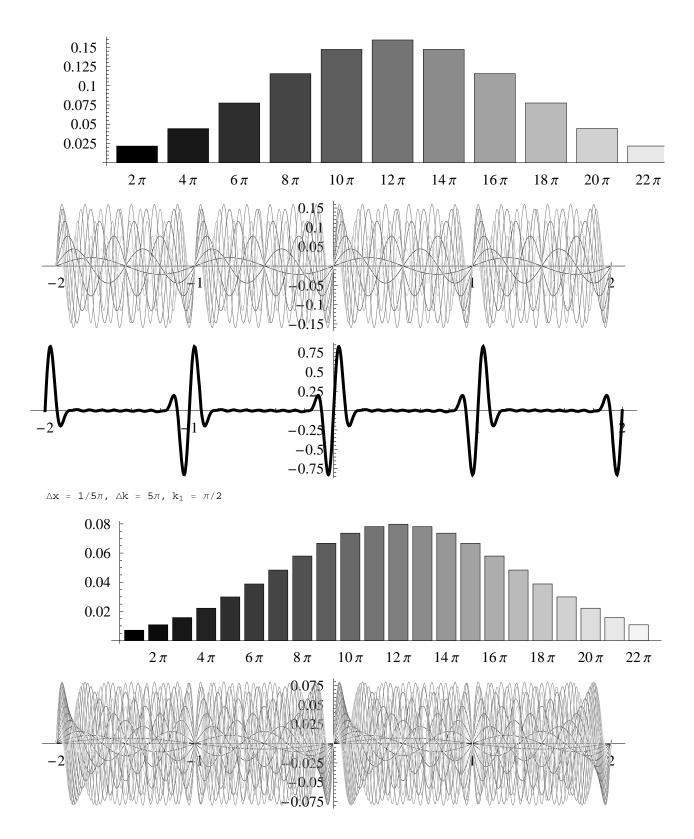
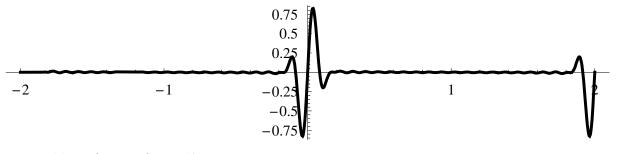
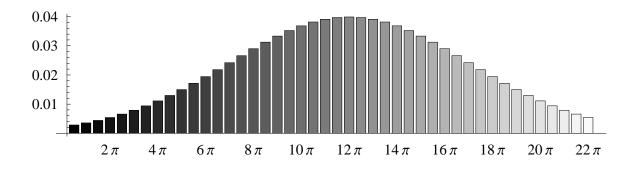
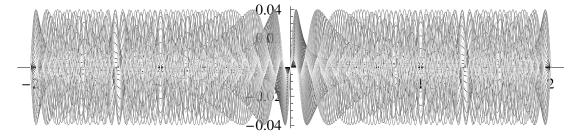
```
$TextStyle = {FontFamily → "Times", FontSize → 14};
<< Graphics `Graphics` (* needed for BarChart *)
Clear[k0, \sigma];
F[k_{k}, k_{0}, \sigma_{k}] := Exp[-(k-k_{0})^{2}/(2*\sigma^{2})]/(\sqrt{2\pi} \sigma)
f = Integrate[F[k, k00, \sigma0] Sin[kx], \{k, 0, \infty\}, Assumptions \rightarrow \sigma0 > 0]
-\frac{1}{4} \, \, \dot{\mathbb{1}} \, \, e^{-\frac{1}{2} \, \mathbf{x} \, (2 \, \dot{\mathbb{1}} \, k00 + \mathbf{x} \, \sigma 0^2)} \, \, \left(-1 - \text{Erf} \left[ \, \frac{k00 - \dot{\mathbb{1}} \, \mathbf{x} \, \sigma 0^2}{\sqrt{2} \, \sigma 0} \, \right] + e^{2 \, \dot{\mathbb{1}} \, k00 \, \mathbf{x}} \, \left(1 + \text{Erf} \left[ \, \frac{k00 + \dot{\mathbb{1}} \, \mathbf{x} \, \sigma 0^2}{\sqrt{2} \, \sigma 0} \, \right] \right) \right)
makeplot[\sigma_{-}] := Module[\{k0 = 62\pi\},
     For [n = 1, n \le 8, n = n * 2,
elems = 11 * n;
coeffs = 2\pi/n Table [F[2\pi k/n, k0, \sigma], {k, elems}];
sins = Table[Sin[2\pi kx/n], \{k, elems\}];
list = coeffs * sins;
colors = Array[GrayLevel[(# - 1) / elems] &, elems];
           If [Mod[\sigma, \pi] = 0,
              Print[StringJoin["\Delta x = 1/", ToString[\sigma/\pi], "\pi, \Delta k = ",
                    ToString[\sigma/\pi], "\pi, k_1 = \pi/", ToString[n]], Print[StringJoin["<math>\Delta x = 1/",
                    ToString[\sigma], ", \Delta k = ", ToString[\sigma], ", k_1 = \pi/", ToString[n]]]];
