

## BIL108E Introduction to Scientific and Engineering Computing

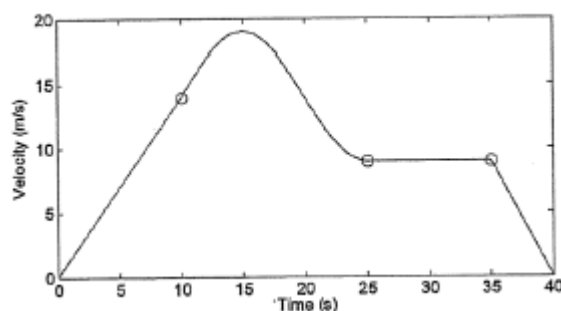
## Homework 4

**Attention:** Please be aware that the Deadline for Homework4 is 27/04/14 until 11.00 pm. Late submissions will not be accepted.

Note: 1. The solution of each question must be prepared separately as .m file and submitted via Ninova as a single folder in “\*.zip” or “\*.rar” extension (For example; SQ1.m and SQ2.m).

Note: 2. Using comment “%” operator, please explain your solutions.

**1. (50 points)** The velocity, as a function of time of a particle that moves along a straight line, is shown and given equations below.



$$v(t) = \begin{cases} 1.4t & \text{for } 0 \leq t \leq 10 \text{ s} \\ 14 + 5 \sin\left(\frac{\pi}{10}(t - 10)\right) & \text{for } 10 \leq t \leq 25 \text{ s} \\ 9 & \text{for } 25 \leq t \leq 35 \text{ s} \\ 9 - \frac{9}{5}(t - 35) & \text{for } 35 \leq t \leq 40 \text{ s} \end{cases}$$

**Write two user-defined functions:** One that calculates the velocity of the particle at time  $t$  (for the function name and arguments use  $v = \text{velocity}(t)$ ), and the other that calculates the acceleration of the particle at time  $t$  (for the function name and arguments use  $a = \text{acceleration}(t)$ ).

**2. (50 points)** Determine the appropriate function for the data given below using linear and power function with their coefficients (Hint. Least Square Regression).

x	10	15	20	25	30	35	40	45	50
y	5	115	245	367	548	700	985	1125	1345

Compare the function's goodness of fit by calculating a quantity called the root mean square (RMS) error which is defined by the following equation;

$$\text{RMS error} = \sqrt{\sum_{i=1}^n \left( \frac{E_i - A_i}{n} \right)^2}$$

Where  $E_i$  are the exact values,  $A_i$  are the predictions or approximations of the model, and  $n$  is the total number of data points.