HumanActivityRecognition

This project is to build a model that predicts the human activities such as Walking_Upstairs, Walking_Downstairs, Sitting, Standing or Laying.

This dataset is collected from 30 persons(referred as subjects in this dataset), performing different activities with a smartphone to their waists. The data is recorded with the help of sensors (accelerometer and Gyroscope) in that smartphone. This experiment was video recorded to label the data manually.

How data was recorded

By using the sensors(Gyroscope and accelerometer) in a smartphone, they have captured '3-axial linear acceleration'(*tAcc-XYZ*) from accelerometer and '3-axial angular velocity' (*tGyro-XYZ*) from Gyroscope with several variations.

prefix 't' in those metrics denotes time.

suffix 'XYZ' represents 3-axial signals in X, Y, and Z directions.

Feature names

- 1. These sensor signals are preprocessed by applying noise filters and then sampled in fixed-width windows(sliding windows) of 2.56 seconds each with 50% overlap. ie., each window has 128 readings.
- 2. From Each window, a feature vector was obtianed by calculating variables from the time and frequency domain.

In our dataset, each datapoint represents a window with different readings

- 3. The acceleration signal was saperated into Body and Gravity acceleration signals (*tBodyAcc-XYZ* and *tGravityAcc-XYZ*) using some low pass filter with corner frequecy of 0.3Hz.
- 4. After that, the body linear acceleration and angular velocity were derived in time to obtian *jerk signals* (tBodyAccJerk-XYZ and tBodyGyroJerk-XYZ).
- The magnitude of these 3-dimensional signals were calculated using the Euclidian norm. This magnitudes
 are represented as features with names like tBodyAccMag, tGravityAccMag, tBodyAccJerkMag,
 tBodyGyroMag and tBodyGyroJerkMag.
- 6. Finally, We've got frequency domain signals from some of the available signals by applying a FFT (Fast Fourier Transform). These signals obtained were labeled with *prefix 'f'* just like original signals with *prefix 't'*. These signals are labeled as *fBodyAcc-XYZ*, *fBodyGyroMag* etc.,.
- 7. These are the signals that we got so far.
 - tBodyAcc-XYZ
 - tGravityAcc-XYZ
 - tBodyAccJerk-XYZ
 - tBodyGyro-XYZ
 - tBodyGyroJerk-XYZ
 - tBodyAccMag
 - tGravityAccMag
 - tBodyAccJerkMag
 - tBodyGyroMag
 - tBodyGyroJerkMag
 - fBodyAcc-XYZ
 - fBodyAccJerk-XYZ
 - fBodyGyro-XYZ
 - fBodyAccMag
 - fBodyAccJerkMag

- fBodyGyroMag
- fBodyGyroJerkMag
- 8. We can esitmate some set of variables from the above signals. ie., We will estimate the following properties on each and every signal that we recoreded so far.
 - mean(): Mean value
 - std(): Standard deviation
 - mad(): Median absolute deviation
 - max(): Largest value in array
 - min(): Smallest value in array
 - sma(): Signal magnitude area
 - energy(): Energy measure. Sum of the squares divided by the number of values.
 - iqr(): Interquartile range
 - entropy(): Signal entropy
 - arCoeff(): Autorregresion coefficients with Burg order equal to 4
 - correlation(): correlation coefficient between two signals
 - maxinds(): index of the frequency component with largest magnitude
 - meanFreq(): Weighted average of the frequency components to obtain a mean frequency
 - skewness(): skewness of the frequency domain signal
 - kurtosis(): kurtosis of the frequency domain signal
 - bandsEnergy(): Energy of a frequency interval within the 64 bins of the FFT of each window.
 - angle(): Angle between to vectors.
- 9. We can obtain some other vectors by taking the average of signals in a single window sample. These are used on the angle() variable'
 - gravityMean
 - tBodyAccMean
 - tBodyAccJerkMean
 - tBodyGyroMean
 - tBodyGyroJerkMean

Y_Labels(Encoded)

- In the dataset, Y_labels are represented as numbers from 1 to 6 as their identifiers.
 - WALKING as 1
 - WALKING_UPSTAIRS as 2
 - WALKING DOWNSTAIRS as 3
 - SITTING as 4
 - STANDING as 5
 - LAYING as 6

Train and test data were saperated

• The readings from 70% of the volunteers were taken as *trianing data* and remaining 30% subjects recordings were taken for *test data*

Data

- All the data is present in 'UCI_HAR_dataset/' folder in present working directory.
 - Feature names are present in 'UCI HAR dataset/features.txt'
 - Train Data
 - 'UCI_HAR_dataset/train/X_train.txt'
 - 'UCI_HAR_dataset/train/subject_train.txt'
 - 'UCI_HAR_dataset/train/y_train.txt'
 - Test Data
 - 'UCI_HAR_dataset/test/X_test.txt'
 - 'UCI_HAR_dataset/test/subject_test.txt'
 - 'UCI_HAR_dataset/test/y_test.txt'

Data Size:

Quick overview of the dataset:

- Accelerometer and Gyroscope readings are taken from 30 volunteers(referred as subjects) while performing the following 6 Activities.
 - 1. Walking
 - 2. WalkingUpstairs
 - 3. WalkingDownstairs
 - 4. Standing
 - 5. Sitting
 - 6. Lying.
- Readings are divided into a window of 2.56 seconds with 50% overlapping.
- Accelerometer readings are divided into gravity acceleration and body acceleration readings, which has x,y and z components each.
- Gyroscope readings are the measure of angular velocities which has x,y and z components.
- Jerk signals are calculated for BodyAcceleration readings.
- Fourier Transforms are made on the above time readings to obtain frequency readings.
- Now, on all the base signal readings., mean, max, mad, sma, arcoefficient, engerybands, entropy etc., are calculated for each window.
- We get a feature vector of 561 features and these features are given in the dataset.
- Each window of readings is a datapoint of 561 features.

Problem Framework

- 30 subjects(volunteers) data is randomly split to 70%(21) test and 30%(7) train data.
- Each datapoint corresponds one of the 6 Activities.