           BarChart[coeffs, BarStyle → colors, BarLabels →
                 Flatten[Array[Append[Table["", \{n-1\}], 2\pi \#] &, elems/n]], AspectRatio \rightarrow 1/4.5,
              ImageSize \rightarrow 72 * 9, \ PlotRange \rightarrow All]; \ Plot[Evaluate[list], \ \{x, -2, 2\}, \ All]; \ Plot[Evaluate[list], 
              PlotRange \rightarrow All, AspectRatio \rightarrow 1/4.5, PlotStyle \rightarrow colors, ImageSize \rightarrow 72 * 8];
           Plot[Evaluate[Sum[list[[n]], {n, elems}]], {x, -2, 2}, PlotRange <math>\rightarrow All,
              AspectRatio \rightarrow 1 / 4.5, PlotStyle \rightarrow Thickness[0.005], ImageSize \rightarrow 72 * 8];
         If [Mod[\sigma, \pi] = 0,
           Print[
              StringJoin["\Delta x = 1/", ToString[\sigma/\pi], "\pi, \Delta k = ", ToString[\sigma/\pi], "\pi, k_1 = 0"]],
           Print[StringJoin["\Delta x = 1/", ToString[\sigma], ", \Delta k = ", ToString[\sigma], ", k_1 = 0"]]];
     Plot[F[k, k0, \sigma], {k, 0, 22\pi}, PlotRange \rightarrow {0, F[k0, k0, \sigma]}, AspectRatio \rightarrow 1/4.5,
         ImageSize \rightarrow 72 * 8, Ticks \rightarrow {Table[i\pi, {i, 2, 22, 2}], Automatic}];
     Plot[f /. \{k00 \rightarrow k0, \sigma0 \rightarrow \sigma\}, \{x, -2, 2\}, PlotRange \rightarrow All,
         AspectRatio \rightarrow 1/4.5, PlotStyle \rightarrow Thickness[0.005], ImageSize \rightarrow 72 * 8];
makeplot [5\pi];
makeplot [4\pi];
makeplot[3\pi];
makeplot[2\pi];
makeplot [1\pi];
makeplot[1];
\Delta x = 1/5\pi, \Delta k = 5\pi, k_1 = \pi/1
```

