



# PROJECT REPORT

## EVOLUTIONARY ALGORITHM FOR DATABASE GRID OPTIMIZATION

Submitted By:

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## **CERTIFICATE**

This is to certify that Ayush Agrawal, Suraj Singh, Department of Computer Science And Engineering, Indian School of Mines, Dhanbad have successfully completed their assignment. They have successfully completed all tasks assigned to them along with successful demonstration of the working model.

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## **Acknowledgement**

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# Introduction

**Evolution strategies** use natural problem-dependent representations, and primarily mutation and selection, as search operators. In common with evolutionary algorithms, the operators are applied in a loop. An iteration of the loop is called a generation. The sequence of generations is continued until a termination criterion is met.

As far as real-valued search spaces are concerned, mutation is normally performed by adding a normally distributed random value to each vector component. The step size or mutation strength (i.e. the standard deviation of the normal distribution) is often governed by self-adaptation. Individual step sizes for each coordinate or correlations between coordinates are either governed by self-adaptation or by covariance matrix adaptation.

**Evolutionary Programming** is a Global Optimization algorithm and is an instance of an Evolutionary Algorithm from the field of Evolutionary Computation. The approach is a sibling of other Evolutionary Algorithms such as the Genetic Algorithm, and Learning Classifier Systems. It is sometimes confused with Genetic Programming given the similarity in name, and more recently it shows a strong functional similarity to Evolution Strategies.

The objective of the Evolutionary Programming algorithm is to maximize the suitability of a collection of candidate solutions in the context of an objective function from the domain. This objective is pursued by using an adaptive model with surrogates for the processes of evolution, specifically hereditary (reproduction with variation) under competition. The representation used for candidate solutions is directly assessable by a cost or objective function from the domain.

Here our goal was to achieve Database Grid Optimization using Evolutionary Algorithms. So to complete our objective, we have combined the above mentioned techniques, Evolutionary Strategies and Evolutionary Programming.