Problem Statement

Given a new datapoint we have to predict the Activity

```
In [1]:
```

```
import numpy as np
import pandas as pd

# get the features from the file features.txt
features = list()
with open('UCI_HAR_dataset/features.txt') as f:
    features = [line.split()[1] for line in f.readlines()]
print('No of Features: {}'.format(len(features)))
```

No of Features: 561

Get the train data

```
In [2]:
```

get the data from txt files to pandas dataffame

```
X_train = pd.read_csv('UCI_HAR_dataset/train/X_train.txt', delim_whitespace=True, header =None, names=features)

# add subject column to the dataframe
X_train['subject'] = pd.read_csv('UCI_HAR_dataset/train/subject_train.txt', header=None, squeeze=True)

y_train = pd.read_csv('UCI_HAR_dataset/train/y_train.txt', names=['Activity'], squeeze=True)

y_train_labels = y_train.map({1: 'WALKING', 2:'WALKING_UPSTAIRS', 3:'WALKING_DOWNSTAIRS', 4:'SITTING', 5:'STANDING', 6:'LAYING'})

# put all columns in a single dataframe
train = X_train
train['Activity'] = y_train
train['ActivityName'] = y_train_labels
train.sample()
```

Out[2]:

	•	tBodyAcc- mean()-Y	tBodyAcc- mean()-Z	tBodyAcc- std()-X	tBodyAcc- std()-Y	tBodyAcc- std()-Z	tBodyAcc- mad()-X	tBodyAcc- mad()-Y	tBodyAcc- mad()-Z	tBodyAcc- max()-X	
5635	0.348365	0.061673	-0.053334	0.127036	-0.271349	-0.250435	0.027827	-0.291141	-0.286538	0.438846	

1 rows x 564 columns

```
In [3]:
```

```
train.shape
```

Out[3]:

(7352, 564)

Get the test data

```
In [4]:
```

Out[4]:

	tBodyAcc- mean()-X		tBodyAcc- mean()-Z		tBodyAcc- std()-Y	tBodyAcc- std()-Z	tBodyAcc- mad()-X	tBodyAcc- mad()-Y	tBodyAcc- mad()-Z	-	
2742	0.292469	0.004134	-0.135669	-0.311506	-0.104494	-0.163206	-0.356012	-0.166519	-0.215821	-0.07702	

```
In [5]:
test.shape
Out[5]:
(2947, 564)
```

Data Cleaning

1. Check for Duplicates

```
In [6]:

print('No of duplicates in train: {}'.format(sum(train.duplicated())))
print('No of duplicates in test : {}'.format(sum(test.duplicated())))

No of duplicates in train: 0
No of duplicates in test : 0
```

2. Checking for NaN/null values

```
In [7]:
print('We have {} NaN/Null values in train'.format(train.isnull().values.sum()))
print('We have {} NaN/Null values in test'.format(test.isnull().values.sum()))
We have 0 NaN/Null values in train
We have 0 NaN/Null values in test
```

3. Check for data imbalance

```
In [8]:
```

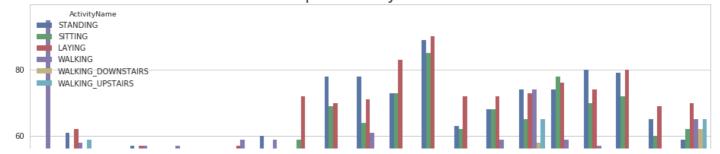
```
import matplotlib.pyplot as plt
import seaborn as sns

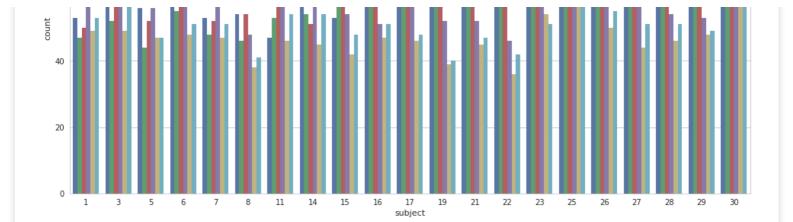
sns.set_style('whitegrid')
plt.rcParams['font.family'] = 'Dejavu Sans'
```

```
In [9]:
```

```
plt.figure(figsize=(16,8))
plt.title('Data provided by each user', fontsize=20)
sns.countplot(x='subject', hue='ActivityName', data = train)
plt.show()
```

Data provided by each user

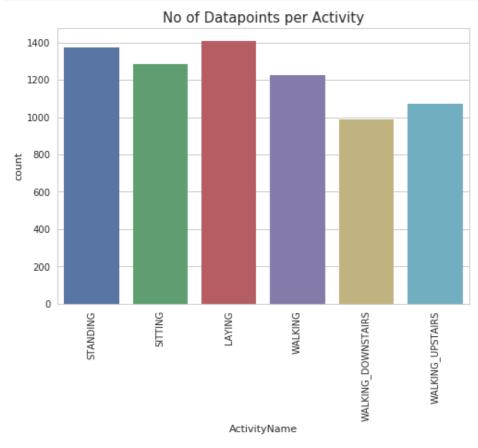




We have got almost same number of reading from all the subjects

In [10]:

```
plt.title('No of Datapoints per Activity', fontsize=15)
sns.countplot(train.ActivityName)
plt.xticks(rotation=90)
plt.show()
```



Observation

Our data is well balanced (almost)

4. Changing feature names

In [11]:

columns = train.columns

```
# Removing '()' from column names
columns = columns.str.replace('[()]','')
columns = columns.str.replace('[-]', '')
columns = columns.str.replace('[,]','')

train.columns = columns
test.columns

Out[11]:
```

5. Save this dataframe in a csv files

```
In [12]:
```

```
train.to_csv('UCI_HAR_dataset/csv_files/train.csv', index=False)
test.to_csv('UCI_HAR_dataset/csv_files/test.csv', index=False)
```

Exploratory Data Analysis

"Without domain knowledge EDA has no meaning, without EDA a problem has no soul."

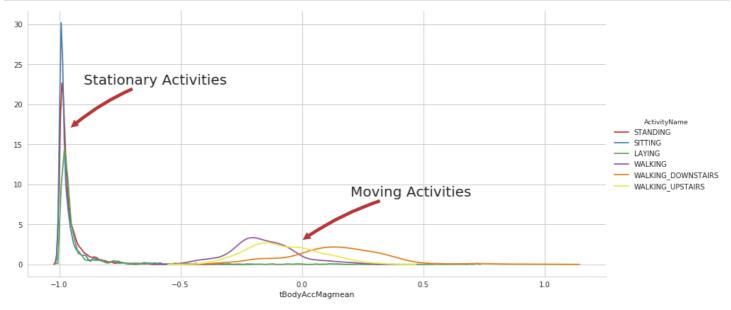
1. Featuring Engineering from Domain Knowledge - Dirtying mind

As we tend to learn about Accelerometer and Gyroscope and the features carefully we get following

- Static and Dynamic Activities
 - In static activities (sit, stand, lie down) motion information will not be very useful.
 - In the dynamic activities (Walking, WalkingUpstairs, WalkingDownstairs) motion info will be significant.
- Angle and Jerk variables
 - Angle variables will be useful both in differentiating 'lying and stand'.
 - Jerk variables are important in distinguishing walking upstairs or downstairs.
- Magnitude and XYZ values
 - Magnitude represents Euclidian distance of vectors in 3 dimensions(X,Y and Z). ie.,Magnitude contains the same info as (or strongly correlated with) XYZ variables, therefore,we remove all x,y,z component variables and retain Magnitude and angle variables.
- We ignore the band variables as we have no simple way to interpret the meaning and relate them to physical
 activities.
- Mean and std are important, skewness and kurtosis may also be hence we include all these.

