



Dynamic Programming (1-D)



# Intro to Dynamic Programming (DP)

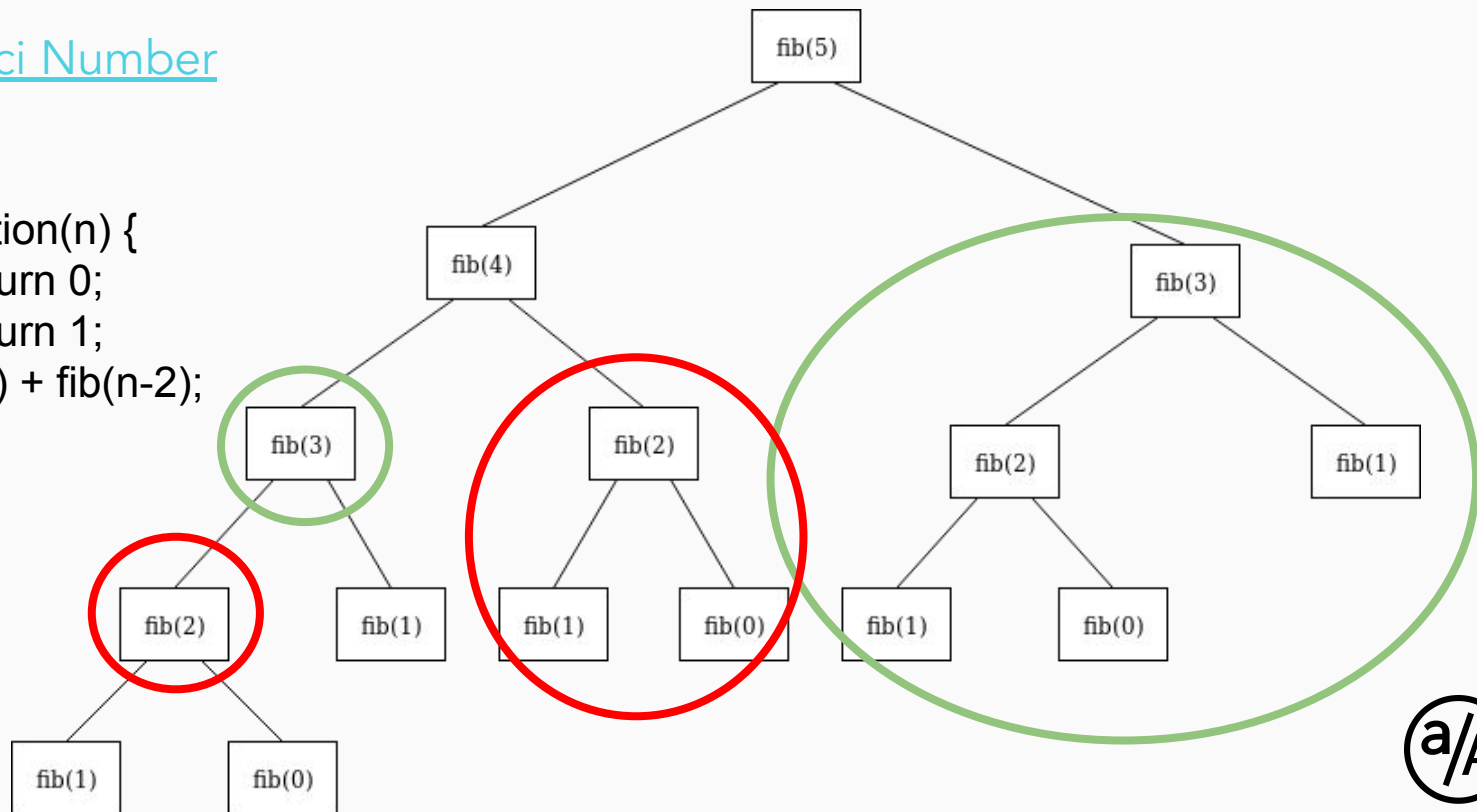
- DP is not a standalone algorithm or technique.
- Rather, DP is a technique used to optimize less efficient solutions.
- We can identify when we can use DP by looking for sub-problems.
- When you have large complexities, it may be useful to think about whether DP could be used or not.
- 1D DP refers to the solution space of the problem.
- Types of DP
  - Memoization (top-down DP)
  - Tabulation (bottom-up DP)



