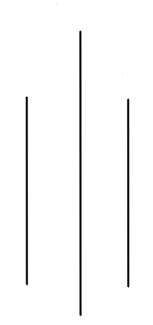
# KATHMANDU UNIVERSITY DHULIKHEL KAVRE



**Subject: COMP 314: Algorithms and Complexity** 

Lab no: 1

# **Submitted By:**

Name: Ayush Kumar Shah

Roll no: 44

Group: CE 3<sup>rd</sup> year 2<sup>nd</sup> sem

Level: UNG

## **Submitted To:**

Dr. Bal Krishna Bal

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# Lab 1 Searching (Linear and Binary Search) COMP 314 – Algorithms and Complexity

Chapter 5 – Searching and Sorting from the book "Data Structures and Algorithms Using Python – Rance D. Necaise"

#### **Objective:**

Implementation and analysis of Linear and Binary Search Algorithms.

Generate 100000 random but unique numbers and apply linear and binary search algorithms to find a particular element. Calculate the times of the search for the best and worst cases. Show that the search times correspond to O(1) and O(n) for linear search and O(1) and O(log n) for binary search.

#### 1. Linear search

- 1.1. Implementation of the linear search on an unsorted sequence
- 1.2. Implementation of the linear search on a sorted sequence
- 1.3. Searching for the smallest value in an unsorted sequence
- 2. Binary search

#### Generating random numbers and sorting them

- >>> import random
- >>> myrandomnumber = random.sample(range(1000000),100000)
- >>>mysortedrandomnumber = sorted(myrandomnumber)

#### Randomly picking any number from the list:

>>> randomnumberfromthelist = random.choice(mysortedrandomnumber)

#### How to record the times of execution of an algorithm

- >>> from time import time
- >>> start time = time() # record the starting time
- >>> run algorithm
- >>> end time = time() # record the ending time
- >>>elapsed = end time start time # compute the elapsed time

Recording the search times for linear and binary search algorithms for different input sizes in the range 10000 - 100000, step size is 10000.

For the recorded times of linear search and binary search on input step size of 10000, plot graphs for both linear and binary. The graphs should correspond to the algorithmic functions described by the corresponding algorithms.

#### **Python code:**

```
1 import random
 2 myrandomnumber = random.sample(range(1000000),100000)
 3 mysortedrandomnumber = sorted(myrandomnumber)
 4 randomnumberfromthelist = random.choice(mysortedrandomnumber)
 5 elapsed unsorted=[]
 6 elapsed_sorted=[]
 7 elapsed_smallest=[]
 8 elapsed_binary=[]
 9 from time import time
10 j=0
11
12 def linearSearch(theValues, target):
           n=len(theValues)
13
14
          for i in range(n):
15
                   if theValues[i]==target:
                           return True
16
17
           return False
18
19 def sortedLinearSearch(theValues, target):
           n=len(theValues)
20
           for i in range(n):
21
22
                   if theValues[i]==target:
23
                            return True
24
                   elif theValues[i]>target:
25
                            return False
26
          return False
27
28 def findSmallest(theValues):
29
           n=len(theValues)
30
           smallest=theValues[0]
31
           for i in range(1,n):
32
                   if theValues[i]<smallest:</pre>
33
                            smallest=theValues[i]
34
           return smallest
35
37 def binarySearch(theValues,target):
           low=0
           high=len(theValues)-1
39
40
           while low<=high:
41
                   mid=(high+low)/2
42
                   mid=int(mid)
43
                   if theValues[mid]==target:
44
                            return true
45
                   elif target<theValues[mid]:</pre>
46
                           high=mid-1
47
                   else:
                           low=mid+1
48
49
          return False
50
51
```

```
52 for i in range(10000,100001,10000):
           start time = time( ) # record the starting time
54
55
          #run algorithm
56
          linearSearch(myrandomnumber[0:i],randomnumberfromthelist)
57
          end_time = time( ) # record the ending time
          elapsed_unsorted.insert(j,end_time-start_time) # compute the elapsed time
58
59
           j+=1
60 print ("\nUnsorted Linear Search times")
61 for i in range(10):
          print (elapsed_unsorted[i])
62
63 print
64
65 for i in range(10000,100001,10000):
          start time = time( ) # record the starting time
66
67
          sortedLinearSearch(mysortedrandomnumber[0:i],randomnumberfromthelist)
          end_time = time( ) # record the ending time
68
69
          elapsed sorted.insert(j,end time-start time) # compute the elapsed time
70
           j+=1
71 print ("\nSorted Linear Search times")
72 for i in range(10):
73
          print (elapsed_sorted[i])
74 print
75
76 for i in range(10000,100001,10000):
          start_time = time( ) # record the starting time
77
          findSmallest(myrandomnumber[0:i])
78
79
          end_time = time( ) # record the ending time
80
          elapsed_smallest.insert(j,end_time-start_time) # compute the elapsed time
81
           j+=1
82 print ("\nFinding Smallest element times")
83 for i in range(10):
          print (elapsed_smallest[i])
84
85 print
86
87 for i in range(10000,100001,10000):
          start_time = time( ) # record the starting time
89
90
          #run algorithm
91
          binarySearch(myrandomnumber[0:i],randomnumberfromthelist)
          end_time = time( ) # record the ending time
92
          elapsed_binary.insert(j,end_time-start_time) # compute the elapsed time
93
94
          j+=1
95 print ("\nBinary Search times")
96 for i in range(10):
97
          print (elapsed binary[i])
98
```

