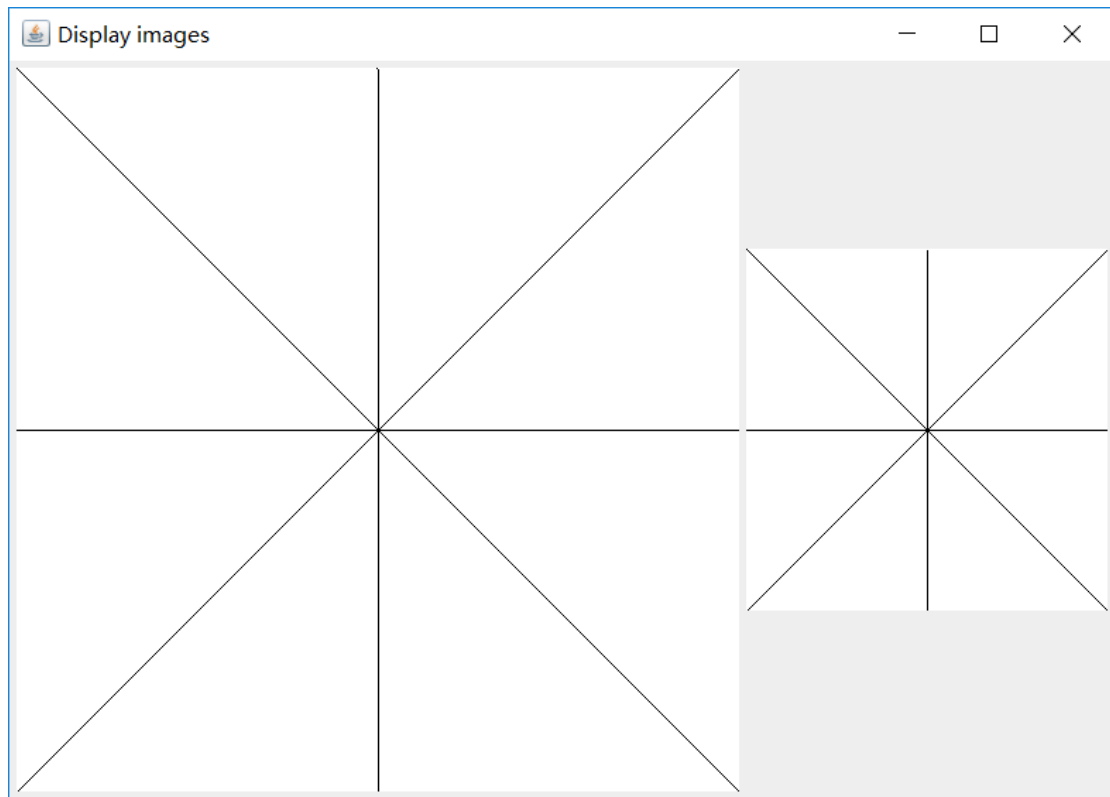


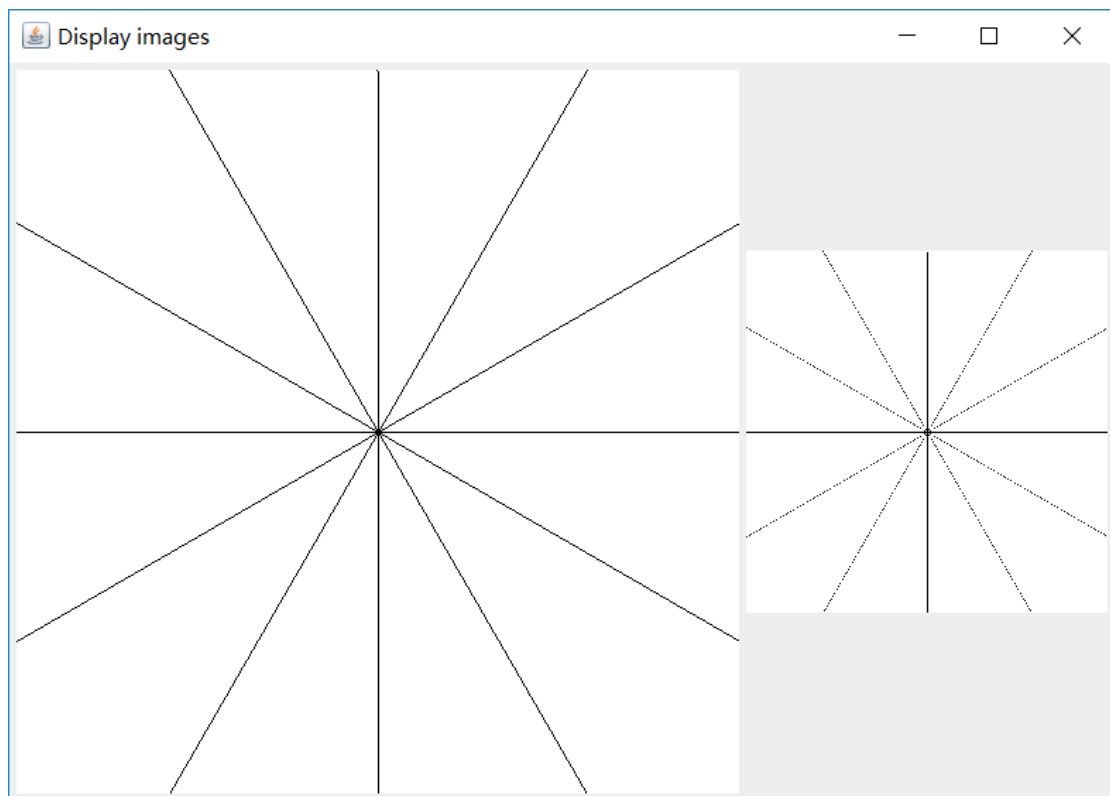