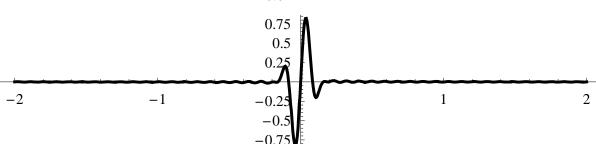




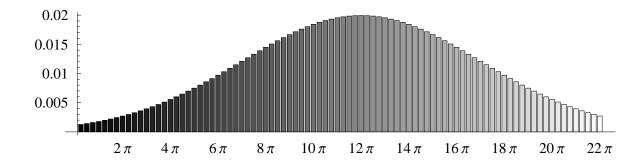
 Δx = 1/5 π , Δk = 5 π , k_1 = $\pi/4$

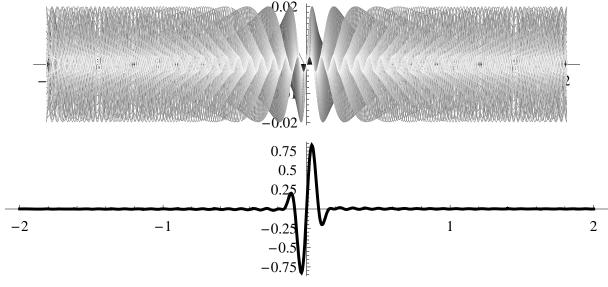




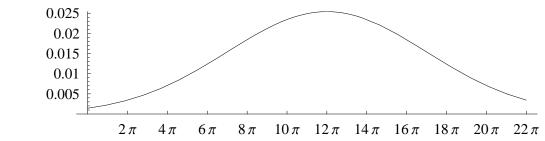


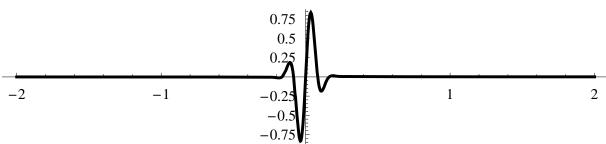
 Δx = 1/5 π , Δk = 5 π , k_1 = $\pi/8$



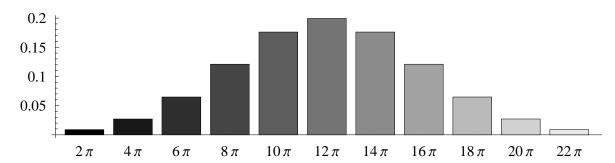


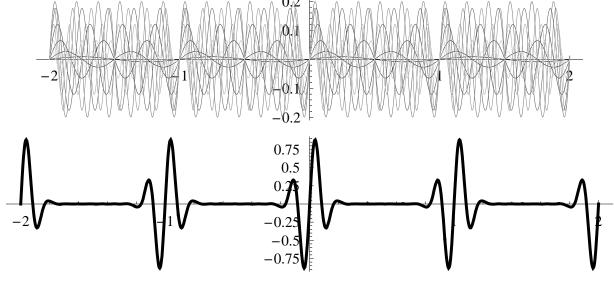
$$\Delta \mathbf{x} = 1/5\pi$$
, $\Delta k = 5\pi$, $k_1 = 0$



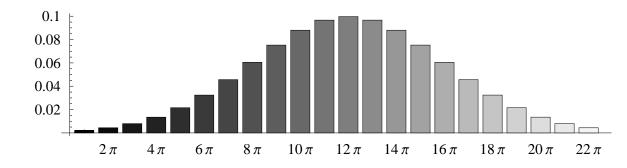


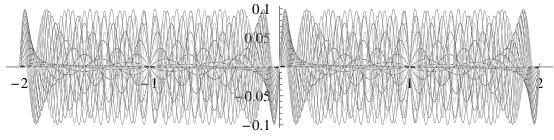
$$\Delta x = 1/4\pi$$
, $\Delta k = 4\pi$, $k_1 = \pi/1$

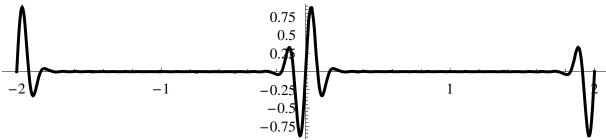




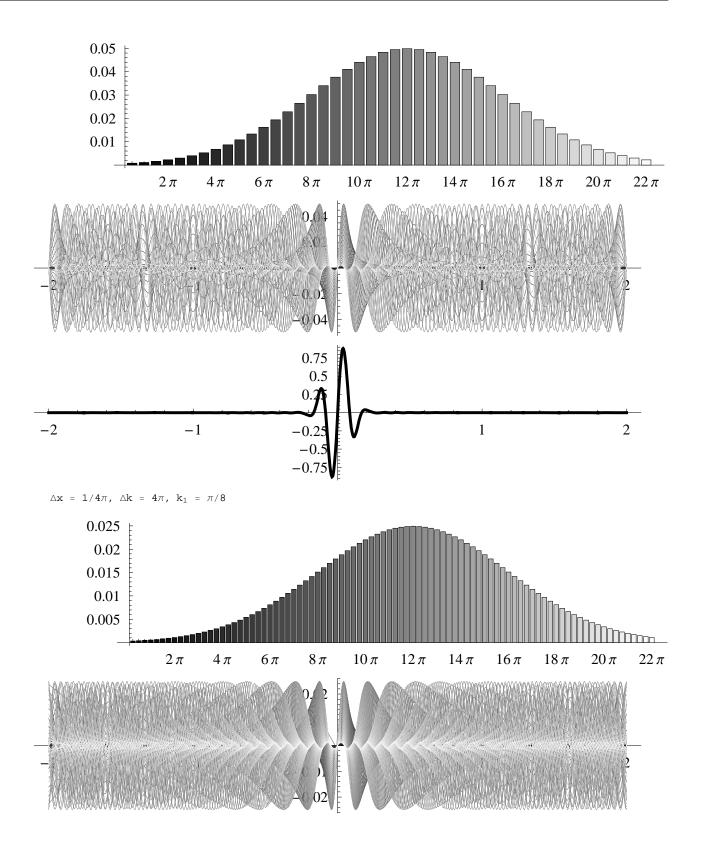
 $\Delta x = 1/4\pi$, $\Delta k = 4\pi$, $k_1 = \pi/2$

