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			Batch: B	
	FLAT	Tutorial-6	Computer Engineering	
0.17	Write a note	on Recu-	raively enumerable language.	
\rightarrow			ly enumerable language it L	
	is the set of	steing accept	red by some TM.	
	TI I is a sec	cureive en	umerable language then:	
			amesable anguage	
	I WEL, then a	The halts	in a final state.	
			in a non-final state or loops	
	forever.		Marin and the state of the state of	
	A Recursively on	umerable lan	guages are the formal languages	
	that can be decid	deable.	the state of the s	
414	According to cham	sky hiero.	schy of formal languages , we can	
	see the recursiv	ely onumeral	de longuages as type o longuages	
	some example of recursively languages are: 1) Recursive language			
1				
	2) Regulors language 3) Contint - Sensitiv			
	3) Context - Sensitive language 4) Context free languages.			
		3		
	· n	ecursively		
		Phumprable		
		languages		
	c	ottext free		
		languages		
		negular		
		languages		
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			, 3	

(3.5)	Write a note on Halting Problem.
\rightarrow	The halting problem is the problem of deciding or
	concluding pared on a diven aupitark computer beadson
	and its input, whether that program will stop executing
	or run in an infinite loop for the given ipperinput. The
	hatting problem tells us that it is not cary to write a
	computer program that executes in the limited time that
- 12	is capable of deciding whether a program hast for
	input. In addition to that halting problem never
	say that it is not practicable to determine whether
	a given random program is going to halt (stop).
	Generally it asks the question like "Given a randon
	program and an ip input conclude whether the
	given random program is going to not when that
	input is given. The only way to find out is to sun
	the algorithm and see if it halts. Turing machines
	on be dither halting or non-halting depending
	on the algorithm and input associated with
	algorithm.
	The state of the s
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0.3	Types of Turing machine.
	3,
>	Turing mochine can also be deterministic or non-deterministic
	but this does not more them any more or less
	powerful. Many other TM variation are equivalent to the
	original TM this include the bollowing:
	1) must tape tuning machine
0	A tuning machine with several tape is called multi-tope
	turing machine: Every tope's have their own Read write
	head.
	Fax N- tope tuning machine
	M= \$ (9,x, 2, 8, 40, B, F) }
	the state of the s
	(2) Multiple Track Turing Machine
	A K- track Turing machine has k-tracks and one Plw
	head that reads and write all of them one by one . A
)	k-took turing machine can be simulated by a single
	frack having turing machine.
	1 4 2 3 Copped 2 2 2 3 Copped 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2
	13) Two - way infinite Tape Turing Machine
	Infinite tope of two way infinite tope turing machine is
	enhounded in both direction left and right.
	CALLES CALLES CONTRACTOR OF THE PARTY OF THE
	(4) thulti-tope multi-head Tursing machine
	The multi-tape turing machine has multiple tapes and multiple
	reads each tape is controlled by a reference head . Multi-tere
	Multi-read TM can be cimulated by a standard turing machine
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	(5) Multi-dimensional Tape Turning Machine
	It has multi-dimensional tope where the head con move in
	only direction that is left, reight, up on down.
	(6) Multic
	(6) Multi-head Turing Machine
	A multi-head TM contain two or more head to read the
	Symbol on same tape. In one stip all the heads sende the
	scanned symbol and move or write independently.
	(7) Non-deterministic Turing Machine
	A non-deterministic Turing Machine has a single , one way
	infinite tope. For a given state and input symbol has atlast
	one choico to move tach choice has several choices of the
	path it might follow for given ippput String.
	(B) Universal Turing machine
	This is a type of TMI that simulates an arbitary tooling
	machine on an arbitary input.
9.4>	Chancele la
3 7/	Charechis hypothesis:
\rightarrow	The character to be a second
	The church turing theols says that every solvable decision
	problem can be transformed into an equivalent TM problem. It can be explained in two ways:
	(1) The churchy turing thouse for decision problems.
- 10,124	(2) The extended church-Turing thesis for decision problems.
	The church turing theoris for decision problems:
	There is some effective procedure to solve any decision
	problem it and only if there is a TM which halts for all input
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	stargs and solver the problem.				
	The extended church turing thesis for decision problems:				
	A decision problem is said to be partially solvable if and only if				
	there is on TM which accept precisely the element of question				
	Whose outper is der.				
	The church TM explains that a decision problem has a solution				
	if and only if there is a TM that determine the answer for				
	chart drayou.				
0					
0.5>	WHH a not on: Obepphica				
	(1) Application of finite automata:				
	(a) For designing of lexical analysis of a compiler.				
	(b) For recognizing the batter using negular expression.				
	(a) For the designing of the combination and sequential circuits				
	using mealy and moone machines.				
	(a) Used in text editors.				
	(e) For implementation of spell checkers.				
	(ii) Application of Purhdown Automoto:				
	(0) For designing the possing phase of a compiler.				
	(b) For implementation of stock application.				
	(c) For evaluating arithmetic expressions.				
	(d) For solving the tower of Monoi Problem.				
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