#### **Output:**

Unsorted Linear Search times

0.0010902881622314453

0.0019898414611816406

0.004260063171386719

0.003995656967163086

0.0045986175537109375

0.007964372634887695

0.007730245590209961

0.010812997817993164

0.011041402816772461

0.013585567474365234

Sorted Linear Search times

0.0008881092071533203

0.0018243789672851562

0.003809690475463867

0.003592967987060547

0.00572657585144043

0.007056474685668945

0.0075604915618896484

0.009517669677734375

0.009590625762939453

0.011223077774047852

#### Finding Smallest element times

0.0009272098541259766

0.00168609619140625

0.0027093887329101562

0.00432276725769043

0.006988048553466797

0.006250858306884766

0.00962209701538086

0.009847402572631836

0.01268315315246582

0.013735294342041016

#### Binary Search times

0.00015616416931152344

0.0002765655517578125

0.0004169940948486328

0.0005044937133789062

0.0006313323974609375

0.000978708267211914

0.0010445117950439453

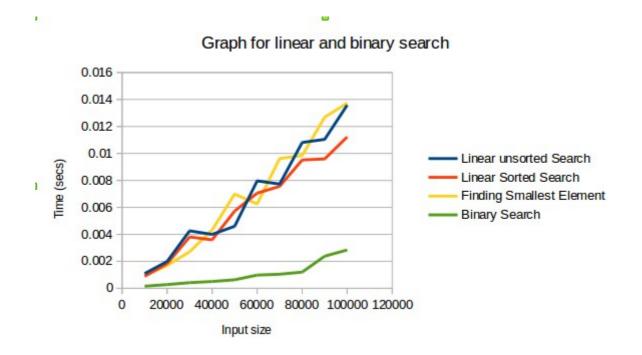
0.001201629638671875

0.002380847930908203

0.002843618392944336

### **Graph:**

Input Size	Linear unsorted Search	Linear Sorted Search	Finding Smallest Element	Binary Search
10000	0.0010902882	0.0008881092	0.0009272099	0.0001561642
20000	0.0019898415	0.001824379	0.0016860962	0.0002765656
30000	0.0042600632	0.0038096905	0.0027093887	0.0004169941
40000	0.003995657	0.003592968	0.0043227673	0.0005044937
50000	0.0045986176	0.0057265759	0.0069880486	0.0006313324
60000	0.0079643726	0.0070564747	0.0062508583	0.0009787083
70000	0.0077302456	0.0075604916	0.009622097	0.0010445118
80008	0.0108129978	0.0095176697	0.0098474026	0.0012016296
90000	0.0110414028	0.0095906258	0.0126831532	0.0023808479
100000	0.0135855675	0.0112230778	0.0137352943	0.0028436184



#### **Conclusion:**

Hence, from the graph we can see that search times correspond to O(1) and O(n) for linear search and O(1) and  $O(\log n)$  for binary search.