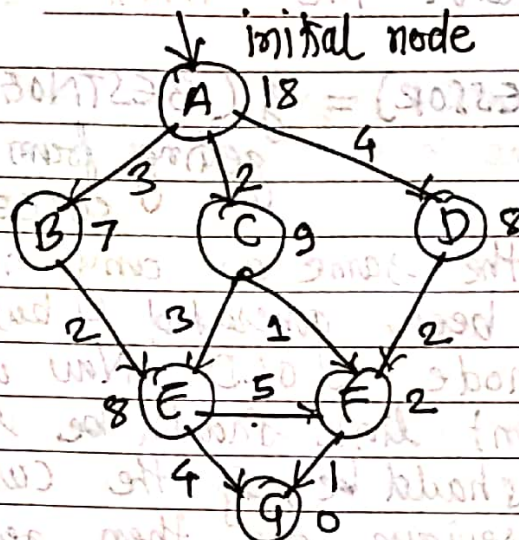


31 Monday
31-334

Trace for A*



h' is written outside the node.

Step 1. OPEN \rightarrow [A]
 18
CLOSED \rightarrow empty list.

Step 2. Best node is A since it is only the node on OPEN. Remove it from OPEN, place it on CLOSED, generate successors.

compute, $f(D) = 4 + 8 = 12$

$f(B) = 3 + 7 = 10$, $f(C) = 2 + 9 = 11$

01 Tuesday
32-333

\therefore Since B, C & D are not either on OPEN or CLOSED thus add them on OPEN.

OPEN \rightarrow [B | C | D]
10 11 12

CLOSED \rightarrow [A]
18

Step 3. Best node is B. New successors of B are A & E.
 $\therefore f(A) = g(B) + h'(A)$
 $= 3 + 3 + 18 = 24$

Since successor A is already on CLOSED OLD. Since new path is not better than OLD path, we will not change parent, g & f' value of A.

2:00:05

JAN 2005

Mo	Tu	We	Th	Fr	Sa	Su	Mo	Tu	We	Th	Fr	Sa	Su	Mo	Tu	We	Th	Fr	Sa	Su
17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	16

second successor is 'E' which is neither present on
 FEBRUARY OPEN nor on CLOSED, thus add it to OPEN & compute $f(E) = 3+2+8 = 13$ Wednesday 02
 WEEK 6 33-332

OPEN \rightarrow

A	A	B
C	D	E
11	12	13

CLOSED \rightarrow

A	
A	B
18	10

Step-4. Best node is C. Remove it from OPEN & add it to
 CLOSED. Generate successors of C, which are
 A, E & F.

Since A is already present on CLOSED, thus we
 call it as CLOSED OLD & compute $f'(A) = 2+18+2$
 $f'(A) = 22$.

Thus new path is not better than old one. So do not change
 parent & f of A.

As E is $f(E) = 2+3+8 = 13$ & already present on
 OPEN, call it OLD. Since both OLD & new
 paths are of equal cost. we will not
 change parent, f & link. Thursday 03
 34-331

Now, Node F, which is neither present on OPEN or
 CLOSED, thus add it on OPEN & compute $f(F)$

OPEN \rightarrow

A	B	C
D	E	F
12	13	5

CLOSED \rightarrow

A A		
A	B	C
18	10	11

Step-5. Best node is F. Remove it from OPEN, add it on
 CLOSED. Generate its successors which are C, D & G.

As C is already present on CLOSED, call it as CLOSED
 OLD.

$f(C) = 2+1+1+9 = 13$, which is worse than

previous path so do not change, parent, link & f .

Mo	Tu	We	Th	Fr	Sa	Su	Mo	Tu	We	Th	Fr	Sa	Su	Mo	Tu	We	Th	Fr	Sa	Su	MAR
21	22	23	24	25	26	27	28	29	30	31	200005

Node D is already present in OPEN, call it OLD.
 04 Friday 35 FEBRUARY WEEK 6
 $f(D) = 2 + 1 + 2 + 8 = 13$; thus new path is not better than old one, so do not change anything like parent, f' & link.