# Demo

- [Fibonacci Number](#)
- $O(2^n)$

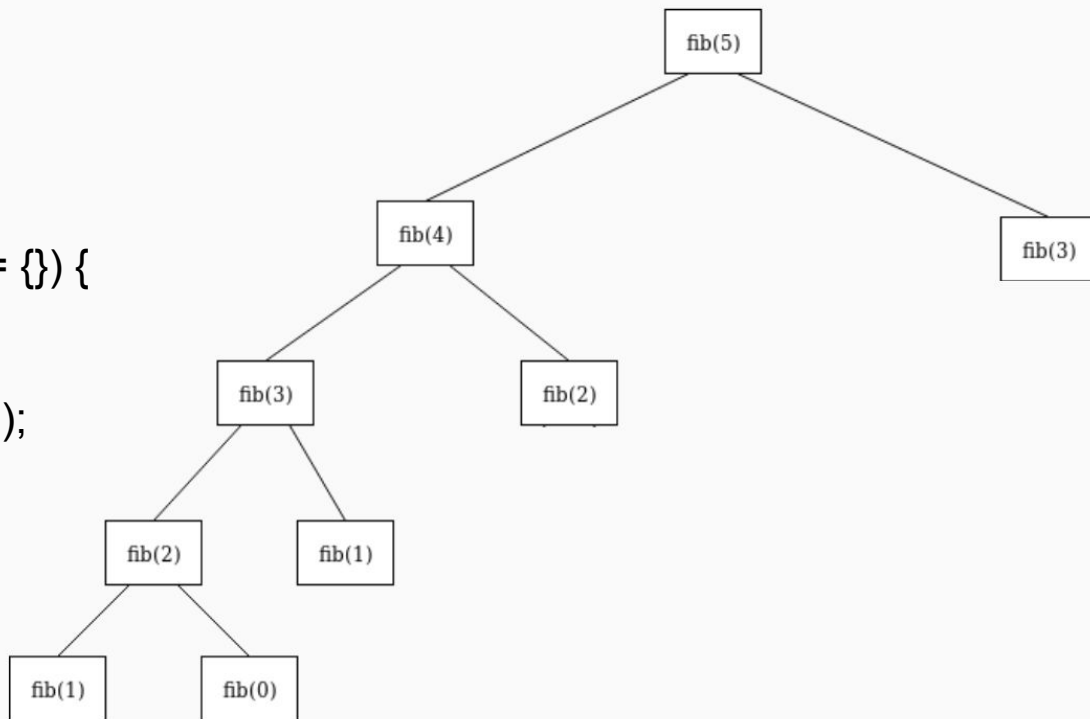
```
const fib = function(n) {  
  if (n===0) return 0;  
  if (n===1) return 1;  
  return fib(n-1) + fib(n-2);  
};
```



# Memoization (top-down)

- Fibonacci Number
- $O(2n) \Rightarrow O(n)$

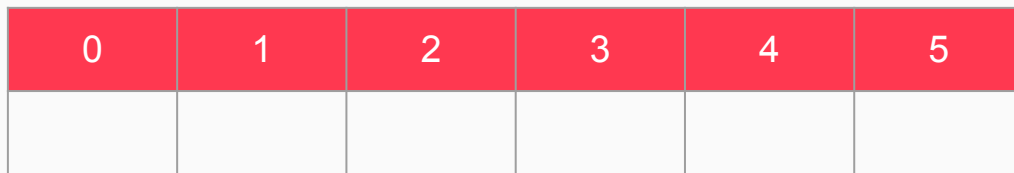
```
const fib = function(n, memo = {}) {  
  if (n===0) return 0;  
  if (n===1) return 1;  
  memo[n] = fib(n-1) + fib(n-2);  
  return memo[n];  
};
```



# Tabulation (bottom-up)

```
const fib = function(n) {  
  if (n < 2) return n;  
  let dp = [0,1];  
  let i = 2;  
  
  while (i <= n) {  
    let tmp = dp[1];  
    dp[1] = dp[0] + dp[1];  
    dp[0] = tmp;  
    i++;  
  }  
  return dp[1];  
};
```

solution space is 1D



0	1	2	3	4	5

- The idea with bottom-up DP is to start from the bottom of our tree (i.e. our base case) and then work our way up towards the root (i.e. our original input).
- This solution is usually more difficult and requires some pre-planning to come up with rather than just modifying an existing recursive solution.



# Questions?



# Let's practice!

- Review
  - [Climbing Stairs](#)
  - [Coin Change](#)
- Bonus
  - [House Robber](#)
  - [Palindromic Substrings](#)

