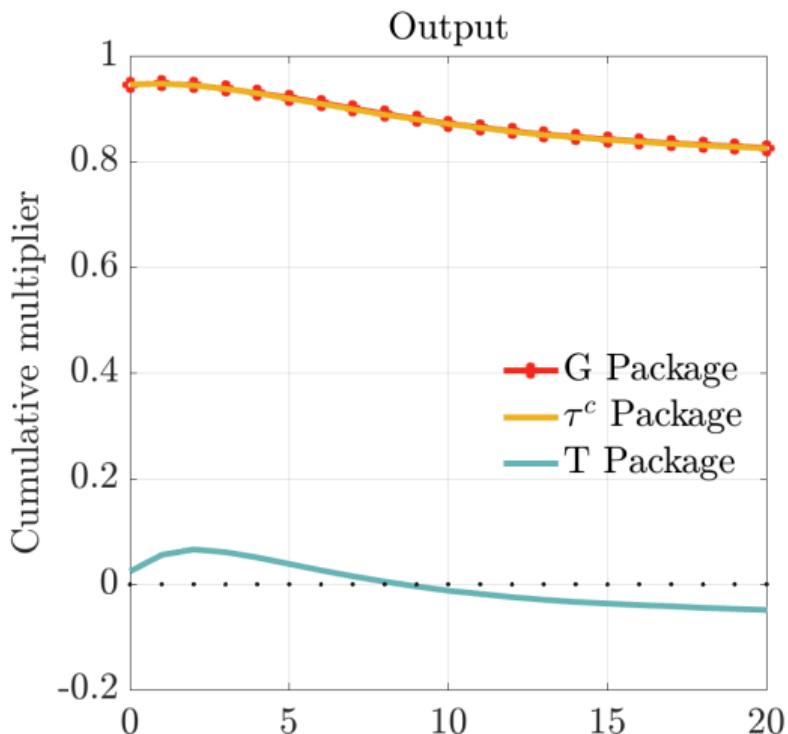
# Stabilization Packages

Extensive Labor & Sticky Prices



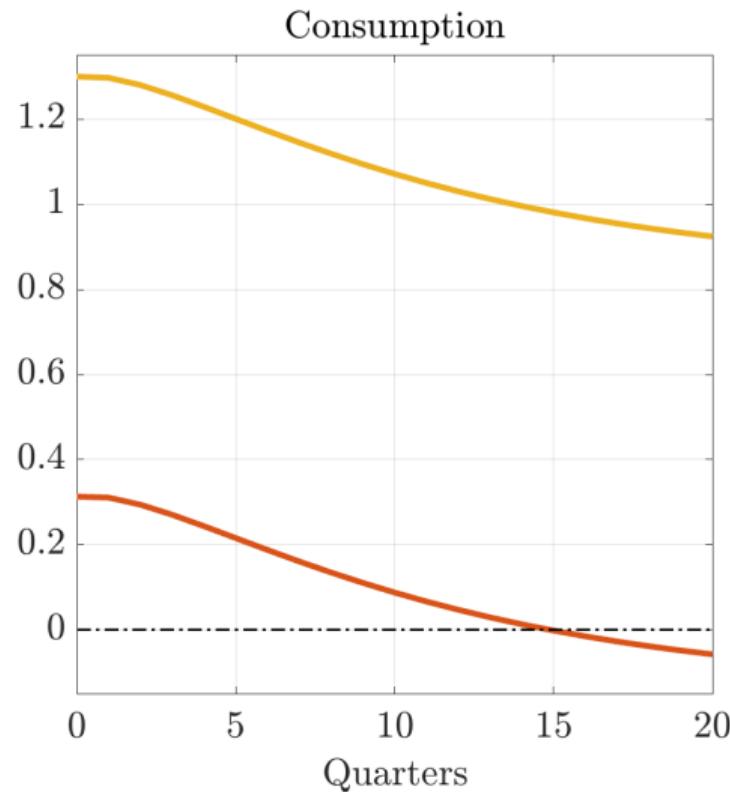
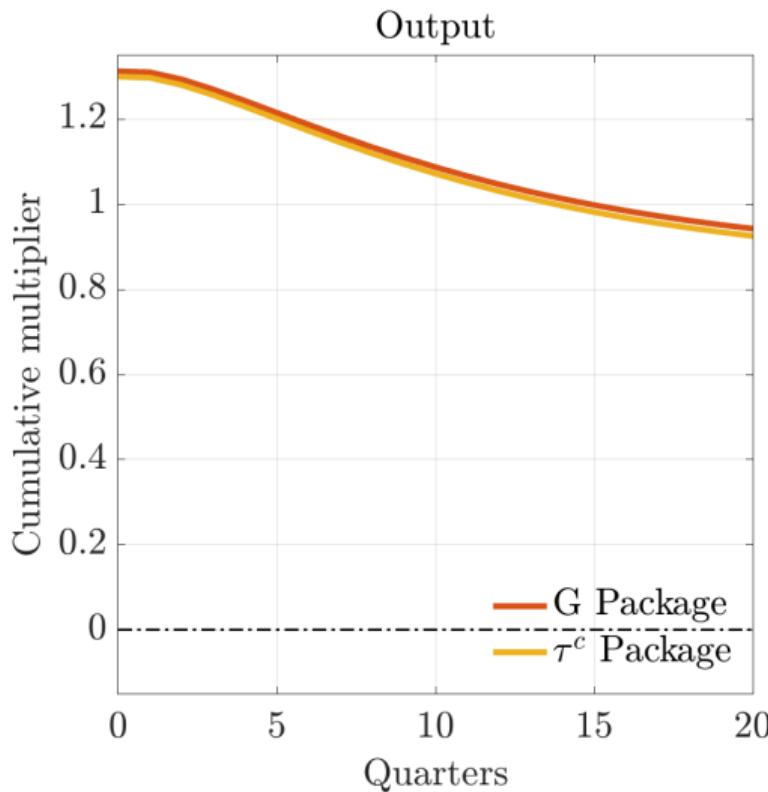
# Stabilization Packages