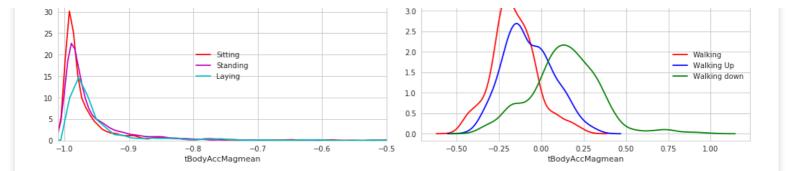
2. Stationary and Moving activities are completely different

In [13]:



In [14]:

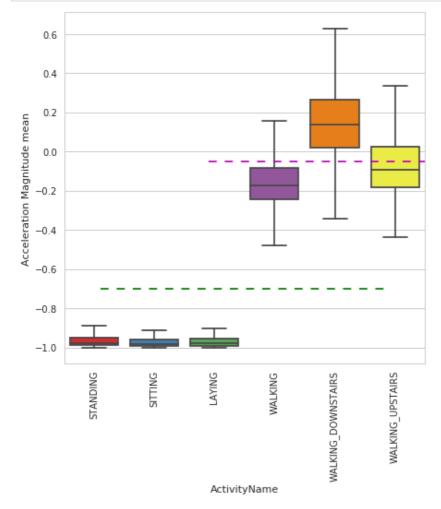
```
# for plotting purposes taking datapoints of each activity to a different dataframe
df1 = train[train['Activity']==1]
df2 = train[train['Activity']==2]
df3 = train[train['Activity']==3]
df4 = train[train['Activity'] == 4]
df5 = train[train['Activity']==5]
df6 = train[train['Activity']==6]
plt.figure(figsize=(14,7))
plt.subplot(2,2,1)
plt.title('Stationary Activities(Zoomed in)')
sns.distplot(df4['tBodyAccMagmean'],color = 'r',hist = False, label = 'Sitting')
sns.distplot(df5['tBodyAccMagmean'],color = 'm',hist = False,label = 'Standing')
sns.distplot(df6['tBodyAccMagmean'],color = 'c',hist = False, label = 'Laying')
plt.axis([-1.01, -0.5, 0, 35])
plt.legend(loc='center')
plt.subplot(2,2,2)
plt.title('Moving Activities')
sns.distplot(df1['tBodyAccMagmean'],color = 'red',hist = False, label = 'Walking')
sns.distplot(df2['tBodyAccMagmean'],color = 'blue',hist = False,label = 'Walking Up')
sns.distplot(df3['tBodyAccMagmean'],color = 'green',hist = False, label = 'Walking down'
plt.legend(loc='center right')
plt.tight layout()
plt.show()
```



3. Magnitude of an acceleration can saperate it well

In [15]:

```
plt.figure(figsize=(7,7))
sns.boxplot(x='ActivityName', y='tBodyAccMagmean',data=train, showfliers=False, saturati
on=1)
plt.ylabel('Acceleration Magnitude mean')
plt.axhline(y=-0.7, xmin=0.1, xmax=0.9,dashes=(5,5), c='g')
plt.axhline(y=-0.05, xmin=0.4, dashes=(5,5), c='m')
plt.xticks(rotation=90)
plt.show()
```

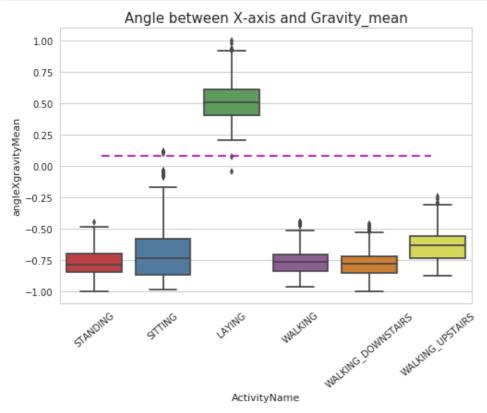


Observations:

- If tAccMean is < -0.8 then the Activities are either Standing or Sitting or Laying.
- If tAccMean is > -0.6 then the Activities are either Walking or WalkingDownstairs or WalkingUpstairs.
- If tAccMean > 0.0 then the Activity is WalkingDownstairs.
- We can classify 75% the Acitivity labels with some errors.

4. Position of GravityAccelerationComponants also matters

sns.boxplot(x='ActivityName', y='angleXgravityMean', data=train)
plt.axhline(y=0.08, xmin=0.1, xmax=0.9,c='m',dashes=(5,3))
plt.title('Angle between X-axis and Gravity_mean', fontsize=15)
plt.xticks(rotation = 40)
plt.show()

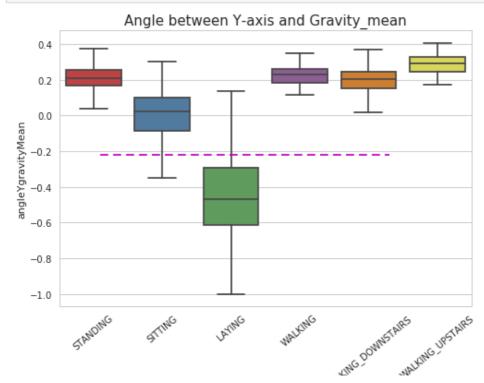


Observations:

- If angleX,gravityMean > 0 then Activity is Laying.
- . We can classify all datapoints belonging to Laying activity with just a single if else statement.

In [17]:

```
sns.boxplot(x='ActivityName', y='angleYgravityMean', data = train, showfliers=False)
plt.title('Angle between Y-axis and Gravity_mean', fontsize=15)
plt.xticks(rotation = 40)
plt.axhline(y=-0.22, xmin=0.1, xmax=0.8, dashes=(5,3), c='m')
plt.show()
```



ActivityName

5. Features that we think sufficient for this classification

```
In [18]:
```

```
# list of feaatures that we think
features = ['tBodyAccMagmean','tBodyAccMagstd','tBodyAccJerkMagmean','tBodyAccJerkMagstd'
, 'tBodyGyroMagmean',
     'tBodyGyroMagstd','tBodyGyroJerkMagmean','tBodyGyroJerkMagstd','fBodyAccMagmean','f
BodyAccMagstd',
     'fBodyBodyAccJerkMagmean','fBodyBodyAccJerkMagstd','fBodyBodyGyroMagmean','fBodyBody
GyroMagstd',
     'fBodyBodyGyroJerkMagmean','fBodyBodyGyroJerkMagstd','fBodyBodyGyroMagmeanFreq','fBo
dyBodyGyroJerkMagmeanFreq',
    'fBodyAccMagmeanFreq','fBodyBodyAccJerkMagmeanFreq','fBodyAccMagskewness','fBodyAccMa
gkurtosis',
   'fBodyBodyAccJerkMagskewness', 'fBodyBodyAccJerkMagkurtosis','fBodyBodyGyroMagskewnes
s','fBodyBodyGyroMagkurtosis',
   'fBodyBodyGyroJerkMagskewness','fBodyBodyGyroJerkMagkurtosis','angletBodyAccJerkMeang
ravityMean', 'angletBodyAccMeangravity',
     'angletBodyGyroJerkMeangravityMean','angletBodyGyroMeangravityMean','angleXgravityMe
an',
     'angleYgravityMean','angleZgravityMean']
```

