



# Library Indian Institute of Science Education and Research Mohali



**DSpace@IISERMohali (/jspui/)**

**/ Publications of IISER Mohali (/jspui/handle/123456789/4)**

**/ Research Articles (/jspui/handle/123456789/9)**

Please use this identifier to cite or link to this item: <http://hdl.handle.net/123456789/1745>

Title:	Some results for the irreducibility of truncated binomial expansions
Authors:	Jakhar, A. (/jspui/browse?type=author&value=Jakhar%2C+A.) Sangwan, N. (/jspui/browse?type=author&value=Sangwan%2C+N.)
Keywords:	Irreducible polynomials Truncated binomial binomial expansions irreducibility truncated
Issue Date:	2018
Publisher:	Elsevier Ltd
Citation:	Journal of Number Theory, 192, pp. 143-149
Abstract:	For positive integers $k$ and $n$ with $k \leq n-1$ , let $P_{n,k}(x)$ denote the polynomial $\sum_{j=0}^k \binom{n}{j} x^j$ , where $\binom{n}{j} = \frac{n!}{j!(n-j)!}$ [Formula presented]. In 2011, Khanduja, Khassa and Laishram proved the irreducibility of $P_{n,k}(x)$ over the field $\mathbb{Q}$ of rational numbers for those $n, k$ for which $2 \leq k \leq n < (k+1)^3$ . In this paper, we extend the above result and prove that if $2 \leq k \leq n < (k+1)^e + 1$ for some positive integer $e$ and the smallest prime factor of $k$ is greater than $e$ , then there exists an explicitly constructible constant $C_e$ depending only on $e$ such that the polynomial $P_{n,k}(x)$ is irreducible over $\mathbb{Q}$ for $k \geq C_e$ .
URI:	<a href="https://www.sciencedirect.com/science/article/pii/S0022314X18301203">https://www.sciencedirect.com/science/article/pii/S0022314X18301203</a> ( <a href="https://www.sciencedirect.com/science/article/pii/S0022314X18301203">https://www.sciencedirect.com/science/article/pii/S0022314X18301203</a> ) <a href="http://hdl.handle.net/123456789/1745">http://hdl.handle.net/123456789/1745</a> ( <a href="http://hdl.handle.net/123456789/1745">http://hdl.handle.net/123456789/1745</a> )
Appears in Collections:	Research Articles (/jspui/handle/123456789/9)

Files in This Item:

File	Description	Size	Format	
Need to add pdf.odt (/jspui/bitstream/123456789/1745/1/Need%20to%20add%20pdf.odt)		8.04 kB	OpenDocument Text	<a href="#">View/Open (/jspui/bitstream/123456789/1745/1/Need%20to%20add%20pdf.odt)</a>

[Show full item record \(/jspui/handle/123456789/1745?mode=full\)](#)

[Statistics \(/jspui/handle/123456789/1745/statistics\)](#)

Items in DSpace are protected by copyright, with all rights reserved, unless otherwise indicated.