

Bil 108

Introduction to the Scientific and Engineering
Computing with MATLAB
Lecture 4

F. Aylin Konuklar Lale T. Ergene

Overview

Script m-files

- Creating
- Side effects

Function m-files

- Syntax of I/O parameters
- Text output

Flow control

- Relational operators
 - Conditional execution of blocks
 - Loops
-

Preliminaries

- Programs are contained in **m**-files
Plain text files – not binary files produced by word processors
 - File must have “.**m**” extension
 - m-file must be in the path
Matlab maintains its own internal path
 - The path is the list of directories that Matlab will search when looking for an m-file to execute.
 - Manually modify the path with the **path**, **addpath**, and **rmpath** built-in functions.
-

Script Files

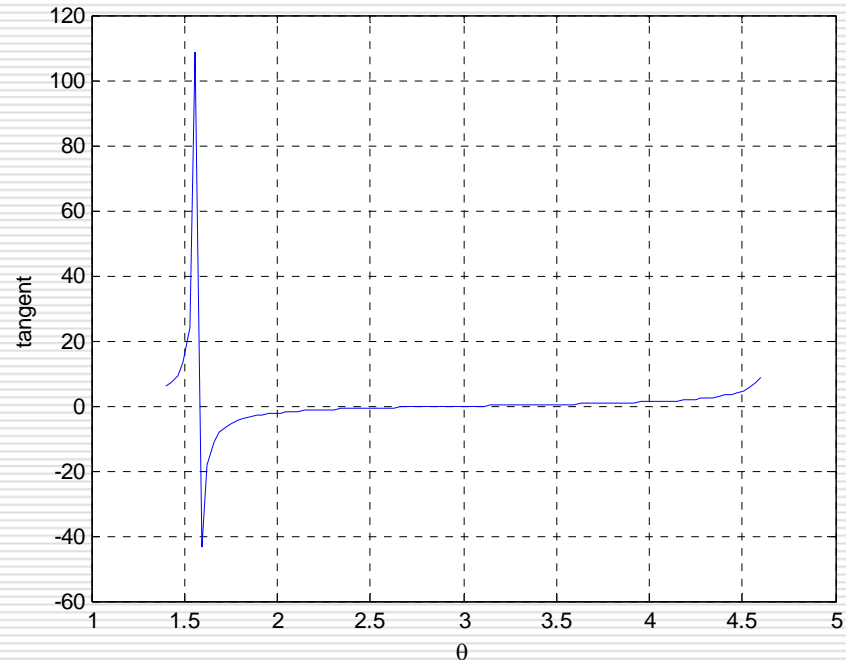
- ❑ Not really programs
 - ❑ No **input/output** parameters
 - ❑ Script variables are part of workspace

 - ❑ Useful for tasks that never change
 - ❑ Use a script to run function for specific parameters required by the assignment
 - ❑ Eg.1 MyCON
-

Example **Tanplot.m**

```
theta = linspace (1.4 , 4.6);  
tandata = tan(theta);  
plot (theta, tandata);  
xlabel('\theta');  
ylabel('tangent');  
grid;
```

Save as tanplot.m
>> tanplot



Script Side-Effects

- All variables created in a script file are added to the workspace.
 - This may have undesirable effects because
 - Variables already existing in the workspace may be overwritten
 - Eg.3 `easyplot.m`
-

Function m-files

- ❑ Functions are subprograms:
- ❑ Functions use input and output parameters to communicate with other functions and the command window
- ❑ Functions use *local* variables that exist only while the function is executing. Local variables are distinct from variables of the same name in the workspace or in other functions.
- ❑ Input parameters allow the same calculation procedure (same algorithm) to be applied to different data. Thus, function m-files are *reusable*.
- ❑ Functions can call other functions.