6. Justification of feature selection with LogisticRegression

```
In [19]:
from sklearn.linear model import LogisticRegression
# train logistic regression (one vs rest)
log reg = LogisticRegression(C = 30)
log reg.fit(X train.drop(['Activity', 'ActivityName', 'subject'],axis=1), y train labels
predicted = log reg.predict(X test.drop(['Activity', 'ActivityName', 'subject'],axis=1))
# rows = labels = 6 , columns = features = 561 for weight matrix
# to change the weights to absolute values
absolute coeff = np.absolute(log reg.coef )
absolute coeff[:3]
Out[19]:
array([[ 0.13334828, 0.00831796, 0.08203046, ..., 2.73879592,
        0.53252435, 0.23594403],
      [0.44683016, 1.05712604, 1.19774705, ..., 3.44528343,
        2.91386864, 0.1503546],
      [ 0.00661635, 1.30594933, 1.1153748 , ..., 4.25294053,
        4.47393213, 0.91348304]])
In [20]:
```

all features = X test.drop(['Activity', 'ActivityName', 'subject'], axis=1).columns

6.1 Getting important features from individual labels

get all features into one single array

6.1.1 Important Features for LAYING

```
In [21]:
```

```
laying_coeff = absolute_coeff[0]

# store features and their weights in a dataframe

df_laying_coeff = pd.DataFrame()

df_laying_coeff['features'] = all_features

df_laying_coeff['weights'] = laying_coeff

# get all features sorted by their weights

imp_features_laying = df_laying_coeff.sort_values(by='weights', ascending=False).features
```

In [22]:

```
imp_features_laying[:3]
Out[22]:
56   tGravityAccenergyX
52    tGravityAccminX
40   tGravityAccmeanX
Name: features, dtype: object
```

6.1.2 Important Features for SITTING

In [23]:

```
sitting_coeff = absolute_coeff[1]

# store features and their weights in a dataframe

df_sitting_coeff = pd.DataFrame()

df_sitting_coeff['features'] = all_features

df_sitting_coeff['weights'] = sitting_coeff

# get all features sorted by their weights

imp_features_sitting = df_sitting_coeff.sort_values(by='weights', ascending=False).features
```

6.1.3 Important Features for STANDING

```
In [24]:
```

```
standing_coeff = absolute_coeff[2]

# store features and their weights in a dataframe

df_standing_coeff = pd.DataFrame()

df_standing_coeff['features'] = all_features

df_standing_coeff['weights'] = standing_coeff

# get all features sorted by their weights

imp_features_standing= df_standing_coeff.sort_values(by='weights', ascending=False).features
```

6.1.4 Important Features for WALKING

```
In [25]:
```

```
walking_coeff = absolute_coeff[3]

# store features and their weights in a dataframe

df_walking_coeff = pd.DataFrame()

df_walking_coeff['features'] = all_features

df_walking_coeff['weights'] = walking_coeff
```

```
# get all features sorted by their weights
imp_features_walking= df_walking_coeff.sort_values(by='weights', ascending=False).features
```

6.1.5 Important Features for WALKING_DOWNSTAIRS

In [26]:

```
walking_down_coeff = absolute_coeff[4]

# store features and their weights in a dataframe
df_walking_down_coeff = pd.DataFrame()
df_walking_down_coeff['features'] = all_features
df_walking_down_coeff['weights'] = walking_down_coeff

# get all features sorted by their weights
imp_features_walking_down= df_walking_down_coeff.sort_values(by='weights', ascending=False).features
```

6.1.6 Important Features for WALKING_UPSTAIRS

```
In [27]:
```

```
walking_up_coeff = absolute_coeff[5]

# store features and their weights in a dataframe
df_walking_up_coeff = pd.DataFrame()
df_walking_up_coeff['features'] = all_features
df_walking_up_coeff['weights'] = walking_up_coeff

# get all features sorted by their weights
imp_features_walking_up= df_walking_up_coeff.sort_values(by='weights', ascending=False).f
eatures
```

6.1.7 Analysing top 100 features from all classe labels

```
In [221]:
```

We got 287 unique features from top 100 features of all classes.

We got 20 common features from the reduced feature set and top 100 important features from all classes

6.1.8 Common features in reduced and top-100 feature sets

In [211]:

```
# 20 common Features
print('\n\n20 Common features')
print('-----')
for f in set(top_features).intersection(set(features)):
    print('{}, '.format(f), end='\t')

print('Features that we think important, but they are not in top (A/c to model)')
print('-----')
for f in set(features)-(set(top_features).intersection(set(features))):
    print('{}, '.format(f), end='\t')

print('\n\n----')
print('Some of the Features that we missed from important features')
print('-----')
for f in list(set(top_features)-set(features))[:50]:
    print('{}, '.format(f), end='\t')
```

20 Common features

fBodyBodyAccJerkMagstd, angletBodyGyroMeangravityMean, angletBodyAccJerkMeangravityMean, fBodyBodyGyroJerkMagmeanFreq, angleXgravityMean, fBodyAccMagmeanFreq, angleZgravityMean, fBodyAccMagmean, fBodyBodyGyroMagskewness, fBodyBodyGyroMagmeanFreq, angleYgravityMean, fBodyBodyGyroJerkMagskewness, tBodyAccMagstd, fBodyAccMagskewness, fBodyBodyGyroJerkMagkurtosis, tBodyGyroMagmean, fBodyBodyAccJerkMagskewness, fBodyAccMagstd, fBodyBodyAccJerkMagkurtosis, fBodyBodyAccJerkMagmeanFreq,

```
Features that we think important, but they are not
```

fBodyBodyGyroMagmean, fBodyBodyAccJerkMagmean, tBodyGyroJerkMagmean, fBodyBodyGyroJerkMagmean, tBodyAccJerkMagstd, tBodyAccJerkMagmean, fBodyAccMagkurtosis, tBodyGyroMagstd, tBodyGyroJerkMagstd, tBodyAccMagmean, fBodyBodyGyroMagstd, fBodyBodyGyroMagkurtosis, fBodyBodyGyroJerkMagstd, angletBodyGyroJerkMeangravityMean, angletBodyAccMeangravity,

```
Some of the Features that we missed from important features
```

array([3.5735777 , 20.33020615, 19.55670711, 4.13070482,

3.7964544 , 4.91266705])

