Exploratory Data Analysis

February 19, 2025

1 importing modules

```
[1]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from overview import load_bank_variables
from sklearn.preprocessing import LabelEncoder
from sklearn.preprocessing import RobustScaler
from sklearn.decomposition import PCA
from sklearn.cluster import KMeans

pd.set_option('display.max_colwidth', None) # Show full column content
pd.set_option('display.expand_frame_repr', False) # Disable line wrapping
pd.set_option('display.max_rows', None) # Show all rows
pd.set_option('display.max_columns', None) # Show all columns
pd.set_option('display.wax_columns', None) # Show all columns
pd.set_option('display.width', 1000) # Adjust column width
```

1.1 Loading Data

```
[2]: bank_df = pd.read_csv("bank.csv")
df = bank_df.copy()
```

1.2 variables

```
[3]: load_bank_variables()
```

```
[3]: Variable Name

Description

0 age

Age

1 job Type of job (e.g., 'admin.','blue-
collar','entrepreneur','housemaid','management','retired','self-
employed','services','student','technician','unemployed','unknown')

2 marital
```

```
Marital status (e.g., 'divorced', 'married', 'single', 'unknown'; 'divorced' means
divorced or widowed)
       education
                                                 Education level (e.g., 'basic.4y
','basic.6y','basic.9y','high.school','illiterate','professional.course','univer
sity.degree','unknown')
         default
Has credit in default?
         balance
Average yearly balance (euros)
         housing
Has housing loan?
            loan
Has personal loan?
         contact
Contact communication type (e.g., 'cellular', 'telephone')
     day_of_week
Last contact day of the week
           month
Last contact month of year (e.g., 'jan', 'feb', 'mar', ..., 'nov', 'dec')
        duration
Last contact duration in seconds (only for benchmarks, discard for real
prediction)
        campaign
Number of contacts during this campaign (includes last contact)
Number of days since last contact from previous campaign (-1 means not
contacted)
14
        previous
Number of contacts before this campaign
        poutcome
Outcome of previous campaign (e.g., 'failure', 'nonexistent', 'success')
Has the client subscribed to a term deposit?
```

1.3 Data Exploration

[4]: df.head(5)

[4]: marital education default balance housing loan age job contact day month duration campaign pdays previous poutcome subscribed 0 32.0 technician single tertiary 392 no ves no cellular 1 apr 957 2 131 2 failure no 1 39.0 technician divorced secondary 688 no yes yes cellular 133 1 apr 233 2 1 failure no 2 59.0 retired married secondary 1035 no yes yes cellular 1 apr 126 2 239 1 failure no 3 47.0 blue-collar married secondary 398 yes no yes

cellular 274 238 2 failure apr 1 no 4 54.0 1004 retired married secondary no yes no cellular apr 479 1 307 1 failure no

[5]: df.tail(5)

[5]: job marital education default balance housing loan age contact day month duration campaign pdays previous poutcome subscribed 1995 20.0 student single ${\tt NaN}$ no 2785 cellular 2 0 16 sep NaN yes 1996 28.0 single 127 admin. secondary no nο no cellular 1334 16 sep 2 -1 NaN yes 1997 81.0 retired married 1154 primary no no no telephone 17 sep 231 1 -1 NaNyes 1998 46.0 services married primary 4343 no yes no NaN 20 185 -1 0 NaN1 sep yes 1999 40.0 entrepreneur married secondary 6403 no no cellular 22 208 -1 0 NaNsep yes

[6]: df.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2000 entries, 0 to 1999
Data columns (total 17 columns):

#	Column	Non-Null Count	Dtype
0	age	1988 non-null	float64
1	job	1990 non-null	object
2	marital	2000 non-null	object
3	education	1896 non-null	object
4	default	2000 non-null	object
5	balance	2000 non-null	int64
6	housing	2000 non-null	object
7	loan	2000 non-null	object
8	contact	1809 non-null	object
9	day	2000 non-null	int64
10	month	2000 non-null	object
11	duration	2000 non-null	int64
12	campaign	2000 non-null	int64
13	pdays	2000 non-null	int64
14	previous	2000 non-null	int64
15	poutcome	1546 non-null	object
16	subscribed	2000 non-null	object
dtyp	es: float64(1), int64(6), ob	ject(10)

memory usage: 265.8+ KB

the dataset countains 2000 rows and 17 columns both numerical and categorical

⁻ numerical : age , balance , duration , compaign , pdays , previous

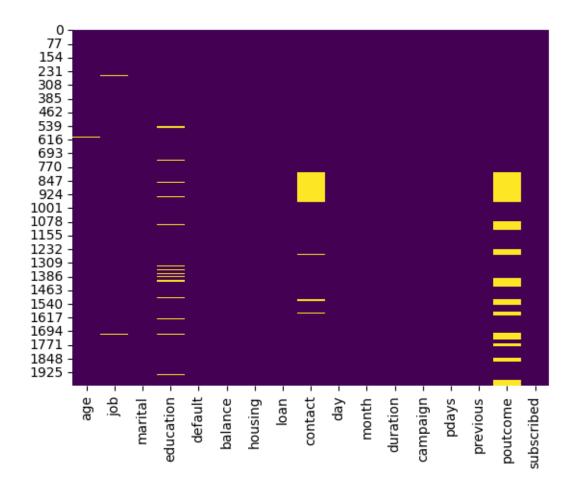
- categorical: job , marital , education , default , housing , loan , contact , month , poutcome there is some missing values in :

```
- age (12)
```

- job (10)
- education (104)
- contact (191)
- poutcome (454)

[7]: # Visualizing missing values
sns.heatmap(df.isnull(), cbar=False, cmap='viridis')

[7]: <Axes: >



1.4 seperate columns by type to plot each

```
[8]: numerical_columns = df.select_dtypes(include=['int64', 'float64']).columns categorical_columns = df.select_dtypes(include=['object']).columns
```

1.5 stats of numerical column

```
[9]: df[numerical_columns].describe()
```

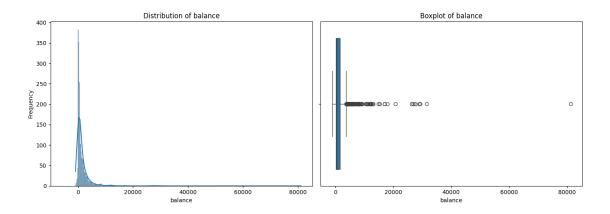
[9]:			age	balance	day	duration	campaign	
	pdays	pre	evious					
	count	1988.0	00000	2000.000000	2000.000000	2000.000000	2000.000000	
	2000.0	00000	2000.00	00000				
	mean	41.7	753018	1413.663500	13.851500	292.020500	1.909500	
	167.89	6000	2.56	1500				
	std	12.7	724358	3131.224213	9.712189	221.557295	1.378862	
	131.75	4126	3.400	0735				
	min	18.0	00000	-980.000000	1.000000	7.000000	1.000000	
	-1.000	000	0.000	000				
	25%	32.0	000000	201.500000	5.000000	146.000000	1.000000	
	75.750	000	1.0000	000				
	50%	38.0	000000	551.000000	12.000000	236.000000	1.000000	
	182.00	0000	2.000	0000				
	75%	50.0	000000	1644.500000	23.000000	379.000000	2.000000	
	251.00	0000	3.000	0000				
	max	93.0	000000	81204.000000	31.000000	1823.000000	11.000000	
	854.00	0000	55.000	0000				

1.6 plotting numerical columns

```
[10]: # Distribution Plot
fig, axes = plt.subplots(1, 2, figsize=(14, 5))
sns.histplot(df['balance'], kde=True, ax=axes[0])
axes[0].set_title(f"Distribution of balance")
axes[0].set_xlabel("balance")
axes[0].set_ylabel("Frequency")
axes[0].set_xlim(left=-10000)

# Boxplot
sns.boxplot(x=df["balance"], ax=axes[1])
axes[1].set_title(f"Boxplot of balance")

plt.tight_layout()
plt.show()
```

