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6CCS3CFL – COURSEWORK 1

OPTIONAL QUESTIONS

Question 1:

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I am currently studying in London and will be studying on campus, in person face to face teaching.

Question 2:

I am a web developer, I started off with basic HTML and JS and CSS. Then I gained some experience in Adobe ColdFusion. I have made a few large business applications in PHP. I tend to focus more on the backend. Although I am extremely comfortable with frontend too.

I have decent experience in JavaScript (ReactJS and NodeJS) and am remarkably familiar with MySQL and MongoDB. I also have a decent amount of experience in Python, Java, C++, Flutter and Swift.

Through the courses at KCL, I have also worked in languages like: PDDL, Haskell, Ruby on Rails, Prolog, and a few more

I am currently learning Scala through this course and am thoroughly enjoying it. Lastly, I am learning Go for my own projects.

MANDATORY QUESTIONS

Question 3:

Nullable Expressions
$nullable([c1, c2, \ldots, cn\,]) \stackrel{\text{def}}{=} false$
$nullable(r^{+}) \stackrel{\text{def}}{=} nullable(r)$
$nullable(r^{?}) \stackrel{\text{def}}{=} true$
$nullable(r^{\{n\}}) \stackrel{\text{def}}{=} if\ n == 0\ then\ true\ else\ nullable(r)$
$nullable(r^{\{..m\}}) \stackrel{\text{def}}{=} true$
$nullable(r^{\{n..\}}) \stackrel{\text{def}}{=} if\ n == 0\ then\ true\ else\ nullable(r)$
$nullable(r^{\{n..m\}}) \stackrel{\text{def}}{=} if\ n == 0\ then\ true\ else\ nullable(r)$
$nullable(\sim r) \stackrel{\text{def}}{=} -nullable(r)$

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Der Expression
$der\ c\ ([c1, c2, \ldots, cn]) \stackrel{def}{=} if\ c\ \in [c1, c2 \ldots cn]$ then 1 else 0
$der\ c\ (r+) \stackrel{def}{=} der\ c\ (r)\ .\ r^*$
$der\ c\ (r?) \stackrel{def}{=} der\ c\ (r)$
$der\ c\ (r^{\{n\}}) \stackrel{def}{=} if\ n == 0\ then\ 0\ else\ der\ c\ (r)\ .\ (r^{n-1})$
$der\ c\ (r^{\{..m\}}) \stackrel{def}{=} if\ m \leq 0\ then\ 0\ else\ der\ c\ (r)\ .\ (r^{\{..m-1\}})$
$der\ c\ (r^{\{n...\}}) \stackrel{def}{=} if\ n == 0\ then\ der\ c\ (r)\ .\ (r^{\{n..\}})\ else\ der\ c\ (r)\ .\ (r^{\{n-1..\}})$
$der\ c\ (r^{\{n..m\}}) \stackrel{def}{=} if\ n == 0\ then\ der\ c\ (r)\ .\ (r^{\{..m-1\}})\ else\ der\ c\ (r)\ .\ (r^{\{n-1..m-1\}})$
$der\ c\ (\sim r) \stackrel{def}{=} \sim der\ c\ (r)$

Question 4

$$nullable(CFUN(f)) \stackrel{def}{=} false$$
$$der\ c\ (CFUN(f)) \stackrel{def}{=} if\ (f(c))\ then\ ONE\ else\ ZERO$$

Definitions:
In order to implement CFUN, I have added some functions for CHAR, RANGE and ALL to translate their outputs to Booleans.

$$c \stackrel{def}{=} CFUN(\ (ch) => ch == c)$$
$$[c1, c2, \ldots, cn] \stackrel{def}{=} CFUN(\ (ch) => if\ ch\ \in [c1, c2 \ldots cn]\ \text{then } \mathbf{true} \text{ else } \mathbf{false})$$
$$ALL \stackrel{def}{=} CFUN(\ (\_) => true)$$

Code:

```
case class CFUN(f: Char => Boolean) extends Rexp
/* CFUN translations */
def CHAR(c : Char) = CFUN((ch : Char) => c == ch)
def RANGE(s: Set[Char]) = CFUN((ch : Char) => s.contains(ch))
def ALL = CFUN ((_ : Char) => true)
/* End CFUN translations */
```

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Question 5

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Regular Expression without running and simplifications:

```
SEQ(PLUS(RANGE(('a' to 'z').toSet ++ ('0' to '9').toSet + '_' + '.' + '-')),
SEQ(CHAR('@'), SEQ(PLUS(RANGE(('a' to 'z').toSet ++ ('0' to 9').toSet + '.' +
'-')), SEQ(CHAR('.'), BETWEEN(RANGE(('a' to 'z').toSet + '.'),2,6)))))
```

Refer to attached code for implementation and methodology.

Regular Expression after ders and after applying simplifications:

$$r = (([a - z0 - 9. -]^* \cdot . \cdot [a - z.]^{\{2..6\}}) + [a - z.]^{\{0..4\}}) + [a - z.]^{\{..1\}}$$

Question 6:

"/**/"	yes
"/*foobar*/"	yes
"/*test*/test*/"	no
"/*test/*test*/"	yes

Question 7:

R1 = (r1+)+

R2 = (r2+)+

“aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa a”	R1 Yes	R2 Yes
“aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaa”	R1 No	R2 No
“aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa aaaaaaaaaaaaaaaaa”	R1 No	R2 Yes