tBodyGyrominZ, tBodyGyroJerkcorrelationXZ, fBodyAccentropyX, fBodyGyrobandsEnergy1732.2, fBodyGyrobandsEnergy1724.2, fBodyGyrobandsEnergy5764.1, fBodyAccstdZ, tBodyGyroarCoeffY4, tBodyGyroJerkarCoeffZ1, fBodyAccMagmax, fBodyAccbandsEnergy916, tGravityAccmadY, tGravityAcciqrX, tBodyAccmadX, tBodyGyroJerkarCoeffZ3, tBodyGyroentropyX, fBodyAccentropyZ, tBodyGyroMagarCoeff1, tBodyAcccorrelationXZ, fBodyGyromeanFreqX, tBodyAccJerkarCoeffZ2, tGravityAccentropyX, tBodyGyroMagiqr, fBodyGyromaxIndsY, tBodyAccJerkmaxZ, fBodyAccmadX, fBodyGyroskewnessX, fBodyGyroentropyY, fBodyGyrobandsEnergy18.1, fBodyGyrokurtosisZ, fBodyAccJerkmaxIndsY, tBodyAccJerkminX, tBodyGyroJerkMagarCoeff3, fBodyAccJerkentropyX, tBodyAccJerkmeanFreqZ, tBodyGyroJerkarCoeffX3, tGravityAccarCoeffZ3, tBodyAccJerkentropyY, fBodyAccJerkmeanY, tBodyAccJerkarCoeffY1, tGravityAccsma, tGravityAccstdZ, fBodyGyrokurtosisX, fBodyAccJerkiqrZ, tBodyGyroentropyY, tBodyAccJerkarCoeffZ4, tBodyGyrosma, fBodyAccmeanFreqX, tBodyAccJerkmeanY,

6.2 Getting important features by calculating feature importance from all labels

```
In [135]:
# labels *(by) features matrix
print(absolute_coeff.shape)
# max_weight of each label irrespective of what the feature is
max_weight_of_labels = absolute_coeff.max(axis=1)
max_weight_of_labels

(6, 561)
Out[135]:
```

6.2.1 For each feature:

- Divide _each weight (since it has 6 different weights for 6 labels), with max_weight of corresponding label
- . We will get 6 new weights for this feature.(one for each label)
- WHY...?
 - By doing so, we can represent weights(for each label) that specifies, how much weight it's contributing to classify the label, when compared to the feature that can easily classify it(ie., which has maximum weight assosciated with that label)
- Sum them all
- Finally we can represent the importance of the feature with this single value

```
In [128]:
```

```
no_of_features = absolute_coeff.shape[1]
# combined weights for each label
weights = list()
for i in range(no_of_features):
    weights.append(float(sum(np.divide(absolute_coeff[:,i], max_weight_of_labels))))
```

In [139]:

```
# create a dataframe to store the features and new_weights together
df_imp_features = pd.DataFrame()

df_imp_features['features'] = all_features
df_imp_features['weights'] = pd.Series(weights)

# dataframe before sorting
df_imp_features.head()
```

Out[139]:

features weights 0 tBodyAccmeanX 0.670761 1 tBodyAccmeanY 0.412404 2 tBodyAccmeanZ 0.608154 3 tBodyAccstdX 1.043332 4 tBodyAccstdY 0.561306

In [146]:

```
# dataframe after sorting
df_imp_features.sort_values(by='weights', ascending=False).head()
```

Out[146]:

features	weights
tBodyGyroJerkentropyX	2.919749
tBodyAccJerkentropyZ	2.542269
tBodyAcccorrelationXY	2.485898
t Body Gyro Jerk correlation XY	2.342114
tGravityAccsma	2.300139
	tBodyGyroJerkentropyZ tBodyAcccorrelationXY tBodyGyroJerkcorrelationXY

In [151]:

```
# get features in their descending order of their weights from this dataframe
imp_features = df_imp_features.sort_values(by='weights', ascending=False).features.value
s
```

6.2.2 Comparing Our feature set with this feature set

Top-100 features

```
In [239]:
```

```
common_features = set(features).intersection(set(imp_features[:287]))
print('\nNo of common features : {}'.format(len(common_features)))
print('------')
for f in common_features:
    print('{}, '.format(f), end='\t')

print('\n\n-----')
print('Features that we think important, but they are not in top')
print('-----')
for f in set(features)-(common_features):
    print('{}, '.format(f), end='\t')

print('\n\n-----')
print('Some of the Features that we missed from important features')
print('-----')
for f in list(set(imp_features)-set(features))[:50]:
    print('{}, '.format(f), end='\t')
```

No of common features : 18

fBodyBodyAccJerkMagstd, fBodyBodyGyroMagmean, angletBodyGyroMeangravityMean, angleXgravit yMean, fBodyAccMagmeanFreq, fBodyAccMagmean, fBodyBodyGyroMagskewness, fBodyBodyGyroMagmeanFreq, fBodyAccMagkurtosis, angleYgravityMean, fBodyBodyGyroJerkMagskewness, tBodyAccMagstd, fBodyBodyGyroJerkMagkurtosis, fBodyAccMagskewness, fBodyBodyAccJerkMagskewness, fBodyAccMagstd, fBodyBodyAccJerkMagkurtosis, fBodyBodyAccJerkMagmeanFreq,

Features that we think important, but they are not in top

fBodyBodyAccJerkMagmean, angletBodyAccJerkMeangravityMean, tBodyGyroJerkMagmean, fBodyBodyGyroJerkMagmean, fBodyBodyGyroJerkMagmeanFreq, angleZgravityMean, tBodyAccJerkMagstd, tBodyAccJerkMagstd, tBodyGyroMagstd, tBodyGyroJerkMagstd, tBodyAccMagmean, fBodyBodyGyroMagstd, fBodyBodyGyroMagkurtosis, fBodyBodyGyroJerkMagstd, angletBodyGyroJerkMagstd, angletBodyGyroJerkMeangravityMean, angletBodyAccMeangravity,

Some of the Features that we missed from important features

tBodyGyrominZ, fBodyGyrobandsEnergy1732.2, fBodyGyrobandsEnergy1724.2, tBodyGyroJerkarCoe ffZ1, fBodyAccJerkbandsEnergy3340, fBodyGyroenergyY, fBodyAccbandsEnergy916, fBodyGyroban dsEnergy2532.1, fBodyGyrobandsEnergy4148.2, tGravityAccmadY, fBodyAccJerkmadY, tBodyGyroa rCoeffZ2, tBodyAccmadX, fBodyGyroiqrZ, tBodyGyroentropyX, tBodyAccmeanZ, fBodyAccentropyZ, tBodyGyroMagarCoeff1, fBodyAccbandsEnergy3340.2, tBodyAccJerkarCoeffZ2, fBodyAccbandsEnergy2532.2, tGravityAccentropyX, tBodyAccJerkmaxZ, tBodyGyroarCoeffX2, fBodyGyroentropyY, fBodyAccJerkbandsEnergy3348, fBodyGyrokurtosisZ, fBodyAccmaxIndsZ, tBodyAccJerkminX, fBodyBodyGyroJerkMagsma, tBodyGyroJerkMagarCoeff3, fBodyAccJerkentropyX, tGravityAcccorrelationYZ, fBodyAccJerkmeanFreqZ, fBodyAccbandsEnergy5764, tGravityAccarCoeffZ3, tBodyAccJerkentropyY, tBodyAccJerkarCoeffY1, tGravityAccsma, tGravityAccstdZ, fBodyGyrokurtosisX, fBodyAccJerkiqrZ, tBodyAccJerkarCoeffZ4, tBodyAccJerkiqrZ, fBodyAccmeanFreqX, fBodyAccJerkiqrX, tBodyGyroJerkMagentropy, tBodyAccorrelationXY, fBodyAccbandsEnergy5764.2,