Extensive Labor & Sticky Prices



# Stabilization Packages

Homogenous Intensive Labor & Sticky Wages



# Recession

## Benchmark No Fiscal Stabilization

---

- Recession induced by a negative demand shock:  $(1 - \omega_t)u(c_t, n_t)$ 
  - $\omega_0$  such that  $\Delta Y_t = -0.1\%$  on impact
  - Reverts to  $\omega = 0$  with persistence  $\rho_\omega = 0.75$  at the quarterly level
- Unexpected, transitory, perfect foresight: a ‘MIT’ shock

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- Unexpected, transitory, perfect foresight: a ‘MIT’ shock
- Systematic rule for consumption tax cuts:  $\tau_t^c = \tau^c - c^c \Delta Y_t$

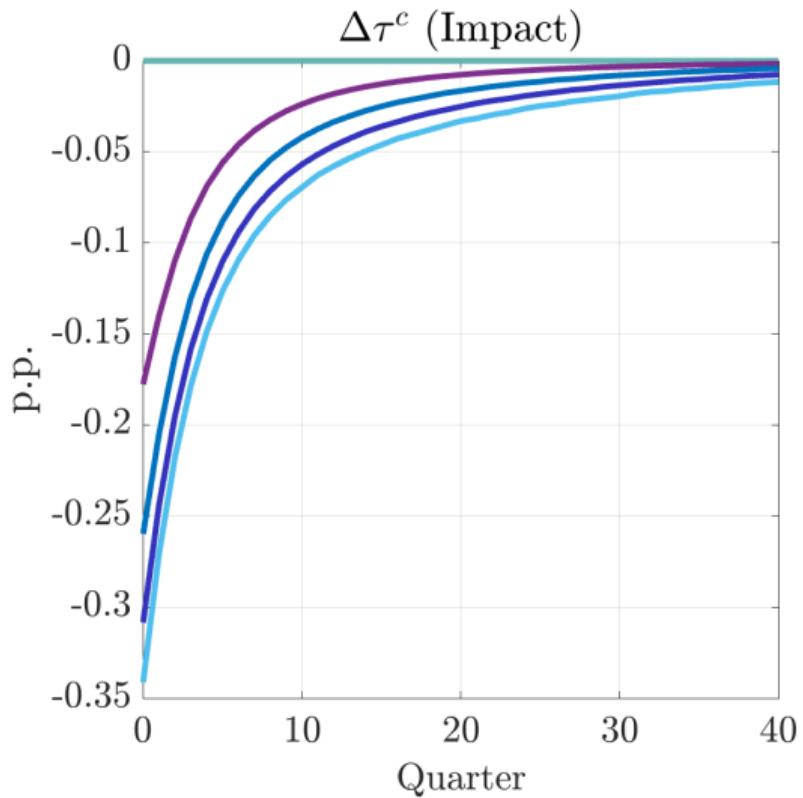
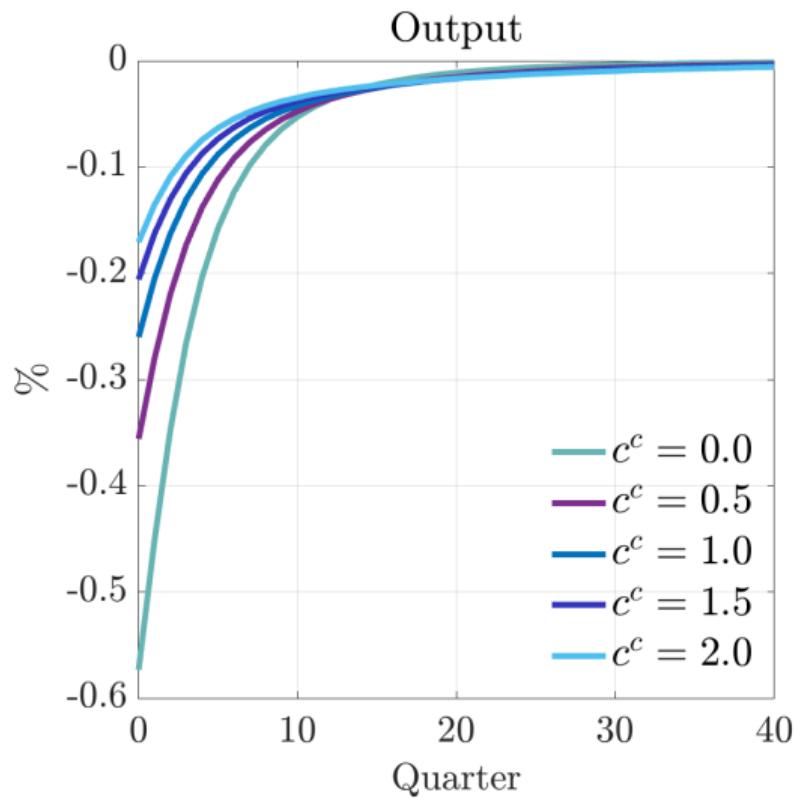
# Stabilization: A Systematic Rule?

