Ayank Gupta Section B

① 
$$T(n) = 3T(n/2) + n^2$$
  
 $T(n) = \alpha T(n/6) + f(n)$ ,  $\alpha = 3$ ,  $b = 2$   
 $C = \log_3 3 = 1.58$   
 $C = n^{1.58} = 1.58$ 

① By Case 3 => 
$$f(n) > n^c => T(n) = \Theta(f(n)) = \Theta(n^2)$$

② 
$$T(n) = 4t(n_{12}) + n^{2}$$
  
 $t(n) = aT(n_{16}) + f(n)$ ,  $a = 4, b = 3$   
 $c = log_{2}4 = 2$   
 $f(n) = n^{2}$ 

O By case 
$$2 \Rightarrow f(n) = n^c \Rightarrow T(n) = \Theta(n^c \log n)$$

$$\Rightarrow \Theta(n^2 \log n)$$

3 
$$T(n) = T(n_{12}) + 2^{n}$$
  
 $T(n) = \alpha T(n_{16}) + f(n), \alpha = 1, b = 2$   
 $C = \log_{2} 1 = 0$   
 $n^{c} = n^{o} = 1, f^{o} = 2^{n}$ 

$$\exists \quad \bot(v) = \Theta(+(v))$$

$$T(n) = 3^{n} T(n_{12}) + n^{n}$$

$$(n) = aT(n_{12}) + n^{n}$$

$$T(n) = aT(n_{12}) + n^{n$$

$$(0) T(n) = 16T(n/4) + n!$$

$$(=5 =) U_c = U_s$$

$$=)$$
  $t(u) > u_c$ 

$$\Rightarrow T(v) = \Theta(vi)$$

$$(1) T(n) = 4T(n_2) + \log n$$

a=4,6=2

$$(=5 =) V_c = V_S$$

$$L(U) = \theta(U_S)$$

(S) 
$$L(u) = 3L(u^{15}) + U$$

$$a = 3, b = 2$$

$$C=1.58 \Rightarrow n^{c}=n^{1.58}$$

$$T(n) = \Theta(n^{1.58})$$

$$(9)$$
  $T(n) = 3T(n_3) + sqet(n)$ 

$$a = 3, b = 3$$

$$= \int_{C} L(u) = \Theta(u)$$

$$u_{c} = U > U_{1/5}$$

(5) 
$$T(n) = 4T(n_2) + cn$$

$$(=5 =) 4 = 0_5$$

$$\bot(U)=\varTheta(U_5)$$

(b) 
$$T(n) = 3T(n_{M}) + n \log n$$
  
 $\alpha = 3, b = 4$ 

$$C = 0.79 = 0^{\circ} = 0^{\circ}.79$$

$$T(n) = \Theta(n\log n)$$

$$(f) T(n) = 3T(n_3) + n_2$$

$$C=J \Rightarrow U_C=U$$

$$\Rightarrow$$
  $f(u) coc$ 

$$T(n) = \theta(n)$$

$$(-2) = n^{c} = n^{1.63}$$

$$= ) T(n) = \theta (n^2 (\log n))$$

(9) 
$$T(n) = 4T(n/2) + n/209n$$
  
 $\alpha = 4, b=2$ 

$$= \int_{C} C = \int_{C} \int_{C} D =$$

$$\pm (v) = \Theta(v_c) = \Theta(v_s)$$

(20) 
$$T(n) = 64 + (n/8) + n^2 \log n$$
  
 $\alpha = 64, b = 8$ 

$$C = 5 = 0$$
  $C_c = 0_5$ 

$$+(v) = \Theta(+(v))$$

$$\Rightarrow \theta \left( \nu_{s} \log_{1} \nu_{v} \right)$$

$$(21) \quad T(n) = 7T(n_3) + n^2$$

$$a=7, b=3$$

$$=)$$
  $f(v) > v_c$ 

$$T(n) = \Theta(f(n)) \Rightarrow \Theta(n^2)$$

$$- \times$$
  $\times$   $\times$   $\times$