



Faculty of Engineering and Technology  
Department of Electrical and Computer Engineering

ENEE2312

Signals and Systems

**Matlab Assignment**

---

**Prepared by:**

Ayham Maree-ID#:1191408

**Section: 1**

**Instructor:** Dr. Ashraf Al-Rimawi

**Date:** 19\8\2021

Q(1):

A)

Code:

```
clear all          % clear all variables from matlab workspace

close all

clc               % clear all figures

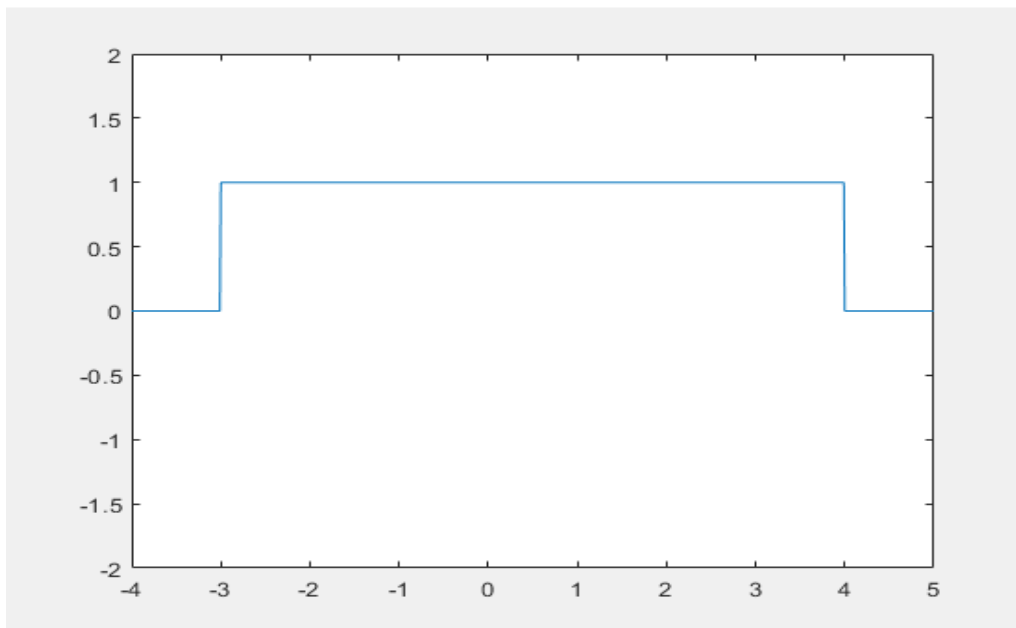
t = -10:0.01:10;

xt1 = heaviside(t+3) - heaviside(t-4);

plot(t,xt1)

axis ([-4 5 -2 2])
```

Result:



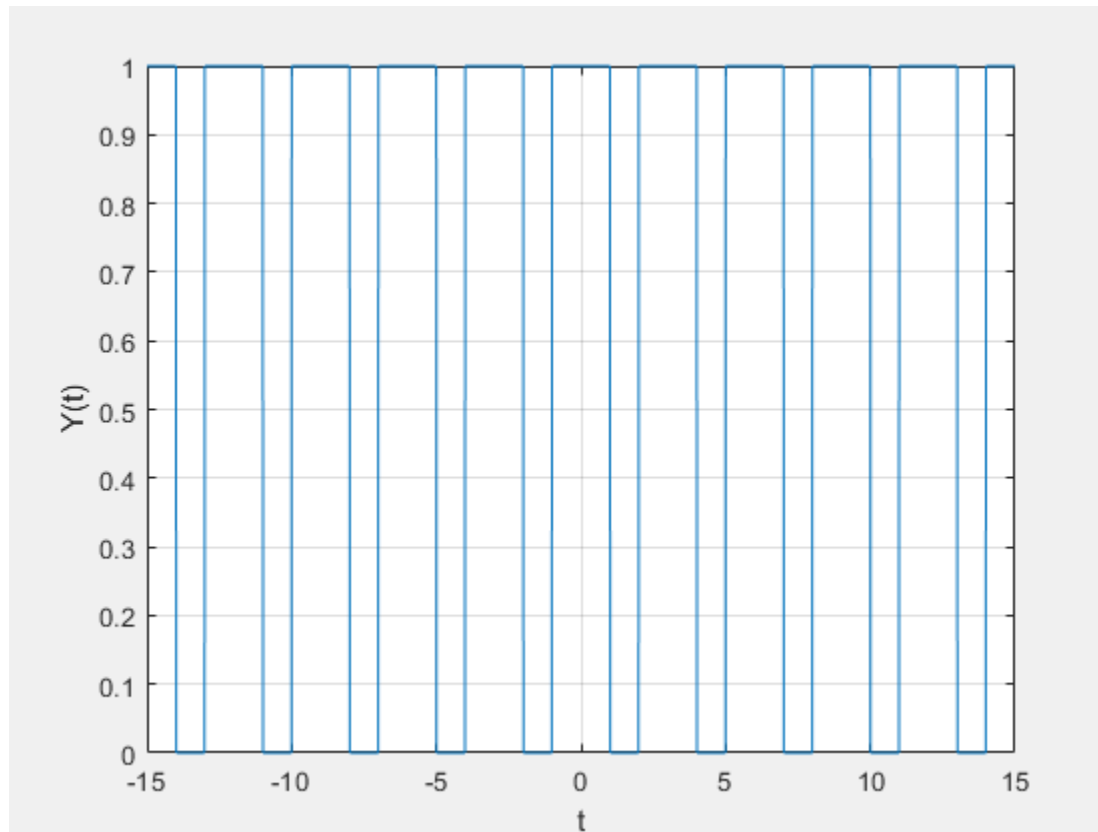
B)