Output responses when varying  $c^c$

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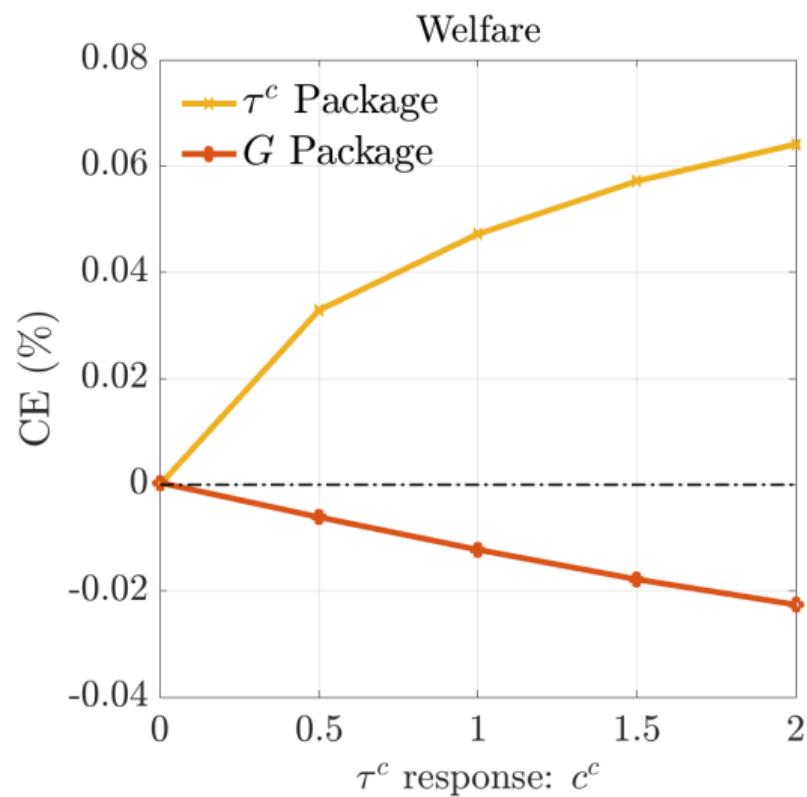
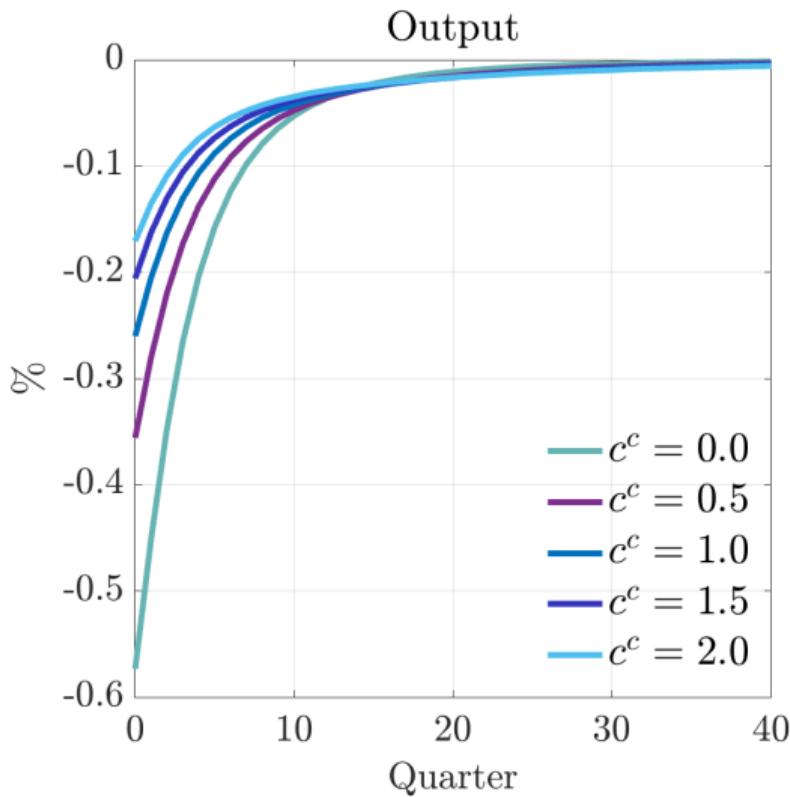
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Output responses when varying  $c^c$



# Stabilization: A Systematic Rule?

$$\tau_t^c = \tau^c - c^c \Delta Y_t$$



# Conclusion

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    - + Bound  $Y_t^g - Y_t^c$  with MPE/wealth effects and labor elasticities
  - **Welfare**: larger gains when the recession falls more on the poor?
    - + Design of Okun's law
  - Aggregate uncertainty

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**Thank you!**

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## Fiscal Rule

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- Public debt adjusts as a function of  $\Phi_D$

$$D_{t+1} = (1 - \phi_D)D + \phi_D \left( \hat{G}_t - \tau^k r_t A_t - \mathcal{R}_t^\ell \right), \text{ where}$$

