



Backtracking



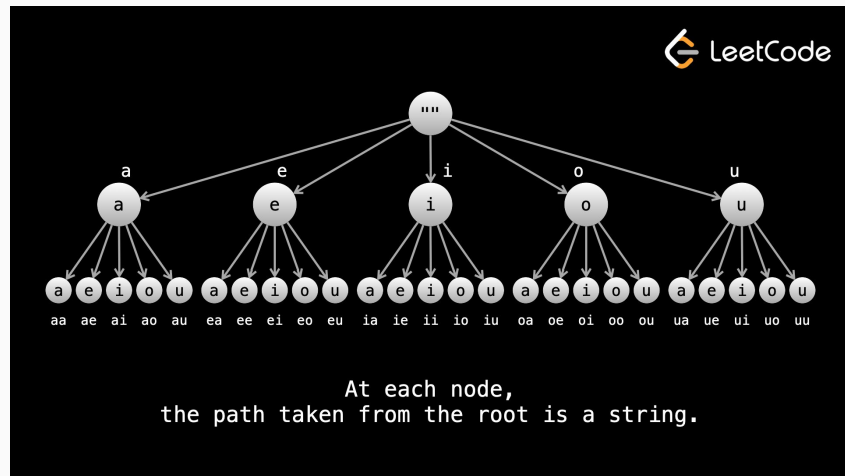
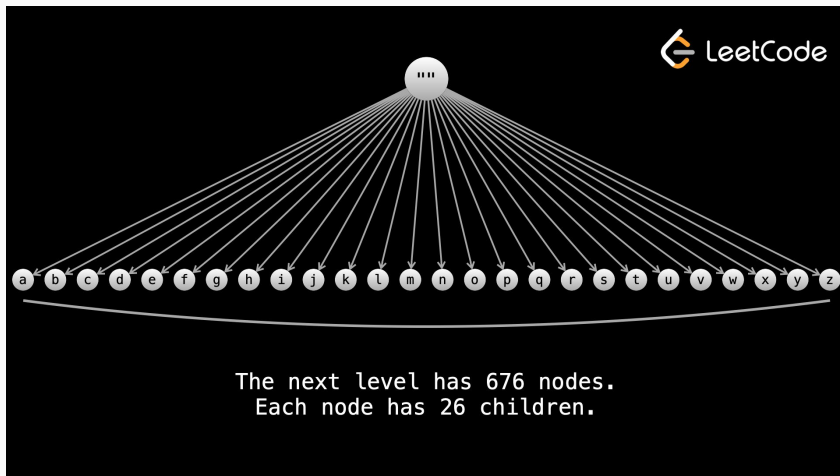
Backtracking

- Backtracking is a algorithmic technique where we solve problems recursively by “building candidates” for solutions and then abandon those candidates (“backtrack”) once we determine that candidate can no longer yield a valid solution.
- Built on DFS and an optimization of “exhaustive search”, where we search through all possible candidates.
- Backtracking is an optimization that involves abandoning a "path" once it is determined that the path cannot lead to a solution (in other words, our base case)
- This is an important concept because some problems can only be (reasonably) solved via backtracking.
- Most common type of problem that can be solved with backtracking is "find all possible ways to do something"
- Backtracking problems run in exponential runtime. example: $O(2^n)$



Example

Let's take a simple example where we're building all possible strings with a length of n . To check all possible strings, we'd be running a $O(26^n)$ runtime. But what if vowels-only was a constraint? We can discard all non-vowel subtrees and improve runtime to $O(5^n)$.



Backtracking skeleton

```
// let curr represent the thing you are building
// it could be an array or a combination of variables

def backtrack(curr, OTHER_ARGUMENTS...):
    if ("BASE_CASE"):
        # modify the answer
        return

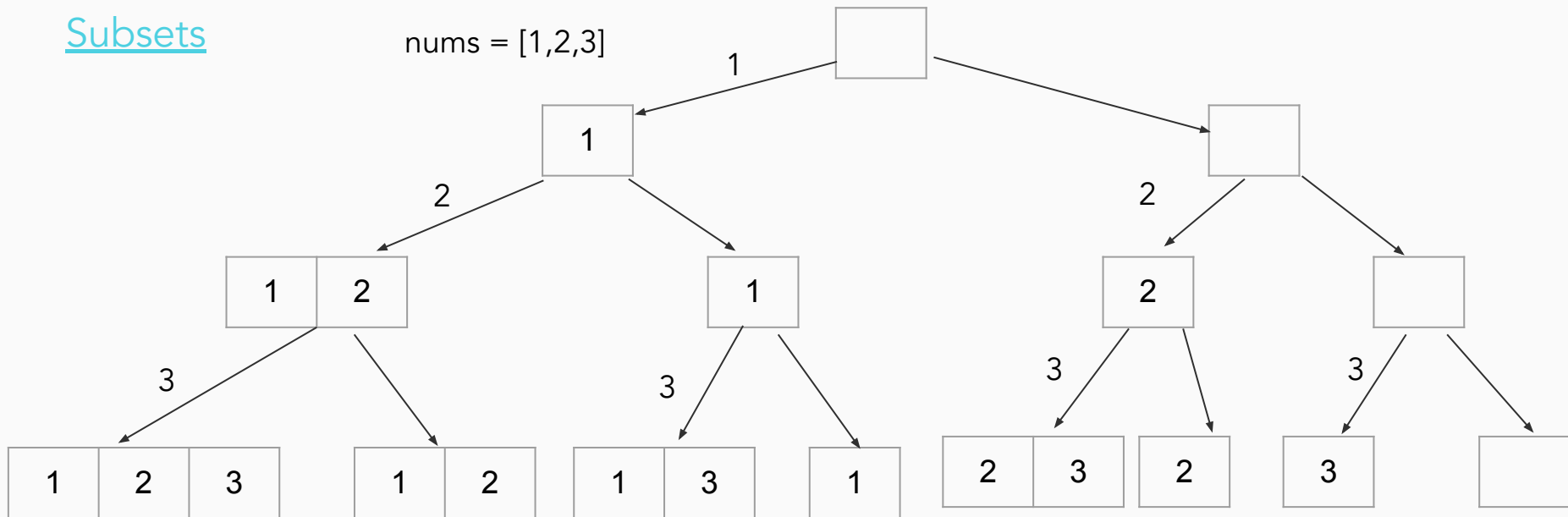
    for ("ITERATE_OVER_INPUT"):
        # modify the current state
        backtrack(curr, OTHER_ARGUMENTS...)
        # undo the modification of the current state
```



Demo

Subsets

nums = [1,2,3]



For each node, there are two different paths we can take.
Either add `nums[i]` or skip it



Questions?



Let's practice!

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- Bonus
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