Code:

```
t2 = -15:0.01:15; % time
nval = floor((max(abs(t2))+1)/3)+1; % required limit of n
Y = 0; % initialize the pulse train signal
for n=-nval:nval % values of n for the range of t
    Yn=rectangularPulse((t2-3*n)/2); % rectangular pulse
    Y=Y+Yn; % performs summation
end
```

```
% plot Y(t) pulse train
figure(2)
axis([-20 20 -2 2])
plot(t2,Y)
xlabel('t')
ylabel('Y(t)')
grid on
```

Result:



C)

Code:

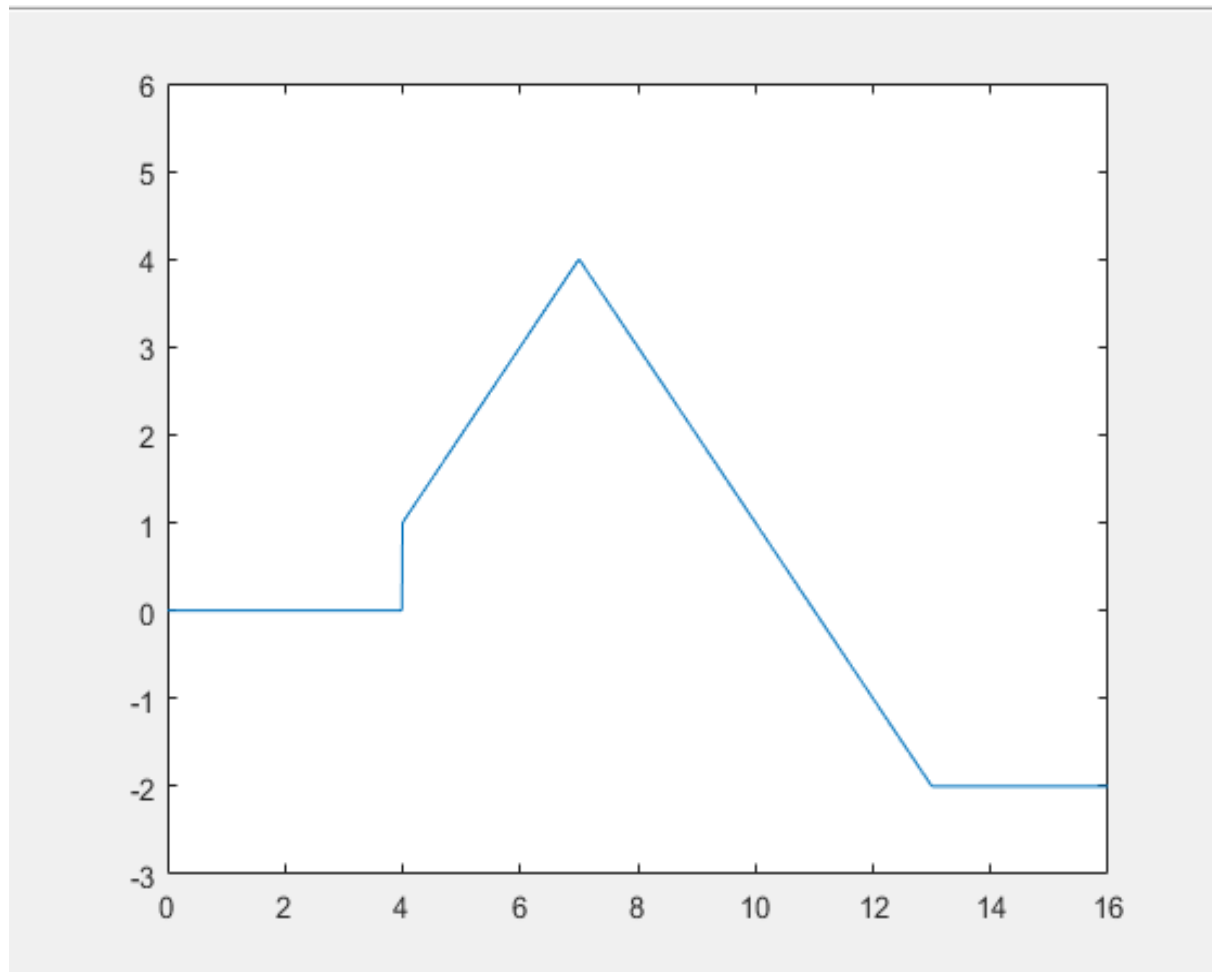
```
%C
t=-10:0.01:16;

xt3 = heaviside(t-4) + (t-4).*heaviside(t-4) - 2*(t-7).*heaviside(t-7) + (t - 13).*heaviside(t - 13);

plot(t,xt3)

axis ([0 16 -3 6])
```