- $\hat{G}_t$  captures total government expenditures, including debt repayments

$$\hat{G}_t = G_t + T_t + U_t + (1 + r_t)D_t$$

- $\mathcal{R}_t^\ell$  captures fiscal revenues at steady-state labor tax schedule

$$\mathcal{R}_t^\ell = w_t L_t - \lambda \int (w_t x h_t(a, x, \eta, \beta))^{1-\tau^\ell} d\mu_t(a, x, \eta, \beta)$$

## Steady State Households

---

- Quarterly model calibrated to liquid wealth

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- Stochastic  $\beta \in \{\bar{\beta} - \Delta, \bar{\beta}, \bar{\beta} + \Delta\}$ , duration of 50 years  
Krusell and Smith (1998)
  - $\bar{\beta}$  s.t.  $r \equiv 3.5\%$  annually
  - $\Delta$  s.t. top-quintile liquid wealth  $\approx 90\%$  (SCF)

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- Productivity  $(\rho_x, \sigma_x) = (0.989, 0.287)$ 
  - Chang and Kim (2007)

## Steady State Firm and government

---

- Technology:  $\varepsilon = 7$ ,  $\Theta = 200 \rightsquigarrow$  Phillips curve slope  $\varepsilon/\Theta = 0.035$

Galí and Gertler (1999)