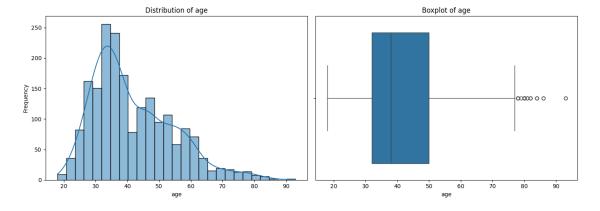


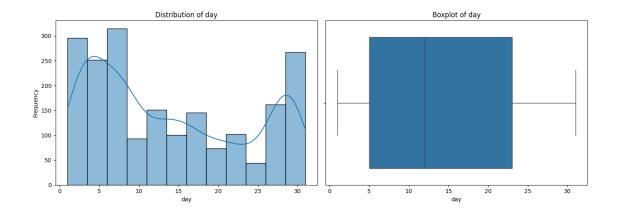
```
[11]: for column in numerical_columns:
    if column != 'balance': # Skip the 'balance' column
        fig, axes = plt.subplots(1, 2, figsize=(14, 5))

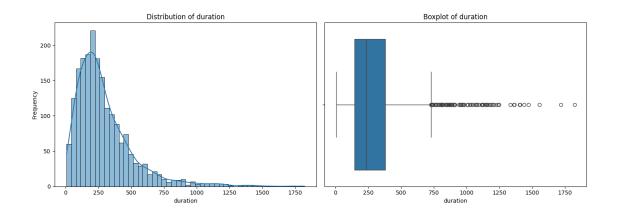
# Distribution Plot
    sns.histplot(df[column].dropna(), kde=True, ax=axes[0])
    axes[0].set_title(f"Distribution of {column}")
    axes[0].set_xlabel(column)
    axes[0].set_ylabel("Frequency")

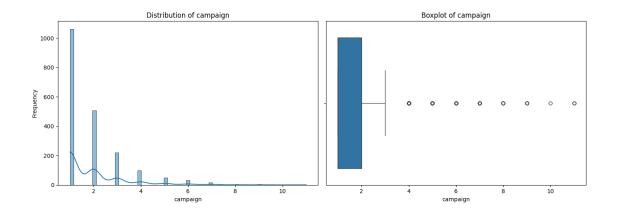
# Boxplot
    sns.boxplot(x=df[column], ax=axes[1])
    axes[1].set_title(f"Boxplot of {column}")

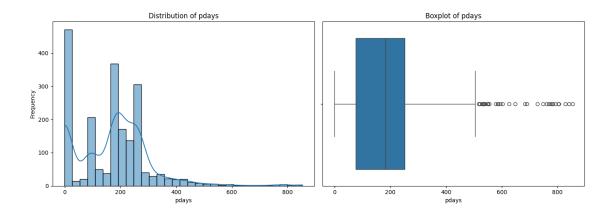
plt.tight_layout()
    plt.show()
```

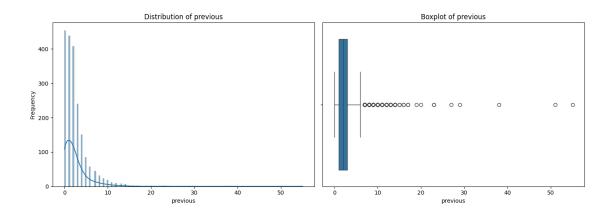












```
[]:
```

1.7 unique values of categorical variables

```
[12]: for column in df[categorical_columns]:
        print(f"{column} :")
        print(df[column].unique(), "\n")

job :
    ['technician' 'retired' 'blue-collar' 'self-employed' 'services'
        'management' 'admin.' 'unemployed' 'student' 'entrepreneur' 'housemaid'
        nan]

marital :
    ['single' 'divorced' 'married']

education :
    ['tertiary' 'secondary' nan 'primary']
```

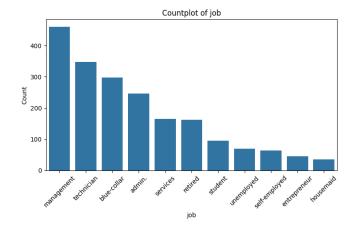
```
default :
     ['no' 'yes']
     housing:
     ['yes' 'no']
     loan :
     ['no' 'yes']
     contact :
     ['cellular' 'telephone' nan]
     month:
     ['apr' 'dec' 'feb' 'jan' 'mar' 'may' 'nov' 'oct' 'aug' 'jul' 'jun' 'sep']
     poutcome :
     ['failure' 'other' 'success' nan]
     subscribed:
     ['no' 'yes']
     nan (missing value) exists on these features: * Job * Education * Contact * Poutcome
[13]: df[categorical_columns].describe()
[13]:
                     job marital education default housing loan
                                                                       contact month
     poutcome subscribed
      count
                    1990
                              2000
                                         1896
                                                 2000
                                                         2000 2000
                                                                          1809
                                                                                2000
      1546
                 2000
                                 3
                                            3
                                                    2
                                                            2
                                                                   2
                                                                             2
                                                                                  12
      unique
                      11
      3
                 2
      top
              management married secondary
                                                                 no cellular
                                                                                 feb
                                                   no
                                                           no
      failure
                     461
                                          995
                                                 1985
                                                         1037 1750
                                                                          1663
                                                                                 404
      freq
                              1111
      955
                1000
     1.8 plotting categorical columns
```

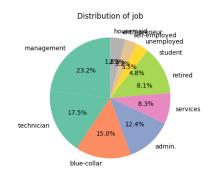
```
[14]: for column in categorical_columns:
          fig, axes = plt.subplots(1, 2, figsize=(14, 5)) # 1 row, 2 columns
          # Countplot
          sns.countplot(data=df, x=column, order=df[column].value_counts().index,__
       \Rightarrowax=axes[0])
          axes[0].set_title(f"Countplot of {column}")
          axes[0].set_xlabel(column)
          axes[0].set_ylabel("Count")
```

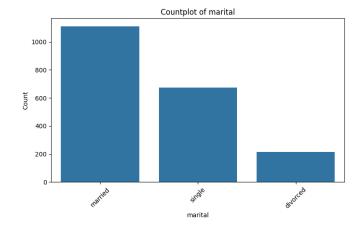
```
axes[0].tick_params(axis='x', rotation=45)

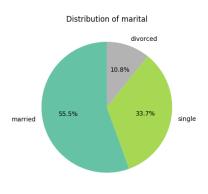
# Pie Chart
df[column].value_counts().plot.pie(autopct='%1.1f%%', ax=axes[1],
startangle=90, cmap='Set2')
axes[1].set_title(f"Distribution of {column}")
axes[1].set_ylabel('')

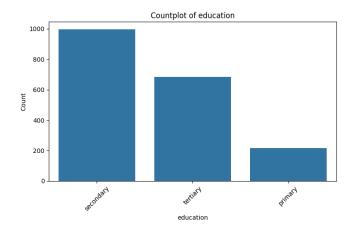
plt.tight_layout()
plt.show()
```