## Overview

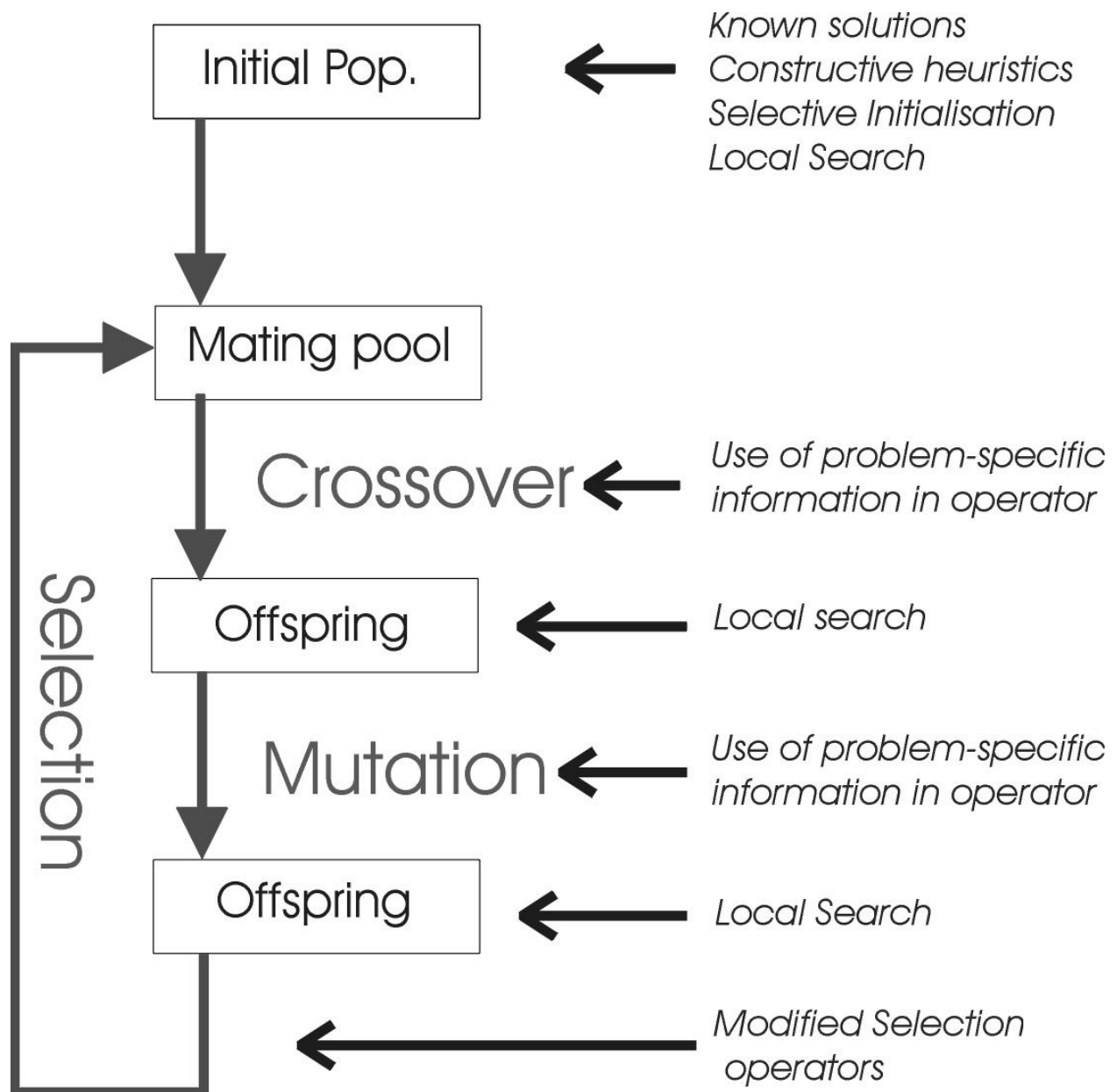


Fig : Flow Chart

# Algorithm

1. Take the **initial permutation** input from the user.
2. Take the number of **iterations** from the user.
3. Initialize **ParentA = initial permutation**.
4. Initialize  $i = 0$
5. While (  $i < \text{iterations}$  )
  - 5.1. Randomly generate **ParentB**.
  - 5.2. Do crossover and generate **ChildA** and **ChildB**.
  - 5.3. Calculate cost of ParentA, ParentB, ChildA, ChildB.
  - 5.4. Find **minCost** among them along with its corresponding permutation.
  - 5.5. Do mutation on last obtained permutation and find **mutCost**.
  - 5.6. If (  $\text{mutCost} < \text{minCost}$  )
    - 5.6.1.  $\text{minCost} = \text{mutCost}$
    - 5.6.2. make mutated permutation as ParentA.
  - 5.7. Update  $i = i + 1$
6. Print the final permutation along with its minCost.

# Output

```
Enter the five distinct numbers (range 1 to 2000) : 962 247 1430 156 810
Enter maximum number of iterations : 5
The Initial Permutation was 962 247 1430 156 810
Iteration Number :: 1

Parent A : 962 247 1430 156 810
Parent A Cost : 6403
Parent B : 247 1430 810 962 156
Parent B Cost : 6264
Child A : 962 247 1430 810 156
Cost of Child A : 4857
Child B : 247 1430 810 962 156
Cost of Child B : 6264

After cross- over the premutation we got : 962 247 1430 810 156
After Mutation the permutation : 962 247 810 1430 156
Mutated cost 6249
Final, survival chromosome (permutation) after 1 iteration : 962 247 1430 810 156
Final Cost ::4857
*****

Iteration Number :: 2

Parent A : 962 247 1430 810 156
Parent A Cost : 4857
Parent B : 156 962 247 1430 810
Parent B Cost : 5092
Child A : 962 247 1430 156 810
Cost of Child A : 6403
Child B : 156 962 247 1430 810
Cost of Child B : 5092

After cross- over the premutation we got : 962 247 1430 810 156
After Mutation the permutation : 962 1430 247 810 156
Mutated cost 4140
Final, survival chromosome (permutation) after 2 iteration : 962 1430 247 810 156
Final Cost ::4140
*****
```

Fig : Output 1



```

Iteration Number :: 3

Parent A : 962 1430 247 810 156
Parent A Cost : 4140
Parent B : 1430 810 962 247 156
Parent B Cost : 6
Child A : 962 1430 247 810 156
Cost of Child A : 4140
Child B : 1430 810 962 247 156
Cost of Child B : 6

After cross- over the premutation we got : 1430 810 962 247 156
After Mutation the permutation : 1430 810 156 247 962
Mutated cost 1809
Final, survival chromosome (permutation) after 3 iteration : 1430 810 962 247 156
Final Cost ::6
*****

Iteration Number :: 4

Parent A : 1430 810 962 247 156
Parent A Cost : 6
Parent B : 1430 156 247 810 962
Parent B Cost : 4292
Child A : 1430 810 962 156 247
Cost of Child A : 5634
Child B : 1430 156 247 810 962
Cost of Child B : 4292

After cross- over the premutation we got : 1430 810 962 247 156
After Mutation the permutation : 1430 810 962 156 247
Mutated cost 5634
Final, survival chromosome (permutation) after 4 iteration : 1430 810 962 247 156
Final Cost ::6
*****

```

Fig : Output 2

```

Iteration Number :: 5

Parent A : 1430 810 962 247 156
Parent A Cost : 6
Parent B : 810 247 962 156 1430
Parent B Cost : 8965
Child A : 1430 810 962 247 156
Cost of Child A : 6
Child B : 810 247 962 1430 156
Cost of Child B : 6854

After cross- over the premutation we got : 1430 810 962 247 156
After Mutation the permutation : 962 810 1430 247 156
Mutated cost 277
Final, survival chromosome (permutation) after 5 iteration : 1430 810 962 247 156
Final Cost ::6
*****

After 5 iterations the Final Permutation : 1430 810 962 247 156

Process returned 0 (0x0)   execution time : 36.828 s
Press any key to continue.

```

Fig : Output 3