- Dividends redistributed linearly in  $x$ :  $d_t(x) = \bar{d}_t x$

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 $\chi = 0.15$  to match  $C_u/C_e \approx 75\%$

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- Automatic responses of inflation and debt:  $\Phi_\Pi = 1.5$ ,  $\Phi_D = 0.75$

# Dividends

---

- Assume dividends linearly distributed on  $x$

$$\delta_t = \sum_x \tilde{\delta}_t(x) \pi(x) = \sum_x \left( \frac{\delta_t}{\mathbb{E}[x]} x \right) \pi(x)$$

- Minimize wealth effects of fluctuations in dividends

Farhi and Werning (2020)

## **Steady State** Unemployment

---

- Job finding rates and separation rates across hourly wage distribution

## Steady State Unemployment

---

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- Job finding rates are constant in the distribution

Mueller (2017)

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- **Separation rates** are falling in hourly wage/productivity  $x$

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- Monthly separation rates of  $\approx 1.4\%$  and  $0.7\%$  below and above median, respectively

$$\Rightarrow \pi_\eta(u|\ell, x) = \phi_0 x^{\phi_1}, \text{ with } \phi_0 = 0.029 \text{ and } \phi_1 = -0.446$$

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- Average unemployment rate at 4.3% with unequal incidence in the distribution

# Unemployment and the Business Cycle

---

- Okun's law type of relation between output and unemployment
  - Okun coefficient  $c^{OK} = 0.5$
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- Job separation rates decrease with  $\Delta Y_t$ 
  - Elasticity of separation rates to aggregate unemployment larger for above-median workers
  - Mueller (2017)
    - + Homogeneous additive increase in separation rates

# Unemployment and the Business Cycle

Okun's law

---

- Finding and separation rates distribution depend on  $U_t$  Mueller (2017)

- Finding rate elasticity decreases homogeneously with  $\Delta Y_t$

$$\log \pi_{\eta,t}(\ell|u, x) = \log \pi_\eta(\ell|u) - \log(1 - \bar{\phi}_e \Delta Y_t)$$

- Separation rate elasticity increases with  $\Delta Y_t$

$$\pi_{\eta,t}(u|\ell, x) = \pi_\eta(u|\ell, x) - \bar{\phi}_u \Delta Y_t x^{-\phi_{u,x}}$$