Result:



Q (2):

A) Code:

```
clear all
```

```
close all
```

```
clc
```

```
t=0:0.0001:3;
```

```
yt1= sin(200*pi*t);
```

```
figure(1)
```

```
plot(t,yt1)
```

```
axis([0 0.03 -2 2])
```

```
yt2= cos(500*pi*t);
```

```
figure(2)
```

```
plot(t,yt2)
```

```
axis([0 0.03 -2 2])
```

```
Yt= yt1.*yt2;
```

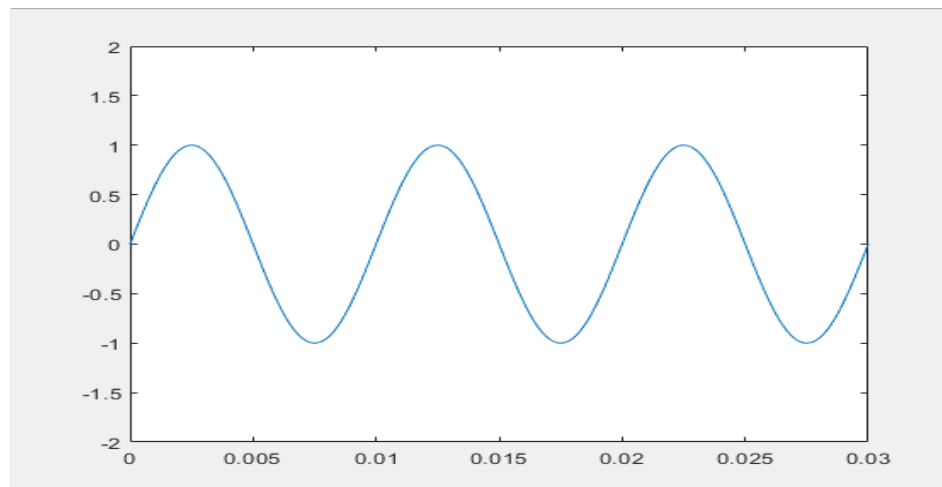
```
figure(3)
```

```
plot(t,Yt)
```

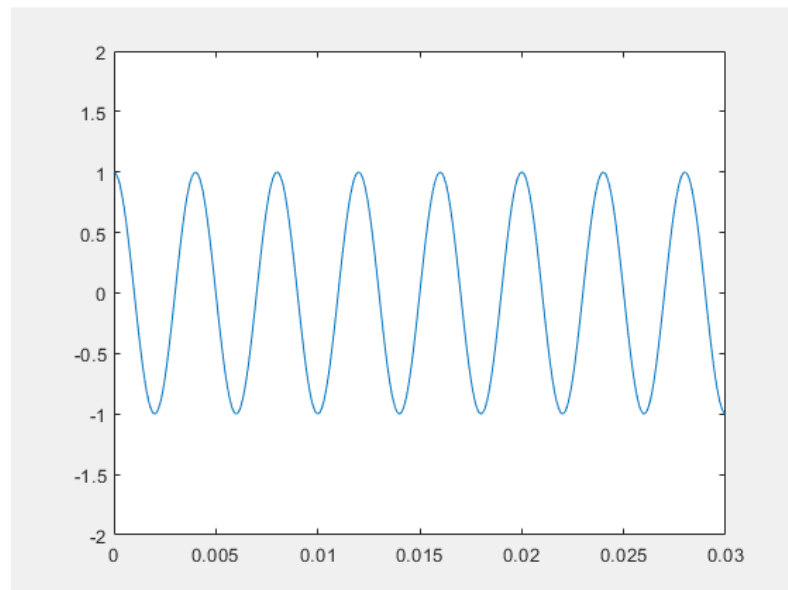
```
axis([0 0.03 -2 2])
```

Result:

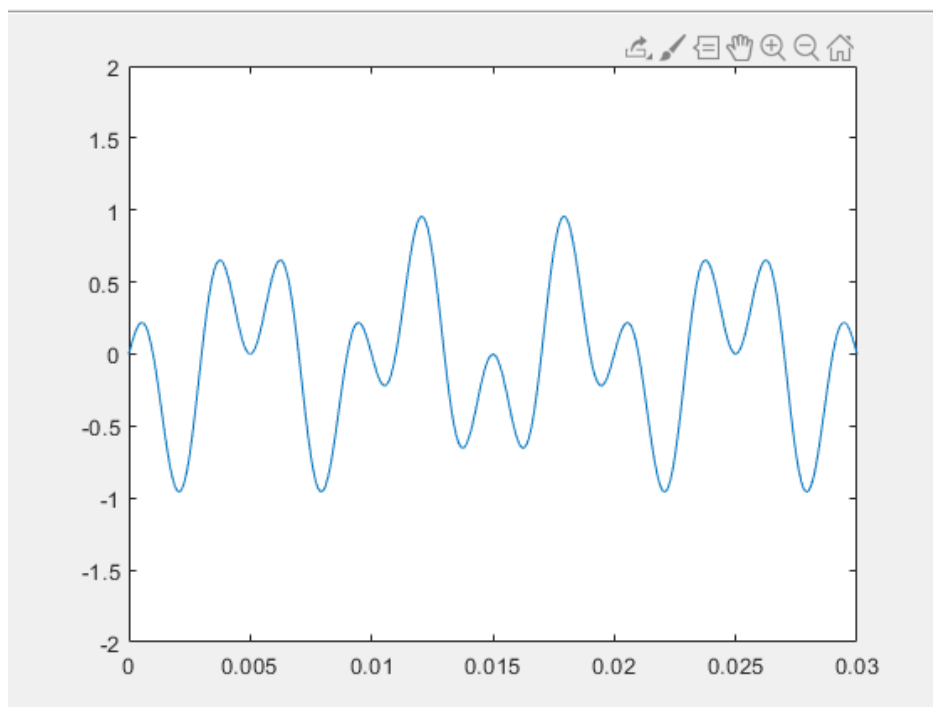
1)  $Y1 = \sin(200 \cdot \pi \cdot t)$



2)  $Y_2 = \cos(500 \cdot \pi \cdot t)$



3)  $Y = Y_1 \cdot Y_2$



B)

$$1) X_1(t) = \sin(200\pi t)$$

$$\text{Note } \omega = 2\pi/T$$

$$200\pi = 2\pi/T$$

$$T = 1/100$$

$$\omega = 2\pi f$$

$$200\pi = 2\pi f$$

$$f = 100 \text{ Hz}$$

To check if it is periodic or not we will find  $X_1(t+T) \rightarrow X_1(t+T) = \sin(200\pi(t+T))$

$$= \sin(200\pi t + 200\pi T)$$

$$= \sin(200\pi t + 200\pi \cdot 1/100)$$

$$= \sin(200\pi t + 2\pi)$$

So, it is periodic signal.

