

# Virtual Reality Lab Class: Exercise 5

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## 5.1

$\text{navigation.T} = R * \text{inv}(\text{intersection.T}) * \text{navigation.T}$

$\text{intersection.T}^p = \text{inv}(\text{pointer.WT}) * \text{intersection.T}$

$\text{Delta} = \text{pointer\_cf} * \text{inv}(\text{pointer\_lf})$

$\text{wheel1\_geom}^s = \text{inv}(\text{screen.T}) * \text{inv}(\text{navigation.T}) * \text{cycle\_transform.T} * \text{wheel1\_trans.T} * \text{wheel1.geom}$

## 5.2

$\text{middlePlane} = \text{trans}(0,1,-2) * \text{scale}(4,2,1)$

$\text{leftPlane} = \text{trans}(-2,1,0) * \text{rotate}(90, y) * \text{scale}(4,2,1)$

$\text{rightPlane} = \text{trans}(2,1,0) * \text{rotate}(-90, y) * \text{scale}(4,2,1)$

## 5.3

Maximum positive disparity for default eye-distance (6.5 cm):

0.065 m

Horizontal: 41 pixels (rounded down)

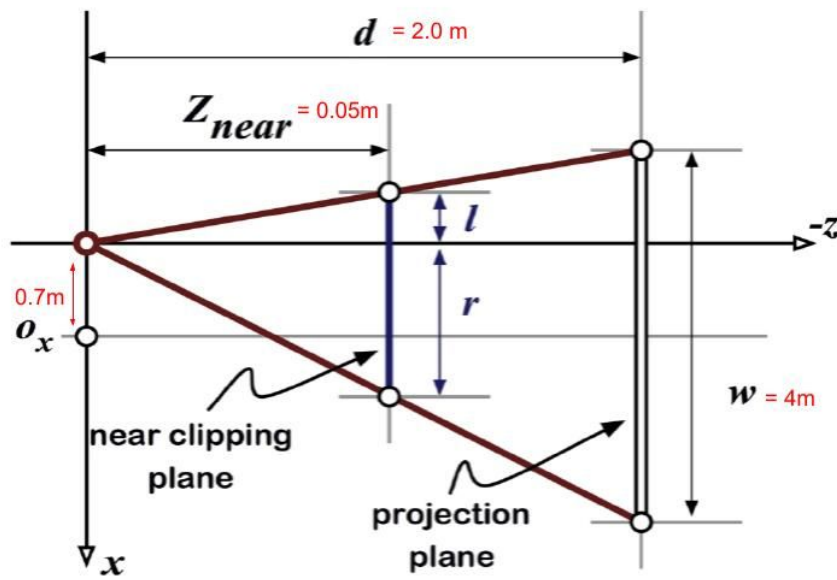
Vertical: 46 pixels (rounded down)

The number of pixels corresponding to maximum disparity differs because pixels are not square.

Therefore maximum number of depth levels is seen when viewing vertically: 46 depth levels.

## 5.4

$$\begin{aligned} l &= \frac{\left(o_x - \frac{w}{2}\right) z_{near}}{d} = ((0.7 - (4/2)) * 0.05) / 2 = -0.0325 \text{ m} \\ r &= \frac{\left(o_x + \frac{w}{2}\right) z_{near}}{d} = ((0.7 + (4/2)) * 0.05) / 2 = 0.0675 \text{ m} \end{aligned}$$



$$t = \frac{(O_y - h/2) z_{near}}{d} = ((0.75 + (2/2)) * 0.05) / 2 = 0.04375\text{ m}$$

$$b = \frac{(O_y + h/2) z_{near}}{d} = ((0.75 - (2/2)) * 0.05) / 2 = -0.00625\text{ m}$$

