

| Course | CSE525 Theory of Computing | | Semester | | Monsoon Semester 2024 | |
|--------------------|---|-------------|-----------------------------|----|---------------------------------------|----------------------|
| Faculty Name(s) | Souvik Roy | | Contact | | souvik.roy@ahduni.edu.in | |
| School | SEAS | | Credits | | 3 | |
| GER Category: | | | Teaching Pedagogy Enable:NO | | P/NP Course: Can not be taken as P/NP | |
| Schedule | Section 1 | 01:00 pm to | o 02:30 pm | Th | nu | 01-08-24 to 26-11-24 |
| | | 01:00 pm to | 01:00 pm to 02:30 pm | | ıe | 01-08-24 to 26-11-24 |
| | Section 2 | 02:30 pm to | 02:30 pm to 04:00 pm | | ıe | 01-08-24 to 26-11-24 |
| | | 02:30 pm to | 02:30 pm to 04:00 pm | | าน | 01-08-24 to 26-11-24 |
| Prerequisite | CSC210 Data Structures and Algorithms/CSE210 Data Structures and Algorithms & CSC310 Advanced Data Structures and Algorithms/CSE310 Advanced Data Structures and Algorithms & MAT101 Discrete Mathematics | | | | | |
| Antirequisite | Not Applicable | | | | | |
| Corequisite | Not Applicable | | | | | |
| Course Description | This course gives an introduction to theory of automata, formal languages and computational complexity. In particular, the content includes deterministic and non-deterministic finite automata, pushdown automata, Turing machines, decidable and undecidable computation problems. Topics will include some aspects of computational complexity. Polynomial (P) and non-deterministic polynomial (NP) complexity class of algorithms. | | | | | |

| Course Objectives | The goal of the course is an understanding of what is computation, what are its limits, what are the open problems connected with it. Understanding of concepts of practical importance, like regular expressions, undecidability, tractability or intractability of computational problems. Ability to understand and be able to prove important theorems in this area. |
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| Learning Outcomes | By the end of semester a student will understand concepts like "computable function", will know about long standing open problem of Polynomial class vs Non-deterministic Polynomial class and will be aware of the theoretical limits of various computations. Students will also practice proofs by induction, will understand Turing reducibility and many other concepts that form a foundation of the theory of computation. |
| Pedagogy | The course will be conducted in the form of short explanations, lectures, followed by solving problems. |
| Expectation From Students | Students are expected to maintain their own notes from the lectures, they are to take active part in the sessions, asking questions if something is not clear, answering questions from the teacher and other students, taking part in discussions. There will be possibility to discuss problems in the LMS forum. |
| Assessment/Evaluation | Mid-Semester Examination: Written - 30% End Semester Examination: Written - 30% Other Components: Assignment - 20% Quiz - 20% |
| Attendance Policy | As per Ahmedabad University Policy. |
| Project / Assignment Details | There will be four graded assignments over the course of the whole course. |
| Course Material | |
| Additional Information | |

Session Plan

| NO. | TOPIC TITLE | TOPIC & SUBTOPIC DETAILS | READINGS,CASES,ETC. | ACTIVITIES | IMPORTANT DATES |
|-----|---|--|-------------------------------|------------|--------------------|
| 1 | Introduction, | Review of sets, sequences, functions and relations, graphs, strings and languages, Boolean logic | ch. 0 , slides, lecture notes | | |
| 2 | Introduction | Review of proofs: by construction, by induction and by contradiction | ch. 0 slides, lecture notes | | |
| 3 | Finite Automata | Formal definition of finite automaton, definition of computation | ch. 1.1, slides | | |
| 4 | Finite Automata | Nondeterministic finite automaton | ch. 1.2, slides | | |
| 5 | Regular expressions | Equivalence with finite automata | ch. 1.3, slides | | |
| 6 | Limits of finite autmata and regular languages | Pumping Lemma for regular languages | ch. 1.4, slides | | |
| 7 | Review | Solving problems, projects | | quiz 1 | |
| 8 | Pushdown Automata | Context –free grammars, Chomsky normal form | ch. 2.1, slides | | |
| 9 | Pushdown Automata | Examples, equivalence with CFG | ch. 2.2, slides | | |
| 10 | Limits of pushdown automata and context-free languages | Pumping Lemma for context-free languages | ch. 2.3, slides | | |
| 11 | Review session | Solving problems, discussing projects | | quiz 2 | |

| 12 | Turing Machine | Formal definition, examples | ch. 3.1, slides | |
|----|---------------------|--|--------------------------------|--------|
| 13 | Turing Machine | Multitape, enumerators, equivalence with other models | ch. 3.2, slides | |
| 14 | Turing Machine | Church-Turing thesis, definition of algorithm, Hilbert's problems | ch. 3.3, slides | |
| 15 | Decidability | Decidable languages | ch. 4.1, slides | |
| 16 | Undecidability | Diagonalization, Turing-unrecognizable language | ch. 4.2, slides | |
| 17 | Turing reducibility | Mapping reducibility | ch. 5.3, slides | |
| 18 | Review session | Solving problems, projects | | quiz 3 |
| 19 | Time complexity | Review of Big-O, small-o notation, time complexity of the previous models of computation | ch. 7.1, slides | |
| 20 | Time complexity | class P | ch. 7.2, slides | |
| 21 | Time complexity | Class NP | ch. 7.3, slides | |
| 22 | Time complexity | NP-completeness | ch. 7.4, lecture notes | |
| 23 | Time complexity | Cook-Levin Theorem | ch. 7.4, lecture notes | |
| 24 | Time complexity | NP-complete problems | ch. 7.5, lecture notes | |
| 25 | Review session | Solving problems, projects, | | quiz 4 |
| 26 | Space complexty | Sawitch theorem | ch. 8.1 | |
| 27 | Space complexity | PSpace class and PSpace completeness, other complexity classes, hierarchy theorems | A summary based on ch. 8 and 9 | |

| 28 | mid-semester examination | | |
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| 29 | Reflection and review | | |
| 30 | End-semester examination | | |