Part 1

1. Let's keep $s=2.0$.

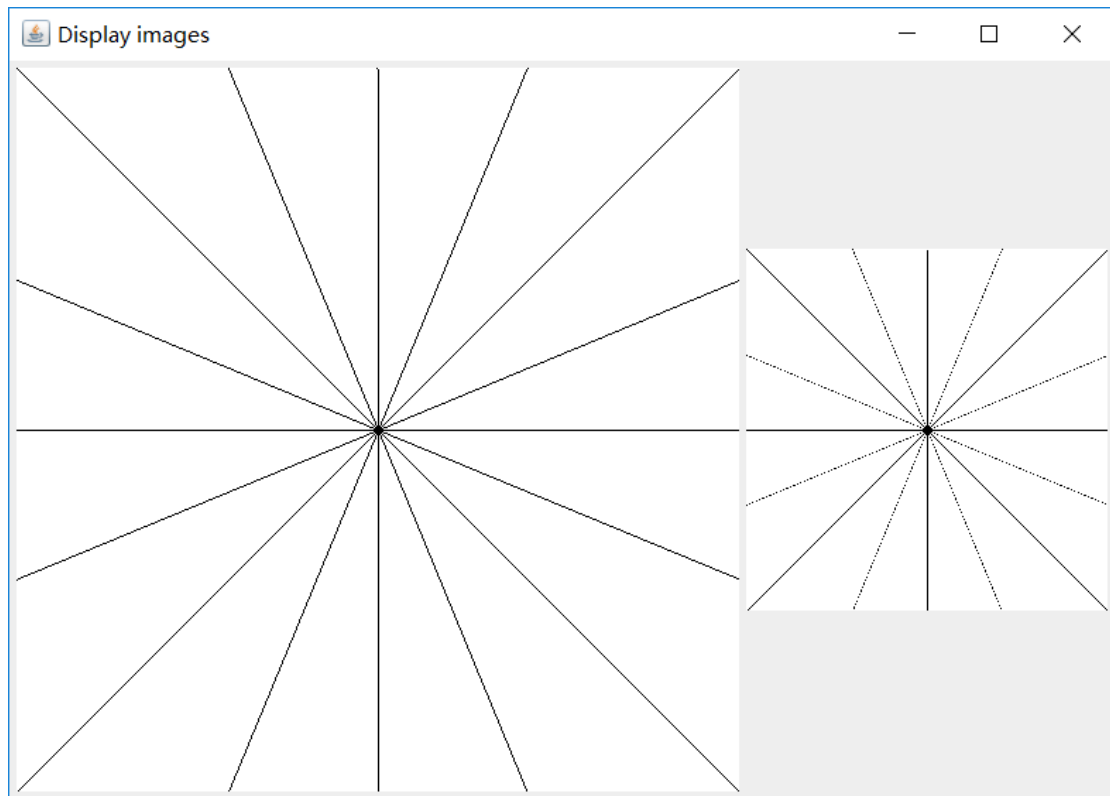
$n=8$:



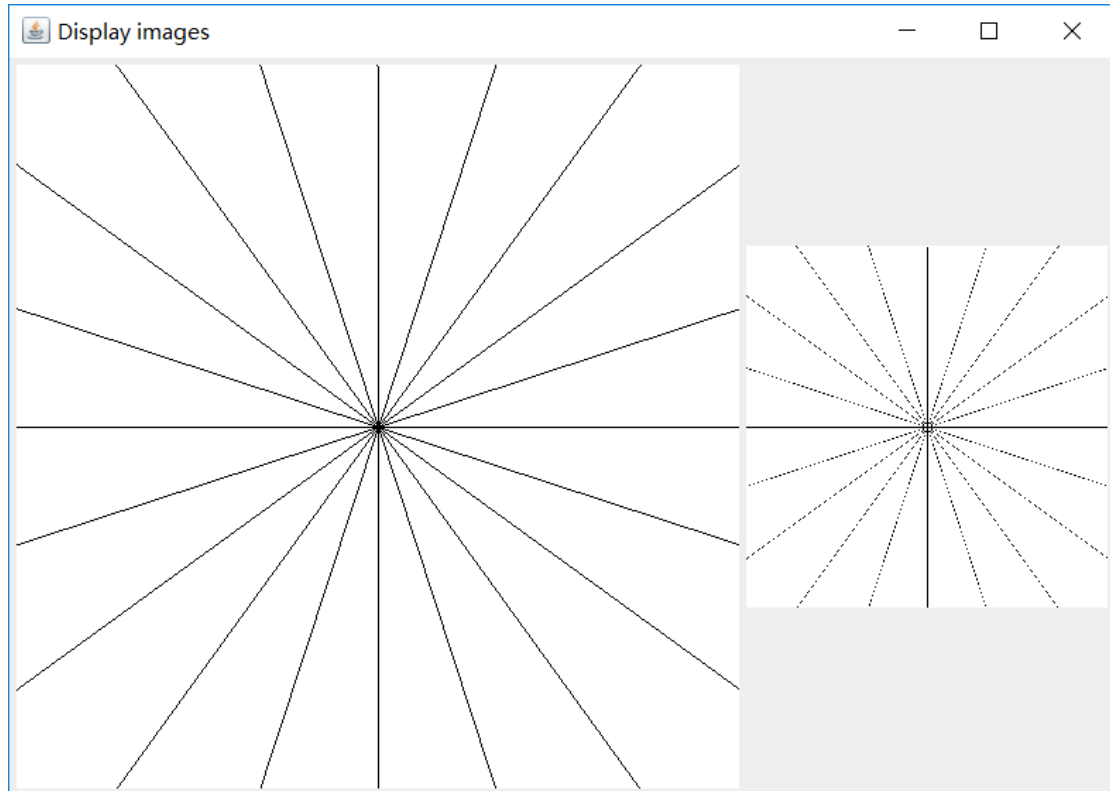
$n=12$:



$n=16$:

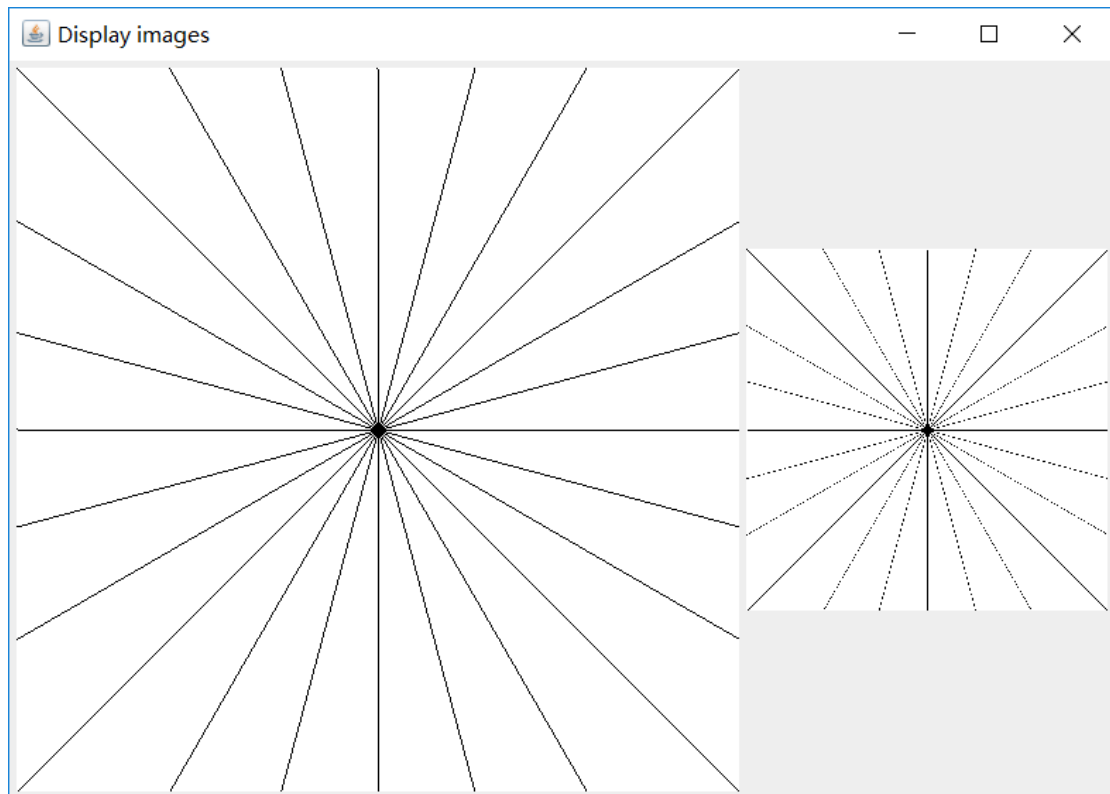


$n=20$:

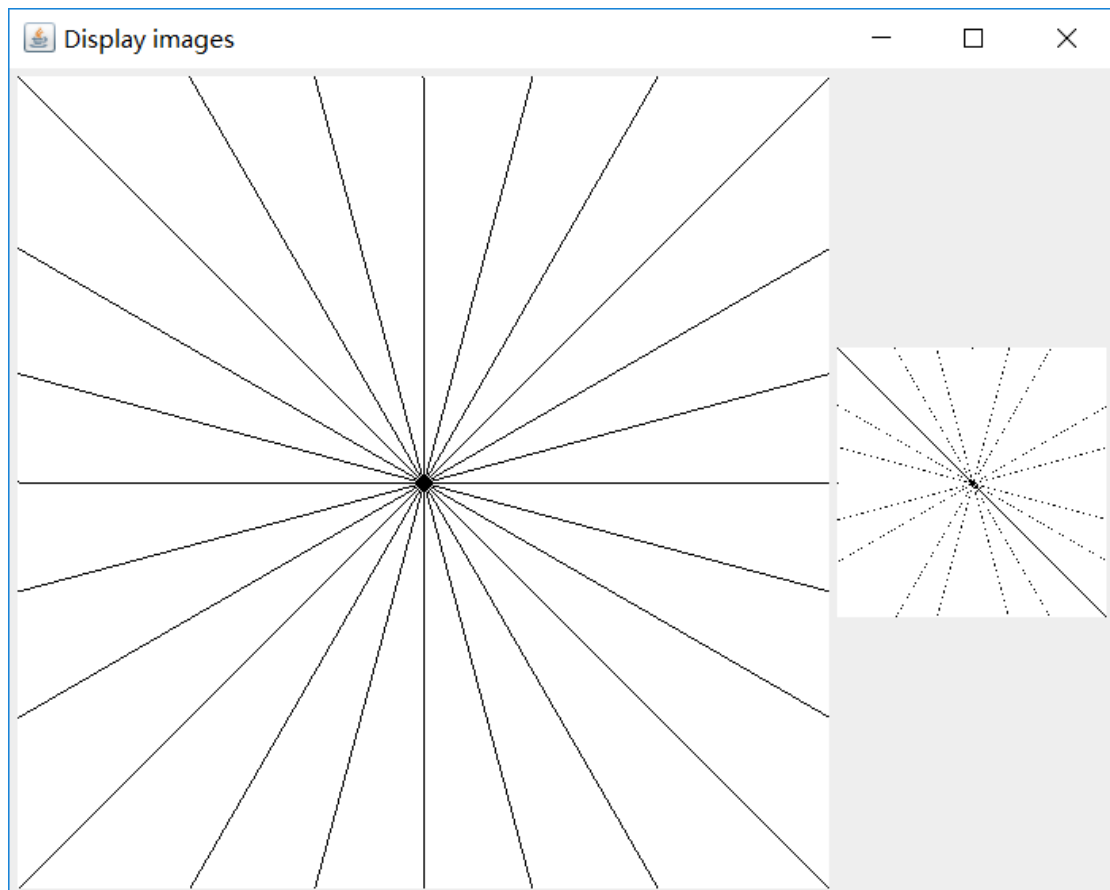


According to the results above, we can see that the effect of aliasing becomes more obvious while n increases (especially to lines which are none of horizontal, vertical or diagonal).

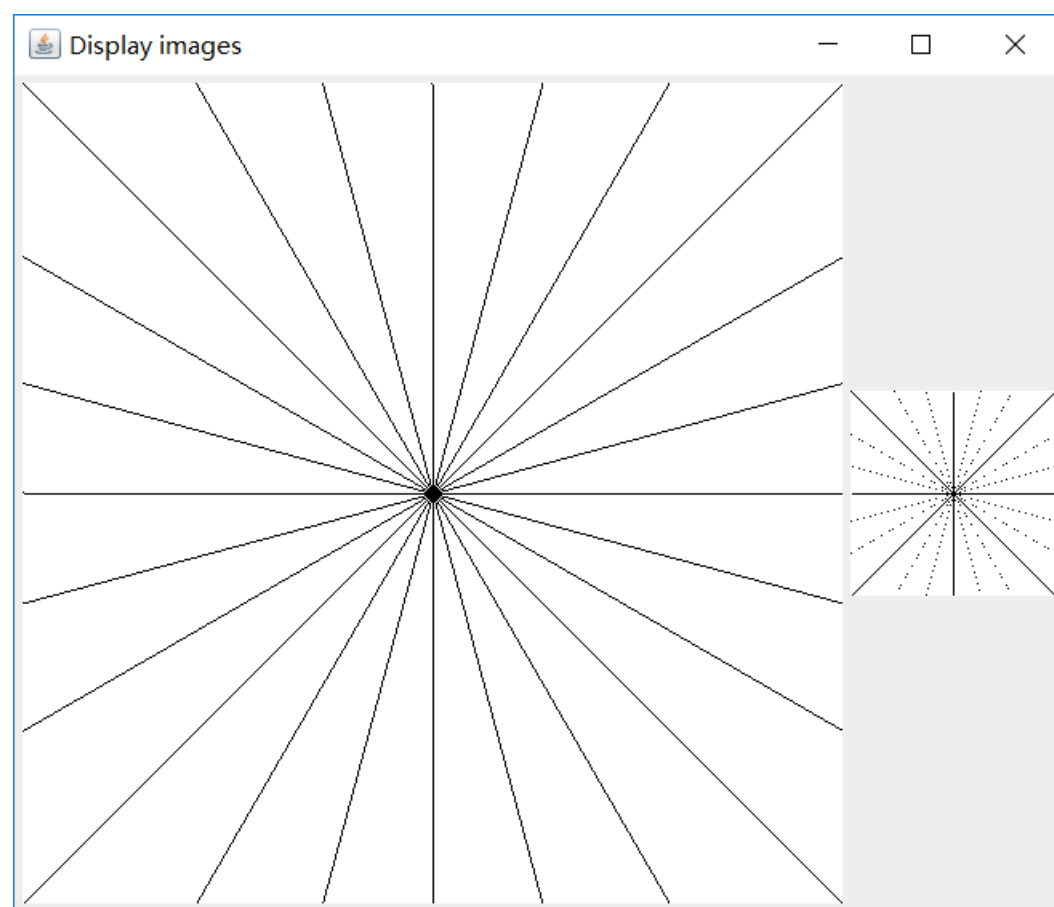
2. Let's keep $n=24$.
 $s=2.0$:



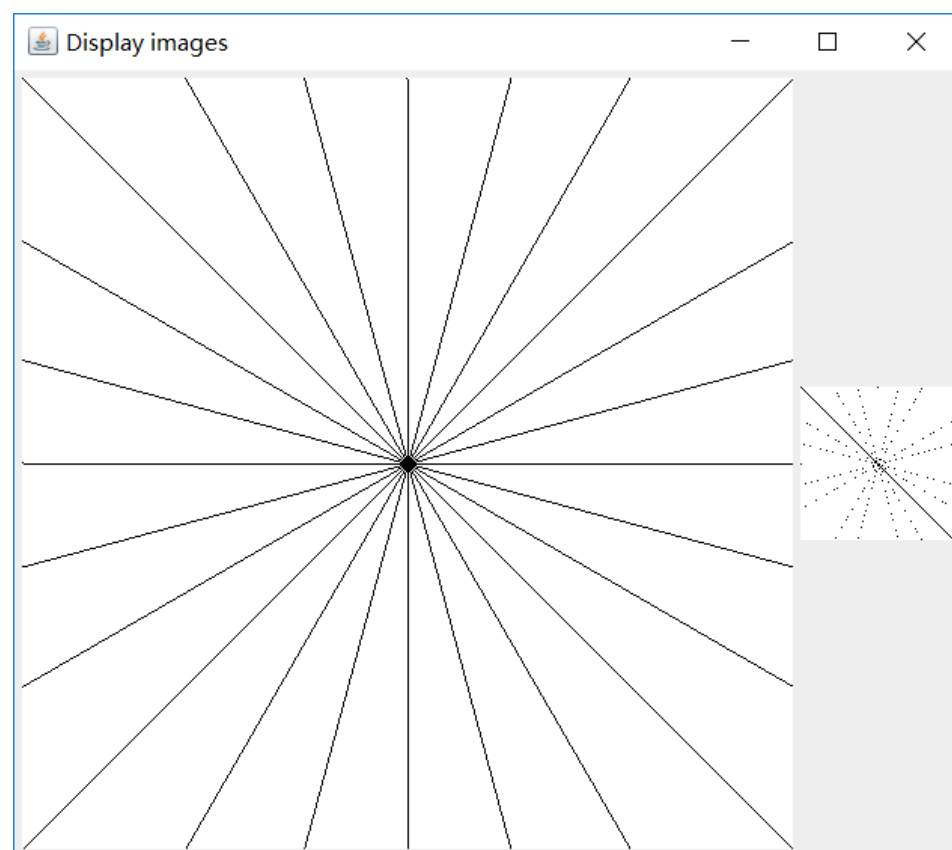
$s=3.0$:



s=4.0:



s=5.0:



According to the results above, we find that the aliasing effect becomes more obvious while s increases.

Part 2

In Part 2 n is set to 64 in all cases.

1. Theoretically the formula relating s (rotations per second), fps and os (rotations per second) should be:

$$os = \frac{f(\theta) * fps}{360}$$

where

$$\theta = \left(\frac{s * 360}{fps} \right) \% 360, \quad f(\theta) = \begin{cases} \theta, & \text{if } \theta \leq 180^\circ \\ 360^\circ - \theta, & \text{else} \end{cases}$$

if θ is less than 180° , the rotational direction of output wheel should be as same as the input wheel. Otherwise, there is a temporal aliasing.

2. Theoretically, $os=10$ r/s. The program result shows that the output wheel rotate in the same direction as the input wheel.
3. Theoretically, $os=6$ r/s. The program result shows that the output wheel rotate in the reverse direction of the input wheel.
4. Theoretically, $os=0$. The program result shows that the output wheel does not rotate or only moves a little.
5. Theoretically, $os=2$ r/s. The program result shows that the output wheel rotate in the same direction as the input wheel.