6.3 Above two methods are same

 Hence from feature importance using Logistic Regression, we justify the correctness of heuristic features set reduced from domain knowledge.

```
7. Justification of feature selection with Random Forest Algorithm
In [19]:
from sklearn.ensemble import RandomForestClassifier
from sklearn import metrics
In [20]:
temp_X_train = train[features]
temp X test = test[features]
print(temp X train.shape, y train labels.shape)
print(temp X test.shape, y test labels.shape)
(7352, 35) (7352,)
(2947, 35) (2947,)
In [21]:
clf = RandomForestClassifier(n estimators=200)
clf.fit(temp X train, y train labels)
pred = clf.predict(temp X test)
In [22]:
pred.shape, y test labels.shape
Out[22]:
((2947,), (2947,))
In [23]:
print('Accuracy: {}'.format(metrics.accuracy score(y true=y test labels, y pred = pred))
cm = metrics.confusion matrix(y test labels, pred)
Accuracy: 0.8924329826942654
Out[23]:
array([[537, 0, 0, 0, 0],
```

```
0, 403, 87,
                   Ο,
                        Ο,
      71, 460,
   Ο,
                  Ο,
                        Ο,
   Ο,
       Ο,
             0, 472,
                      11,
             Ο,
Γ
   0,
        Ο,
                  26, 338,
                            56],
Γ
  0,
        0,
             Ο,
                 42,
                        9, 420]])
```

In [24]:

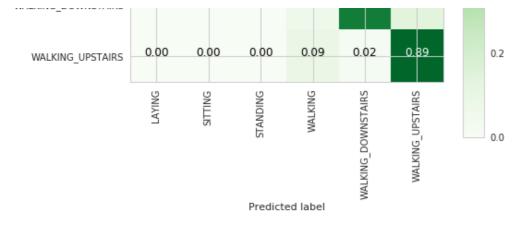
```
import itertools
import numpy as np
import matplotlib.pyplot as plt
from sklearn.metrics import confusion matrix
plt.rcParams["font.family"] = 'DejaVu Sans'
def plot confusion matrix(cm, classes,
                          normalize=False,
                          title='Confusion matrix',
                          cmap=plt.cm.Blues):
   if normalize:
       cm = cm.astype('float') / cm.sum(axis=1)[:, np.newaxis]
   plt.imshow(cm, interpolation='nearest', cmap=cmap)
   plt.title(title)
   plt.colorbar()
   tick marks = np.arange(len(classes))
   plt.xticks(tick marks, classes, rotation=90)
   plt.yticks(tick marks, classes)
   fmt = '.2f' if normalize else 'd'
   thresh = cm.max() / 2.
   for i, j in itertools.product(range(cm.shape[0]), range(cm.shape[1])):
       plt.text(j, i, format(cm[i, j], fmt),
                 horizontalalignment="center",
                 color="white" if cm[i, j] > thresh else "black")
   plt.tight layout()
   plt.ylabel('True label')
   plt.xlabel('Predicted label')
```

In [27]:

```
# Plot normalized confusion matrix
plt.figure(figsize=(8,8))
plot_confusion_matrix(cm, classes=labels,normalize=True,title='Normalized confusion matr
ix', cmap=plt.cm.Greens)
plt.show()

print('------')
print('Classification Report : ')
print('-----')
print(metrics.classification_report(y_true=y_test_labels, y_pred=pred))
```





Classification Report :

	precision	recall	f1-score	support	
LAYING	1.00	1.00	1.00	537	
SITTING	0.85	0.82	0.84	491	
STANDING	0.84	0.86	0.85	532	
WALKING	0.87	0.95	0.91	496	
WALKING_DOWNSTAIRS	0.94	0.80	0.87	420	
WALKING_UPSTAIRS	0.86	0.89	0.87	471	
avg / total	0.89	0.89	0.89	2947	

Apply t-sne on the data

```
In [27]:
```

```
import numpy as np
from sklearn.manifold import TSNE
import matplotlib.pyplot as plt
import seaborn as sns
```

In [28]:

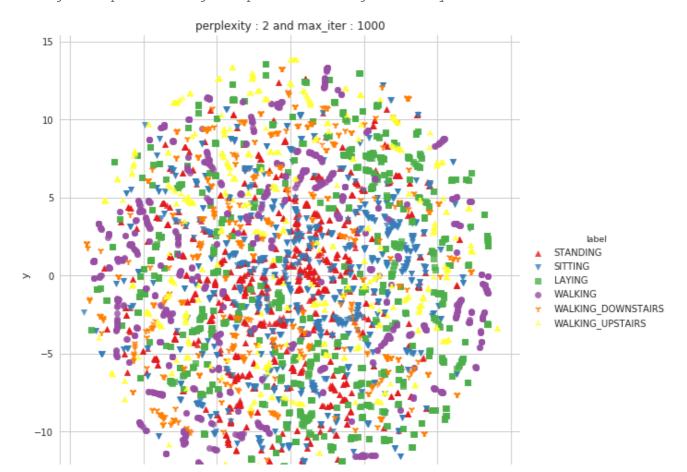
```
# performs t-sne with different perplexity values and their repective plots..
def perform_tsne(X_data, y_data, perplexities, n_iter=1000, img_name_prefix='t-sne'):
   for index,perplexity in enumerate(perplexities):
       # perform t-sne
       print('\nperforming tsne with perplexity {} and with {} iterations at max'.forma
t(perplexity, n iter))
       X reduced = TSNE(verbose=2, perplexity=perplexity).fit transform(X data)
       print('Done..')
        # prepare the data for seaborn
       print('Creating plot for this t-sne visualization..')
       df = pd.DataFrame({'x':X reduced[:,0], 'y':X reduced[:,1] ,'label':y data})
        # draw the plot in appropriate place in the grid
       sns.lmplot(data=df, x='x', y='y', hue='label', fit_reg=False, size=8,\
                  palette="Set1", markers=['^','v','s','o', '1','2'])
       plt.title("perplexity : {} and max_iter : {}".format(perplexity, n_iter))
       img_name = img_name_prefix + '_perp_{}_iter_{}.png'.format(perplexity, n_iter)
```

```
print('saving this plot as image in present working directory...')
plt.savefig(img_name)
plt.show()
print('Done')
```

In [29]:

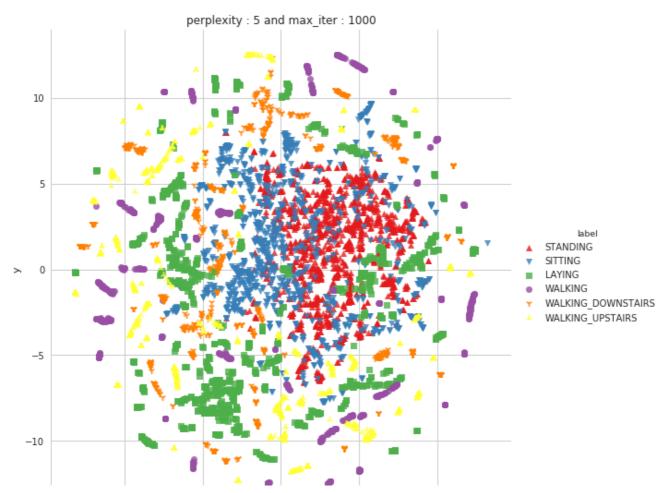
```
X_pre_tsne = train.drop(['subject', 'Activity', 'ActivityName'], axis=1)
y_pre_tsne = train['ActivityName']
perform_tsne(X_data = X_pre_tsne, y_data=y_pre_tsne, perplexities =[2,5,10,20,50])
performing tsne with perplexity 2 and with 1000 iterations at max
```

```
[t-SNE] Computing pairwise distances...
[t-SNE] Computing 7 nearest neighbors...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 0.635855
[t-SNE] Iteration 25: error = 3.7637029, gradient norm = 0.0106752
[t-SNE] Iteration 50: error = 3.7336764, gradient norm = 0.0073617
[t-SNE] Iteration 75: error = 3.5454576, gradient norm = 0.0029758
[t-SNE] Iteration 100: error = 3.4886713, gradient norm = 0.0025901
[t-SNE] KL divergence after 100 iterations with early exaggeration: 3.488671
[t-SNE] Iteration 125: error = 3.3746612, gradient norm = 0.0020665
[t-SNE] Iteration 150: error = 3.3329284, gradient norm = 0.0019282
[t-SNE] Iteration 175: error = 3.3219714, gradient norm = 0.0018948
[t-SNE] Iteration 200: error = 3.3189857, gradient norm = 0.0018859
[t-SNE] Iteration 225: error = 3.3181579, gradient norm = 0.0018835
[t-SNE] Iteration 250: error = 3.3179276, gradient norm = 0.0018828
[t-SNE] Iteration 275: error = 3.3178718, gradient norm = 0.0018826
[t-SNE] Iteration 300: error = 3.3178542, gradient norm = 0.0018825
[t-SNE] Iteration 325: error = 3.3178489, gradient norm = 0.0018825
[t-SNE] Iteration 325: error difference 0.000000. Finished.
[t-SNE] Error after 325 iterations: 3.488671
Done..
```



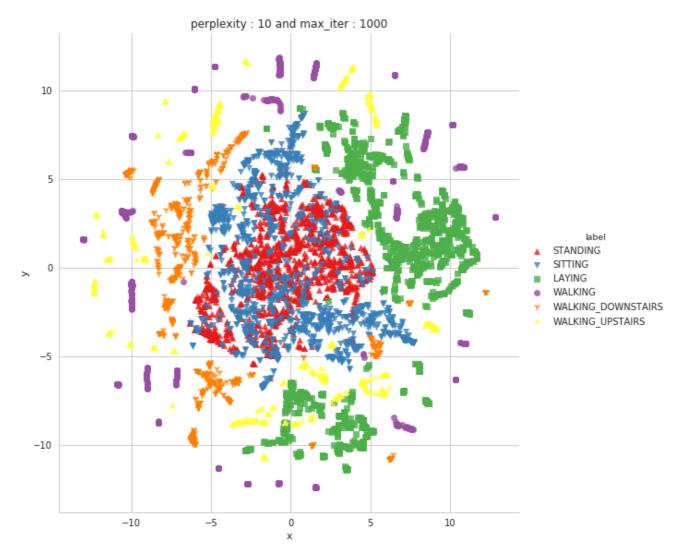
Done

```
performing tsne with perplexity 5 and with 1000 iterations at max
[t-SNE] Computing pairwise distances...
[t-SNE] Computing 16 nearest neighbors...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 0.961265
[t-SNE] Iteration 25: error = 3.0613539, gradient norm = 0.0091731
[t-SNE] Iteration 50: error = 3.0358756, gradient norm = 0.0075722
[t-SNE] Iteration 75: error = 2.8683944, gradient norm = 0.0028933
[t-SNE] Iteration 100: error = 2.8190782, gradient norm = 0.0025016
[t-SNE] KL divergence after 100 iterations with early exaggeration: 2.819078
[t-SNE] Iteration 125: error = 2.7219391, gradient norm = 0.0019464
[t-SNE] Iteration 150: error = 2.6871634, gradient norm = 0.0018021
[t-SNE] Iteration 175: error = 2.6780763, gradient norm = 0.0017667
[t-SNE] Iteration 200: error = 2.6756022, gradient norm = 0.0017574
[t-SNE] Iteration 225: error = 2.6749353, gradient norm = 0.0017547
[t-SNE] Iteration 250: error = 2.6747468, gradient norm = 0.0017539
[t-SNE] Iteration 275: error = 2.6746924, gradient norm = 0.0017537
[t-SNE] Iteration 300: error = 2.6746795, gradient norm = 0.0017536
[t-SNE] Iteration 325: error = 2.6746764, gradient norm = 0.0017536
[t-SNE] Iteration 350: error = 2.6746750, gradient norm = 0.0017536
[t-SNE] Iteration 350: error difference 0.000000. Finished.
[t-SNE] Error after 350 iterations: 2.819078
Done..
```

