

COMPUTER VISION HOMEWORK 2 REPORT

- A) Calculating transforms matrix using source and target
- B) Switching from first image to second image using t value.
- C) Calculating Homogeneous coordinates. Using Homogeneous coordinates makes it possible for these geometric transforms (e.g. translation or affine) to be represented as matrix vector multiplication, i.e. a linear transformation.

$[x_1, y_1, x_2, y_2, x_3, y_3]$

becomes

$[x_1, x_2, x_3]$

$[y_1, y_2, y_3]$

$[1, 1, 1]$

- D) M_{tx}

$[x_1, y_1, 1, 0, 0, 0]$

$[0, 0, 0, x_1, y_1, 1]$

$[x_2, y_2, 1, 0, 0, 0]$

$[0, 0, 0, x_2, y_2, 1]$

$[x_3, y_3, 1, 0, 0, 0]$

$[0, 0, 0, x_3, y_3, 1]$

Creating an array A which is in $Ax = b$ equation

- E) $M_{tx}^{-1} * Q$ gives us coefficients needed for transformation

- F) Transform

$[a_{11}, a_{12}, a_{13}]$

$[a_{21}, a_{22}, a_{23}]$

$[0, 0, 1]$

Creating Transform matrix using coefficients like above.

- G) Finding points with integer values for bilinear interpolation and multiply them by their weights.

- H) Bilinear interpolation for each transformed points

- I) Corresponding triangle in inter image

`homo_inter_tri`

$[a_1, a_2, a_3]$

$[b_1, b_2, b_3]$

$[1, 1, 1]$

- J) Filling inside the polygon to create a mask

`homo_inter_tri[1:-1,:].T`

$[b_1, a_1]$

$[b_2, a_2]$

$[b_3, a_3]$

K) Gives x and y coordinates inside the polygon

seg[0] = [x0, x1, x2, x3, x4, x5, ...]

seg[1] = [y0, y1, y2, y3, y4, y5, ...]

L) Makes column vectors of [x_i, y_i, 1] those obtained points

mask_points

[[x0, x1, x2, x3, x4, ...]

[y0, y1, y2, y3, y4, ...]

[1, 1, 1, 1, 1,]]

M) Make it x1 y1 x2 y2 x3 y3 again in order to pass it to the calc_transform function

inter_tri : one dimensional array

[a1, b1, a2, b2, a3, b3]

N) Compute mapping function

O) Make Bilinear transformation

P) Taking weighted sum for two transformed image. Used the mapping functions to warp I to I(t) and J to J(t) Then, blend I(t) and J(t)