```
library("knitr")
library(ggplot2)
library(cluster)
library(factoextra)
```

Welcome! Want to learn more? See two factoextra-related books at https://goo.gl/ve3WBa

```
library(gridExtra)
library(MASS)

data <- Boston</pre>
```

'1. Select the numeric variables that you think are appropriate and useful. Use kmeans and Gaussian Mixture models.'

#Select the numeric variables

```
rm=data[,7]
dis=data[,9]
crim=data[,1]
medv=data[,14]
df <- data.frame(rm,dis,crim,medv)

X<- sample(c(rep(0, 0.7 * nrow(df)), rep(1, 0.3 * nrow(df))))
table(X)</pre>
```

```
## X
## 0 1
## 354 151
```

```
train <- df[X == 0, ]
test <- df[X== 1, ]</pre>
```

'2. Split into train and test (70-30). Scale the data'

```
X.train.mean = colMeans(train)
X.train.sd = sapply(train, sd)
X.train.scale = scale(train, center=X.train.mean, scale=X.train.sd)
X.test.scale = scale(test, center=X.train.mean, scale=X.train.sd) #scaling test by train
parameters
```

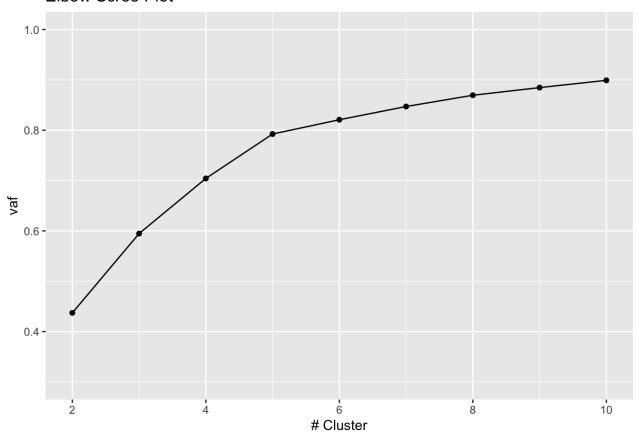
'3. Generate the K-means solution'

```
vaf = c()
centroid = c()
size = c()
num_clusters = seq(2, 10, by=1)
for (i in num_clusters){
    set.seed(123)
    kmeans_train = kmeans(X.train.scale,centers=i,nstart=70)
    vaf = append(vaf,1 - kmeans_train$tot.withinss / kmeans_train$totss)
    centroid = append(centroid, kmeans_train$centers)
    size = append(size,kmeans_train$size)
}
```

'4. Perform a Scree test | 5. Show the scree plot.'

```
qplot(c(2:10), vaf) +
  geom_line() +
  xlab("# Cluster") +
  ylab("vaf") +
  ggtitle("Elbow Scree Plot") +
  ylim(0.3,1)
```

Elbow Scree Plot



'6.Choose 1 K-means solution (the best K from the last step) to retain from the many solutions that you have generated'

```
kmeans_train_single = kmeans(X.train.scale,centers=5,nstart=70)
kmeans_test_single = kmeans(X.train.scale,centers=kmeans_train_single$centers,nstart=70)

vaf_train = 1 - kmeans_train_single$tot.withinss / kmeans_train_single$totss
centroid_train = kmeans_train_single$centers
size_train = kmeans_train_single$size

vaf_test = 1 - kmeans_test_single$tot.withinss / kmeans_test_single$totss
centroid_test = kmeans_test_single$centers
size_test = kmeans_test_single$size

print(data.frame(vaf_train,vaf_test))
```

```
## vaf_train vaf_test
## 1 0.7924455 0.7924455
```

```
print(data.frame(centroid_train,centroid_test))
```

```
##
                       dis
                                 crim
                                            medv
                                                        rm.1
                                                                 dis.1
             rm
## 1 0.81676352 1.7144431 0.8290706 -0.8063701 0.81676352 1.7144431
## 2 0.09253265 -0.2625049 -0.2822728 2.0671479 0.09253265 -0.2625049
## 3 0.54523840 -0.5529085 -0.3322724 -0.3105061 0.54523840 -0.5529085
## 4 1.07489287 1.7144431 7.0926162 -1.6532732 1.07489287 1.7144431
## 5 -1.23443286 -0.5938779 -0.3893546 0.3060807 -1.23443286 -0.5938779
##
        crim.1
                   medv.1
## 1 0.8290706 -0.8063701
## 2 -0.2822728 2.0671479
## 3 -0.3322724 -0.3105061
## 4 7.0926162 -1.6532732
## 5 -0.3893546 0.3060807
```

```
print(data.frame(size_train,size_test))
```

```
##
     size_train size_test
## 1
             80
## 2
             36
                        36
## 3
            122
                       122
## 4
              4
                         4
## 5
            113
                       113
```

'7. Generate 3-5 Gaussian Mixtures (GM) | 8. Choose one solution & do interpretation'

```
require(mclust)
```

```
## Loading required package: mclust
```

```
## Package 'mclust' version 5.4.9
## Type 'citation("mclust")' for citing this R package in publications.
```

```
set.seed(123)
gm = Mclust(X.train.scale,G=3:5)
gm$bic #bic value of the selected model
```

```
## [1] -629.6974
```

 $\verb|gm$BIC #based on the table shown, the selected model is GMM with number of component=5 and model=VEV|\\$

```
## Bayesian Information Criterion (BIC):
          EII
                    VII
                             EEI
                                       VEI EVI VVI
                                                         EEE
                                                                  VEE EVE VVE
## 3 -3538.229 -3136.755 -2772.776 -2631.036 NA NA -2778.710 -2641.596 NA
## 4 -3362.093 -2797.828 -2764.171 -2130.191 NA NA -2400.270 -2132.815 NA
## 5 -3389.946 -2666.336 -2766.216 -2062.143 NA NA -2398.431 -2069.427 NA
##
           EEV
                     VEV EVV VVV
## 3 -891.1271 -1483.5843 NA NA
## 4 -1463.6682 -926.9720 NA
## 5 -879.1715 -629.6974 NA NA
##
## Top 3 models based on the BIC criterion:
      VEV,5
               EEV,5
                         EEV,3
## -629.6974 -879.1715 -891.1271
```

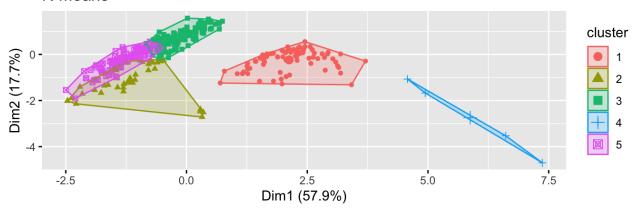
summary(gm) #most of the data are clustered in cluster 3 (51.23%), and the least is in cluster 3 (2.25%)

```
## -----
## Gaussian finite mixture model fitted by EM algorithm
## -----
##
## Mclust VEV (ellipsoidal, equal shape) model with 5 components:
##
##
  log-likelihood
              n df
                       BIC
      -132.8131 355 62 -629.6974 -656.9259
##
##
## Clustering table:
##
   1
      2
         3
            4
  79 130 58 24 64
```

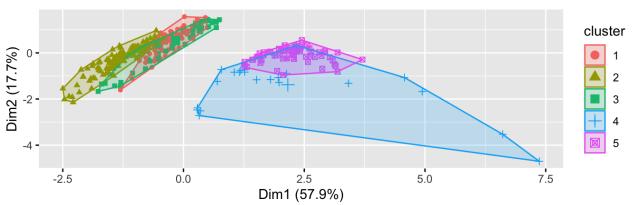
'9. Build a GM model with the best components on train data and compare it with the train KMeans solution from an interpretability perspective'

```
p1 = fviz_cluster(kmeans_train_single,geom = "point", data=X.train.scale) + ggtitle("K-Mea
ns")
p2 = fviz_cluster(gm,geom = "point", data=X.train.scale) + ggtitle("GM G=5")
grid.arrange(p1, p2, nrow = 2)
```

K-Means



GM G=5



kmeans_train_single\$centers

```
## 1 0.81676352 1.7144431 0.8290706 -0.8063701

## 2 0.09253265 -0.2625049 -0.2822728 2.0671479

## 3 0.54523840 -0.5529085 -0.3322724 -0.3105061

## 4 1.07489287 1.7144431 7.0926162 -1.6532732

## 5 -1.23443286 -0.5938779 -0.3893546 0.3060807
```

gm\$parameters\$mean

```
##
                [,1]
                           [,2]
                                        [,3]
                                                    [,4]
                                                                [,5]
         0.472893158 -1.1098339
                                0.614806667
                                              0.57892501
                                                          0.9418273
## dis -0.476966647 -0.6177760 -0.561053700
                                              1.71444309
                                                          1.7144431
## crim -0.380846804 -0.3943492 -0.257639494
                                              1.81207098
## medv -0.006412534 0.4532668
                                0.004910459 -0.07263518 -0.9207668
```

'10. Summarize results and interpret the clusters/segments you choose as your final solution.'

kmeans_train_single\$centers

```
## rm dis crim medv

## 1 0.81676352 1.7144431 0.8290706 -0.8063701

## 2 0.09253265 -0.2625049 -0.2822728 2.0671479

## 3 0.54523840 -0.5529085 -0.3322724 -0.3105061

## 4 1.07489287 1.7144431 7.0926162 -1.6532732

## 5 -1.23443286 -0.5938779 -0.3893546 0.3060807
```

```
kmeans_train_single$size
```

```
## [1] 80 36 122 4 113
```

gm\$parameters\$mean

```
## rm 0.472893158 -1.1098339 0.614806667 0.57892501 0.9418273

## dis -0.476966647 -0.6177760 -0.561053700 1.71444309 1.7144431

## crim -0.380846804 -0.3943492 -0.257639494 1.81207098 0.8004588

## medv -0.006412534 0.4532668 0.004910459 -0.07263518 -0.9207668
```

```
summary(gm)
```

```
## Gaussian finite mixture model fitted by EM algorithm
## -----
##
## Mclust VEV (ellipsoidal, equal shape) model with 5 components:
##
  log-likelihood n df
##
                          BIC
##
       -132.8131 355 62 -629.6974 -656.9259
##
## Clustering table:
##
   1
       2
         3
             4
  79 130 58 24 64
```

^{&#}x27;All interpretations are available in pdf document'