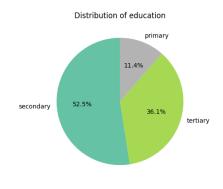


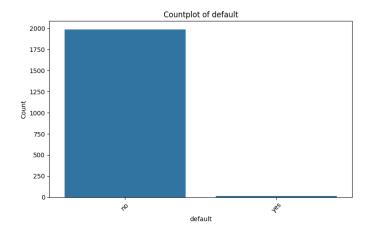


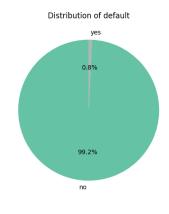


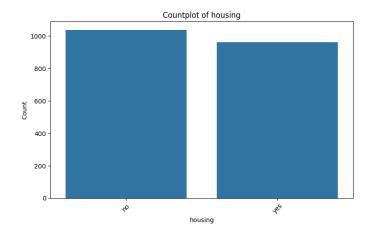




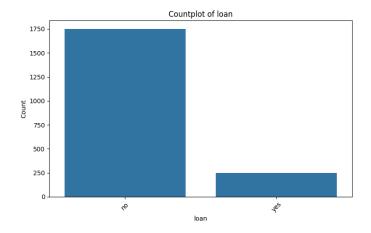


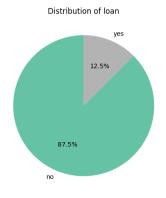


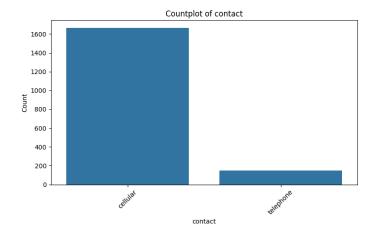


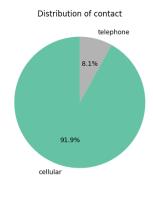


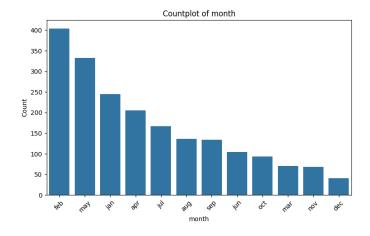


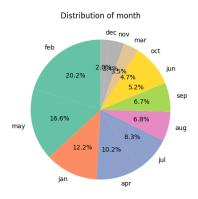


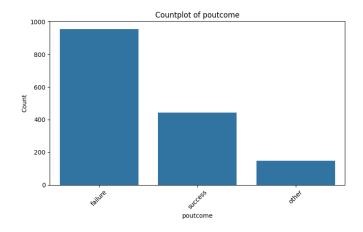


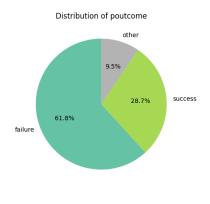


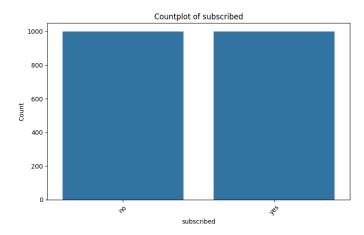


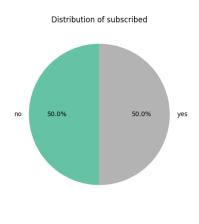










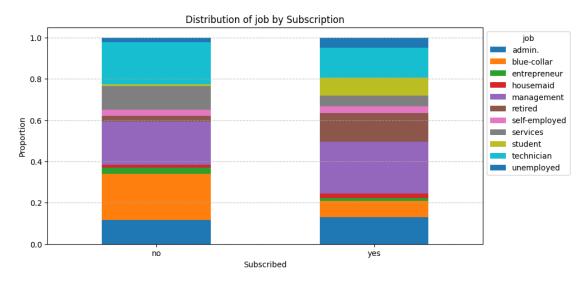


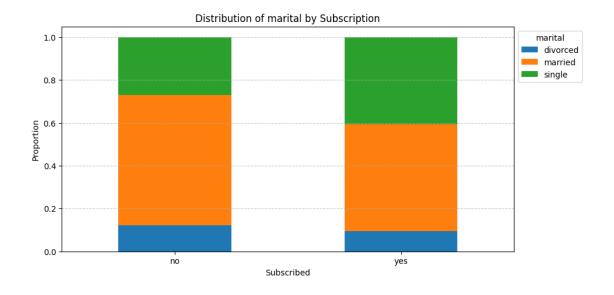
contact, default show low variaty loan show a little variaty but still might contribute to the data

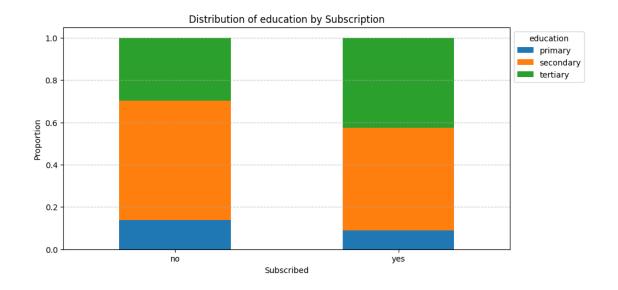
1.9 targeted comparaison

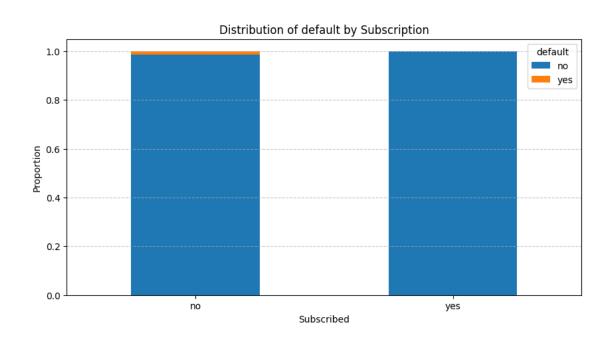
```
plt.legend(title=column, bbox_to_anchor=(1, 1))
plt.xticks(rotation=0)
plt.grid(axis="y", linestyle="--", alpha=0.7)

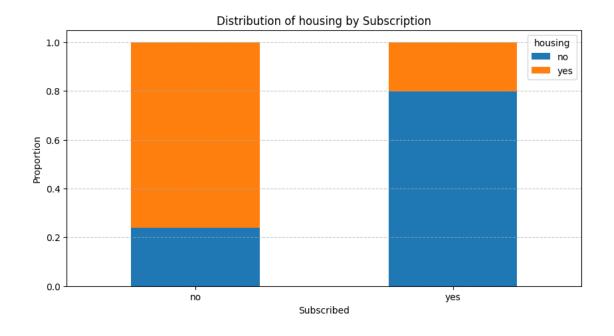
plt.show()
```

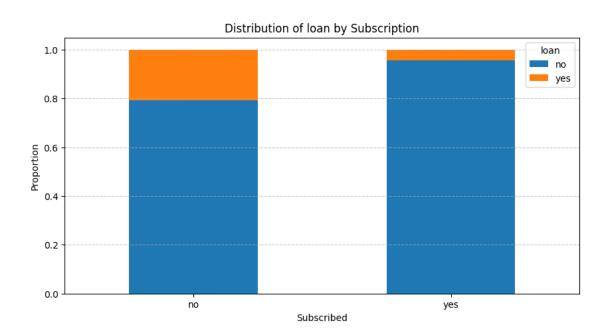


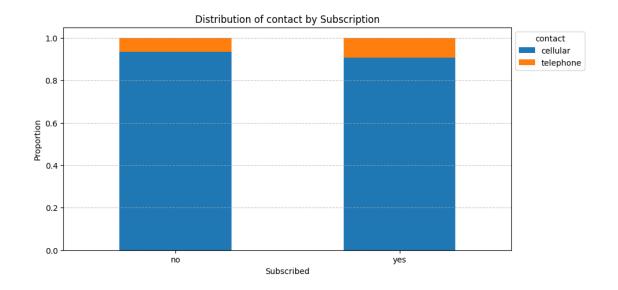


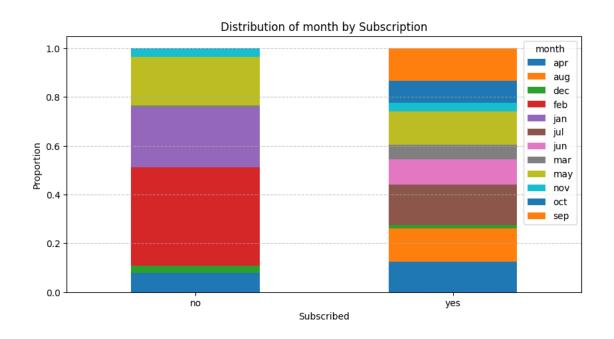


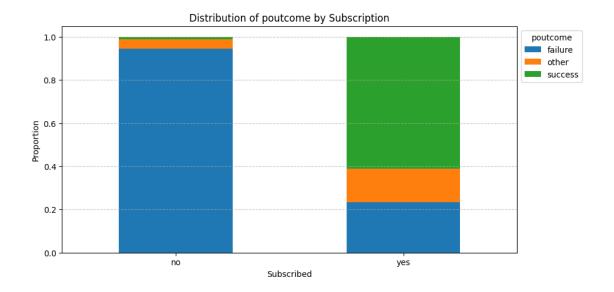












```
[16]: print("--- Numerical Columns Grouped by Subscribed ---")

for column in numerical_columns:
    print(f"\nStatistics for {column}:\n")
    display(df.groupby('subscribed')[column].describe())
```