Function Input and Output

□ **twosum.m**

```
function twosum(x,y)
% twosum Add two matrices
% and print the result
x+y
```

threesum.m

```
function s = threesum(x,y,z)
% threesum Add three variables
% and return the result
s = x+y+z;
```

Eg.4 ave_3.m

Eg.5 triangle.m

□ **Eg.6 Addmult**

addmult.m

```
function [s,p] = addmult(x,y)
% addmult Compute sum and product
% of two matrices
s = x+y;
p = x*y;
```


Sample Program

- ❑ 1. Write a function called FtoC ([ftoc.m](#)) to convert Fahrenheit temperatures into Celsius.

```
function C=FtoC(F)
% Celsius=FtoC(Fahrenheit)
% Converts Fahrenheit temperatures to Celsius
C=5*(F-32)/9;
```

Test

- ❑ FtoC(96)
-

Summary of Input and Output Parameters

- ❑ Values are communicated through input arguments and output arguments.
 - ❑ Variables defined inside a function are local to that function. Local variables are invisible to other functions and to the command environment.
 - ❑ The number of return variables should match the number of output variables provided by the function.
-

Text Input and Output

- ❑ It is usually desirable to print results to the screen or to a file.
 - ❑ Inputs to functions:
 - **input** function can be used .
 - Input parameters to functions are preferred.
 - ❑ Text output from functions:
 - **disp** function for simple output
 - **fprintf** function for formatted output.
-

The fprintf function

- ❑ You can control the exact way in which values are printed to the screen with the 'fprintf()' function (**fprintf**= "file print formatted").
 - ❑ This function takes one argument representing the formatting instructions, followed by a list of values to be printed. Embedded within the format string are 'percent commands' which control where and how the values are to be written.
-

□ The *outFormat* string specifies how the *outVariables* are converted and displayed. The *outFormat* string can contain any text characters.

□ It also must contain a *conversion code* for each of the *outVariables*. The following list shows the basic conversion codes.

□ Code Conversion instruction

□ %s format as a string

□ %d format with no fractional part (integer format)

□ %f format as a floating-point value

□ %e format as a floating-point value in scientific notation

□ %g format in the most compact form of either %f or %e

□ \n insert newline in output string

□ \t insert tab in output string

□ Eg.7 fprintf

Examples

The command %g represents a general real number, %f means a fixed point number, %d a decimal integer, and %s a string. You can put numeric values between the '%' and the letter to control the field width and the number of digits after the decimal point. For example (□=space):

- fprintf('%5g',10)□□□10
 - fprintf('%10.4f',123.456)□□123.456□
 - fprintf('%10s', 'fred')□□□□□□fred

 - You can input a value or a string from the command line with the 'input()' function:
 - yval=input('Enter a number: ');
 - name=input('Enter your name: ', 's');
-

The format function

- ❑ The **format** function controls the precision of **disp** output.
 - ❑ `>> format short`
 - ❑ `>> disp(pi)`
 - ❑ 3.1416
 - ❑ `>> format long`
 - ❑ `>> disp(pi)`
 - ❑ 3.14159265358979
-

Flow Control

- ❑ To enable the implementation of computer algorithms, a computer language needs control structures for

1. Repetition: looping or iteration
2. Conditional execution: branching
3. Comparison

Comparison

- ❑ Comparison is achieved with *relational operators*. Relational operators are used to test whether two values are equal, or whether one value is greater than or less than another. The result of a comparison may also be modified by *logical operators*.
-

Relational Operators

- Relational operators are used in comparing two values.

Operator Meaning

- < less than
 - <= less than or equal to
 - > greater than
 - >= greater than or equal to
 - ~= not equal to
-
- The result of applying a relational operator is a logical value, i.e. result is either true or false.
-
- In Matlab any nonzero value, including a non-empty string, is equivalent to true. Only zero is equivalent to false.
-
- Note: The <=, >=, and ~= operators have "=" as the second character. =<, => and =~ are not valid operators.