$$2) Y_2 = \cos(500\pi t)$$

$$\text{Note } \omega = 2\pi/T$$

$$500\pi = 2\pi/T$$

$$T = 1/250$$

$$\omega = 2\pi f$$

$$500\pi = 2\pi f$$

$$f = 250 \text{ Hz}$$

To check if it is periodic or not we will find  $X_1(t+T) \rightarrow X_1(t+T) = \cos(500\pi(t+T))$

$$= \cos(500\pi t + 500\pi T)$$

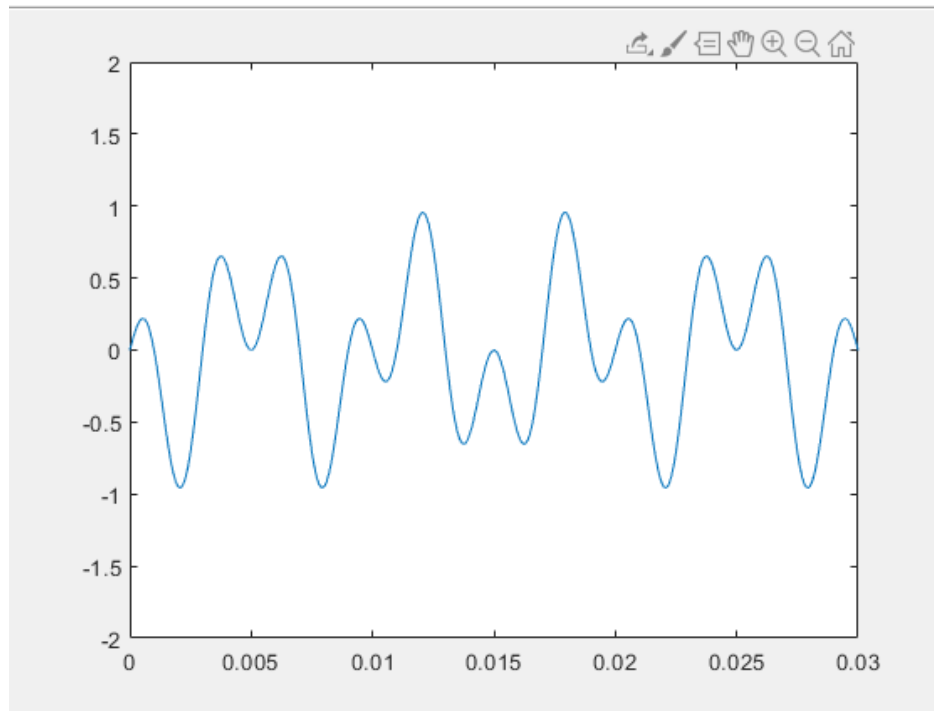
$$= \cos(500\pi t + 500\pi \cdot 1/250)$$

$$= \cos(500\pi t + 2\pi)$$

So, it is periodic signal.

$$3) Y = \sin(200\pi t) \cos(500\pi t)$$

From the plots, the generated signal is periodic signal and we can find the frequency by finding the fundamental period  $T_0$  from the graph



$$T_0 = 0.03 - 0.01 = 0.02 \text{ sec}$$

$$F_0 = 1/T_0 = 50 \text{ Hz}$$

Q (3):

Code:

```
clc;
```

```
clear all;
```

```
close all;
```

```
syms t y(t) %symbolic variables
```

```
equation = diff(y,t) + 30*y(t) == 20; %differential eqn.
```

```
condition = y(0) == 0; %initial condition
```

```
y(t) = dsolve(equation,condition) %solution
```



### 1) Differential Equation Solution with $y(0)=0$ and $y'(0)=0$ :

$y(t) =$

$$\frac{2}{3} - \frac{(2 \cdot \exp(-30 \cdot t))}{3}$$

$f_x \gg$

2) + 3)

Using subplots:

Code:

```
clc;
```

```
clear all;
```

```
close all;
```

```
syms t y(t) %symbolic variables
```

```
equation = diff(y,t) + 30*y(t) == 20; %differential eqn.
```

```
condition = y(0) == 0; %initial condition
```

```
y(t) = dsolve(equation,condition) %solution
```

```
t = 0:0.001:1; %time domain
```

```
x = 20*(t>=0); %x(t) = 20u(t)
```

```
digits(6); %precision of data
```

```
y = double(vpa(y(t))); %y(t)
```

```
f = -100:1:100; %frequency domain
```

```
dt = t(2)-t(1); %step size (time)
```

```
for i = 1:length(f)
```

```
X(i) = sum(x.*exp(-2*1i*pi*f(i)*t))*dt; %X(f)
```

```
Y(i) = sum(y.*exp(-2*1i*pi*f(i)*t))*dt; %Y(f)
```

```
H(i) = Y(i)/X(i); %H(f)
```

```
end
```

```
subplot 211; plot(f,abs(H),'b'); grid on; %Magnitude plot
```

```
ylabel("| H(f) |");
```

```

title("Magnitude Spectrum");

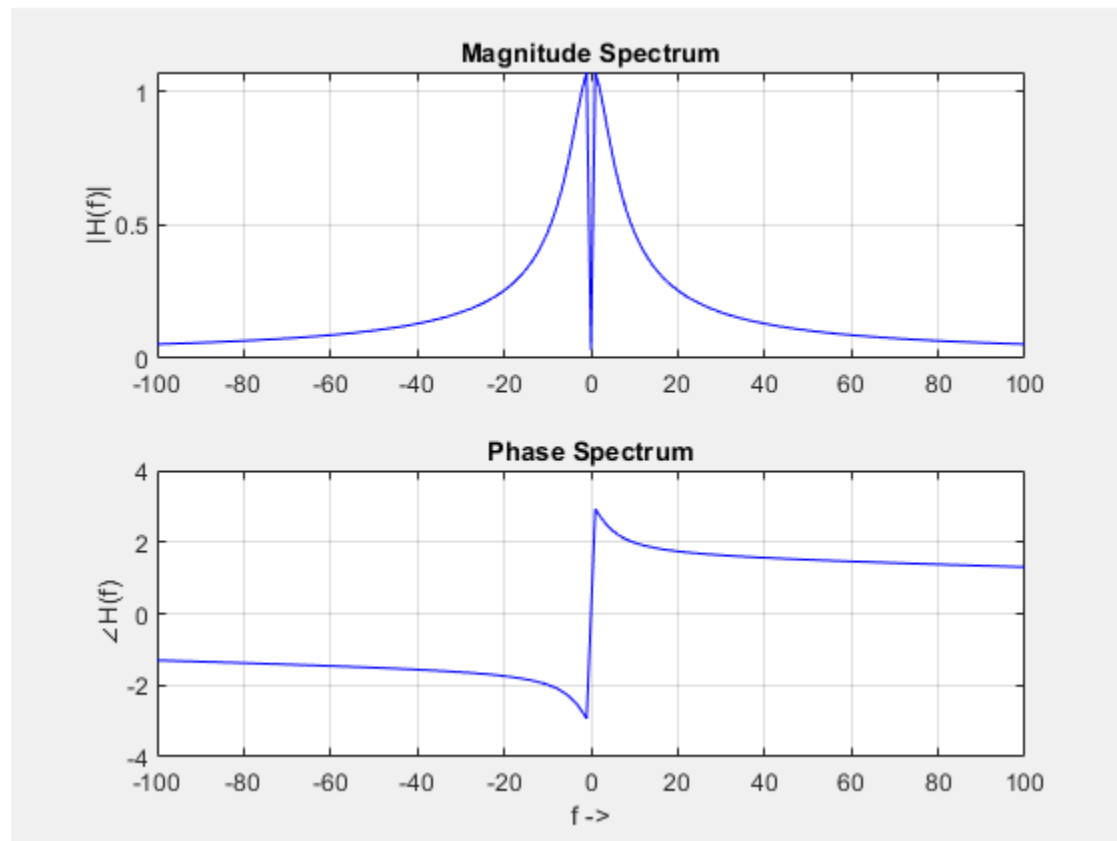
subplot 212; plot(f,angle(H),'b');grid on; %Phase plot

ylabel("\angle H(f)");

title("Phase Spectrum");

xlabel("f ->");

```



Q4)

Code:

```

syms t tau
xt = (10*exp(-0.2*tau)).*(heaviside(tau - 5)- heaviside(tau - 9));
ht = (10*exp(0.2*(t- tau))).*(heaviside(t- tau)- heaviside(t- tau - 2));
conv= int(x4*h,toe,0,30);
fplot(conv,[0 30])
axis ([-1 30 -0.5 80]);

```

Result:

