Interpretable & Efficient Deep RL for Autonomous Driving

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Motivation & Problem

- End-to-end RL can adapt but tends to be black-box; safety/legal require interpretability.
- Two complementary angles:
- -(A) Latent world-model + MaxEnt RL: interpretable perception via decoded bird's-eye masks.
- (B) ICCT: interpretable *control* via small crisp trees with sparse linear leaves.
- Goal: **trustworthy**, **robust** urban driving fast learning, safe behavior, human-auditable decisions.

(A) Latent MaxEnt RL: Formulation

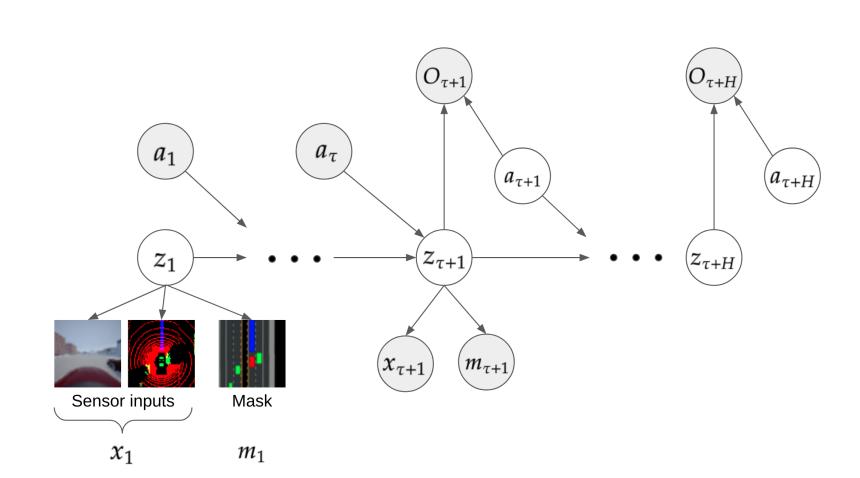
MDP: $\mathcal{M} = \langle \mathcal{S}, \mathcal{A}, R, T, \gamma, \rho_0 \rangle$, policy $\pi(a \mid s)$.

MaxEnt RL in latent state z_t : $\max_{\phi} \mathbb{E} \left[\sum_{t=1}^{H} r(z_t, a_t) - \log \pi_{\phi}(a_t \,|\, z_t) \right]$

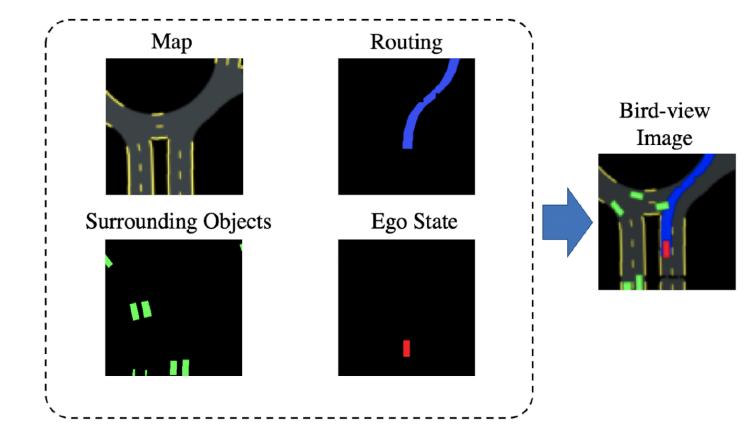
(Optimized with SAC for stability/exploration.)

Mask quality (avg. pixel diff.): $e = \frac{1}{N} \sum_{i} \frac{\|\hat{m}_{i} - m_{i}\|_{1}}{W \times H \times C}$

Model & Decoder



Chen Fig. 4: Sequential latent model with policy in z_t and mask decoder.

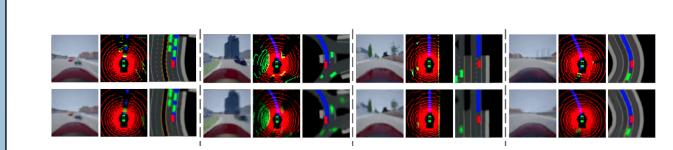


Chen Fig. 6: Bird's-eye semantic mask (map, route, objects, ego).

