

Ans 1

BFS

- ① uses queue data structure.
- ② can be used to find shortest single source path in an unweighted graph and we reach a vertex with min. no. of edges from a source vertex.
- ③ siblings are visited before the children.
- ④ Applications \Rightarrow
 - ① shortest path and min. spanning tree.
 - ② peer to peer networks
 - ③ social networking sites
 - ④ GPS navigation systems.

DFS

- ① uses stack data structure.
- ② we might traverse through more edges to reach a destination vertex from a source.
- ③ children are visited before siblings.
- ④ Applications \Rightarrow
 - ① Detecting cycle in graph
 - ② path finding
 - ③ topological sorting.
 - ④ solving puzzles with only one soln.

Ans2 \Rightarrow In BFS we use Queue data structure as queue is used when things don't have to be processed immediately, but have to be processed in FIFO manner like BFS.

\Rightarrow In DFS stack is used as DFS uses backtracking. For DFS, we retrieve it from root to the farthest node as much as possible. That is same idea as LIFO.

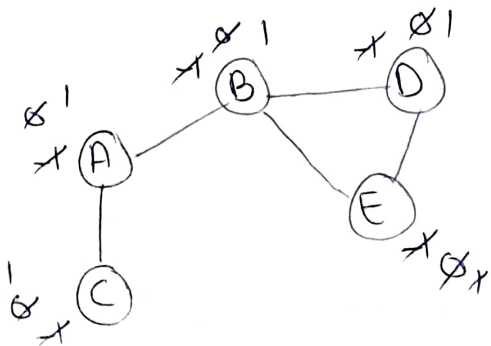
Ans3 \Rightarrow Dense graph is a graph in which no. of edges is more to the maximal no. of edges.

\Rightarrow sparse graph is a graph in which no. of edges is close to the minimal no. of edges. It can be a disconnected graph.

① For adjacency lists \Rightarrow sparse graphs

② For adj. matrix \Rightarrow dense graphs.

Ans4 \Rightarrow cycle detection in undirected graph (BFS)



-1 = unvisited

0 = into queue

1 = traversed.

Queue \Rightarrow

A	B	C	D	E
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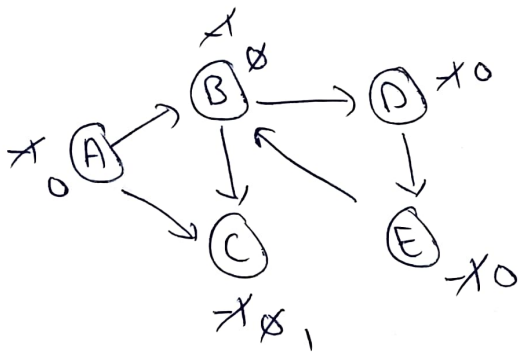
visited \Rightarrow

A	B	C	D	
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\Rightarrow when D checks its adj. vertices it finds E with 0.

\Rightarrow if any vertex finds the adj. vertices with 0 \Rightarrow it contains cycle.

* cycle detection in directed graph \Rightarrow



stack \Rightarrow

E
D
B
A

$\Rightarrow B \rightarrow D \rightarrow E \rightarrow B$

visited set \Rightarrow ABCDE

Parent Map

vertex	Parent
A	-
B	A
C	B
D	B
E	D

\Rightarrow then E finds B (adj. of E) with 0

\Rightarrow it contains a cycle

Ans 5 \Rightarrow The disjoint data structure is

also known as union find data structure or merge find set.

It is a DS that contains the collision of disjoint sets.

The disjoint means that the set is partitioned into disjoint subsets, various operation can be performed on it.

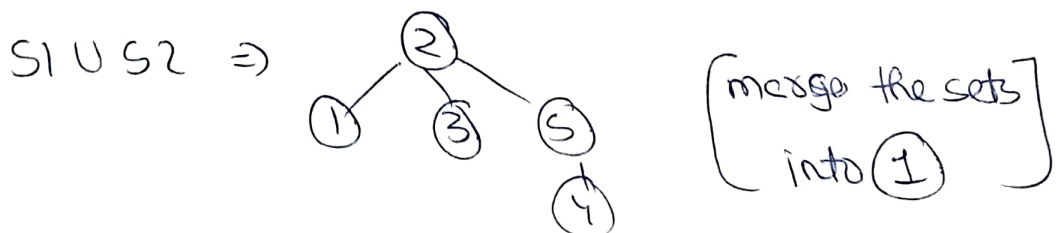
* Operations on disjoint Sets \Rightarrow

① Union \Rightarrow (a) If S_1 and S_2 are 2 disjoint sets \Rightarrow their union $S_1 \cup S_2$ is a set of all elements x such that x is in S_1 or S_2 .