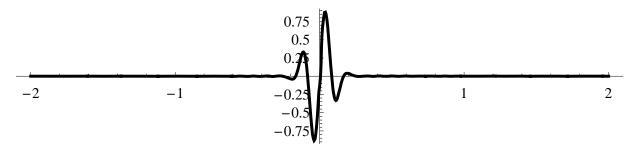




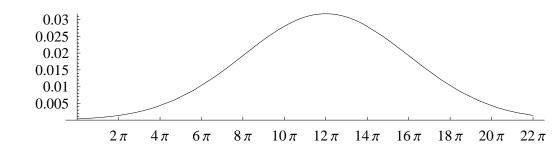


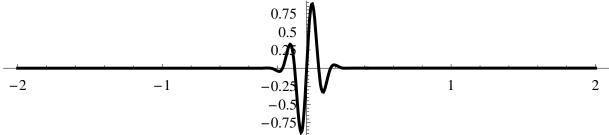
 $\Delta x = 1/4\pi$, $\Delta k = 4\pi$, $k_1 = \pi/4$



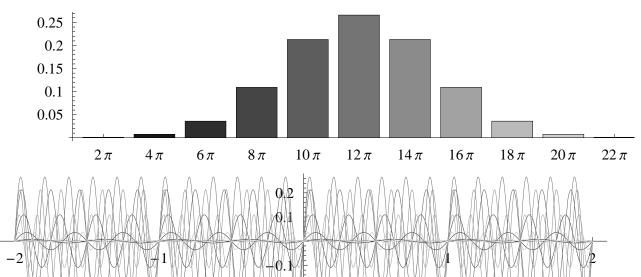


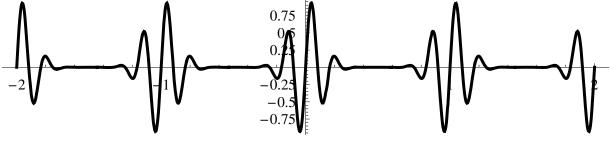
 $\Delta x = 1/4\pi$, $\Delta k = 4\pi$, $k_1 = 0$



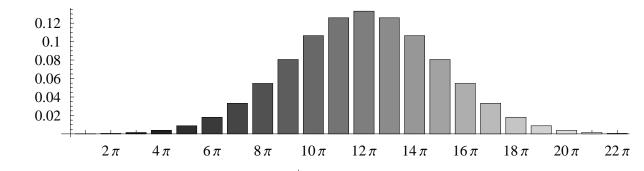


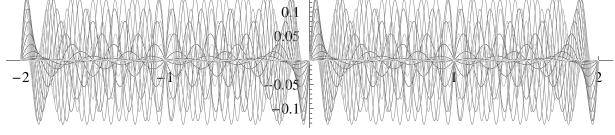
 $\Delta x = 1/3\pi$, $\Delta k = 3\pi$, $k_1 = \pi/1$

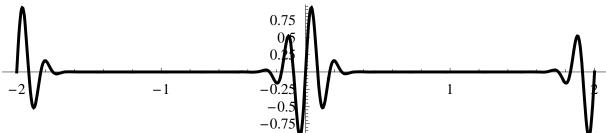




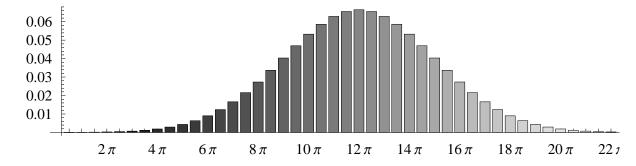
 $\Delta x = 1/3\pi$, $\Delta k = 3\pi$, $k_1 = \pi/2$