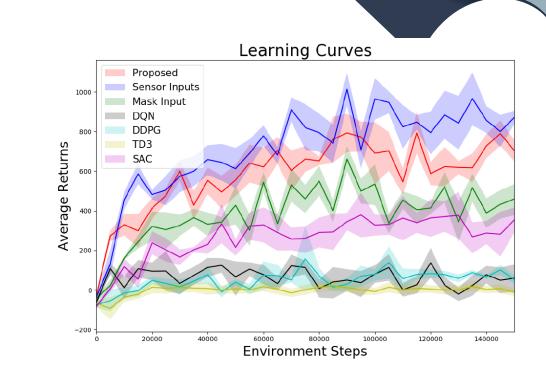
Key points

- Multi-modal inputs (camera+LiDAR) \rightarrow compact z_t .
- Decode z_t to a $64 \times 64 \times 3$ mask to *explain* perception.
- Train jointly: variational sequential model + SAC on z_t ; mask supervised only during training.
- Reward shaping: lane-keeping, speed compliance, collision/lat-accel penalties.

Results & Failure Modes



Chen Fig. 9: Reconstructions.



Chen Fig. 8: Learning curves.

- Latent-RL variants learn **faster** and reach **higher** asymptotes than classic deep RL baselines.
- Masks remain faithful (mean error ≈ 0.032), enabling human inspection.
- Failures: Rare/occluded objects can degrade masks, preceding control errors.

(B) ICCT: Interpretable Control via Differentiable Trees

Goal: Directly learn a policy $\pi_{\theta}(a|s)$ represented as a small, human-readable decision tree.

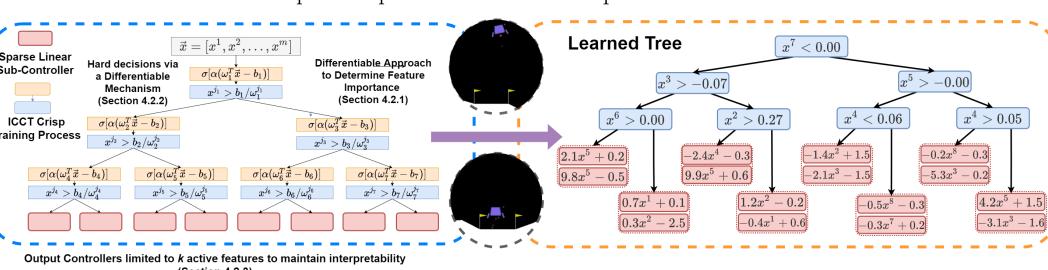
Interpretable Continuous Control Tree (ICCT): A tree where:

Design redge are erise rules on a simple state feature: m > h

• **Decision nodes** are crisp rules on a *single* state feature: $x_k > b_i$.

• Leaf nodes are sparse linear controllers: $a_d = \sum \beta_{dj} x_j + \delta_d$.

Key Idea: Differentiable Crispification. To enable gradient-based RL, the model uses a "fuzzy" form during training that can be converted to a "crisp" interpretable form. This process is made differentiable.



Paleja Fig. 1: The ICCT framework.

Differentiable Tree-Building:

- 1. **Node Crispification:** A differentiable 'one-hot' function selects the single most important feature for the decision rule.
- 2. **Outcome Crispification:** A second 'one-hot' function converts the sigmoid probability into a hard left/right branch decision.

3. **Sparse Leaf Controller:** A 'k-hot' selection identifies the most salient features for the linear controller at each leaf. This allows direct optimization of a transparent policy using standard RL algorithms like SAC.

Algorithm 1: ICCT Action Choice

Input: ICCT $\mathcal{I}(\cdot)$, state \mathbf{x} , sparsity e, training flag t Output: action \mathbf{a} 1: NODE_CRISP: $\sigma(\alpha(\tilde{\mathbf{w}}^T\mathbf{x} - b)) \to \sigma(\alpha(w_k x_k - b))$ 2: OUTCOME_CRISP: $\sigma(\ldots) \to \mathbf{1}(\alpha(w_k x_k - b) > 0)$ 3: $l_d \leftarrow \text{INTERPRETABLE_NODE_ROUTING}(\mathbf{x})$ 4: $l'_d \leftarrow \text{ENFORCE_CONTROLLER_SPARSITY}(e, l_d)$ 5: if training flag t is TRUE then

6: Sample $\mathbf{a} \sim \mathcal{N}(l'_d(\mathbf{x}), \gamma_d)$ (exploration)