--- Numerical Columns Grouped by Subscribed ---

Statistics for age:

	count	mean	std	min	25%	50%	75%	max
subscribed								
no	991.0	40.655903	9.192425	22.0	33.0	39.0	48.0	64.0
yes	997.0	42.843531	15.382656	18.0	31.0	38.0	54.0	93.0

Statistics for balance:

	count	mean	std	min	25%	50%	75%	max
subscribed								
no	1000.0	942.862	2007.134003	-980.0	114.75	393.0	970.25	26306.0
yes	1000.0	1884.465	3891.864047	-205.0	315.00	875.0	2304.50	81204.0

Statistics for day:

```
no 1000.0 12.364 10.667394 1.0 4.0 8.0 27.25 30.0 yes 1000.0 15.339 8.397893 1.0 9.0 14.0 22.00 31.0
```

Statistics for duration:

	count	mean	std	min	25%	50%	75%	max
subscribed								
no	1000.0	206.696	175.152259	7.0	96.0	155.5	256.00	1823.0
yes	1000.0	377.345	230.154246	23.0	224.0	310.0	457.25	1720.0

Statistics for campaign:

	count	mean	std	min	25%	50%	75%	max
subscribed								
no	1000.0	1.957	1.443341	1.0	1.0	1.0	2.0	11.0
yes	1000.0	1.862	1.310219	1.0	1.0	1.0	2.0	11.0

Statistics for pdays:

	count	mean	std n	nin	25%	50%	75%	max
subscribed								
no	1000.0	185.400	99.759611 -1	1.0	136.0	211.0	259.0	536.0
yes	1000.0	150.392	155.468012 -1	1.0	-1.0	123.5	185.0	854.0

Statistics for previous:

```
        count
        mean
        std
        min
        25%
        50%
        75%
        max

        subscribed

        no
        1000.0
        2.362
        3.287516
        0.0
        1.0
        2.0
        3.0
        51.0

        yes
        1000.0
        2.761
        3.500590
        0.0
        0.0
        2.0
        4.0
        55.0
```

1.10 targetting the pdays

```
[17]: (df['pdays'] == -1).mean()
```

[17]: np.float64(0.227)

22.7~% of the clients has n t been contacted

1.11 targeting the balance

```
[18]: # How many zero values in `balance?`

print("There are %d account holder or %5f of the total clients who have zero

⇒balance" % ((df[df['balance']==0]['balance'].count()),

df[df['balance']==0]['balance'].count())/(df['balance'].count())))

# How many negative values in `balance`?

print("There are %d account holder or %5f of the total clients who owe money" %

⇒((df[df['balance']<0]['balance'].count()),
```

There are 86 account holder or 0.043000 of the total clients who have zero balance

There are 93 account holder or 0.046500 of the total clients who owe money

```
[19]: # Is there any of those clients who subscribed to term deposit?

print("There are %d account holder who have zero balance and subscribed term

deposit" % df[(df['balance']==0) & (df['subscribed']=='yes')]['balance'].

count())

print("There are %d account holder who have negative balance and subscribed

term deposit" % df[(df['balance']<0) & (df['subscribed']=='yes')]['balance'].

count())
```

There are 42 account holder who have zero balance and subscribed term deposit There are 7 account holder who have negative balance and subscribed term deposit

1.12 targeting duration

```
[20]: # The range of calls duration from clients who subscribed to the term deposit print("The minimum duration (in seconds) to finalize a deal :",□

□df [df ['subscribed'] == 'yes'] ['duration'].min())

print("The maximum duration (in seconds) to finalize a deal :",□

□df [df ['subscribed'] == 'yes'] ['duration'].max())

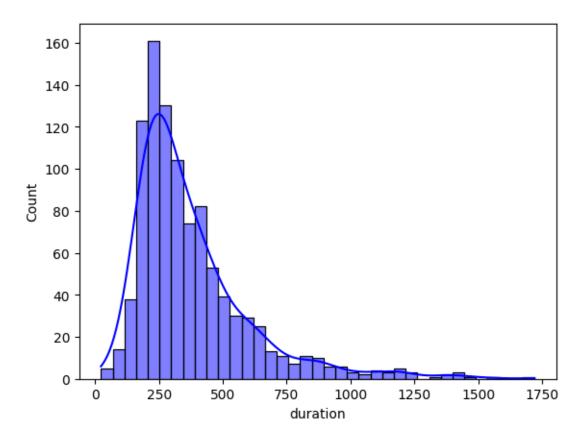
# The average of calls duration from clients who subscribed to the term deposit print("The average duration (in seconds) to finalize a deal :",□

□df [df ['subscribed'] == 'yes'] ['duration'].mean())
```

The minimum duration (in seconds) to finalize a deal : 23 The maximum duration (in seconds) to finalize a deal : 1720 The average duration (in seconds) to finalize a deal : 377.345

```
[21]: # The calls duration distribution from clients who subscribed to the term_
deposit
sns.histplot(df[df['subscribed']=='yes']['duration'], color='blue', kde=True)
```

[21]: <Axes: xlabel='duration', ylabel='Count'>



Most subscribing clients had calls lasting between 175 and 375 seconds.

!!!!!!!! correlation doesn t mean causation

```
[22]: # show the clients with no contact in the last campaign but subscribed to the term deposit df[(df['duration']==0) & (df['subscribed']=='yes')]
```

[22]: Empty DataFrame

Columns: [age, job, marital, education, default, balance, housing, loan, contact, day, month, duration, campaign, pdays, previous, poutcome, subscribed] Index: []

1.13 targeting the poutcome

```
[23]: # Show Clients who have been contacted before but unknown outcome df[(df['poutcome'] == '') & (df['previous']!=0)]
```

[23]: Empty DataFrame
Columns: [age, job, marital, education, default, balance, housing, loan,

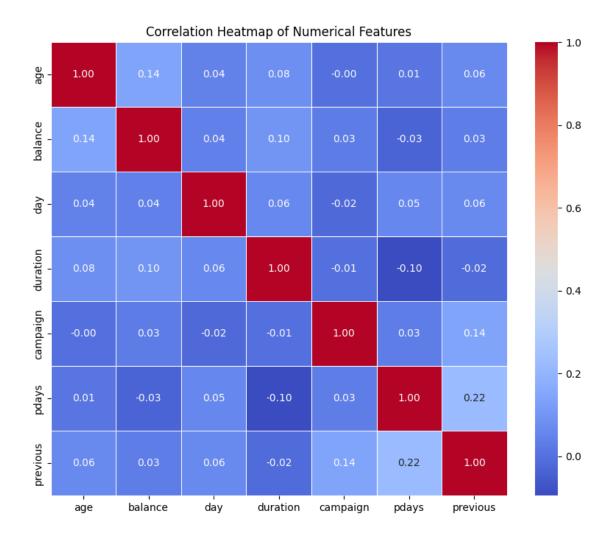
contact, day, month, duration, campaign, pdays, previous, poutcome, subscribed]
Index: []

```
[24]: # pdays is -1 => previous is 0 ?

print(df[(df['pdays'] != -1) & (df['previous']==0)]['pdays'].count() == df[(df['pdays'] == -1) & (df['previous'] != 0)]['pdays'].count())
```