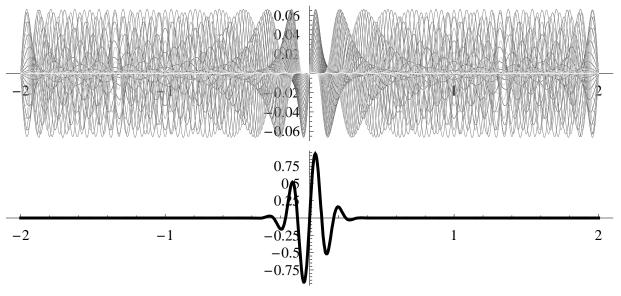




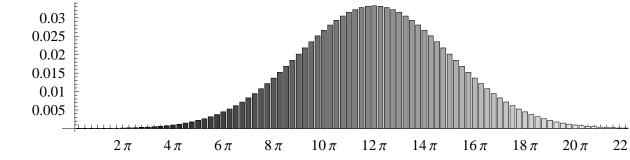


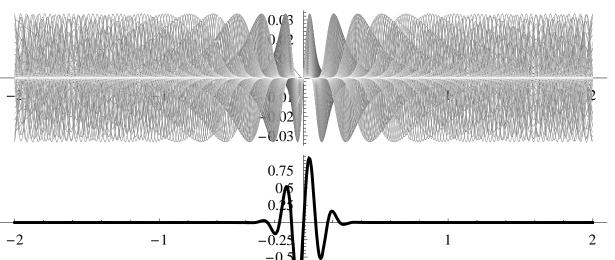
 Δx = 1/3 π , Δk = 3 π , k_1 = $\pi/4$



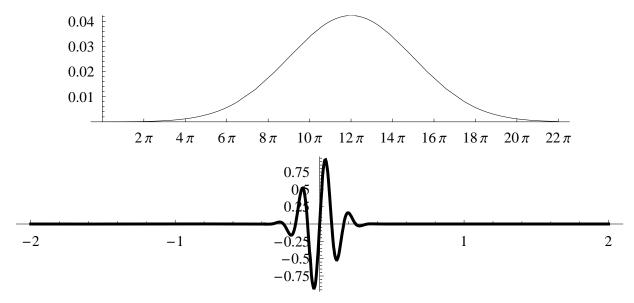


 $\Delta x = 1/3\pi$, $\Delta k = 3\pi$, $k_1 = \pi/8$

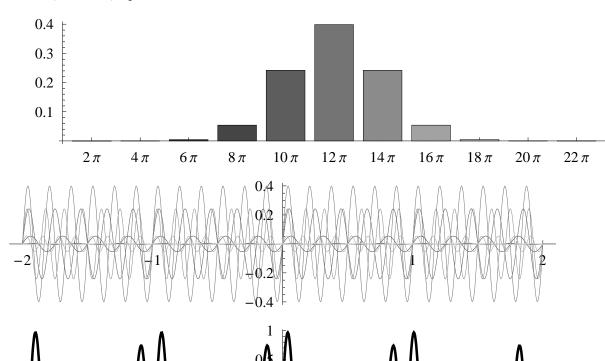




 $\Delta x = 1/3\pi$, $\Delta k = 3\pi$, $k_1 = 0$

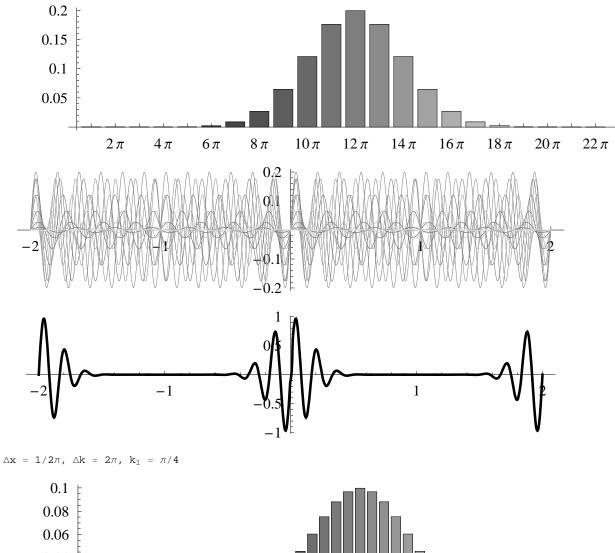


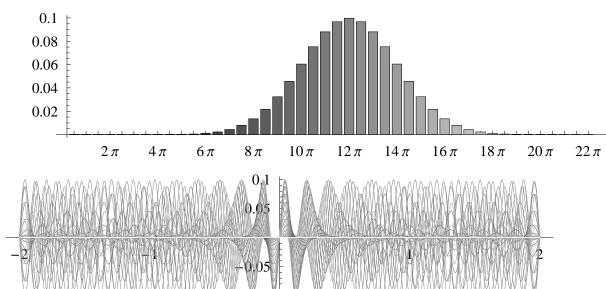