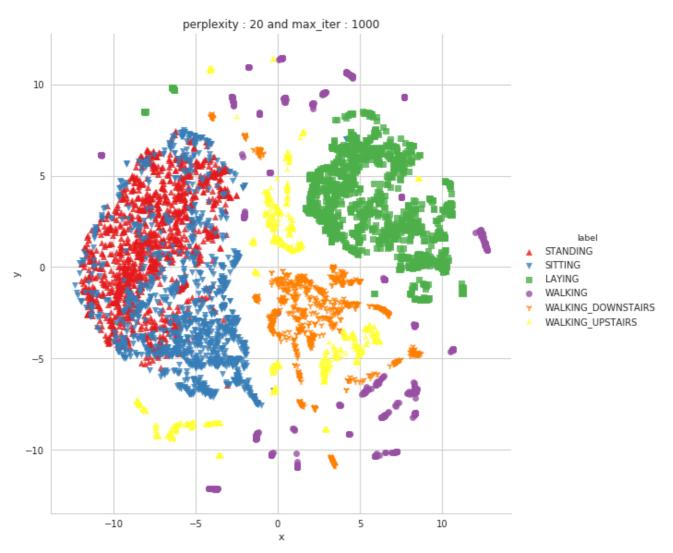


Done

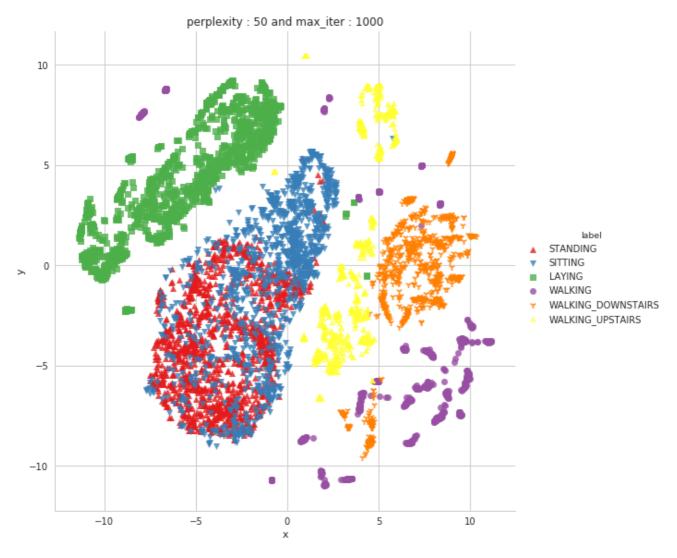
```
performing tsne with perplexity 10 and with 1000 iterations at max
[t-SNE] Computing pairwise distances...
[t-SNE] Computing 31 nearest neighbors...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.133828
[t-SNE] Iteration 25: error = 2.5131989, gradient norm = 0.0076238
[t-SNE] Iteration 50: error = 2.4907219, gradient norm = 0.0078918
[t-SNE] Iteration 75: error = 2.3342764, gradient norm = 0.0028143
[t-SNE] Iteration 100: error = 2.2899039, gradient norm = 0.0024024
[t-SNE] KL divergence after 100 iterations with early exaggeration: 2.289904
[t-SNE] Iteration 125: error = 2.2056901, gradient norm = 0.0018478
[t-SNE] Iteration 150: error = 2.1761949, gradient norm = 0.0017116
[t-SNE] Iteration 175: error = 2.1684349, gradient norm = 0.0016835
[t-SNE] Iteration 200: error = 2.1663337, gradient norm = 0.0016761
[t-SNE] Iteration 225: error = 2.1657383, gradient norm = 0.0016740
[t-SNE] Iteration 250: error = 2.1655834, gradient norm = 0.0016734
[t-SNE] Iteration 275: error = 2.1655414, gradient norm = 0.0016732
[t-SNE] Iteration 300: error = 2.1655293, gradient norm = 0.0016732
[t-SNE] Iteration 300: error difference 0.000000. Finished.
[t-SNE] Error after 300 iterations: 2.289904
```



```
performing tsne with perplexity 20 and with 1000 iterations at max
[t-SNE] Computing pairwise distances...
[t-SNE] Computing 61 nearest neighbors...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.274335
[t-SNE] Iteration 25: error = 1.9976934, gradient norm = 0.0069236
[t-SNE] Iteration 50: error = 1.9750187, gradient norm = 0.0082779
[t-SNE] Iteration 75: error = 1.8248385, gradient norm = 0.0026943
[t-SNE] Iteration 100: error = 1.7869359, gradient norm = 0.0022949
[t-SNE] KL divergence after 100 iterations with early exaggeration: 1.786936
[t-SNE] Iteration 125: error = 1.7157514, gradient norm = 0.0017588
[t-SNE] Iteration 150: error = 1.6915058, gradient norm = 0.0016212
[t-SNE] Iteration 175: error = 1.6852677, gradient norm = 0.0015906
[t-SNE] Iteration 200: error = 1.6835936, gradient norm = 0.0015819
[t-SNE] Iteration 225: error = 1.6831365, gradient norm = 0.0015796
[t-SNE] Iteration 250: error = 1.6830155, gradient norm = 0.0015789
[t-SNE] Iteration 275: error = 1.6829818, gradient norm = 0.0015787
[t-SNE] Iteration 300: error = 1.6829716, gradient norm = 0.0015787
[t-SNE] Iteration 325: error = 1.6829686, gradient norm = 0.0015787
[t-SNE] Iteration 350: error = 1.6829683, gradient norm = 0.0015787
[t-SNE] Iteration 375: error = 1.6829681, gradient norm = 0.0015787
[t-SNE] Iteration 375: error difference 0.000000. Finished.
[t-SNE] Error after 375 iterations: 1.786936
Done..
```



```
performing tsne with perplexity 50 and with 1000 iterations at max
[t-SNE] Computing pairwise distances...
[t-SNE] Computing 151 nearest neighbors...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.437672
[t-SNE] Iteration 25: error = 1.3928983, gradient norm = 0.0042431
[t-SNE] Iteration 50: error = 1.3748441, gradient norm = 0.0086038
[t-SNE] Iteration 75: error = 1.2473177, gradient norm = 0.0024303
[t-SNE] Iteration 100: error = 1.2191983, gradient norm = 0.0020341
[t-SNE] KL divergence after 100 iterations with early exaggeration: 1.219198
[t-SNE] Iteration 125: error = 1.1688236, gradient norm = 0.0015320
[t-SNE] Iteration 150: error = 1.1517807, gradient norm = 0.0014040
[t-SNE] Iteration 175: error = 1.1474583, gradient norm = 0.0013745
[t-SNE] Iteration 200: error = 1.1462955, gradient norm = 0.0013661
[t-SNE] Iteration 225: error = 1.1459748, gradient norm = 0.0013639
[t-SNE] Iteration 250: error = 1.1458857, gradient norm = 0.0013633
[t-SNE] Iteration 275: error = 1.1458638, gradient norm = 0.0013631
[t-SNE] Iteration 300: error = 1.1458561, gradient norm = 0.0013630
[t-SNE] Iteration 300: error difference 0.000000. Finished.
[t-SNE] Error after 300 iterations: 1.219198
Done..
```



Conclusions:

Well Clustered

. Laying Activity is clustered together, it can be classified by an hyperplane

Overlapping Clusters but there might be an hyperplane

 Sitting and Standing are completely overlapping but, it seem that in higher dimensions it has an seperating hyperplane.

Reasonably well formed Clusters

- Walking Downstairs are almost clustered at one place except a very few.
- · Walking is also almost clustered together.
- Walking upstairs is distributed randomly.

What we could do

- It gives us an insight that linear decision boundary does not clasify the datapoints effectively.
- Non Linear decision boundaries might work well as the classification boundary between the classes looks both linear and non linear.
- We can try Logistic Regression, despite of it being good at binary classification, we can give try as baseline model, as it is super fast.
- We can also try Linear SVM.
- Random forests and GBDT will do a fair amount of good job in classifying overlapping data and multiclass situation, let's try them aswell