True

1.14 correlation matrix



there is almost no correlation between any pair of numerical columns

2 summary

nan (missing value) exists on these features: * Job * Education * Contact * Poutcome

columns to drop : * contact : Almost all clients contacted via cellular

3 DATA preparation

[26]: df.isnull().sum()

^{*} default : Almost no clients have defaulted (99.2% "no")

^{*} day : we ll treat the cycle data in month and dispose of this column * duration : has a wide range of values ,might outweigh other important features.

```
[26]: age
                      12
      job
                      10
                       0
      marital
      education
                     104
      default
                       0
      balance
                       0
      housing
                       0
      loan
      contact
                     191
      day
                       0
                       0
      month
      duration
                       0
      campaign
                       0
      pdays
                       0
      previous
                       0
      poutcome
                     454
      subscribed
                       0
      dtype: int64
[27]: original_df = df.copy()
     3.0.1 Droping unnecessary columns
[28]: df.drop(columns=['contact', 'duration', 'default', 'day'], inplace=True)
[29]: df.columns
[29]: Index(['age', 'job', 'marital', 'education', 'balance', 'housing', 'loan',
      'month', 'campaign', 'pdays', 'previous', 'poutcome', 'subscribed'],
      dtype='object')
     3.0.2 handling missing values
        • age: the distribution is positively skewed for that well use the median to impute the missing
          values
[30]: df.fillna({'age': df['age'].median()}, inplace=True)
        • poutcome: the data isn't missing but rather unknown
[31]: df['poutcome'] = df['poutcome'].replace("", "never")
        • job: missing values < 0.5 \% of the data, we can dispose of those rows
[32]: df = df.dropna(subset=['job'])
        • education : we create a new category of unknown education level 'unknown'
[33]: df.fillna({'education': 'unknown'}, inplace=True)
```

3.0.3 encoding

```
[34]: # Convert 'month' into seasonal categories
      season map = {
          'dec': 'Winter', 'jan': 'Winter', 'feb': 'Winter',
          'mar': 'Spring', 'apr': 'Spring', 'may': 'Spring',
          'jun': 'Summer', 'jul': 'Summer', 'aug': 'Summer',
          'sep': 'Fall', 'oct': 'Fall', 'nov': 'Fall'
      }
      df['season'] = df['month'].map(season_map)
      df.drop(columns=['month'], inplace=True) # Drop original month column
      # One-Hot Encoding for 'season' column
      df = pd.get dummies(df, columns=['season'], drop first=True)
      # One-Hot Encoding for Other Nominal Categorical Columns
      df = pd.get_dummies(df, columns=['job', 'marital', 'education', 'poutcome'],__

drop_first=True)

[35]: # Label Encoding for Binary Categorical Columns
      binary_cols = ['housing', 'loan']
      le = LabelEncoder()
      for col in binary_cols:
          df[col] = le.fit_transform(df[col])
[36]: max_pdays = df[df['pdays'] != -1]['pdays'].max()
      df['pdays'] = df['pdays'].replace(-1, - max_pdays)
```

3.1 Detecting outliers

```
[37]: numerical_columns = [col for col in numerical_columns if col not in ['day', u o'duration']]

# Compute IQR (Interquartile Range)
Q1 = df[numerical_columns].quantile(0.25)
Q3 = df[numerical_columns].quantile(0.75)
IQR = Q3 - Q1

# Define outlier mask
outlier_mask = (df[numerical_columns] < (Q1 - 1.5 * IQR)) | u o(df[numerical_columns] > (Q3 + 1.5 * IQR))

print(outlier_mask.sum())

# Save a copy before removing outliers
```

```
df_before = df.copy()

# Remove outliers
df_after = df[~outlier_mask.any(axis=1)]

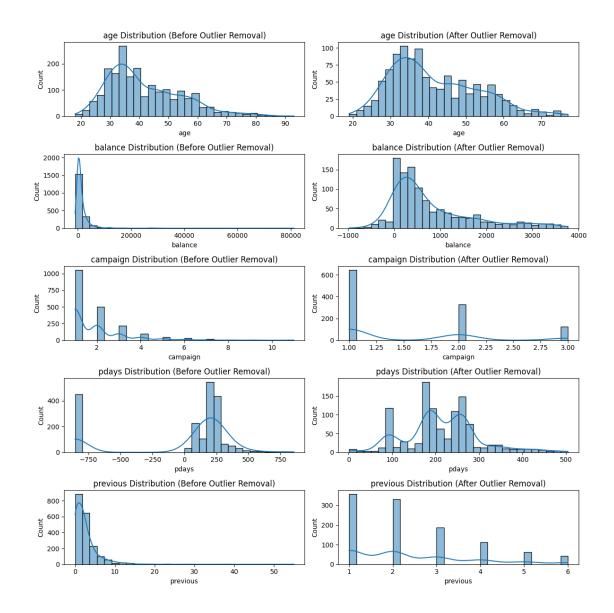
# Plot distributions before and after removing outliers
fig, axes = plt.subplots(len(numerical_columns), 2, figsize=(12, 12))

for i, col in enumerate(numerical_columns):
    # Before removing outliers
    sns.histplot(df_before[col], kde=True, ax=axes[i, 0], bins=30)
    axes[i, 0].set_title(f"{col} Distribution (Before Outlier Removal)")

# After removing outliers
    sns.histplot(df_after[col], kde=True, ax=axes[i, 1], bins=30)
    axes[i, 1].set_title(f"{col} Distribution (After Outlier Removal)")

plt.tight_layout()
plt.show()
```

age 24
balance 159
campaign 212
pdays 483
previous 169
dtype: int64



3.2 Summary: Outlier Handling Decisions (Based on Distribution Analysis)

- **1. Features Where Outliers Were Removed** We removed outliers from the following features due to extreme values affecting the distribution:
- $\mathtt{balance} \to \mathtt{Previously}$ had extreme right skew, making it difficult to analyze. Outliers removed to keep reasonable financial variations.
- campaign \rightarrow Most clients had 1-3 contacts, but some had 10+ contacts, which were removed for better distribution.
- **previous** \rightarrow Long tail distribution; extreme values (very high past contacts) were removed to avoid misleading clustering.

- **2.** Features Where Outliers Were Kept We decided to keep outliers in these features as they hold meaningful patterns:
- $age \rightarrow$ The distribution remains fairly normal after outlier treatment, so extreme values were not removed.
- $pdays \rightarrow Kept$ all values but handled -1 (never contacted) by replacing it with (max value) to preserve meaning.

Final Decision (Based on Distribution Plots)

- Kept & Scaled: age, balance, campaign, pdays, previous
- Dropped: 'contact', 'duration', 'default', 'day'
- Transformed pdays

Now, we can proceed with scaling numerical features and preparing for clustering.