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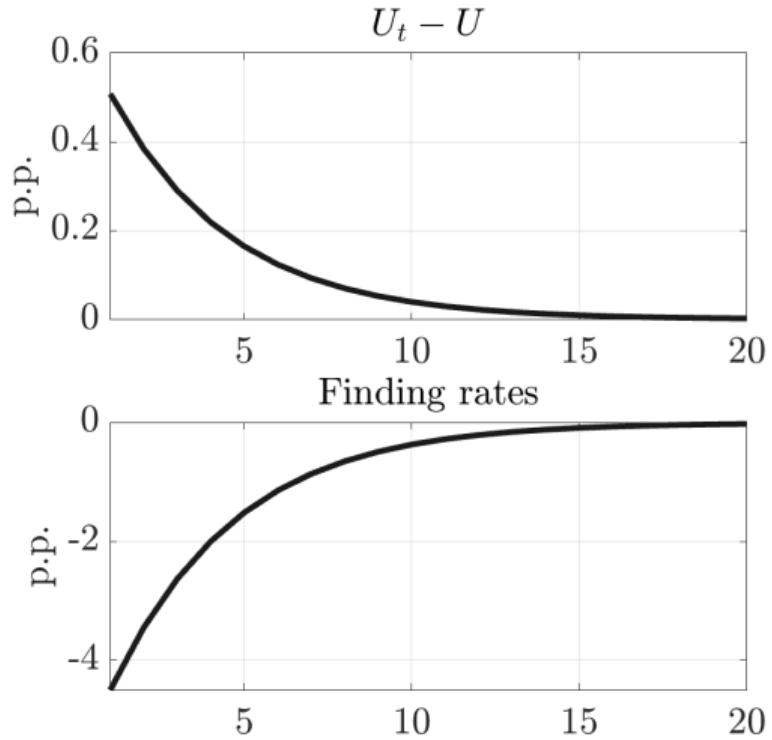
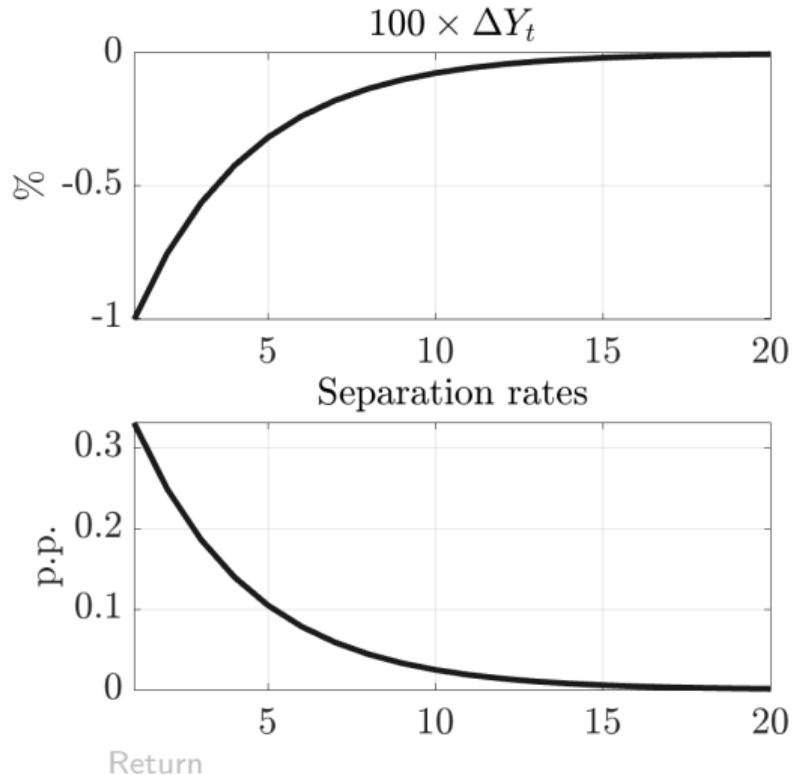
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- Joint calibration:
    - +  $\bar{\phi}_e$  s.t. finding elasticity to  $U \approx -0.6$
    - +  $\phi_{u,x} = 0$  elasticity of separation rates larger for above-median workers
    - +  $\bar{\phi}_u = 0.33$  to get  $c_{OK} = 0.5$

# Unemployment and the Business Cycle

Okun's law



# Labor elasticities Two approaches

---

## ■ Labor elasticities decline with income

- Compute labor responses to a temporary tax shock  
Erosa, Fuster, and Kambourov (2016)
  - + Annual hours response to a 1% change in after-tax rate for one year
  - + Aggregate labor elasticity is **0.30**, declining with income
- Simulate steady-state model annually and run applied-micro regression  
Rogerson and Wallenius (2009), Chang and Kim (2006)
  - + Estimate  $b_1$  in  $\log h_{in} = b_0 + b_1 \log \tilde{w}_{in} - b_2 \log c_{in} + \varepsilon_{in}$
  - + Aggregate labor elasticity is **0.45**, declining with income

Income quartile	1	2	3	4
Labor elasticity: tax shock	0.44	0.34	0.25	0.22
Labor elasticity: regression	0.56	0.59	0.50	0.26

## Marginal propensities to consume Distribution x wealth

---

- Marginal propensities to consume decline with wealth

Wealth quartile	1	2	3	4
mpc	0.20	0.15	0.07	0.03

## Deeper Recessions Bigger Fiscal Packages

---

- Consider a recession of about **1% on impact** – compared to 12bp on impact in the baseline
- Implement fiscal packages costing **\$1500** per household

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- **TT Package** in the first quarter: equal to \$1100 per month for the bottom 5%, \$500 per month for the 5-15%
- **TC Package** in the first quarter: equal to \$1100 per month for the bottom 5%, \$500 per month for the 5-15%
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- Multipliers are **similar** to the baseline