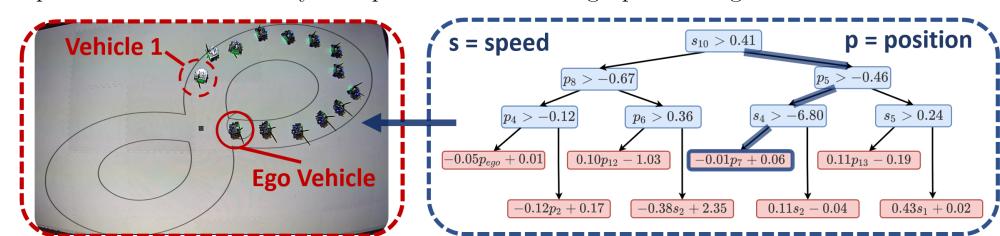
7: else

8: $\mathbf{a} \leftarrow l'_d(\mathbf{x})$ (exploitation)

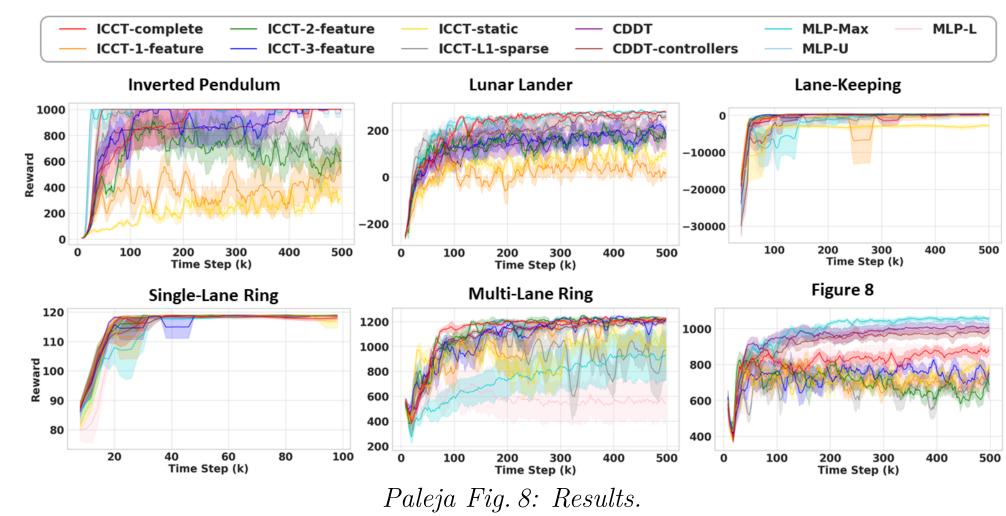
9: **end if**

ICCT Results

ICCTs produce policies that are not only interpretable but also high-performing and efficient.



Paleja Fig. 5: Physical robot demonstration of an ICCT policy controlling a vehicle in a 14-car traffic scenario.



Quantitative Highlights:

- **High Performance:** Matches or **outperforms** deep black-box models (MLPs) by up to 33% in complex autonomous driving scenarios.
- Extreme Parameter Efficiency: Achieves top performance with a 300x-600x reduction in the number of policy parameters compared to deep learning baselines.
- Verifiable & Robust: The simple tree structure is amenable to formal verification and was demonstrated on a 14-car physical robot platform, proving real-world applicability.

Methodology Comparison:

Both papers target interpretability in AD, but focus on different parts of the problem.

Paper (A) - Latent MaxEnt RL:

- Focus: Interpretable Perception.
- Answers: "What does the agent see?"
- Method: Learns a compressed latent state z_t and uses a decoder to translate it into a human-understandable bird's-eye view mask.
- **Limitation:** The control policy $\pi(a|z_t)$ is still a black-box MLP.

Paper (B) - ICCT:

- Focus: Interpretable Control.
- Answers: "Why did the agent take this action?"
- Method: The policy itself is a white-box decision tree. The path from state to action is explicit and traceable.
- Limitation: Assumes a pre-processed, meaningful state vector.

Synergy: The two approaches are highly complementary. One could build a fully interpretable system by using model (A) to generate semantic features from raw sensor data, which are then fed into the transparent ICCT policy (B).

References

- [1] Chen, Li, Tomizuka. Interpretable End-to-End Urban Autonomous Driving with Latent Deep RL. arXiv:2001.08726 (2020).
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 [2] Paleja, Niu, Silva, et al. Learning Interpretable, High-Performing Policies for Autonomous Driving. arXiv:2202.02352 (2023).
- [3] Prakash, Avi, et al. Efficient and Generalized end-to-end Autonomous Driving System with Latent Deep Reinforcement Learning and Demonstrations. arXiv:2205.15805 (2022).