 $\Delta x = 1/2\pi$, $\Delta k = 2\pi$, $k_1 = \pi/1$





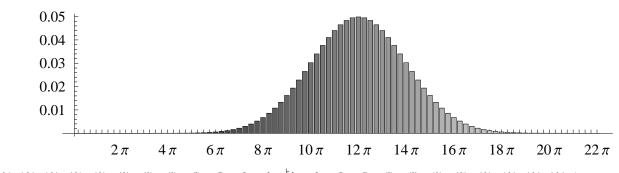
 $\Delta x = 1/2\pi$, $\Delta k = 2\pi$, $k_1 = \pi/2$

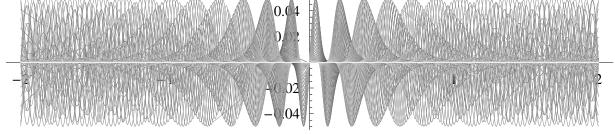






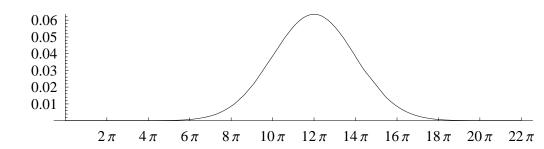
 $\Delta x = 1/2\pi$, $\Delta k = 2\pi$, $k_1 = \pi/8$

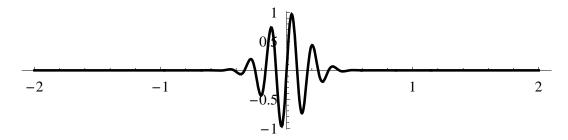




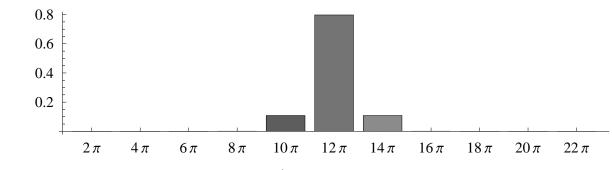


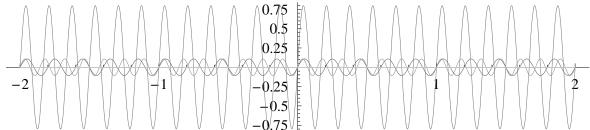
 $\Delta \mathbf{x}$ = 1/2 π , Δk = 2 π , k_1 = 0