## Robustness

Monetary policy: Same real rate

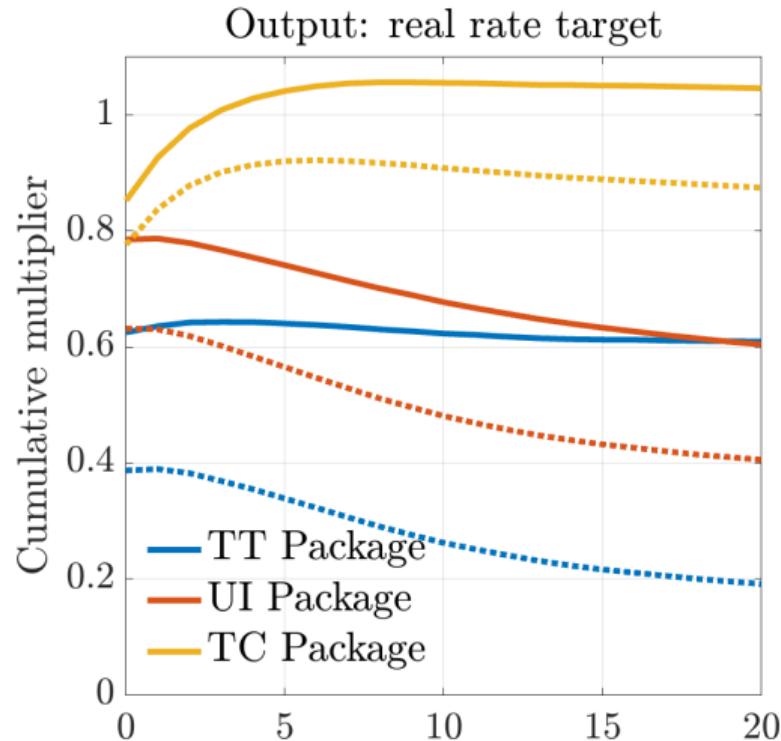
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- Fiscal packages affect inflation differently
  - Monetary policy and real rate differ
- Compare packages under benchmark real rate

# Robustness

Monetary policy: Same real rate

- Fiscal packages affect inflation differently
  - Monetary policy and real rate differ
- Compare packages under benchmark real rate
- TC package remains most effective
  - Larger multipliers than with Taylor rule
  - Especially for the TT package, less for the TC package



## Robustness More accommodative monetary policy

---

- Effectiveness of fiscal packages depend on constraints on monetary policy
- Consider a richer Taylor rule:

$$\ln \left( \frac{1 + i_{t+1}}{1 + \bar{i}} \right) = \Phi_\Pi \ln \left( \frac{\Pi_t}{\bar{\Pi}} \right) + \Phi_Y \ln \left( \frac{Y_t}{\bar{Y}} \right)$$

# Robustness

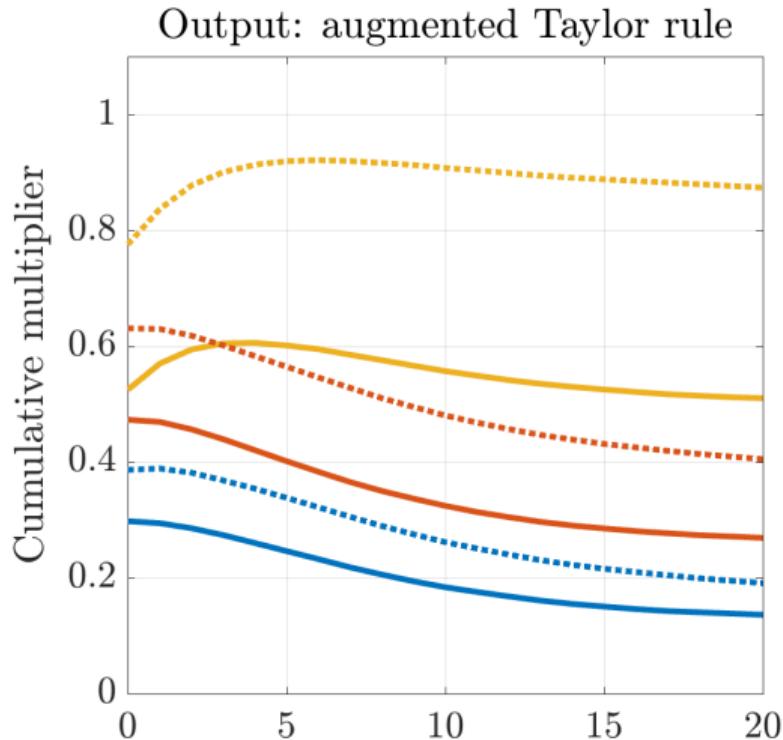
## More accommodative monetary policy

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- TC package remains **most effective**
  - Lower multipliers than with Taylor rule



## Robustness Steeper labor elasticities

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- Lower variance  $\rho_h$  to reach steeper labor elasticities
  - + 0.75 at Q1 (regression), 1.1 (tax shock)