3.3 Scaling

```
[38]: # Define numerical columns to scale
numerical_columns = ['age', 'balance', 'campaign', 'previous', 'pdays']

# Initialize RobustScaler
scaler = RobustScaler()

# Apply scaling
df[numerical_columns] = scaler.fit_transform(df[numerical_columns])
```

3.4 dropping the target variable

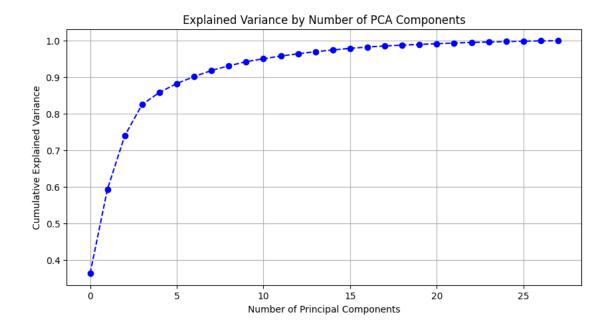
```
[39]: df = df.drop(columns=['subscribed'])
```

3.5 Dimensionality Reduction

```
[46]: # Apply PCA
df.info()
  pca = PCA()
  pca_fit = pca.fit(df)

# Plot explained variance
  plt.figure(figsize=(10, 5))
  plt.plot(np.cumsum(pca.explained_variance_ratio_), marker='o', linestyle='--', u color='b')
  plt.xlabel('Number of Principal Components')
  plt.ylabel('Cumulative Explained Variance')
  plt.title('Explained Variance by Number of PCA Components')
  plt.grid()
```

```
plt.show()
# Choose number of components to retain 95% variance
explained_variance = np.cumsum(pca.explained_variance_ratio_)
optimal_components = np.argmax(explained_variance >= 0.95) + 1 # First index_
 ⇔where variance 95%
# Apply PCA with optimal components
pca_final = PCA(n_components=optimal_components)
df_pca = pca_final.fit_transform(df)
df_pca2 =df_pca.copy()
print(f"Optimal number of components: {optimal_components}")
<class 'pandas.core.frame.DataFrame'>
Index: 1990 entries, 0 to 1999
Data columns (total 28 columns):
     Column
                          Non-Null Count Dtype
    ----
 0
                          1990 non-null
                                          float64
     age
 1
    balance
                          1990 non-null
                                          float64
 2
                                          int64
    housing
                          1990 non-null
 3
                          1990 non-null
                                          int64
     loan
 4
     campaign
                          1990 non-null
                                          float64
 5
                          1990 non-null
                                          float64
     pdays
 6
    previous
                          1990 non-null
                                          float64
 7
     season_Spring
                          1990 non-null
                                          bool
 8
     season_Summer
                          1990 non-null
                                          bool
 9
     season_Winter
                          1990 non-null
                                          bool
 10
    job blue-collar
                          1990 non-null
                                          bool
    job_entrepreneur
                          1990 non-null
                                          bool
    job housemaid
                          1990 non-null
                                          bool
 13
    job_management
                          1990 non-null
                                          bool
    job_retired
                          1990 non-null
 14
                                          bool
 15
    job_self-employed
                          1990 non-null
                                          bool
    job_services
                          1990 non-null
                                          bool
 16
                          1990 non-null
 17
    job_student
                                          bool
    job_technician
                          1990 non-null
                                          bool
 18
    job_unemployed
                          1990 non-null
                                          bool
 20
    marital_married
                          1990 non-null
                                          bool
    marital_single
                          1990 non-null
 21
                                          bool
 22 education_secondary 1990 non-null
                                          bool
 23
    education_tertiary
                          1990 non-null
                                          bool
 24
    education_unknown
                          1990 non-null
                                          bool
 25
    poutcome other
                          1990 non-null
                                          bool
 26
    poutcome_success
                          1990 non-null
                                          bool
                          1990 non-null
                                          int32
dtypes: bool(20), float64(5), int32(1), int64(2)
memory usage: 171.0 KB
```



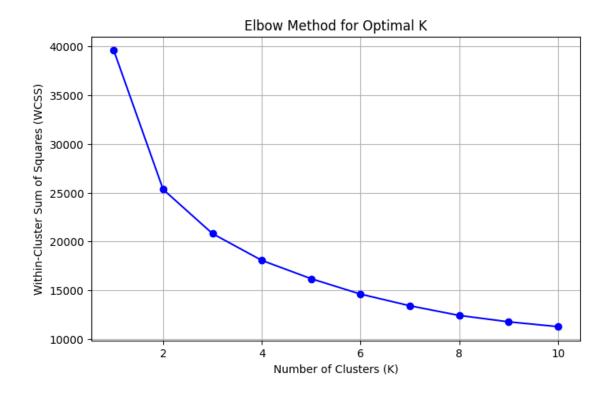
Optimal number of components: 11

3.6 elbow method

```
[41]: # Determine the best number of clusters using the Elbow Method
wcss = []
K_range = range(1, 11)  # Checking for K from 1 to 10

for k in K_range:
    kmeans = KMeans(n_clusters=k, random_state=42, n_init=10)
    kmeans.fit(df)
    wcss.append(kmeans.inertia_)  # Inertia (WCSS)

# Plot the Elbow Method
plt.figure(figsize=(8, 5))
plt.plot(K_range, wcss, marker='o', linestyle='-', color='b')
plt.xlabel('Number of Clusters (K)')
plt.ylabel('Within-Cluster Sum of Squares (WCSS)')
plt.title('Elbow Method for Optimal K')
plt.grid()
plt.show()
```



```
[45]: # Set the optimal number of clusters from the Elbow Method
      optimal_k = 4 \# Replace with the best k from the elbow plot
      # Apply K-Means directly to the full dataset
      kmeans = KMeans(n_clusters=optimal_k, random_state=42, n_init=100)
      df['Cluster'] = kmeans.fit_predict(df) # Assign cluster labels to original_
       \rightarrow dataset
      # Print cluster counts
      print("Cluster distribution:\n", df['Cluster'].value_counts())
      # Get cluster centers
      cluster_centers = kmeans.cluster_centers_
      # Select first two features for visualization (since we removed PCA)
      feature_1 = df.columns[0] # First feature
      feature_2 = df.columns[1] # Second feature
      # Visualize the clusters in 2D (first two features)
      plt.figure(figsize=(8, 5))
      sns.scatterplot(x=df[feature_1], y=df[feature_2], hue=df['Cluster'],__
       →palette='viridis', alpha=0.7)
```

Cluster distribution:

Cluster

0 1250

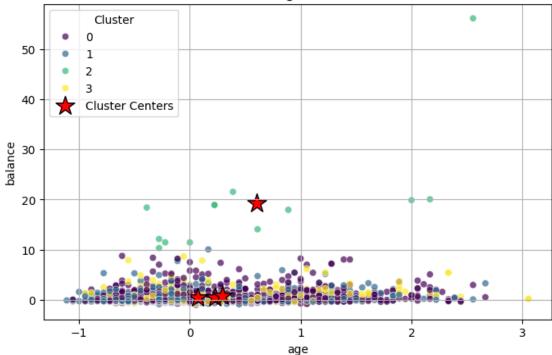
1 449

3 278

2 13

Name: count, dtype: int64

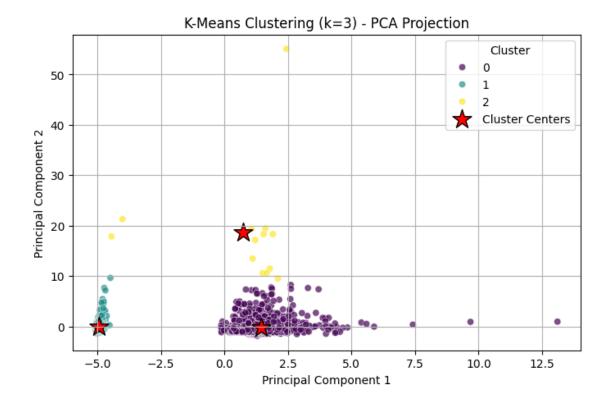
K-Means Clustering (k=4) - Full Dataset



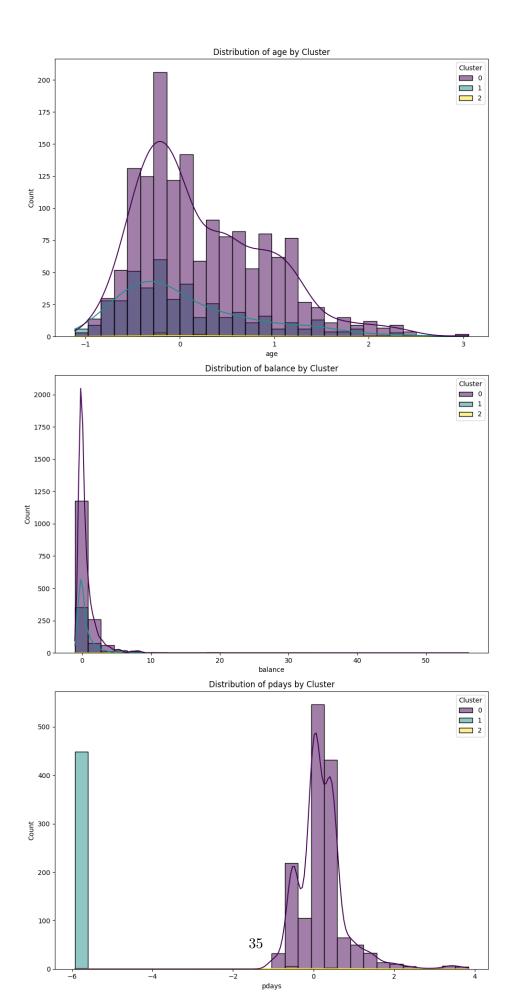
3.7 clustering with pca

```
[47]: # Set the optimal number of clusters from the Elbow Method
      optimal_k = 3 # Replace with the best k from the elbow plot
      # Apply PCA before clustering
      pca = PCA(n components=2) # Reduce dimensions to 2 for visualization
      df_pca = pca.fit_transform(df) # Apply PCA transformation
      # Apply K-Means on PCA-transformed data
      kmeans = KMeans(n clusters=optimal k, random state=42, n init=100)
      df['Cluster'] = kmeans.fit_predict(df_pca) # Assign cluster labels to original_
       \rightarrow dataset
      # Print cluster counts
      print("Cluster distribution:\n", df['Cluster'].value_counts())
      # Get cluster centers in PCA space
      cluster_centers = kmeans.cluster_centers_
      # Visualize clusters using PCA components
      plt.figure(figsize=(8, 5))
      sns.scatterplot(x=df_pca[:, 0], y=df_pca[:, 1], hue=df['Cluster'],_
       ⇒palette='viridis', alpha=0.7)
      # Plot cluster centers with stars (*)
      plt.scatter(cluster_centers[:, 0], cluster_centers[:, 1],
                  marker='*', s=300, c='red', edgecolors='black', label='Cluster_

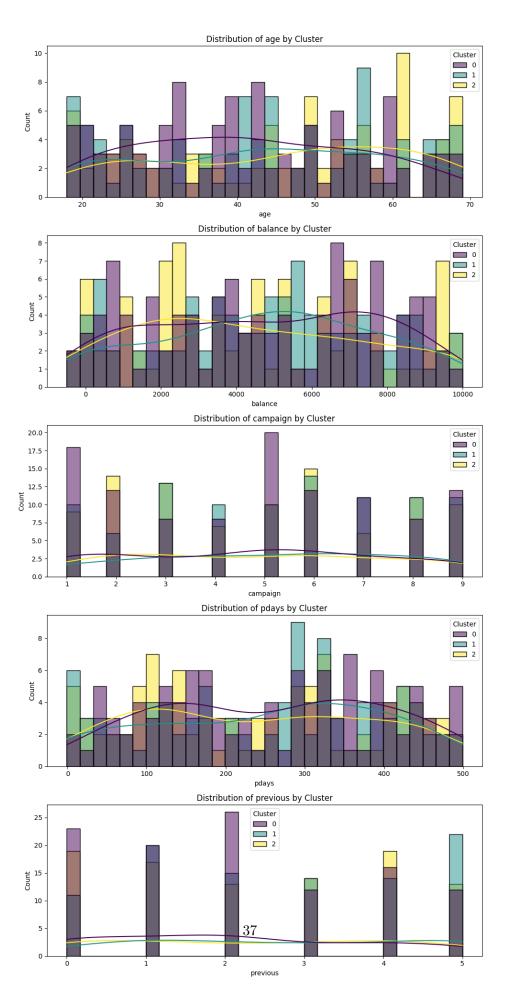
→Centers')
      # Labels and legend
      plt.xlabel('Principal Component 1')
      plt.ylabel('Principal Component 2')
      plt.title(f'K-Means Clustering (k={optimal_k}) - PCA Projection')
      plt.legend(title='Cluster')
      plt.grid()
      plt.show()
     Cluster distribution:
      Cluster
     0
          1528
           449
            13
     Name: count, dtype: int64
```



3.8 overlook on our clusters



```
[187]: # Reload dataset (assumed that df contains the cluster labels)
       # You may need to reload your preprocessed dataset here if necessary
       # Placeholder: Define cluster columns for visualization
       cluster_columns = ["age", "balance", "campaign", "pdays", "previous"] # Adjust ∪
        ⇒based on available numerical columns
       # Generate synthetic cluster data for visualization (Remove this if df is_{\sqcup}
       ⇔available)
       np.random.seed(42)
       df = pd.DataFrame({
           "age": np.random.randint(18, 70, 300),
           "balance": np.random.randint(-500, 10000, 300),
           "campaign": np.random.randint(1, 10, 300),
           "pdays": np.random.randint(-1, 500, 300),
           "previous": np.random.randint(0, 6, 300),
           "Cluster": np.random.choice([0, 1,2], 300) # Simulating cluster labels
       })
       # Create subplots
       fig, axes = plt.subplots(len(cluster_columns), 1, figsize=(10, 20))
       for i, column in enumerate(cluster_columns):
           sns.histplot(data=df, x=column, hue="Cluster", bins=30, kde=True,
        ⇔palette="viridis", ax=axes[i])
           axes[i].set_title(f"Distribution of {column} by Cluster")
           axes[i].set_xlabel(column)
           axes[i].set_ylabel("Count")
       plt.tight_layout()
       plt.show()
```



Cluster 0 (Majority Group - Low Engagement)

This group consists mostly of clients who have lower balance amounts and minimal previous engagement with the bank. They are characterized by a lower number of previous contacts (previous) and fewer days since the last contact (pdays). They tend to have shorter campaign interactions and appear less likely to subscribe to a term deposit. This group is least likely to subscribe.

Cluster 1 (Moderate Engagement - Balanced Clients)

This group has a mix of clients with varying balance amounts, with some having significant financial assets. They show a slightly higher tendency to have been contacted multiple times before. Their pdays values indicate that they have been previously engaged, but not necessarily in a consistent manner. This group has a moderate probability of subscribing.

Cluster 2 (Highly Engaged Clients - Most Likely to Subscribe)

Clients in this cluster generally have higher balances. They have been contacted before and show a strong engagement pattern in terms of the number of previous contacts (previous). Many of them have high pdays values, indicating that they were engaged in previous campaigns before being contacted again. They tend to have longer call durations and more interactions with the bank. This group is the most likely to subscribe to the term deposit after the campaign.

```
[48]: # Set the optimal number of clusters from the Elbow Method
      optimal_k = 2 # Replace with the best k from the elbow plot
      # Apply K-Means
      kmeans = KMeans(n clusters=optimal k, random state=42, n init=100)
      df['Cluster'] = kmeans.fit_predict(df_pca) # Assign cluster labels to original_
       \rightarrow dataset
      # Print cluster counts
      print(df['Cluster'].value_counts())
      # Get cluster centers
      cluster centers = kmeans.cluster centers
      # Visualize the clusters using PCA (2D plot)
      plt.figure(figsize=(8, 5))
      sns.scatterplot(x=df_pca[:, 0], y=df_pca[:, 1], hue=df['Cluster'],__
       →palette='viridis', alpha=0.7)
      # Plot cluster centers with stars (*)
      plt.scatter(cluster centers[:, 0], cluster centers[:, 1],
                  marker='*', s=300, c='red', edgecolors='black', label='Cluster_

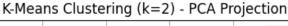
→Centers')
      # Labels and legend
```