② As the sets should be disjoint $S_1 \cup S_2$ replaces S_1 & S_2 which no longer exists.

③ Union is achieved by simply making one of the trees as the subtree of other. i.e. to set parent of one of the roots of the tree to other set.

④ Eg. \Rightarrow

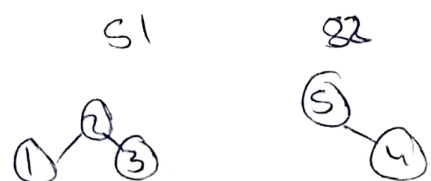


② find \Rightarrow given an element x ,

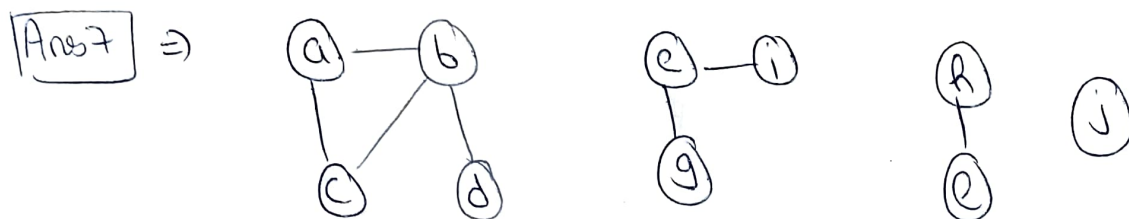
to find the set containing it \Rightarrow

$\text{find}(3) = S_1$

$\text{find}(5) = S_2$



* make-set (x) \Rightarrow create a set containing x.



$$V = \{a, b, c, d, e, j, h, i, g, l\}$$

$$E = \{(a, b), (a, c), (b, c), (b, d), (e, i), (e, g), (h, e), (j)\}$$

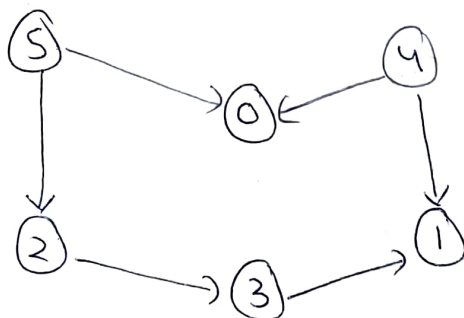
* we have now $\Rightarrow \{a, b, c, d\}$

$\{e, i, g\}$

$\{h, l\}$

$\{j\}$

Ans 8 \Rightarrow



0

1

2 \rightarrow 3

3 \rightarrow 1

4 \rightarrow 0 \rightarrow 1

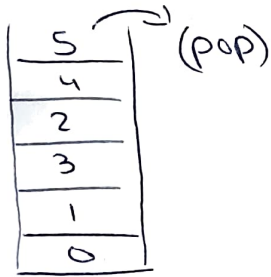
5 \rightarrow 2 \rightarrow 0

1. Algo \Rightarrow go to node 0, it has

no outgoing edges so push 0 into stack and mark visited.

2. go to node 1, again it has no outgoing edges \Rightarrow so push node 1 into stack and mark visited.

- ③ go to node 2 \Rightarrow process all adj. nodes and mark node 2 visited.
- ④ node 3 is already visited to continue with next node.
- ⑤ go to node 4 \Rightarrow all its adj. nodes are already visited.
so push node 4 into stack and mark visited.
- ⑥ go to node 5, all its adj. nodes are already visited so
push node 5 into stack and mark visited.



5 4 2 3 1 0 \Rightarrow o/p.

Ans 9 \Rightarrow Heap is generally preferred for priority queue implementation as heaps provide better performance compared to arrays / linked lists.

\Rightarrow Algos where priority queue is used \Rightarrow

- ① Dijkstra's Algorithm
- ② Prim's Algorithm.

Ans 10 \Rightarrow MinHeap	MaxHeap
① Parent has always lower value than child.	① parent has always higher value than child.
② Root node has smallest value.	② Root has highest value.