## Robustness Steeper labor elasticities

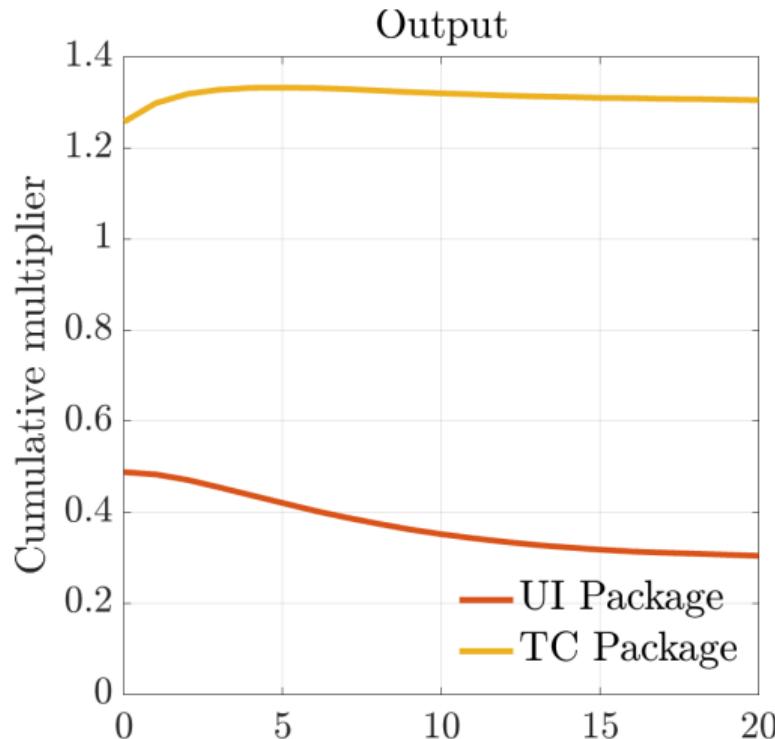
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Mertens and Ravn (2013)
  - + Bottom-90 tax cut increases employment by 2.7% (model) vs. 3% Zidar (2019)
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- All other targets  $\approx$  identical (**mpc** at 0.10)
- TC Package  $\Rightarrow$  **large output** multiplier



## Robustness Sticky wages

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- Alternative modeling of nominal rigidities with **sticky wages**

Erceg, Henderson, and Levin (2000) Ferriere and Navarro (2024)

- Two-layer structure with a **labor packer** and **labor unions**

# Robustness Sticky wages

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## ■ Alternative modeling of nominal rigidities with sticky wages

Erceg, Henderson, and Levin (2000) Ferriere and Navarro (2024)

- Two-layer structure with a labor packer and labor unions

## ■ Competitive labor packer

- Produces a final labor bundle combining labor from unions  $N_t = \left( \int_0^1 n_{kt}^{\frac{\varepsilon-1}{\varepsilon}} \right)^{\frac{\varepsilon}{\varepsilon-1}}$
- ⇒ Implies labor demand  $n_{kt}^d = (W_{kt}/W_t)^{-\varepsilon} N_t$ , where  $W_t = w_t P_t$

## ■ Monopolist labor unions +

- Set wages  $w_t$  subject to adjustment cost
- Hire households labor in a competitive market at wage rate  $w_t^h$

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## ■ Theorem: Under linear labor technology, equivalence between price and wage stickiness

## Robustness Sticky wages

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- Labor union maximization problem

$$J_t^w(W_{kt-1}) = \max_{W_{kt}, n_{kt}} \left\{ d_{kt}^w + \frac{1}{1+r_{t+1}} J_{t+1}^w(W_{kt}) \right\} \quad \text{s.t.}$$

$$d_{kt}^w = \left( \frac{W_{kt}}{P_t} - w_t^h \right) n_{kt} - \Theta_t^w(W_{kt}, W_{kt-1}) - f_w$$

$$n_{kt} = \left( \frac{W_{kt}}{W_t} \right)^{-\varepsilon_w} N_t$$

$$\Theta_t^w(W_{kt}, W_{kt-1}) = \frac{\Theta^w}{2} \left( \frac{W_{kt}}{W_{kt-1}} - \bar{\Pi} \right)^2 N_t$$

⇒ Implies a standard wage Philipps Curve