



ACCELERATED NATURAL LANGUAGE PROCESSING

Assignment 1

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1 Introduction

2 Random Sequence Generation - Question 4

2.1 Raw Application of Language Model

After having generated and built a language model, the model itself can be used as is to generate new sequences.

2.2 Random generation

Algorithm 1 Random Generation

```
1: procedure GENERATE_FROM_LM(Num_Chars, Model, Valid_Char_List)
2:   sequence = empty
3:   bigram_in  $\leftarrow$  '#' + random(Valid_Char_List)
4:   chars_left  $\leftarrow$  Num_Chars - 1
5:   loop:
6:     if chars_left > 0 then
7:       pos_tris  $\leftarrow$  [bigram_in + Valid_Char_List].
8:       distribution  $\leftarrow$  model[pos_tris].
9:       bins  $\leftarrow$  cumulative_sum(distribution)
10:      seq_pos  $\leftarrow$  random_bin_select(bins)
11:      new_seq  $\leftarrow$  pos_tris[seq_pos]
12:      bigram_in  $\leftarrow$  new_seq[0 : 1]
13:      sequence  $\leftarrow$  sequence + new_seq[2]
14:      chars_left  $\leftarrow$  chars_left - 1
15:      goto loop.
16:   return sequence
```

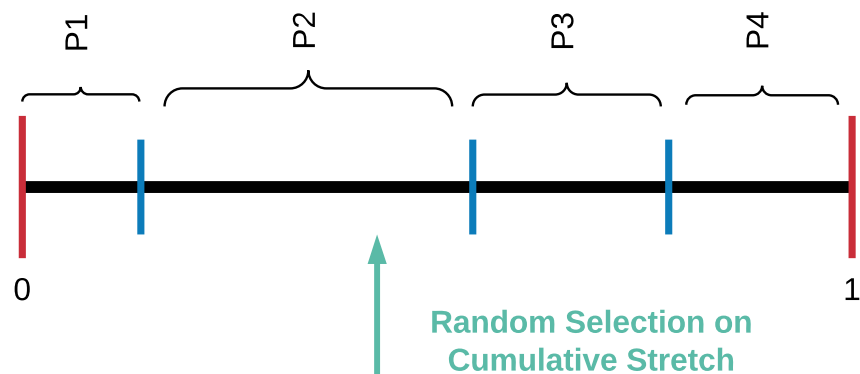


Figure 1: Random selection from a probability distribution

2.3 Results

3 Perplexity Computation - Question 5

This part of the assignment dealt with utilising the generated language models to assess the content of a given text.

3.1 Perplexity Computation

A perplexity measure attempt to measure how well a given model predicts a selected text sample. A low perplexity indicates the model is well suited to predicting the selected text, whilst a high perplexity indicates the model is unsuited for the text selected. The general equation for perplexity computation is as follows:

$$PP_M = P_M(w_1...w_n)^{-\frac{1}{n}} \quad (1)$$

Taking logs:

$$\log(PP_M) = \log\left(P_M(w_1...w_n)^{-\frac{1}{n}}\right) \quad (2)$$

$$\log(PP_M) = -\frac{1}{n} \times \log(P_M(w_1...w_n)) \quad (3)$$

$$\log(PP_M) = -\frac{1}{n} \sum_{i=1}^n (\log(P_M(w_1)) + ... + \log(P_M(w_n))) \quad (4)$$

3.2 Comparative Results

4 Conclusions