

NEWERA

**MASTERRING LOGISTIC
REGRESSION**

**BUILD YOUR OWN BREAST
CANCER DETECTION SYSTEM**

Classification is another supervised learning Approach, In Classification our output value y will be in discrete value like 0 or 1.



1



0

Logistic Regression

Logistic Regression tell you the probability that an instance belong to this class or not with some threshold.

If our probability is greater than 0.5 or 50 % then we will say this belongs to the class, means positive_label 1 or if lesser we denote negative class or vice versa 0.



1

0.90 → 90%



0

Handwritten red notes illustrating the decision logic:
0.5 ↑
20
1 if prob > 0.5 else:
0 20-5

Hypothesis Function

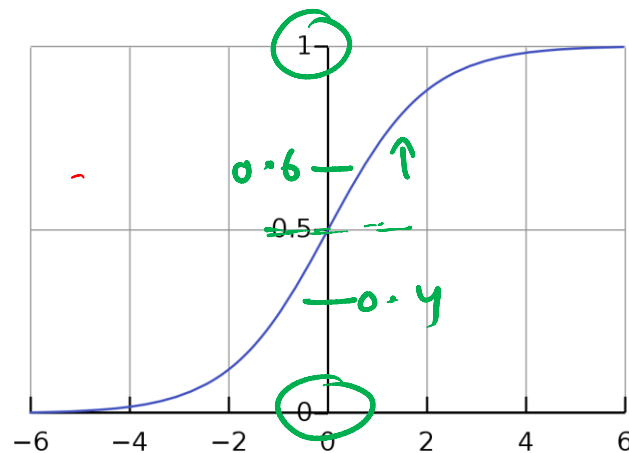
$$\hat{y} = h_{\theta}(x) = \theta_0 x_0 + \theta_1 x_1 + \theta_2 x_2 \dots +$$

$$z \quad z = h_{\theta}(x) = \underset{\uparrow}{x}^T \underset{\text{feature}}{\theta}$$

$$\hat{y} = h_{\theta}(x) = \sigma(\underbrace{x^T \theta}_z)$$

0.9

$$\hat{y} = h_{\theta}(x) = \sigma(z) = \frac{1}{1 + \exp(-z)}$$



Cost Function

$$J(\theta) = -1 \times (y^{(i)} \log(\overbrace{h_0(x)}^{\text{Predict}})) + (1 - y^{(i)}) \log(1 - h_0(x))$$

→

$$J(\theta) = -\frac{1}{m} \sum_{i=1}^m y^{(i)} \log(h_0(x)^{(i)}) + (1 - y^{(i)}) \log(1 - h_0(x)^{(i)})$$

→

$1 \approx 0$

$y^{(i)}$ = given
 $h_0(x)^{(i)}$ = model predictions

Gradient Descent

$$\nabla J(\theta) = \frac{1}{m} \sum_{i=1}^m (x^{(i)} - y^{(i)}) \cdot x^{(i)}$$

$$\Rightarrow \theta_j \leftarrow \theta_j - \alpha \nabla J(\theta)$$

Hypothesis = $\sigma(z) = \frac{1}{1 + \exp(-z)}$

Cost $J(\theta) = -\frac{1}{m} \sum_{i=1}^m y^{(i)} \log(\sigma(x^{(i)})) + (1 - y^{(i)}) \log(1 - \sigma(x^{(i)}))$

Gradient

Guide on Implementing vectorized things :

Hypothesis

$$z = x^T \theta, \quad \underline{x \cdot \theta}$$

$\text{sig}(z)$

$(m, 1)$
 \uparrow
No. of rows even

Guide on Implementing vectorized things :

Cost Function

$$J(\theta) = -\frac{1}{n} \times \left(\underbrace{y^T \cdot \log(h)}_{\text{ys}} + \underbrace{(1-y)^T \cdot \log(1-h)}_{\text{ys}} \right)$$

Guide on Implementing vectorized things : Gradient Descent

$$\theta = \begin{bmatrix} \theta_0 \\ \theta_1 \\ \theta_2 \\ \vdots \\ \theta_n \end{bmatrix}$$

$$X \rightarrow \begin{matrix} \text{Dimensions} \\ (m, \underline{n+1}) \end{matrix}$$

$$\theta \rightarrow (n+1, 1)$$

$$z \rightarrow (m, \underline{n+1})$$

$$\theta^{(0)} = \theta - \frac{\alpha}{m} \times (X^T \cdot (h - y))$$

Thanks 😊

Now, download the jupyter notebook and start building your system.