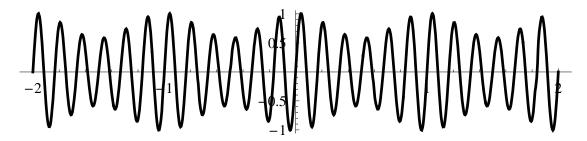




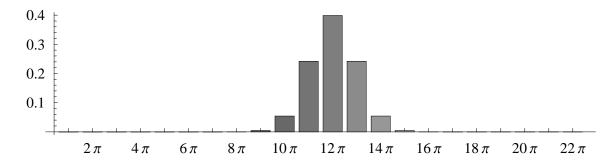
 Δx = 1/1 π , Δk = 1 π , k_1 = $\pi/1$

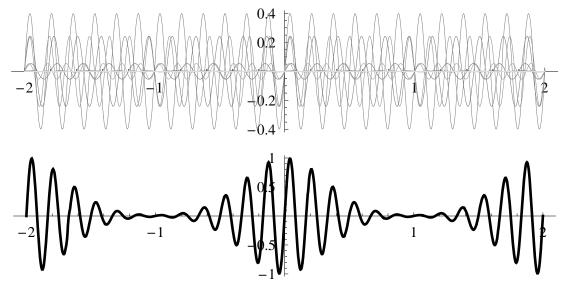




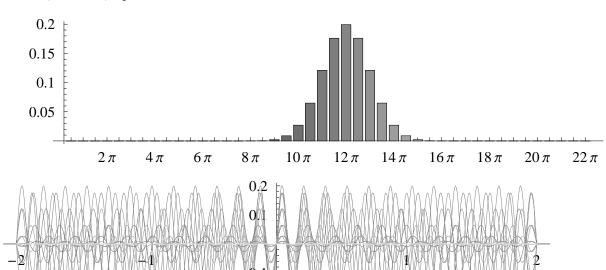


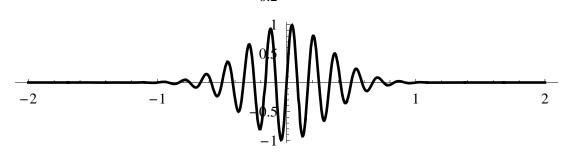
 $\Delta x = 1/1\pi$, $\Delta k = 1\pi$, $k_1 = \pi/2$



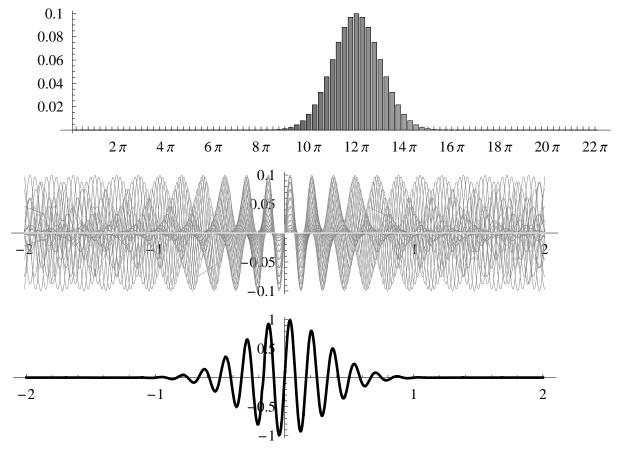


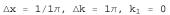
 $\Delta x = 1/1\pi$, $\Delta k = 1\pi$, $k_1 = \pi/4$