As G is a success, which is neither on OPEN nor on CLOSED, thus add it to OPEN & compute

$$f'(G) = G + 0 = G$$

OPEN \rightarrow

D	E	G
---	---	---

 12 13 4

CLOSED \rightarrow

A	B	C	F
---	---	---	---

 18 10 11 5

(Step 6) Best node is G. Since it is goal state as ($h' = 0$).
 algorithm has to halt by reporting success with a goal node G & cost = G & path.
 $= G, F, E, A$

05 Saturday 36-329

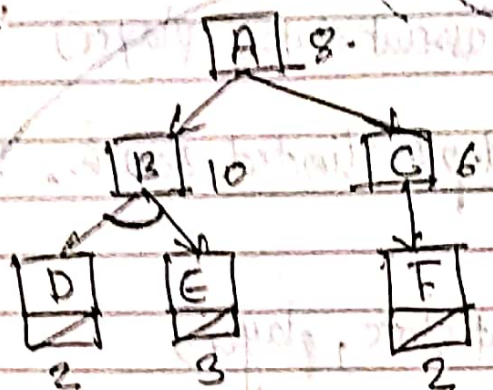
Web references:- Learn about A*

1. http://en.wikipedia.org/wiki/A-star_Search_algorithm.




20 Wednesday
110-255


APRIL
WEEK 17



initialise! \rightarrow
FUTILITY = $(+\infty)$

 — terminal nodes
1 — cost of each arc

step 1. GRAPH INIT = A

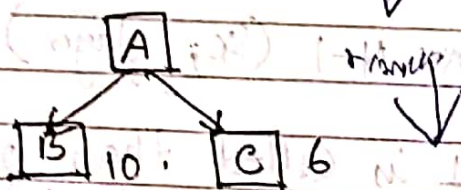
 $h(\text{init}) = 8$

step 2. (a) since there is only node A in GRAPH. Since A is unexpanded node, select it for expansion
 \leftarrow call this as NODE

NODE = A

(b) Generate successors of NODE = A. i.e. B & C
 \downarrow
add them in GRAPH if they are not also ancestors of NODE.

21 Thursday
111-254



(c) (i). initialise $S = \{A\}$
since there is only node A in S
call it CURRENT = A.

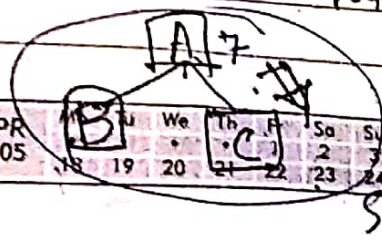
(ii) Compute cost of each arc emerging from CURRENT.

$$\text{Cost}(AB) = 10 + 1 = 11$$

$$\text{Cost}(AC) = 6 + 1 = 7$$

change $h(\text{CURRENT}) = 7 = h(A)$

(iii) Mark best path out of CURRENT.



$S = \{B, C\}$

200005

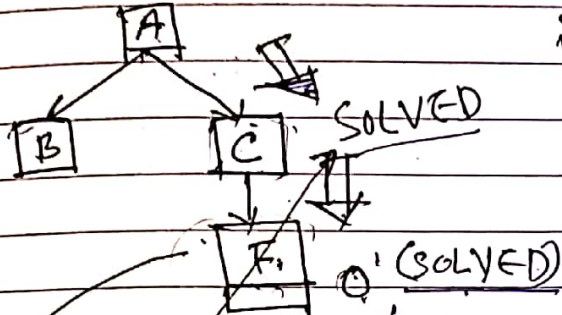
APR
2005

Mo	Tu	We	Th	Fr	Sa	Su	Mo	Tu	We	Th	Fr	Sa	Su
18	19	20	21	22	23	24	25	26	27	28	29	30	1

Step 2 (a). Trace the labeled are (best path) from INIT & select for expansion an unexpanded node. Now the node is C. Call it $NODE = C$.

(b) Generate successors of $NODE = C$.

- Add successor to GRAPH.
- successor is terminal node
 $\therefore h'(F) = 0$



(c) $S = \{F, C, A\}$

(i) $CURRENT = F$

(ii) since $CURRENT$ is labelled as SOLVED add content of F to GRAPH.

$S = \{C, A\}$

2(c) (i) $CURRENT = C$

$h'(CURRENT) = h'(C) = 0 + 1 = 1$

(ii) Mark C as SOLVED

3(c) (i) $S = \{A\}$

$CURRENT = A$

(ii) $h'(CURRENT) = h'(A) = 1 + 1 = 2$

(iii) Mark A "SOLVED" since all its child are marked SOLVED.

SINCE INIT is labeled SOLVED algorithm will halt.