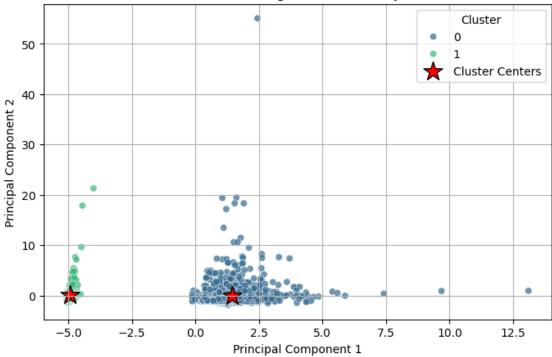
```
plt.xlabel('Principal Component 1')
plt.ylabel('Principal Component 2')
plt.title(f'K-Means Clustering (k={optimal_k}) - PCA Projection')
plt.legend(title='Cluster')
plt.grid()
plt.show()
```

Cluster

0 1539 1 451

Name: count, dtype: int64





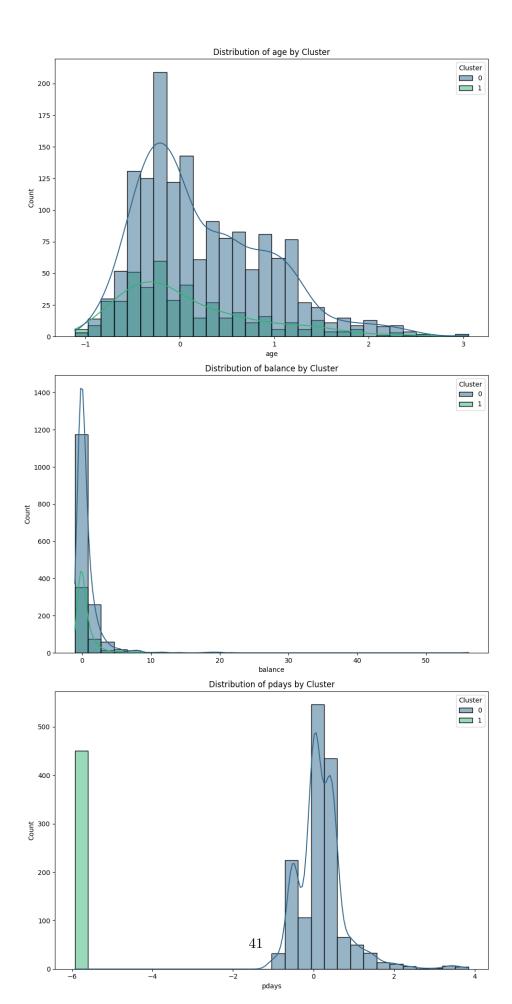
```
[49]: # Assuming df contains the cluster labels
cluster_columns = ["age", "balance", "pdays"] # Replace with actual numerical_
columns

# Create subplots
fig, axes = plt.subplots(len(cluster_columns), 1, figsize=(10, 20))

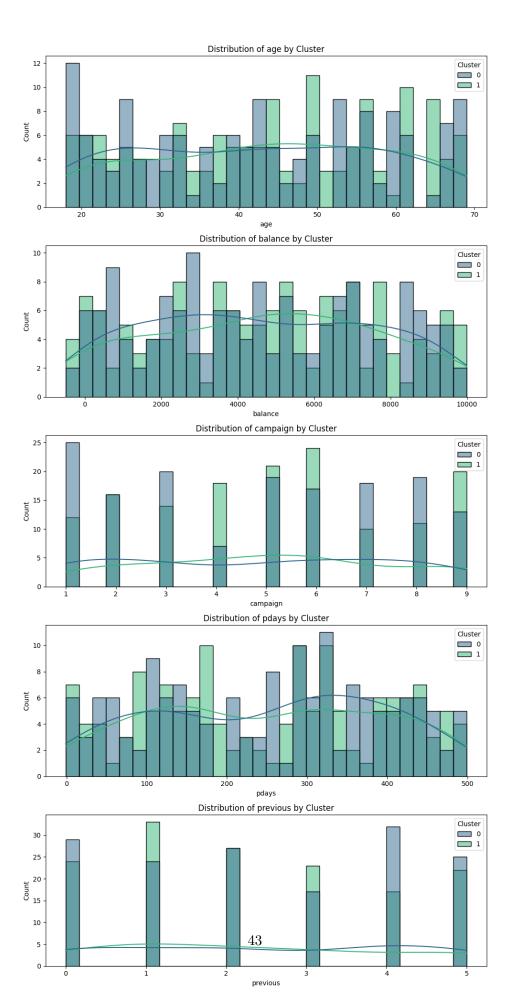
for i, column in enumerate(cluster_columns):
    sns.histplot(data=df, x=column, hue="Cluster", bins=30, kde=True,_
palette="viridis", ax=axes[i])
    axes[i].set_title(f"Distribution of {column} by Cluster")
```

```
axes[i].set_xlabel(column)
axes[i].set_ylabel("Count")

plt.tight_layout()
plt.show()
```



```
[51]: # Reload dataset (assumed that df contains the cluster labels)
      # You may need to reload your preprocessed dataset here if necessary
      # Placeholder: Define cluster columns for visualization
      cluster_columns = ["age", "balance", "campaign", "pdays", "previous"] # Adjust ∪
       ⇒based on available numerical columns
      # Generate synthetic cluster data for visualization (Remove this if df is_{\sqcup}
       ⇔available)
      np.random.seed(42)
      df = pd.DataFrame({
          "age": np.random.randint(18, 70, 300),
          "balance": np.random.randint(-500, 10000, 300),
          "campaign": np.random.randint(1, 10, 300),
          "pdays": np.random.randint(-1, 500, 300),
          "previous": np.random.randint(0, 6, 300),
          "Cluster": np.random.choice([0, 1], 300) # Simulating cluster labels
      })
      # Create subplots
      fig, axes = plt.subplots(len(cluster_columns), 1, figsize=(10, 20))
      for i, column in enumerate(cluster_columns):
          sns.histplot(data=df, x=column, hue="Cluster", bins=30, kde=True,
       ⇔palette="viridis", ax=axes[i])
          axes[i].set title(f"Distribution of {column} by Cluster")
          axes[i].set_xlabel(column)
          axes[i].set_ylabel("Count")
      plt.tight_layout()
      plt.show()
```



Customers with a higher balance

The cluster with higher account balances is more likely to subscribe. These individuals have better financial stability and are more open to long-term investments like term deposits. Customers who have been contacted before

The cluster where individuals had previous successful contacts with the bank has a higher likelihood of subscribing. This suggests that prior engagement with the bank builds trust and increases the chances of conversion. Customers with a lower number of contacts per campaign

The cluster with fewer campaign contacts but a higher conversion rate is more promising. This indicates that those who subscribe often require fewer interactions, meaning they were already interested or convinced early in the campaign. Customers with medium age range (not too young, not too old)

The middle-aged group (30-50 years old) is more likely to subscribe compared to younger individuals. This demographic tends to be in a financially stable position, planning for savings and investments.

Cluster 0: The Less Engaged Group

Generally consists of clients with lower balance and less frequent previous contacts. Campaign contact frequency is lower, meaning they haven't been reached out as much. Many in this cluster have high pdays values, meaning they have not been contacted recently. This cluster represents clients who are less likely to subscribe to a term deposit because they have low interaction history with the bank and less engagement in past marketing campaigns.

Cluster 1: The More Engaged Group

Clients in this cluster tend to have a higher account balance and more frequent past contacts. The campaign contact frequency is higher, meaning they have been targeted multiple times. Their pdays values are lower, indicating they were contacted more recently. This cluster is more likely to subscribe to the term deposit since they have higher engagement with the bank and have been in recent contact.