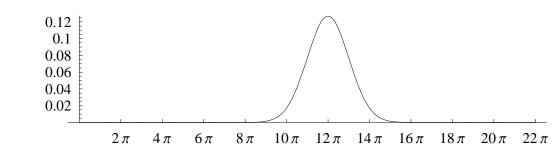


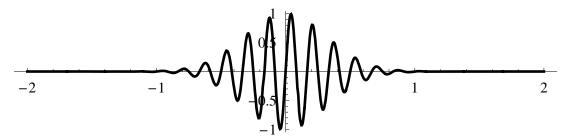


 Δx = 1/1 π , Δk = 1 π , k_1 = $\pi/8$

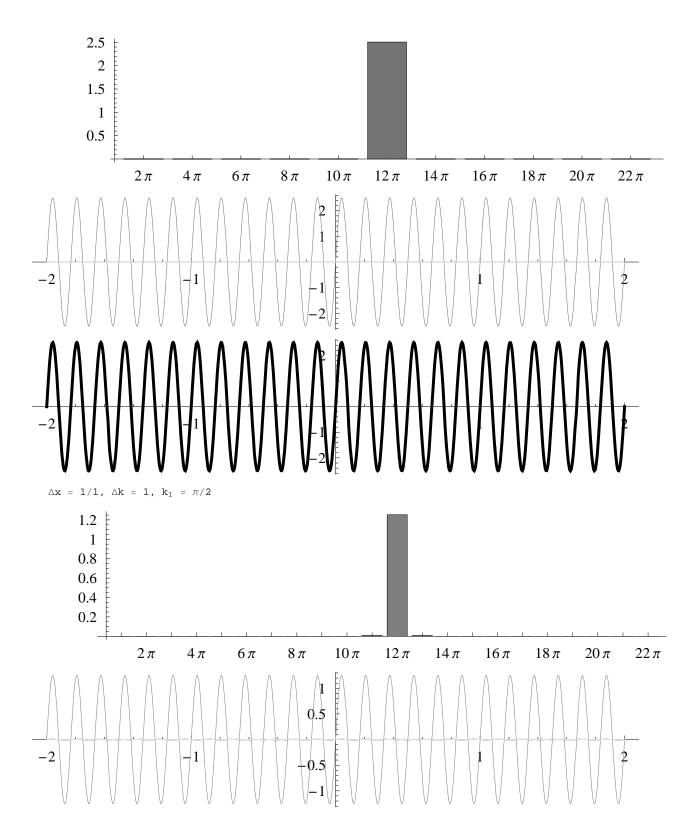


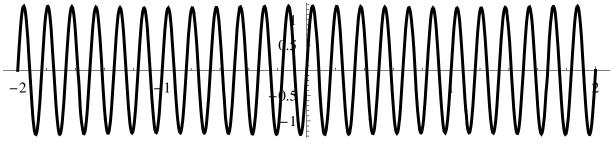




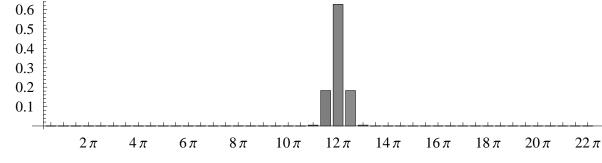


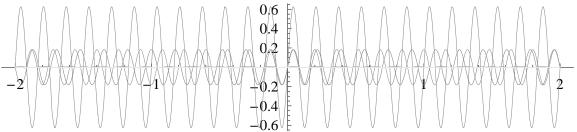
 $\Delta \mathbf{x}$ = 1/1, $\Delta \mathbf{k}$ = 1, \mathbf{k}_1 = $\pi/1$

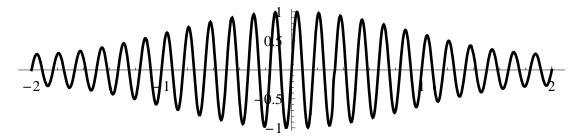




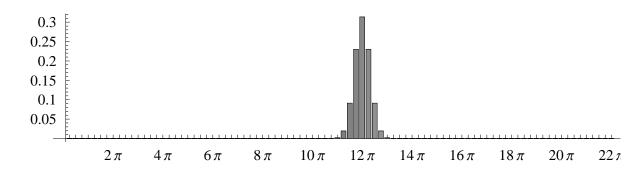
 $\Delta x = 1/1$, $\Delta k = 1$, $k_1 = \pi/4$

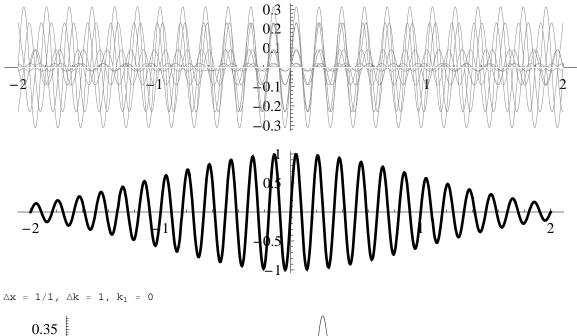


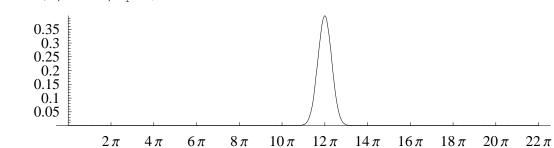


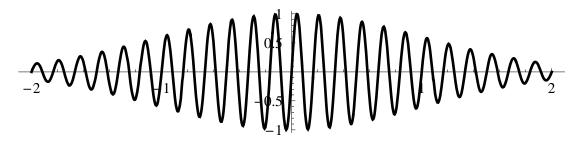


 $\triangle x = 1/1$, $\triangle k = 1$, $k_1 = \pi/8$









Plot[0, {k, 1, 5 π }, Ticks \rightarrow {Append[Table[i π , {i, 5}], 1], None}, Axes \rightarrow {True, False}, Epilog \rightarrow Text["Ticks for Δ k slider", {3 π , .75}]]; Plot[0, {x, 1 / (5 π), 1}, Ticks \rightarrow {Join[Table[i, {i, .2, 1, .2}], {1 / (5 π), 1 / π }], None}, Axes \rightarrow {True, False}, Epilog \rightarrow Text["Ticks for Δ x slider", {.5, .75}]];

Ticks for Δk slider

Ticks for Δx slider

 $\frac{1}{5\pi}$ 0.2 $\frac{1}{\pi}$ 0.4 0.6 0.8 1