Logical and Relational Operators

☐ **Summary:**

- ☐ Relational operators involve comparison of two values.
 - ☐ The result of a relational operation is a logical (True/False) value.
 - ☐ Logical operators combine (or negate) logical values to produce another logical value.
 - ☐ There is always more than one way to express the same comparison
-

Conditional Execution

Conditional Execution or Branching:

- ❑ As the result of a comparison, or another logical (true/false) test, selected blocks of program code are executed or skipped.
 - ❑ Conditional execution is implemented with if, if...else, and if...elseif constructs, or with a switch construct.
 - ❑ There are three types of if constructs
 1. Plain **if**
 2. **if...else**
 3. **if...elseif**
-

The switch Construct

A **switch** construct is useful when a test value can take on discrete values that are either integers or strings.

Syntax:

- ☐ *switch expression*
- ☐ *case value1,*
- ☐ *block of statements*
- ☐ *case value2,*
- ☐ *block of statements*
- ☐ *...*
- ☐ *otherwise,*
- ☐ *block of statements*
- ☐ *end*

Example:

```
color = '...'; % color is a string
switch color
case 'red'
disp('Color is red');
case 'blue'
disp('Color is blue');
case 'green'
disp('Color is green');
otherwise
disp('Color is not red, blue, or green');
end
```

Flow Control

Repetition or Looping

- ❑ A sequence of calculations is repeated until *either*

All elements in a vector or matrix have been processed

OR

The calculations have produced a result that meets a predetermined termination criterion

- ❑ Looping is achieved with for loops and while loops.
-

for loops

- for loops are most often used when each element in a vector or matrix is to be processed.

Syntax:

```
for index = expression  
    block of statements  
end
```

Example: *Sum of elements in a vector*

```
x = 1:5; % create a row vector  
sumx = 0; % initialize the sum  
for k = 1:length(x)  
    sumx = sumx + x(k);  
end
```

for loop variations

Example: *A loop with an index incremented by two*

```
for k = 1:2:n
```

```
    ...
```

```
end
```

Example: *A loop with an index that counts down*

```
for k = n:-1:1
```

```
    ...
```

```
end
```

Example:

```
% My first loop
```

```
for i=1:10 % start at 1 and go to 10
```

```
    disp([i,1/i]) % print the integers and their reciprocals
```

```
end % the end of every for loop must be "closed" using the end  
statement
```

Nested Loops

- Loop and branch statements can also be *nested*. Try this,

```
% Nested loops
for i=1:4
    for j=1:3
        disp([i j i*j])
    end
end
```

A final word of caution, *never* assign a value to the loop variable inside of the loop.

while loops

- while loops are most often used when an iteration is repeated until some termination criterion is met.

Syntax:

```
while expression  
    block of statements  
end
```

- The *block of statements* is executed as long as *expression* is true.
-

Example

we'll add all the reciprocals of the positive integers until the current reciprocal is smaller than .001 . When the current reciprocal is smaller than .001 then the condition of the while statement will no longer be true and the while loop will terminate.

```
i = 1; % start the counter at 1
```

```
total = 0; % initialize the sum
```

```
while(1/i >= 1e-3) % continue as long as 1/i is at least .001
```

```
    total = total + 1/i; % add the next reciprocal to the sum
```

```
    disp([i 1/i total]) % display the number of loops, 1/i, and the current sum
```

```
    i = i + 1; % add 1 to the counter
```

```
end
```

Example

The function $\sin(x)$ can be written as a Taylor series by

$$\sin x = \sum_{k=0}^{\infty} \frac{(-1)^k x^{2k+1}}{(2k+1)!}$$

Write a user-defined function file that calculates $\sin(x)$ by using Taylor's series. For the function name and arguments use $y = \text{Tsin}(x, n)$. The input arguments are the angle x in degrees, and n the number of terms in the series. Use the function to calculate $\sin(150^\circ)$ using 3 and 7 terms.

example

- Write an m file to determine the sum of the series given below converges to the natural logarithm of 2. Determine the number of terms to achieve the relative error of 5 %. Plot the change in error with increasing number of terms.

$$\sum_{k=1}^{\infty} \frac{(-1)^{k-1}}{k}$$
